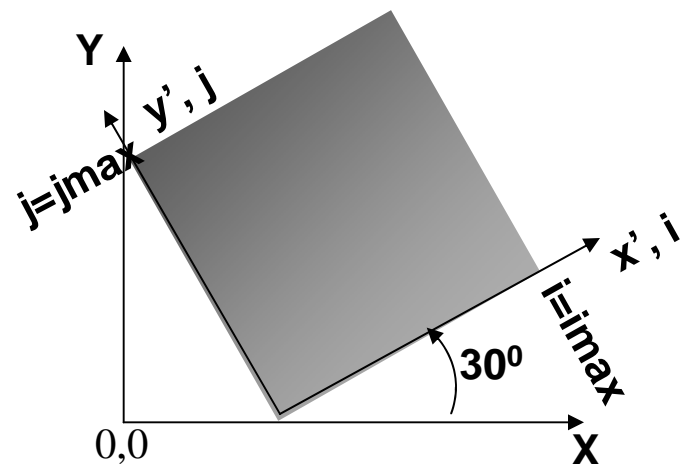


Project-1

- **Write a computer program to solve the heat conduction equation on a single block of steel**
 - $k = 18.8 \text{ W/m K}$, $\rho = 8000 \text{ kg/m}^3$, $c_p = 500 \text{ J/(kg K)}$
 - Solve the transient heat conduction equation using the general, explicit control volume scheme on a non-uniform computational grid.
- **Use a computational grid:**
 - That is IMAX x JMAX in dimensions
 - Where IMAX=JMAX=101 AND IMAX=JMAX=501 (2 cases)
 - That has the following non-uniform distribution:
 $\text{rot} = 30. \cdot 3.141592654 / 180.$
 $x_p = \cos[0.5 \cdot \pi (\text{imax} - i) / (\text{imax} - 1)]$
 $y_p = \cos[0.5 \cdot \pi (\text{jmax} - j) / (\text{jmax} - 1)]$
 $x(i, j) = x_p \cdot \cos(\text{rot}) + (1. - y_p) \cdot \sin(\text{rot})$
 $y(i, j) = y_p \cdot \cos(\text{rot}) + x_p \cdot \sin(\text{rot})$



Project-1

- **Find the temperature distribution on a 1m x 1m block with Dirichlet boundary conditions:**
 - $T = 5. [\sin(\pi x_p) + 1.]$ at $j = j_{\max}$
 - $T = \text{abs}(\cos(\pi x_p)) + 1.$ at $j = 0$
 - $T = 3. y_p + 2.$ at $i = 0$ and $i = i_{\max}$

Note that x_p and y_p are used in these equations!
- **Iterate until the maximum residual magnitude drops below $\text{TOLER} = 1.0 \times 10^{-5}$**
 - Hint: The number of iterations will depend on the equation and the algorithm ($\sim 10,000$ for 101 grid dimension)
- **Initialize the temperature field to a uniform value of 3.5**
- **Write out your converged solution to a (PLOT3D or equivalent) file that can be used for plotting or restart capability**
 - an example plot3d routine is on smartsite. Additional information can be found on the internet.

Project-1

- **Run your code on a cluster node that is not being used via qsub**
 - Compiling of code can only be performed on wopr
- **Use qsub to submit your job (that will automatically go to one of the nodes compute-0-0 through compute-0-6)**

Project-1

- **Due Wednesday October 16th (PAY CLOSE ATTENTION TO WHAT IS ASKED FOR!):**
 - Statement of problem, equations, and algorithm(s) used
 - Listing of Fortran or C code (You may program this and all projects in C if you prefer)
 - Output of run. Print out the iteration number, the magnitude of the maximum residual, and the indices where the maximum residual was located
 - The CPU time from start of iteration to convergence

```
integer clock_start,clock_end,clock_max,clock_rate
real*4 wall_time
!   call system time to determine flow solver wall time
call system_clock(count_max=clock_max,count_rate=clock_rate)
call system_clock(clock_start)
!   determine total wall time for solver
call system_clock(clock_end)
wall_time=float(clock_end-clock_start)/float(clock_rate)
print*, 'solver wall clock time (seconds)', wall_time
```
 - Make sure that you link to the system library for the clock routines by adding `-lrt` during the linking step in your makefile
 - Plot of computational grid
 - Plot of converged temperature fields