

Pseudocode for parallel_gauss.cpp

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Let MATRIX be represented as an array of size n by m ;

eliminate(pivot row, row, m , pivot_position)

inverse = additive inverse of row[pivot_position]

parallel for $i = 0 \rightarrow m$

row[i] = row[i] + pivot_row[i] * m

row[i] = row[i] mod p

For $i = 0 \rightarrow n$:

processor 0 broadcasts the **pivot row** MATRIX[i]

for $j = i + 1 \rightarrow n$:

a BARRIER in each iteration synchronizes the processes

processor 0

sends **row** MATRIX[j] to processor $j \bmod \text{numprocs}$

receives reduced **row** MATRIX[j]

each processor $\neq 0$

receives a **row** MATRIX[j]

eliminate(pivot row, row, m , i)

send **row** back to processor 0

For $i = n - 1 \rightarrow 1$

processor 0 broadcasts **pivot row** MATRIX[i]

for $j = i - 1 \rightarrow 0$

processor 0

sends **row** MATRIX[j] to another processor

receives reduced **row** MATRIX[j]

each processor $\neq 0$

receives a **row** MATRIX[j]

eliminate(pivot row, row, m , i)

send **row** back to processor 0