

Image Segmentation

The problem tackled is segmenting similar parts of an image that for a cluster using unsupervised learning, K-means clustering is the main focus.

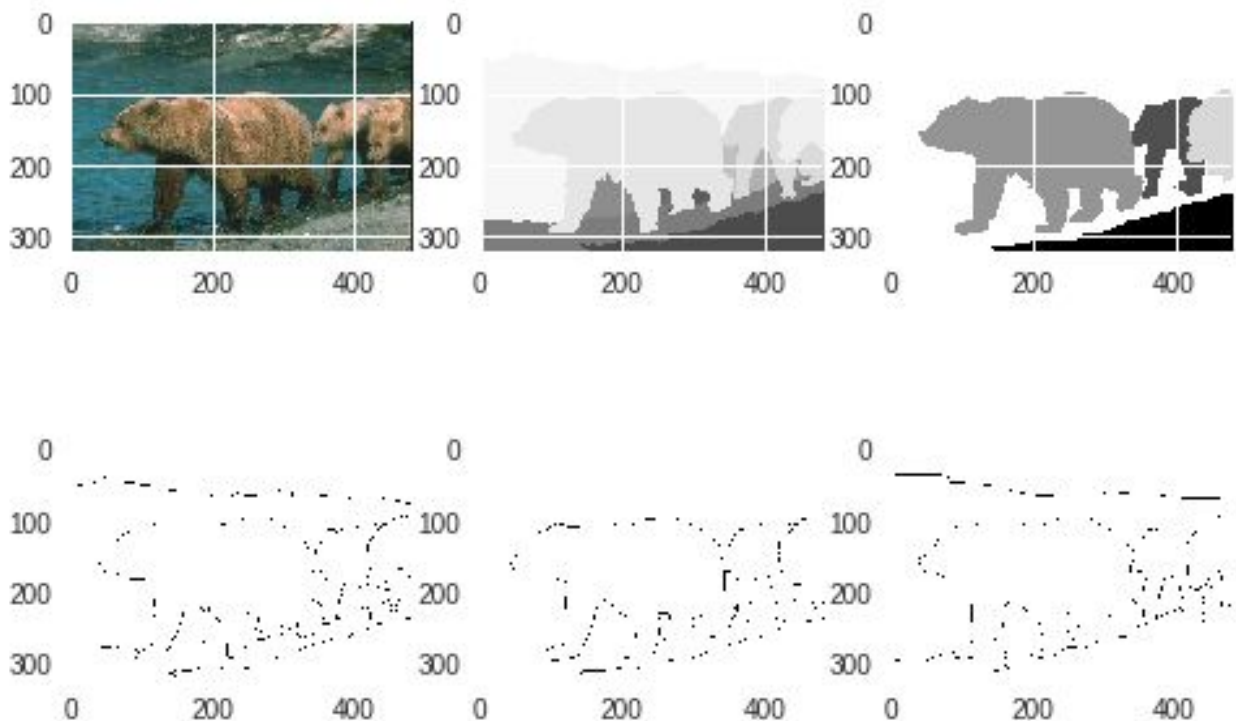
1- Downloading the dataset and understanding format:

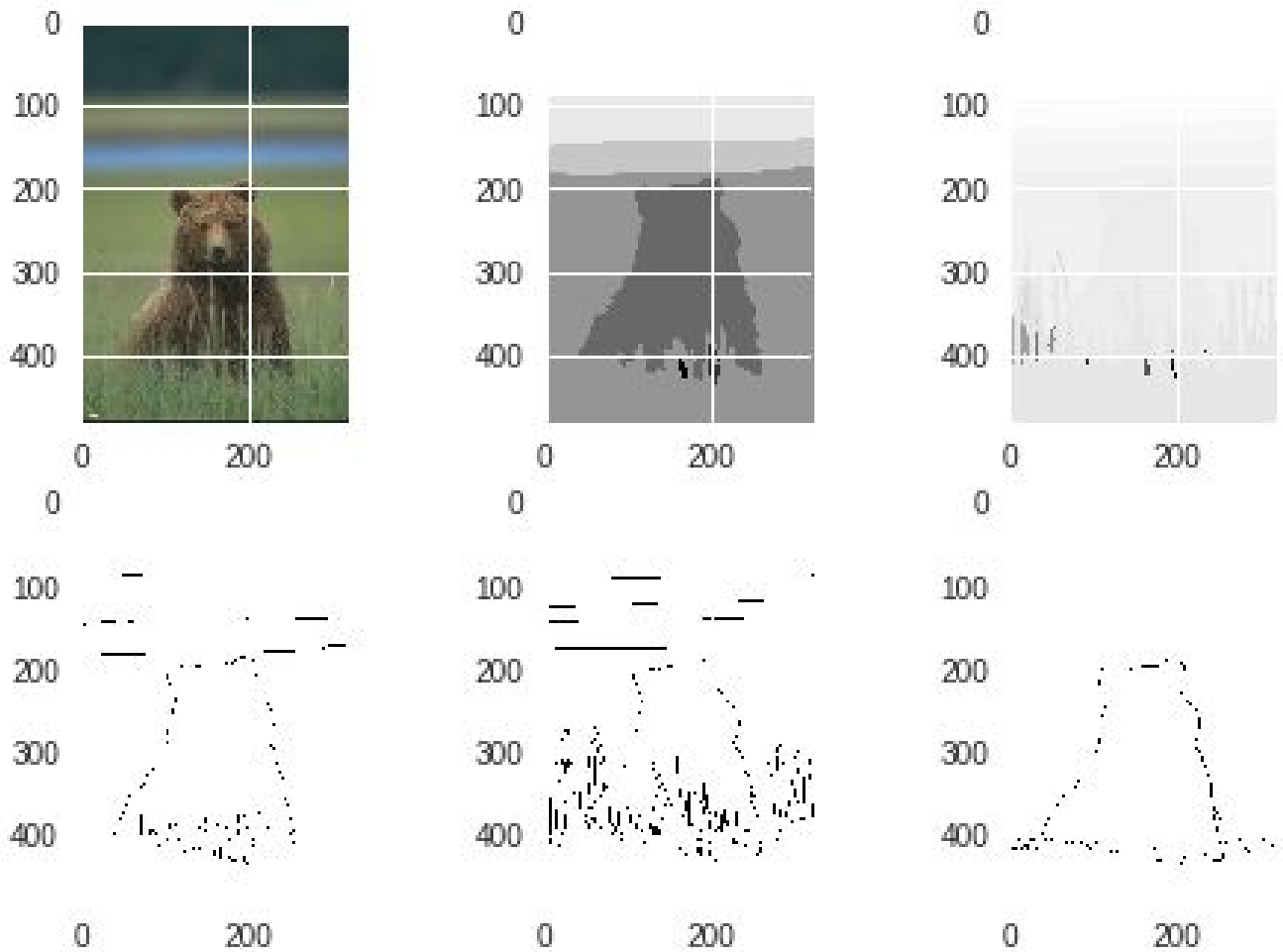
After discovering the data we found that it is composed of 3 subgroups one for training, one for testing and one for validation.

In each group there is a set of images in jpg format and a corresponding mat file containing ground truth images for each image.

The ground truth images are in 2 shapes : either a grayscale segmentation of each cluster or just a white image with black lines showing boundaries of clusters.

2- Visualizing the image and ground truth segmentation:





3- Segmentation using K-means

The code below represents the kmeans implementation of the library **cv2**. It is responsible for creating segmented images using given parameters such as number of clusters **K**.

```
def images_to_seg_colored(imgs,K):

    imgs_=[]
    for img in imgs:
        Z = img.reshape((-1,3))
```

```
# convert to np.float32
Z = np.float32(Z)

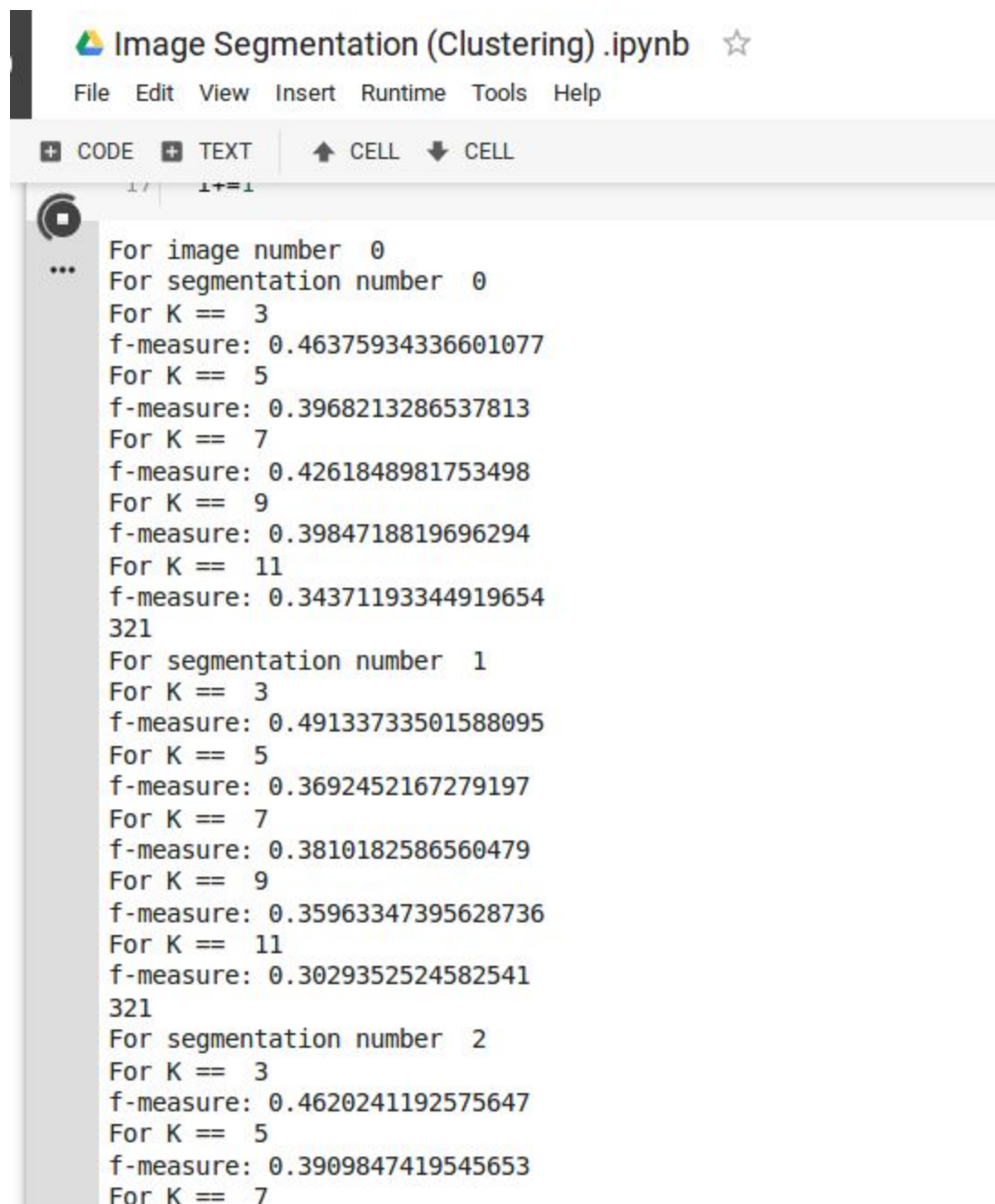
# define criteria, number of clusters(K) and apply kmeans()
criteria = (cv2.TERM_CRITERIA_EPS + cv2.TERM_CRITERIA_MAX_ITER, 10,
1.0)

ret,label,center=cv2.kmeans(Z,K,None,criteria,10,cv2.KMEANS_RANDOM_CENTERS)
#print(label)

# Now convert back into uint8, and make original image
center = np.uint8(center)
res = center[label.flatten()]
res2 = res.reshape((img.shape))

imgs_.append(res2)

return imgs_
```



The image shows a Jupyter Notebook titled "Image Segmentation (Clustering) .ipynb". The interface includes a menu bar with "File", "Edit", "View", "Insert", "Runtime", "Tools", and "Help". Below the menu bar is a toolbar with buttons for "CODE", "TEXT", "CELL", and "CELL". The notebook content is displayed in a code cell, showing a loop over image numbers and segmentation numbers, with f-measure scores calculated for different values of K.

```
For image number 0
For segmentation number 0
For K == 3
f-measure: 0.46375934336601077
For K == 5
f-measure: 0.3968213286537813
For K == 7
f-measure: 0.4261848981753498
For K == 9
f-measure: 0.3984718819696294
For K == 11
f-measure: 0.34371193344919654
321
For segmentation number 1
For K == 3
f-measure: 0.49133733501588095
For K == 5
f-measure: 0.3692452167279197
For K == 7
f-measure: 0.3810182586560479
For K == 9
f-measure: 0.35963347395628736
For K == 11
f-measure: 0.3029352524582541
321
For segmentation number 2
For K == 3
f-measure: 0.4620241192575647
For K == 5
f-measure: 0.3909847419545653
For K == 7
```

Figure above shows f-measure scores for some images against their segmentations

F-measure

$$\begin{bmatrix} * & * & * & \dots \\ \dots & * & & \dots & * \\ * & & & & \\ \dots & * & * & \dots & * \\ \$ & \$ & \& & \dots \\ \dots & \# & & \dots & \$ \\ \& & & & \\ \dots & \& & \$ & \dots & \# \end{bmatrix}$$

Suppose that the first matrix is that for the image extracted using K-Means for certain number of clusters K . Also, say that the second matrix is the one that represents the ground truth segmentation image. Accordingly, to evaluate clustering efficiency, we follow these steps:

1. If "*" were considered in same cluster in 1st matrix, **we keep track of their indices but in second matrix**
2. After specifying the indices in 2nd matrix, we can now compute purity: for instance, in 2nd matrix, **purity** here is number of occurrence of "\$", as it **represents the maximum frequent sample in cluster**, divided by number of samples in cluster.
3. For calculating recall, we divide the frequency of "\$" in our cluster by the frequency of "\$" in all clusters
4. Now can compute the f-measure of this cluster $F_i = (2 * \text{purity}_i * \text{recall}_i) / (\text{purity}_i + \text{recall}_i)$
5. The overall f-measure F is average of sum of F_i of each cluster

Conditional entropy:

1- as described in lecture we compute conditional entropy by determining conditional entropy of T with respect to each cluster

– Conditional Entropy of T with respect to C_i

$$H(\mathcal{T} | C_i) = - \sum_{j=1}^k \left(\frac{n_{ij}}{n_i} \right) \log \left(\frac{n_{ij}}{n_i} \right)$$

The we compute the conditional entropy :

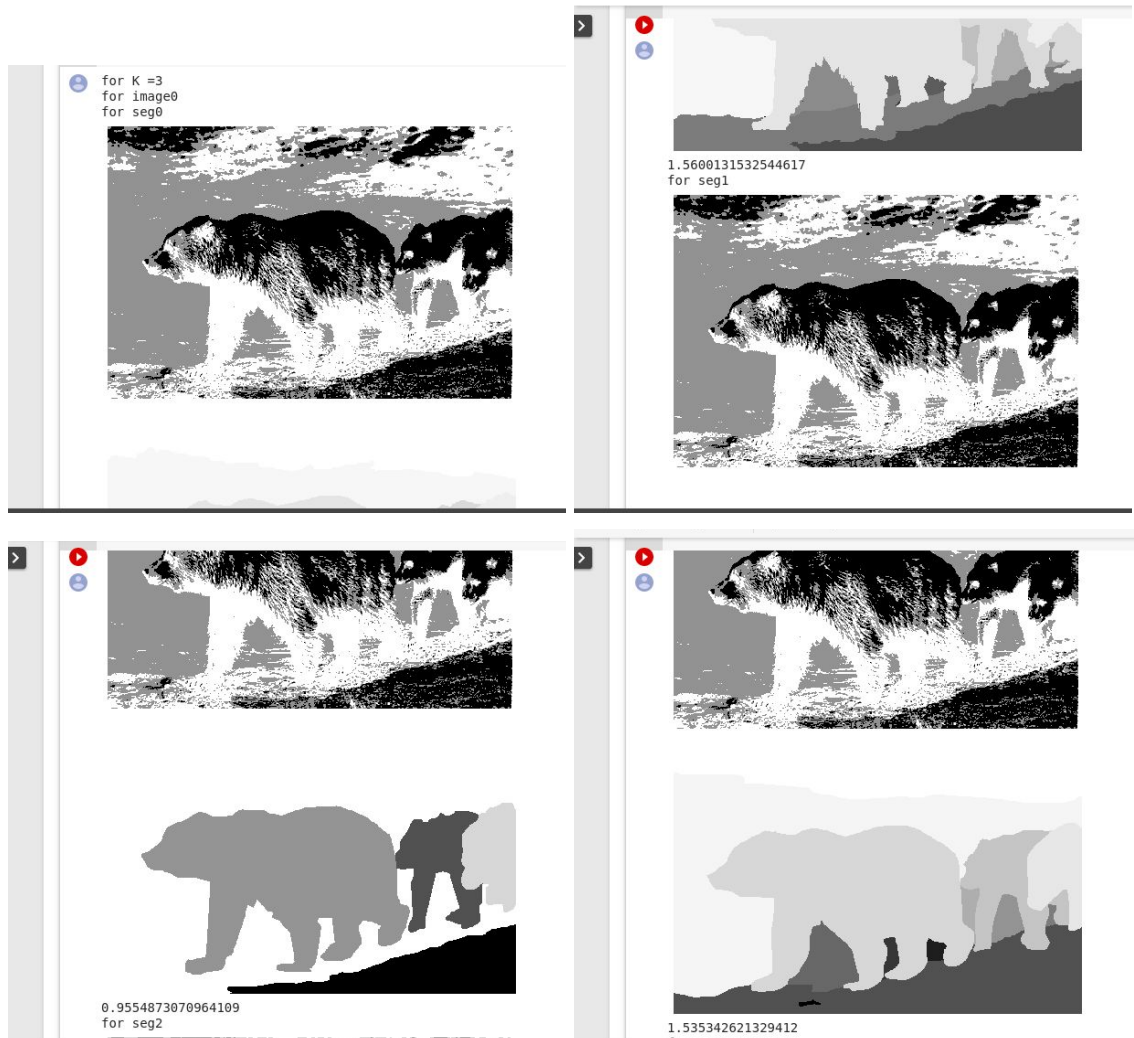
- The conditional entropy of T given clustering C

$$H(\mathcal{T}|\mathcal{C}) = \sum_{i=1}^r \frac{n_i}{n} H(\mathcal{T}|C_i)$$

By applying the above rules in the code we compute the conditional entropy for each segmentation

- Best case scenario is having an entropy of zero
- Worst case scenario is having an entropy $\log(k)$ where K is number of clusters

After applying all of that we get the below results:

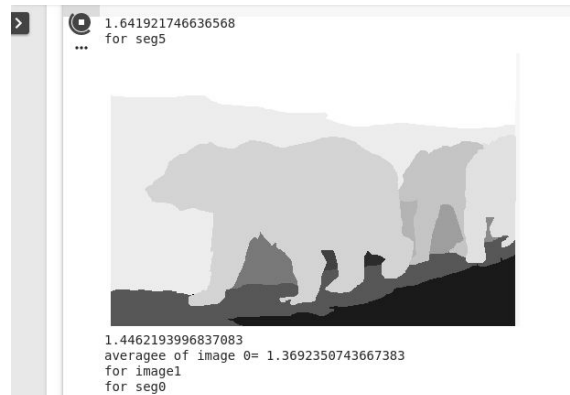
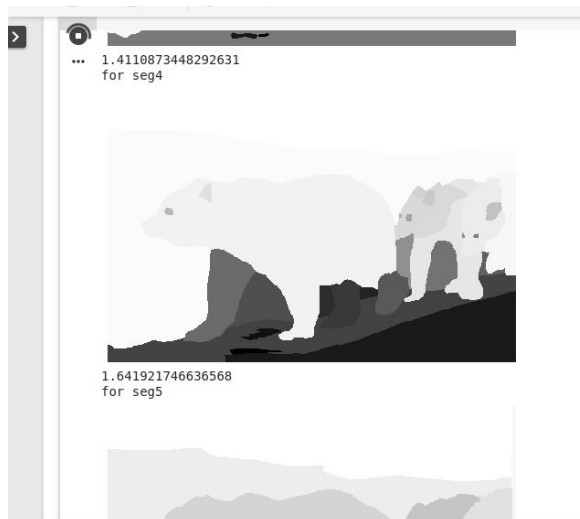
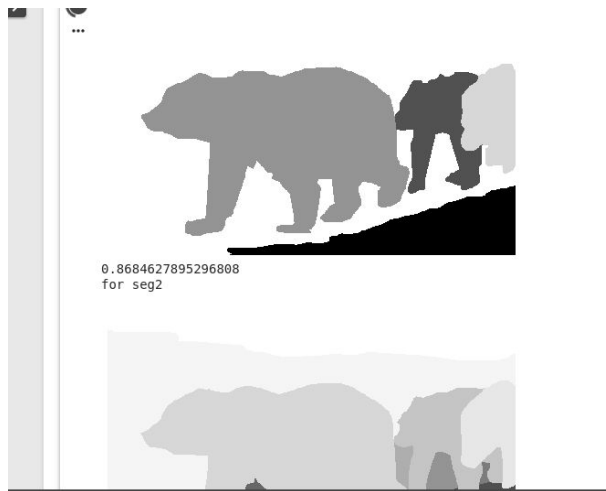


Where the number printed is the number of the conditional entropy for the segment .
Here is a simple table showing the average of 10 images using conditional entropy and the over all data set average

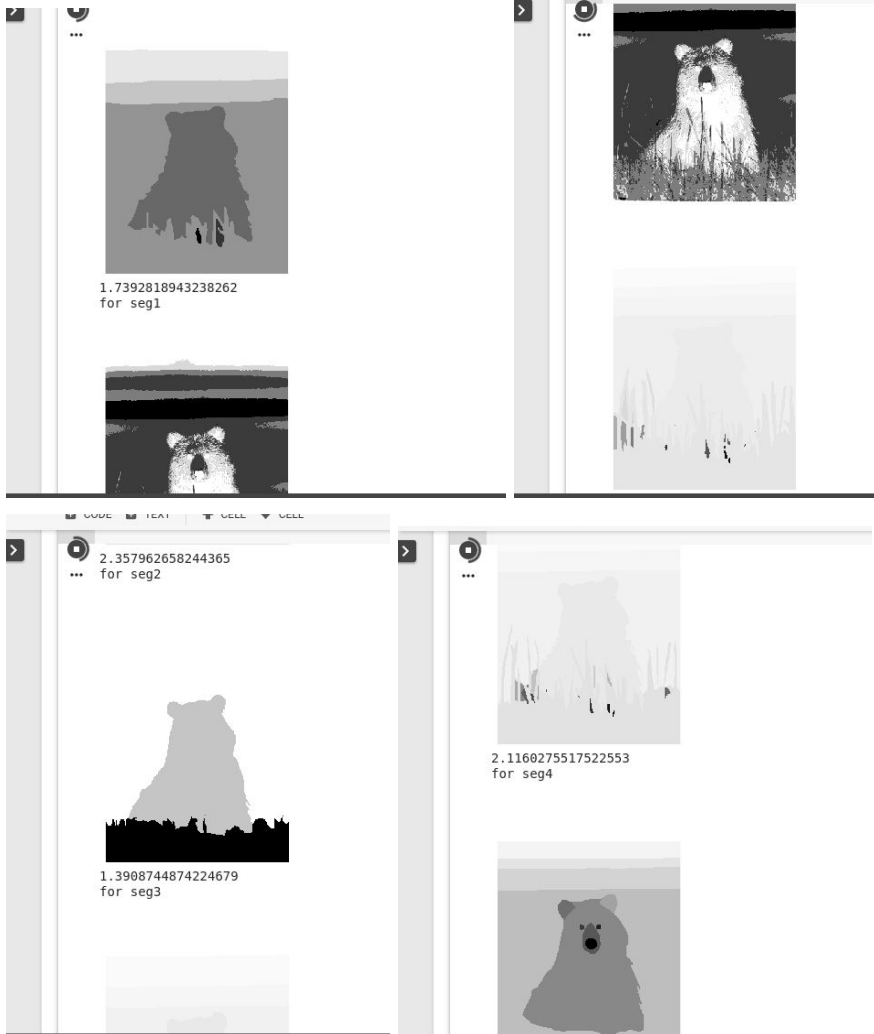
	img1	img2	img3	img4	img5	img6	img7	img8	img9	img10	Average dataset
K=3	1.49	2.22	2.22	1.457	0.266	0.724	1.20	1.514	2.93	0.78	1.735
K=5	1.308	1.924	1.164	1.38	0.251	0.68	1.13	1.177	2.836	0.76	1.5723
K=7	1.25	1.58	1.1412	1.25	0.239	0.68	1.109	1.1031	2.7930	0.73	1.4891
K=9	1.489	1.522	1.126	3.538	0.239	0.62	1.105	1.094	2.697	0.707	1.42821
K=11	1.087	1.29	1.29	1.29	0.234	0.628	1.082	1.071	2.65	0.66	1.382

4-Big picture

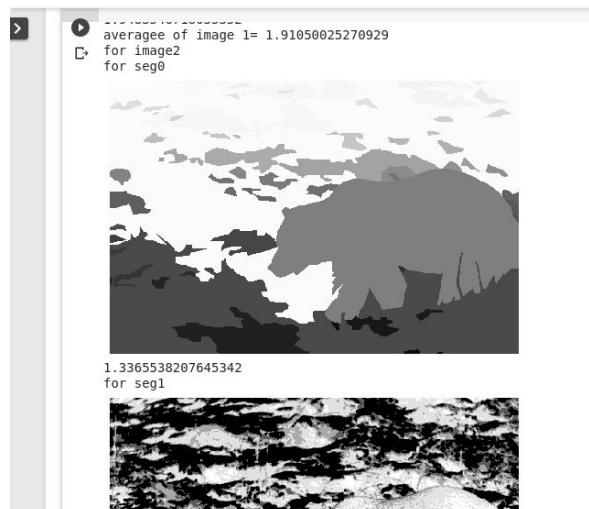
For image 1:

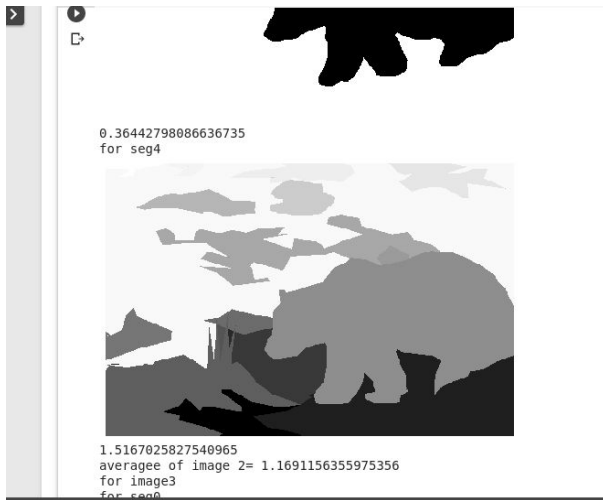
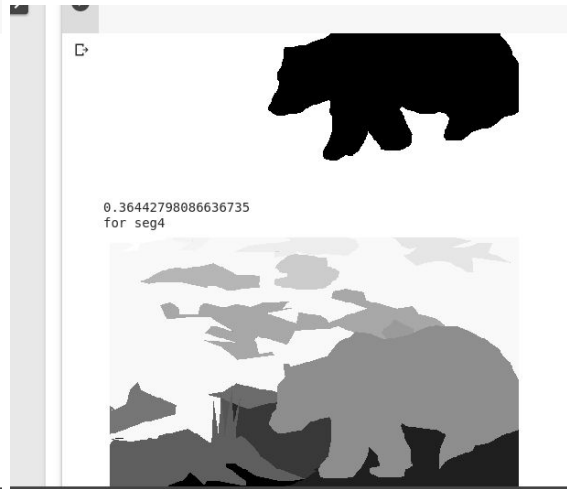
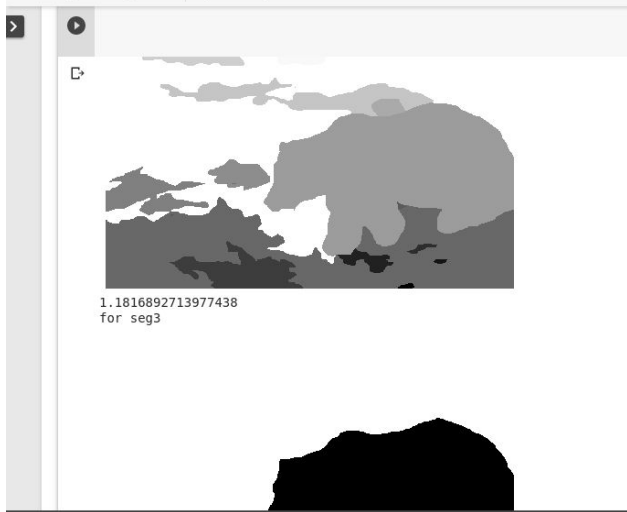


For img2:

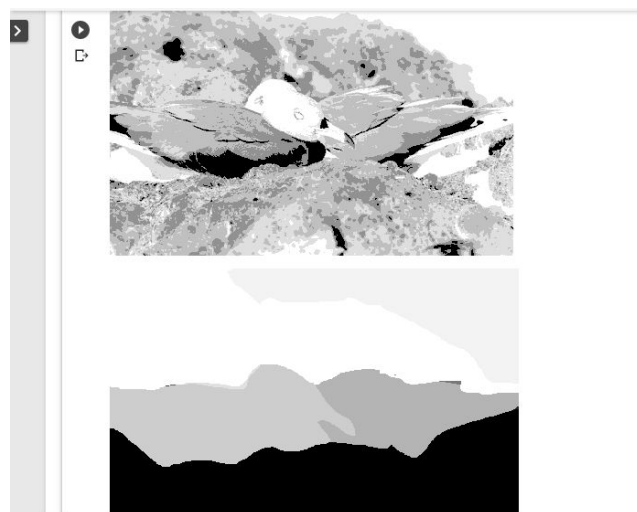
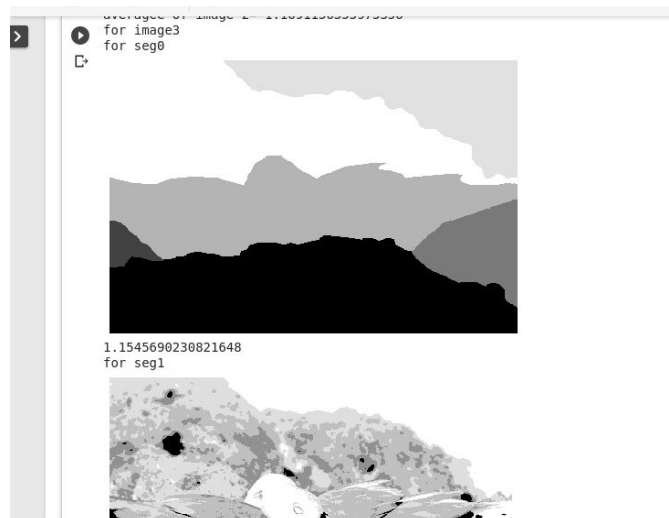


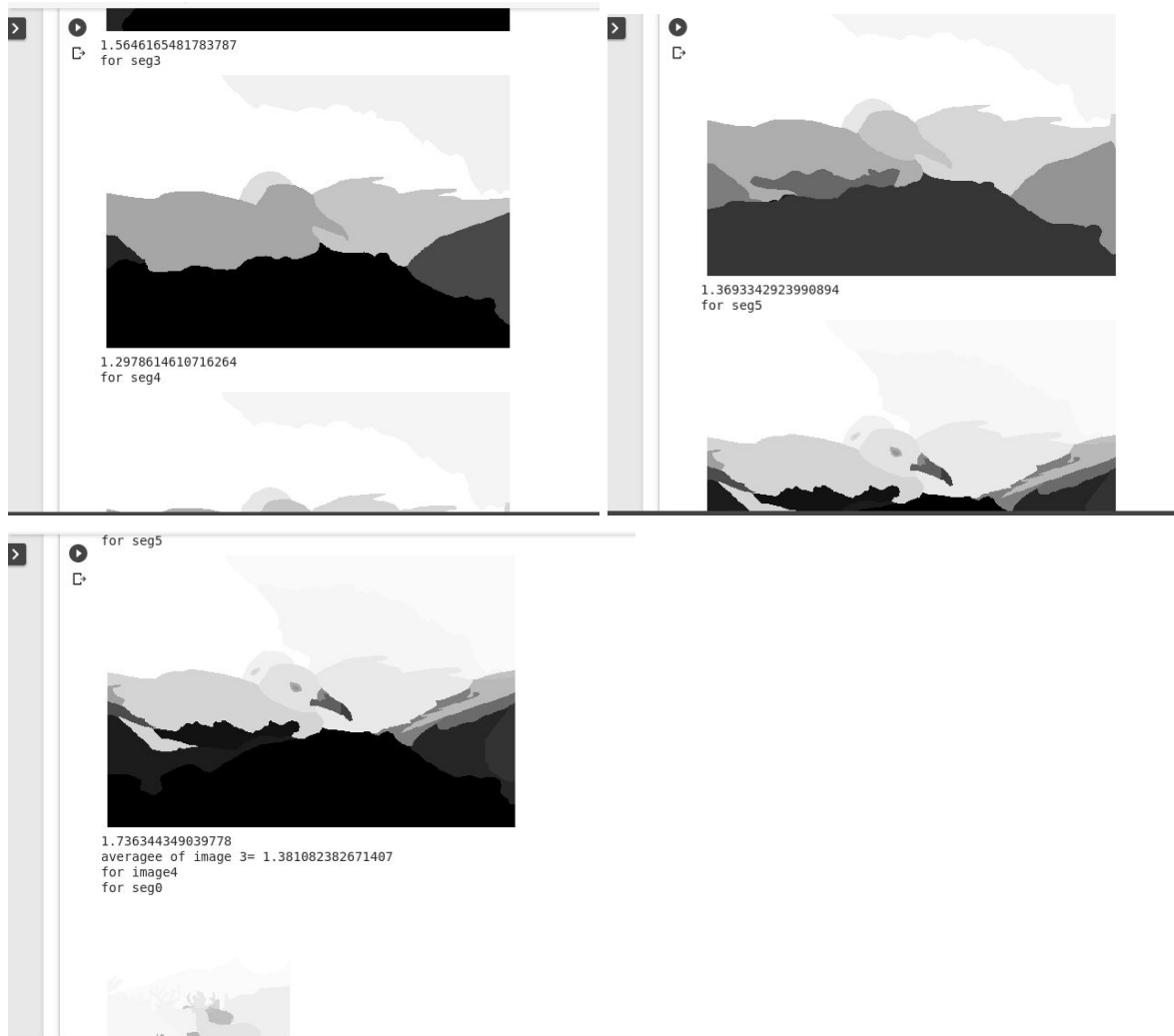
For image3:





For image 4:





For image 5:



Segmentation using Normalized Cut

```
For image number 0
For segmentation number 0
For K == 5
f-measure: 0.517889426154622
For segmentation number 1
For K == 5
f-measure: 0.6130584077912961
```

```
For image number 0
For segmentation number 0
For K == 5
f-measure: 0.39392547461548866
For segmentation number 1
For K == 5
f-measure: 0.371604714052863
```

The table above shows a **snippet*** of the comparison using k-means segmentation and normalized cut version. Obviously, and **in general**, results using normalized cut segmentation shows better f-measure indicating better clustering efficiency.

Note: Increasing f-measure indicates better clustering. F-measure of “1” represents ideal clustering efficiency.