第五章 非线性方法

2. 人工神经网络

引言

贝叶斯分类需要知道样本的概率分布,但估计样本分布有时并不容易

- •直接对数据进行划分的方法:
 - •线性方法:简单、实用、经济,但数据不满足线性可分条件时错误可能大
 - 非线性方法:解决线性不可分问题



张学友演唱会抓了多少洮犯了?46名!看看歌神对这一数字怎么说



2018年10月3日 - 张学友,四大天王中的歌神,不过随着无数<mark>逃犯在张学友演唱会上被抓,张学友现在又有了另外一个称号:"逃犯克..."</mark>

● 半日娱乐 - 百度快照

"歌神"张学友是如何成为"逃犯克星"的?



2019年1月12日 - 元旦期间,江苏苏州警方在张学友举行演唱会的3天时间里,抓获22名在逃犯。"歌迷感叹听说已有将近60个在逃…

益 新民晚报 - 百度快照

天网系统

"准确锁定、捕捉到他们的,是'天网工程'人脸识别系统,"南 湖区公安分局技术与数据服务中心综合管理室主任沈月光介绍说。

"演唱会在正对着检票口的地方增设了几个摄像头,能够对进出检票口所有人员姓名、身份证号、穿着、相貌等进行精确识别把控,它在非常短的时间内便可将数据库筛选一遍。"

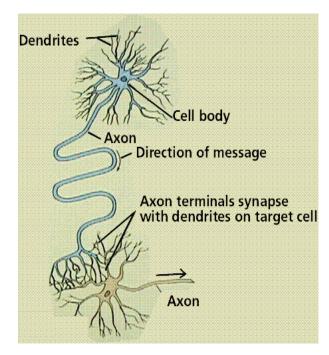
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神经元

神经元(neuron):细胞体(cell)、树突(dentrite)、轴突(axon)、突触(synapses)

- •神经元的作用:加工、传递信息(电脉冲)
- •神经系统:神经网:大量神经元的复杂连接
- 通过大量简单单元的广泛、复杂的 连接而实现各种智能活动。





神经细胞

Hippocampus Purkinje cells Retinal ganglion cells

http://www.cell.com/pictureshow/brainbow

人工神经网络 Artificial Neural Network

- •自然神经网络的某种模型(数学模型)
- 两路研究方向
 - 探索智能活动机理(类脑)
 - 建立可用的高级机器(AI)
- •简史:
- ▶始于1940~1950年代,以Perceptron为代表
- ▶1960~1970年代几乎中止研究(AI、符号主义、ES大发展)
- ▶1980年代 重掀热潮、达到顶峰
- ▶1990年代 趋于平稳,理论进展不大、多应用 (混合系统) 统计学习理论与支持向量机兴起。
- ▶2010年代,伴随着大数据热潮,以深度学习(deep learning)之名 卷土重来

(人工)神经网络的基本结构

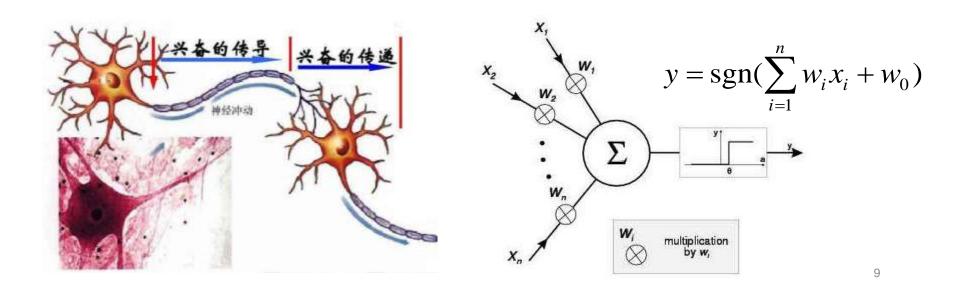
大量简单的计算单元(结点)以某种形式相连接,形成一个网络,其中的某些因素,如连接强度(权值)、结点计算特性甚至网络结构等,可依某种规则随外部数据进行适当的调整(学习),最终实现某种功能。

•三个要素:

- 神经元的计算特性(传递函数)
- 网络的结构(连接形式)
- 学习规则
- 三要素的不同形成了各种各样的神经网模型

神经网络的基本分类

- 基本可分为三大类:
 - 前馈网络 以Multi-layer Perceptron (MLP)为代表
 - 反馈网络 以Hopfield网为代表
 - 自组织网络(竞争学习网络) 以SOM为代表
- 基本的神经元模型 McCulloch-Pitts Model (1943) (Threshold Logic Unit TLU)

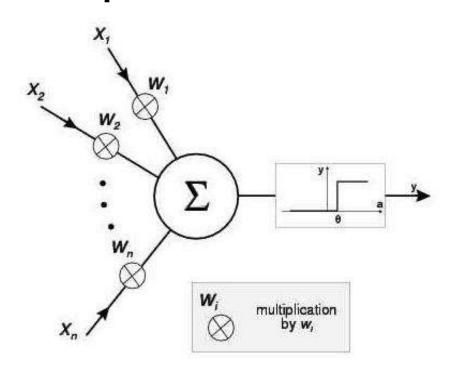


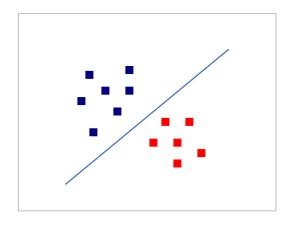
感知器 Perceptron

• Rosenblatt于1950s末提出。

$$y = f_n \left(\sum_{i=1}^n w_i x_i - w_0 \right)$$

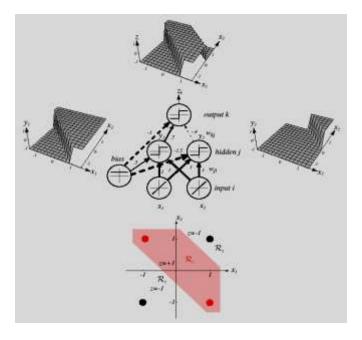
$$y = \begin{cases} +1 & \Rightarrow \text{class } A \\ 0 & \Rightarrow \text{class } B \end{cases}$$

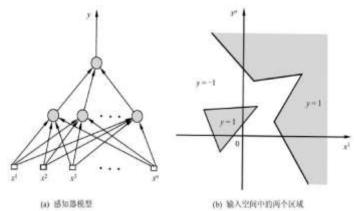




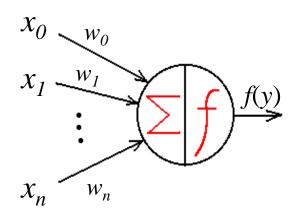
多层感知器

- 当两类线性可分时, 此算法收敛
- 问题: Minsky等发现并证明 (1969), 感知器只能解决一阶谓 词逻辑问题,不能解决高阶问题, 如不能解决XOR问题。
- 出路:多个感知器结点结合,引入隐节点,如右图的结构可实现 XOR。
- ----- 多层感知器



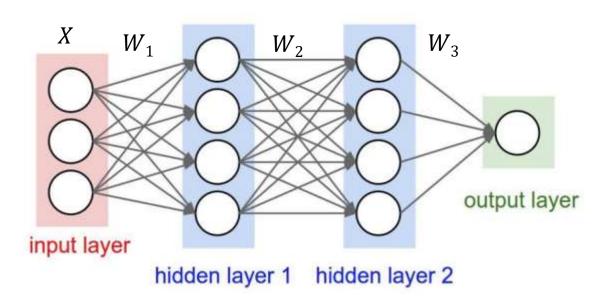


多层神经网络



$$y=f(W_3f(W_2f(W_1X)))$$

 W_{i} 是权重矩阵 如何求解?



梯度下降法

最小化损失函数:

$$J(\mathcal{Q}) = \frac{1}{2} \mathop{\text{a}}_{i=1}^{n} (y^{(i)} - f_{\mathcal{Q}}(\mathbf{x}^{(i)}))^2$$

对模型中任意参数迭代更新:

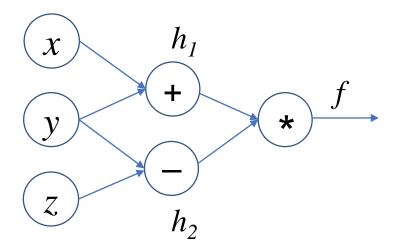
$$w(t) = w(t-1) + \Delta w$$

$$\Delta w = -\alpha * \frac{\partial J}{\partial w} + \mu \alpha$$
 其中 α 为学习率

问题: 当模型复杂时, 如何求解 $\frac{\partial J}{\partial w}$?

$$f = (x + y)(y - z)$$

$$f = h_1 * h_2$$
 $\frac{\partial f}{\partial h_1} = h_2$ $\frac{\partial f}{\partial h_2} = h_1$



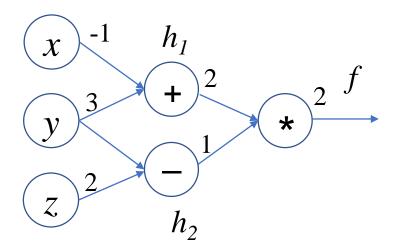
$$h_1 = x + y$$
 $\frac{\partial h_1}{\partial x} = 1$ $\frac{\partial h_2}{\partial y} = 1$

$$h_1 = x + y$$
 $\frac{\partial h_1}{\partial x} = 1$ $\frac{\partial h_2}{\partial y} = 1$ $h_2 = y - z$ $\frac{\partial h_1}{\partial y} = 1$ $\frac{\partial h_2}{\partial z} = -1$

目标:求解
$$\frac{\partial f}{\partial x}$$
, $\frac{\partial f}{\partial y}$, $\frac{\partial f}{\partial z}$

$$f = (x + y)(y - z)$$

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$$h_1 = x + y$$
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$$h_2 = y - z$$
 $\frac{\partial h_1}{\partial y} = 1$ $\frac{\partial h_2}{\partial z} = -1$

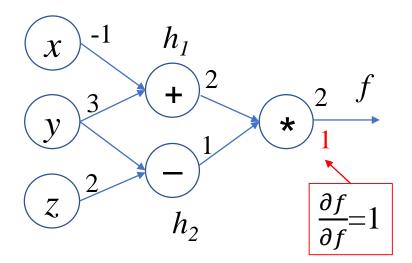
给定初值:

$$(x,y,z)=[-1, 3, 2]$$

目标:求解
$$\frac{\partial f}{\partial x}$$
, $\frac{\partial f}{\partial y}$, $\frac{\partial f}{\partial z}$

$$f = (x+y)(y-z)$$

$$f = h_1 * h_2$$
 $\frac{\partial f}{\partial h_1} = h_2$ $\frac{\partial f}{\partial h_2} = h_1$



$$h_1 = x + y$$
 $\frac{\partial h_1}{\partial x} = 1$ $\frac{\partial h_2}{\partial y} = 1$

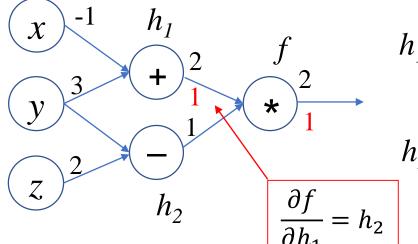
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$$h_2 = y - z$$
 $\frac{\partial h_1}{\partial y} = 1$ $\frac{\partial h_2}{\partial z} = -1$

$$(x,y,z)=[-1, 3, 2]$$

目标:求解
$$\frac{\partial f}{\partial x}$$
, $\frac{\partial f}{\partial y}$, $\frac{\partial f}{\partial z}$

$$f = (x + y)(y - z)$$

$$f = h_1 * h_2 \frac{\partial f}{\partial h_1} = h_2 \frac{\partial f}{\partial h_2} = h_1$$

$$h_1 = x + y \frac{\partial h_1}{\partial x} = 1 \frac{\partial h_1}{\partial y} = 1$$

$$h_2 = y - z \frac{\partial h_2}{\partial x} = \frac{\partial h_2}{\partial x} = -1$$

(x,y,z)=[-1, 3, 2]

目标:求解 $\frac{\partial f}{\partial x}$, $\frac{\partial f}{\partial y}$, $\frac{\partial f}{\partial z}$

$$f = (x + y)(y - z)$$

$$f = h_1 * h_2 \frac{\partial f}{\partial h_1} = h_2 \frac{\partial f}{\partial h_2} = h_1$$

$$x = h_1 + h_2 \frac{\partial h_1}{\partial x} = 1$$

$$y = h_1 + x + y \frac{\partial h_1}{\partial x} = 1$$

$$h_1 = x + y \frac{\partial h_1}{\partial x} = 1$$

$$h_2 = y - z \frac{\partial h_2}{\partial y} = 1$$

$$\frac{\partial f}{\partial y} = \frac{\partial f}{\partial h_2} \frac{\partial h_2}{\partial y} + \frac{\partial f}{\partial h_1} \frac{\partial h_1}{\partial y}$$

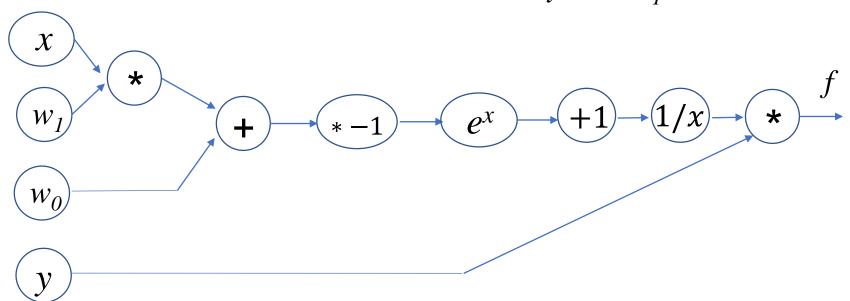
$$\frac{\partial f}{\partial y} = \frac{\partial f}{\partial h_2} \frac{\partial h_2}{\partial y} + \frac{\partial f}{\partial h_1} \frac{\partial h_1}{\partial y}$$

(x,y,z)=[-1, 3, 2]

目标:求解 $\frac{\partial f}{\partial x}$, $\frac{\partial f}{\partial y}$, $\frac{\partial f}{\partial z}$

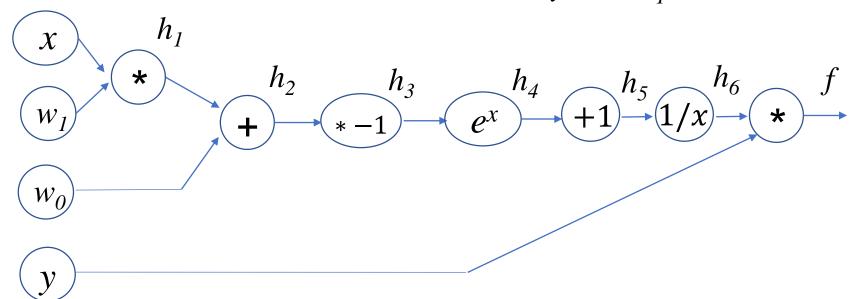
$$f = \frac{y}{1 + e^{-(w_0 + w_1 x)}}$$

初值: x=-2 $w_0=1$ y=1 $w_1=3$



$$f = \frac{y}{1 + e^{-(w_0 + w_1 x)}}$$

初值: x=-2 $w_0=1$ y=1 $w_1=3$



$$f = h_6 *y$$
 $h_6 = 1/h_5$ $h_5 = 1 + h_4$ $h_4 = exp(h_3)$
 $h_3 = (-1) *h_2$ $h_2 = w_0 + h_1$ $h_1 = x + w_1$

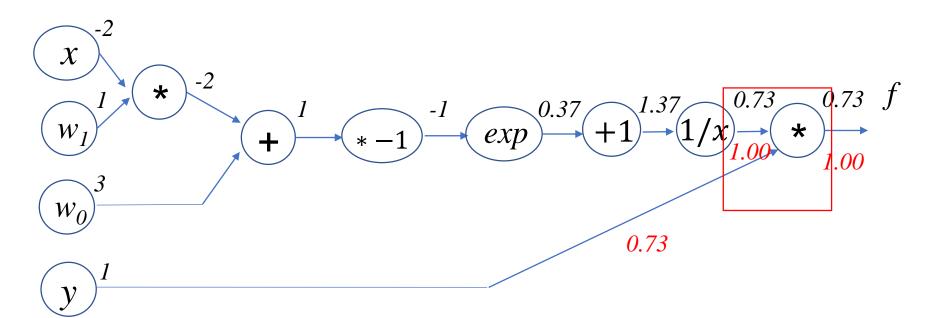
$$f = \frac{y}{1 + e^{-(w_0 + w_1 x)}}$$

初值: $x_0=-2$ $w_0=3$ $w_1=1$ y=1

$$f(x) = ex \to \frac{df}{dx} = ex \qquad f(x) = \frac{1}{x} \to \frac{df}{dx} = -\frac{1}{x^2}$$
$$f(x) = ax \to \frac{df}{dx} = a \qquad f(x) = a + x \to \frac{df}{dx} = 1$$

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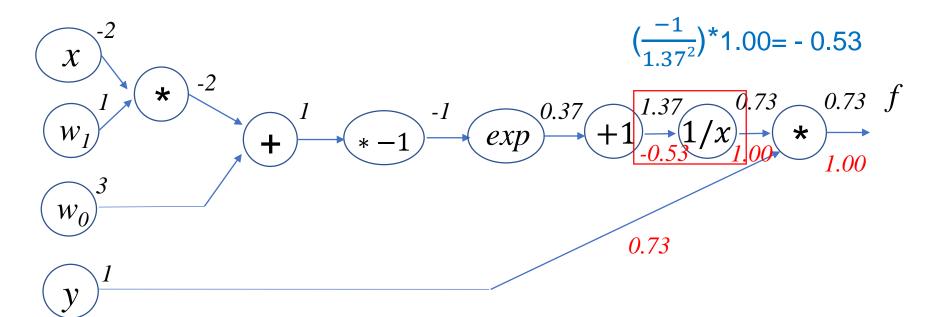
初值: x=-2 $w_0=3$ $w_1=1$ y=1



$$f(x) = ex \to \frac{df}{dx} = ex \qquad f(x) = \frac{1}{x} \to \frac{df}{dx} = -\frac{1}{x^2}$$
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$$f(x) = ax \to \frac{df}{dx} = a$$

$$f(x) = a + x \to \frac{df}{dx} = 1$$

$$f = \frac{y}{1 + e^{-(w_0 + w_1 x_0)}}$$

初值: $x_0=-2$ $w_0=3$ $w_1=1$ y=1

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$$f = \frac{y}{1 + e^{-(w_0 + w_1 x)}}$$

初值:
$$x=-2$$
 $w_0=3$ $w_1=1$ $y=1$

$$f(x) = ex \to \frac{df}{dx} = ex$$

$$f(x) = \frac{1}{x} \to \frac{df}{dx} = -\frac{1}{x^2}$$

$$f(x) = ax \to \frac{df}{dx} = a$$

$$f(x) = a + x \to \frac{df}{dx} = 1$$

$$f = \frac{y}{1 + e^{-(w_0 + w_1 x)}}$$
初值: $x = -2$ $w_0 = 3$ $w_1 = 1$ $y = 1$

$$(-1)^*(-0.20) = 0.20$$

$$w_1$$

$$w_1$$

$$w_0$$

$$w_0$$

$$w_0$$

$$0.73$$

$$0.73$$

$$w_0$$

$$0.73$$

 $f(x) = ex \to \frac{df}{dx} = ex \qquad f(x) = \frac{1}{x} \to \frac{df}{dx} = -\frac{1}{x^2}$ $f(x) = ax \to \frac{df}{dx} = a \qquad f(x) = a + x \to \frac{df}{dx} = 1$

$$f = \frac{y}{1 + e^{-(w_0 + w_1 x)}}$$

初值: x=-2 $w_0=3$ $w_1=1$ y=1

$$f(x) = ex \to \frac{df}{dx} = ex \qquad f(x) = \frac{1}{x} \to \frac{df}{dx} = -\frac{1}{x^2}$$
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$$f = \frac{1}{1 + e^{-(w_0 + w_1 x)}}$$
初值: $x = -2$ $w_0 = 3$ $w_1 = 1$ $y = 1$

$$(1)^*(0.20) = 0.20$$

$$(-2)^*(0.20) = 0.40$$

$$w_1 = 1$$

$$w_1 = 1$$

$$0.20$$

$$(-2)^*(0.20) = 0.40$$

$$0.73$$

$$w_2 = 1$$

$$0.73$$

$$0.73$$

$$0.73$$

$$0.73$$

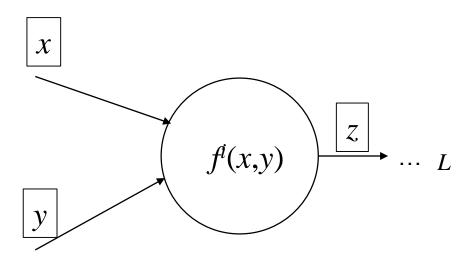
$$0.73$$

$$1.00$$

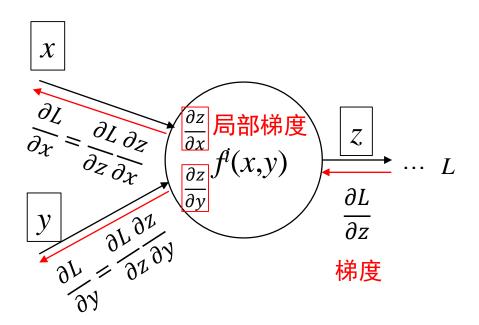
$$0.73$$

30

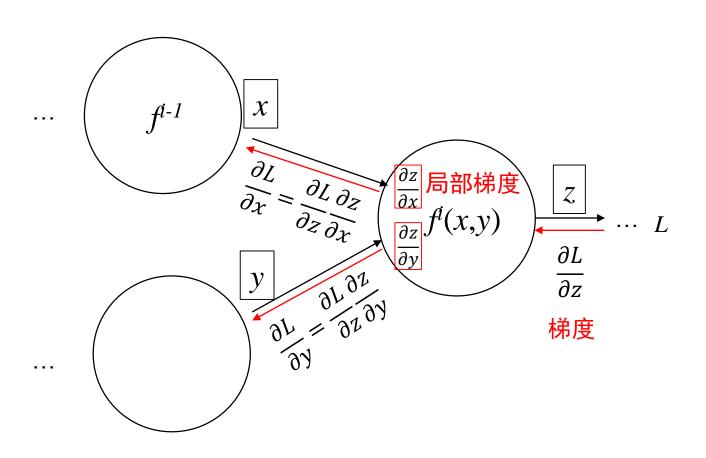
对任意的神经元



对任意的神经元

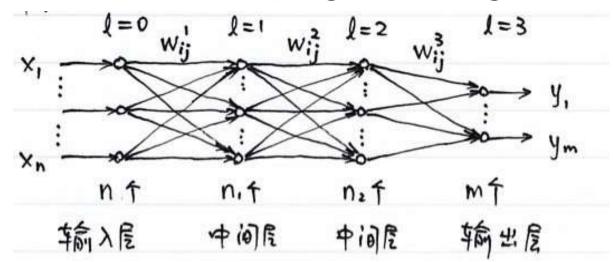


对任意的神经元



多层感知器与BP算法 (MLP & the Back-Propagation Algorithm)

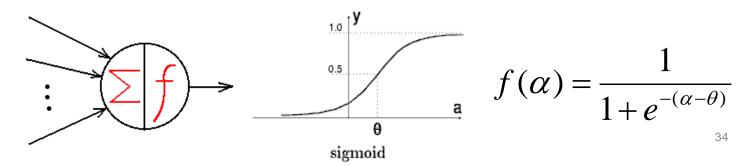
MLP结构



定义误差损失函数:

$$E = \frac{1}{2} \sum_{k=1}^{m} (\hat{y}_m - y_m)^2$$

f 为节点的激活函数,例如采用Sigmoid函数



BP算法:

LeCun, 1986; Rumelhart, Hinton & Williams, 1986; Parker, 1985

- (1) 权值初始化, t=0 (用小随机数)
- (2) 给出一个训练样本 $x = [x_1, \dots, x_n]^T \in \mathbb{R}^n$ 和期望输出 $D = [y_1, \dots, y_m]^T \in \mathbb{R}^m$
- (3) 计算在x输入下的实际输出 $Y = [y_1, \dots, y_m]^T$
- (4) 从输出层开始,调整权值,对第1层,有

$$w_{ij}^{l}(t+1) = w_{ij}^{l}(t) - \eta \delta_{j}^{l} x_{i}^{l-1}$$
, $j = 1, \dots, n_{l}, i = 1, \dots, n_{l-1}$

其中其中 η 为学习步长, δ_j^l 计算如下:

对输出层:
$$\delta_j^l = f'(z_j^l)(\hat{y}_j - y_j), j = 1, \dots, m$$

对中间层:
$$\delta_j^l = f'(z_j^l) \sum_{k=1}^{n_{l+1}} \delta_k^{l+1} w_{jk}^{l+1}(t)$$
, $j = 1, \dots, n_l$

(5) 重新计算输出,考查误差指标(或其它终止条件) 如达到终止条件则终止,否则置 t = t+1,转(2)。

说明:

- 算法可能收敛于局部极小点(梯度算法)
- •与初值、步长等的选择有关
- 更与网络结构(结点数目)有关

多凭经验或试验选择

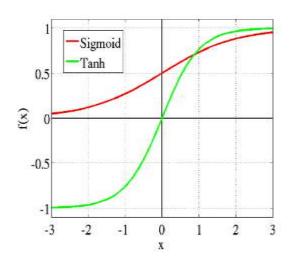
改进:如步长时变,网络结点可剪裁,等等。

关于激活函数

• Sigmoid函数:
$$f(z) = \frac{1}{(1 + e^{-z})}$$

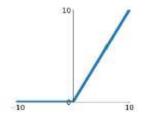


$$f(z) = \frac{(e^z - e^{-z})}{(e^z + e^{-z})} = \frac{2}{(1 + e^{-2z})} - 1$$



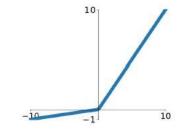
• Rectified Linear Unit (ReLU):

$$f(z) = \max(0, z)$$



Leaky-ReLU:

$$f(z) = \begin{cases} z & (z > 0) \\ az & (z < 0) \end{cases}$$



Exponential Linear Units (ELU)

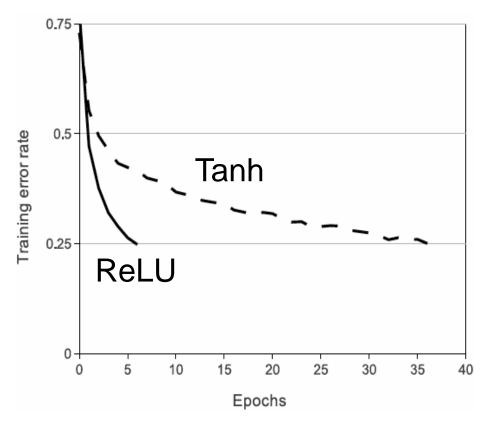
$$f(z) = \begin{cases} z & \text{if } z > 0 \\ a(e^z - 1) & \text{if } z \le 0 \end{cases}$$

Maxout:

$$f(z) = \max(w_1^T z + b_1, w_2^T z + b_2)$$

ReLU is a good starting point

使用Relu函数通常有较快的收敛速度



Alex Krizhevsky, ICONIP, (2012)

MLP特性:可以实现复杂的非线性映射关系

用于分类:

- 两层网(一个隐层)可实现空间内任意的凸形成区域的划分。
- 三层网(两个隐层)可实现任意形状(连续或不连续)区域划分。

---- 属存在性性质,问题是如何找到这样的网络结构?

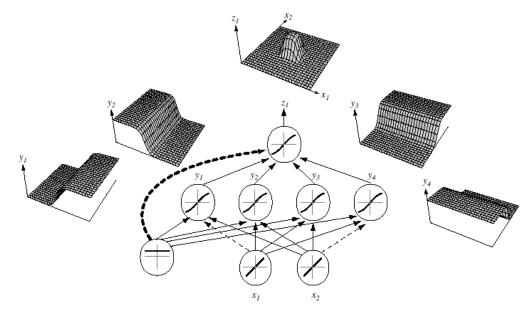


FIGURE 6.2. A 2-4-1 network (with bias) along with the response functions at different units; each hidden output unit has sigmoidal activation function $f(\cdot)$. In the case shown, the hidden unit outputs are paired in opposition thereby producing a "bump" at the output unit. Given a sufficiently large number of hidden units, any continuous function from input to output can be approximated arbitrarily well by such a network. From: Richard O. Duda, Peter E. Hart, and David G. Stork, *Pattern Classification*. Copyright © 2001 by John Wiley & Sons, Inc.

用多层感知器网络实现模式识别

- 输入x—— 样本特征向量(必要时归一化)
- 输出Y—— 类别编码
- 常用输出编码:

1-of-C编码:

- ightharpoonup c c类则c个输出结点,第i类则 $y_i = 1$ 其它 $y_j = 0$ $i \neq j$
- ▶ 两类: 一个输出结点, 0、1各代表一类。
- \triangleright 也可用c个网络解决c类问题,每个网络只分一类(是与否)。

其它应用: 函数拟合、时间序列预测、数据压缩,

神经网络研究的"教父" ---加拿大多伦多大学Geoffrey E. Hinton教授



坚持人工神经网络研究40余年 深度学习的开创者

http://www.cs.toronto.edu/~hinton/

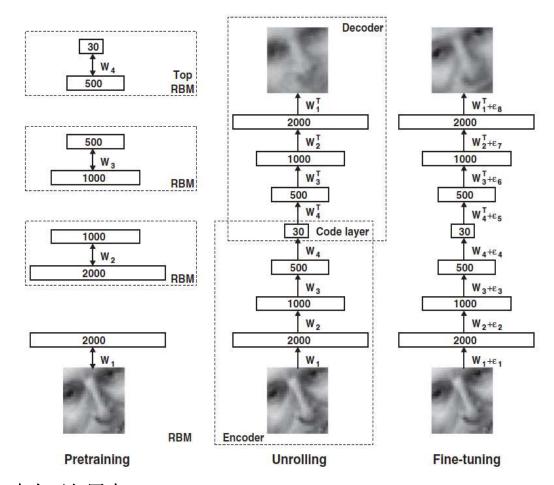
深度神经网络的特征表示

Reducing the Dimensionality of Data with Neural Networks

G. E. Hinton* and R. R. Salakhutdinov

2006 Science

"Autoencoder"



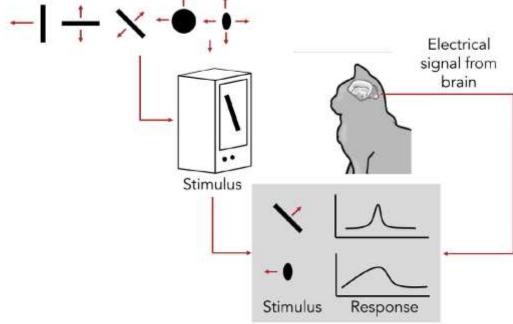
RBM: 受限玻尔兹曼机 (Restricted Boltzmann Machine)

RBM不区分前向和反向,可理解为编码和解码过程

视觉神经系统模型

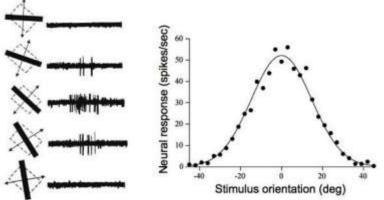


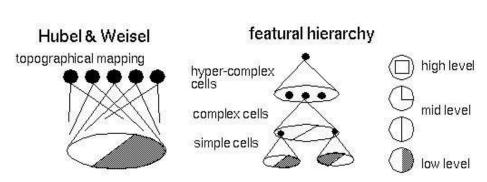
Hubel & Wiesel, 1981 Nobel Prize in Physiology or Medicine



slide from Fei-Dei Li, Justin Johnson, Serena Yeung, cs231n Stanford

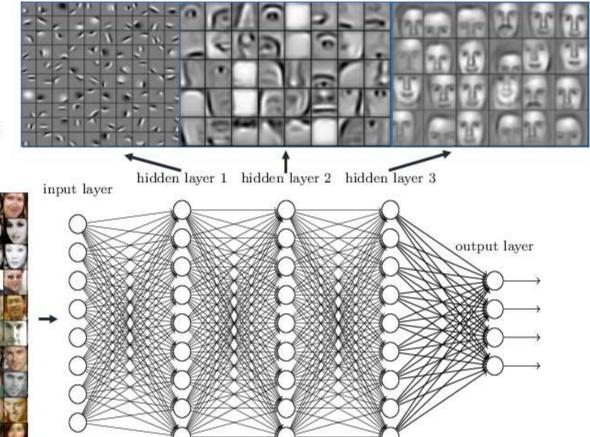
Cat image by CNX OpenStax is licensed under CC BY 4.0; changes made



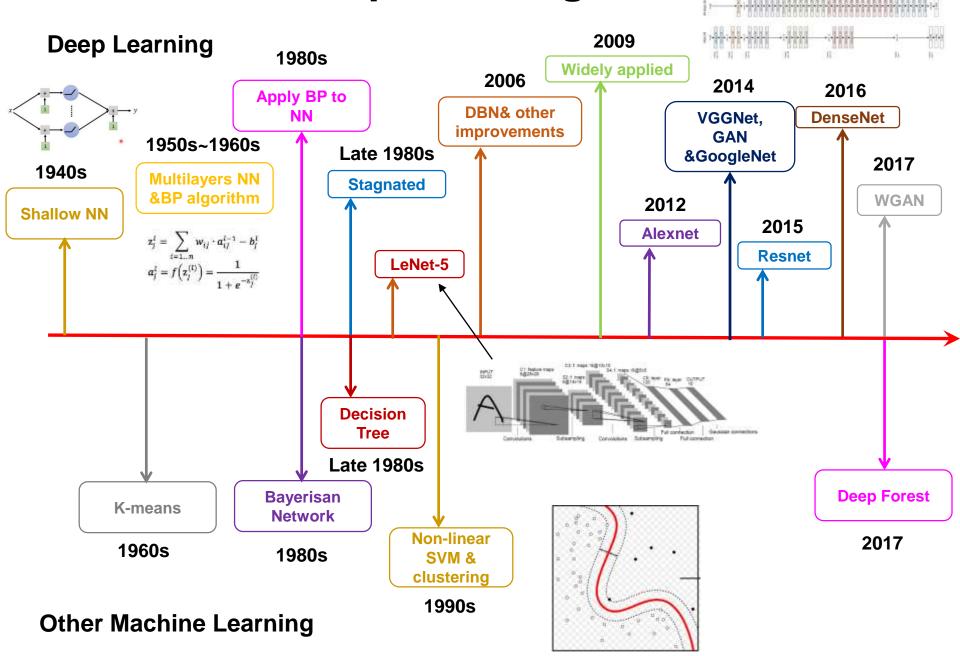


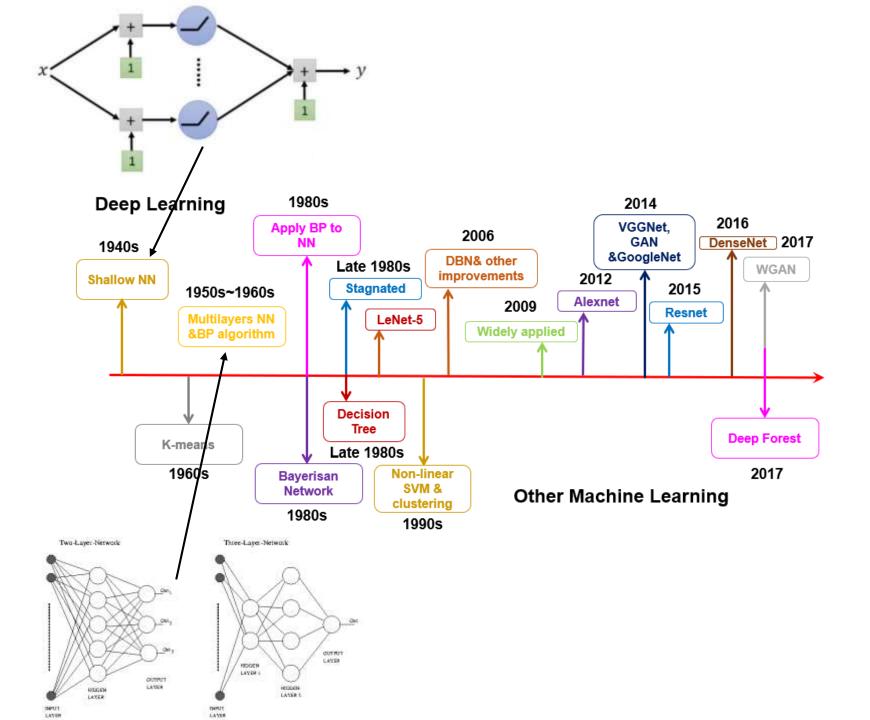
层次化的特征表示

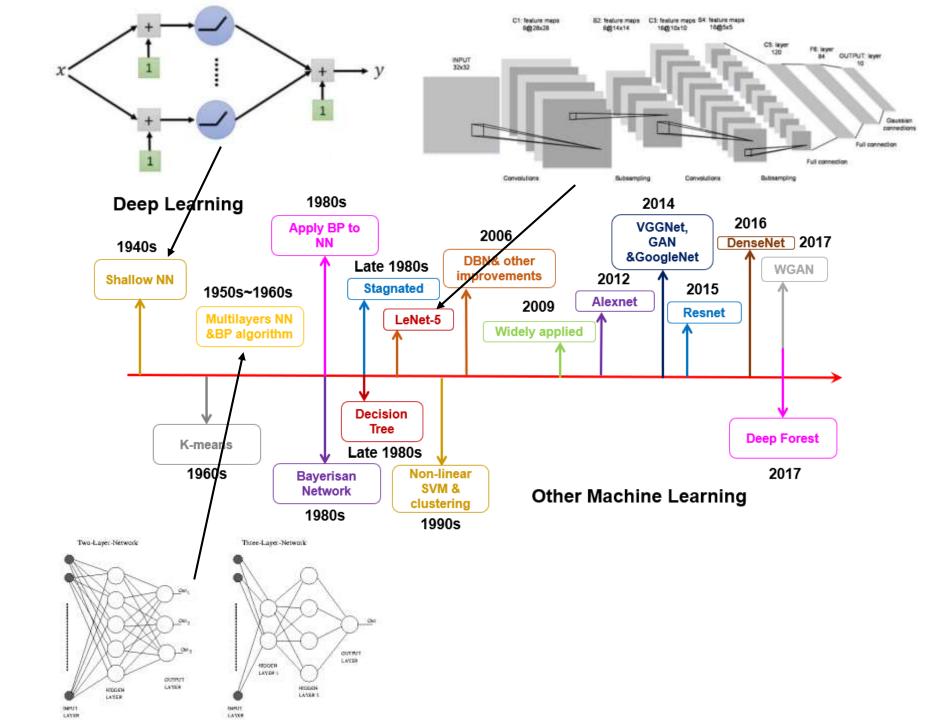
Deep neural networks learn hierarchical feature representations

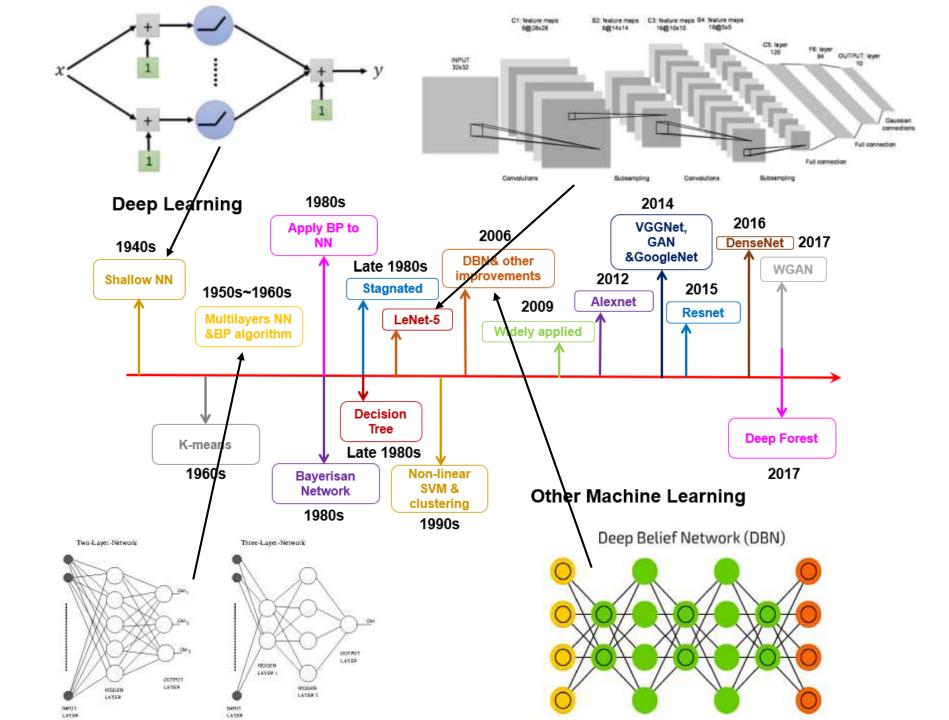


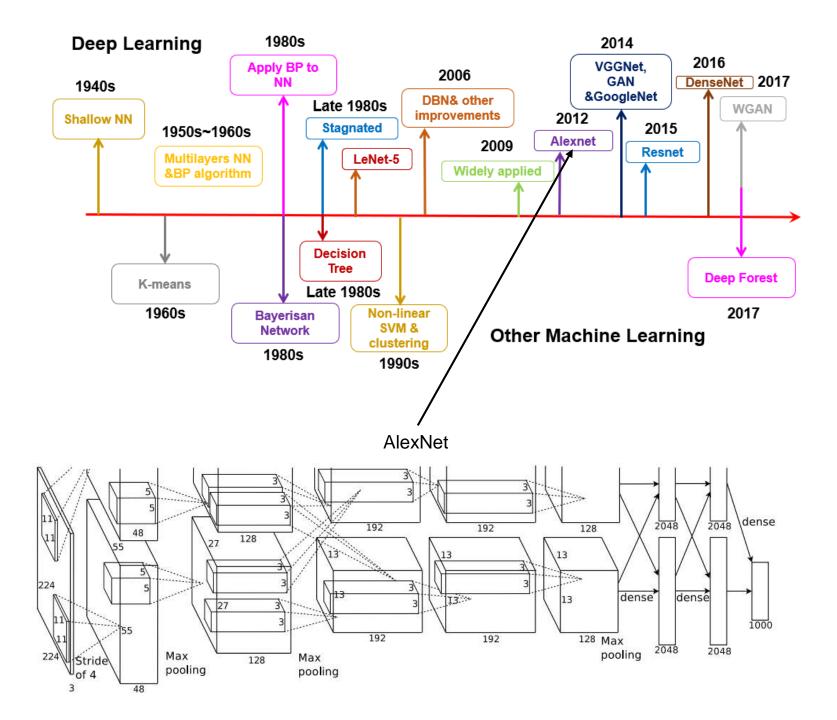
Deep Learning发展

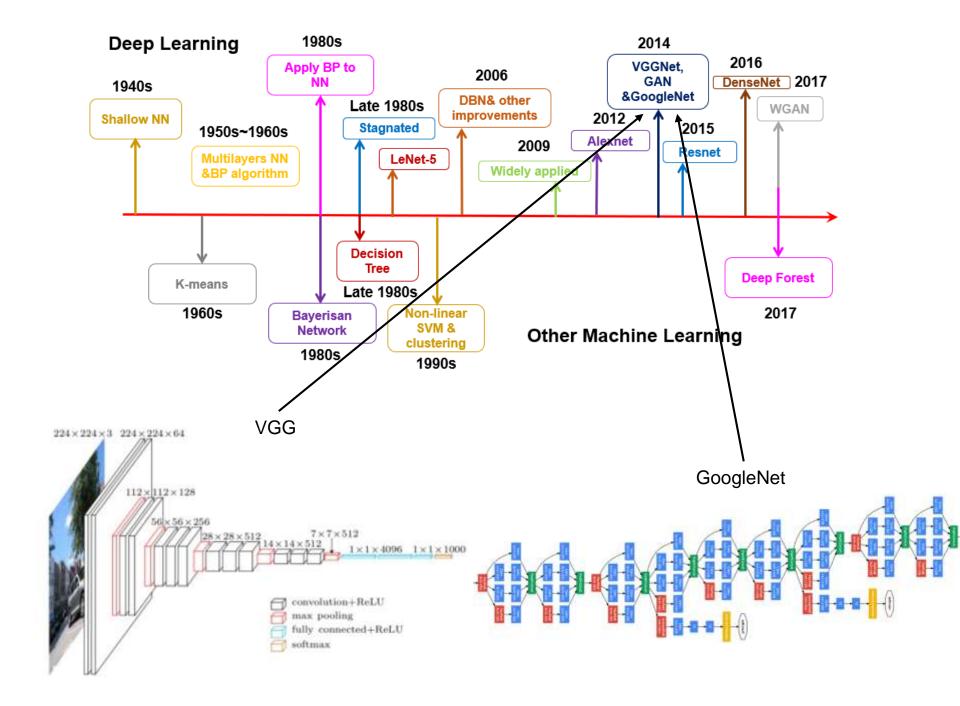


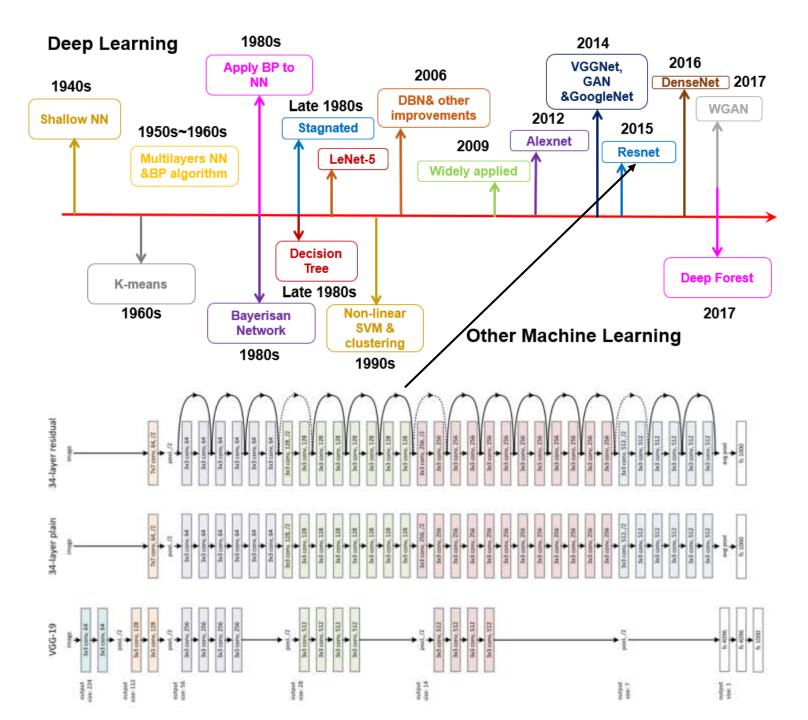




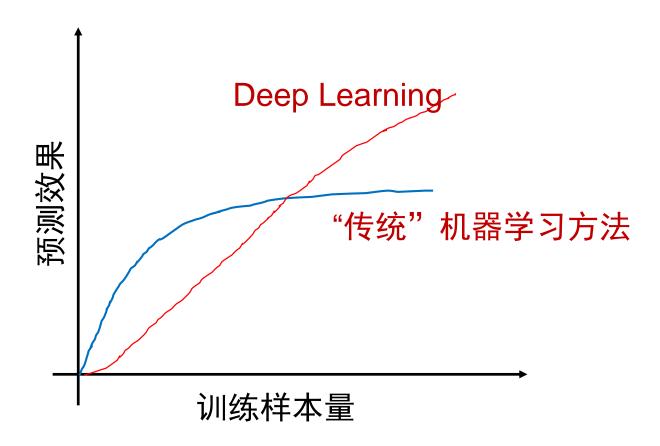






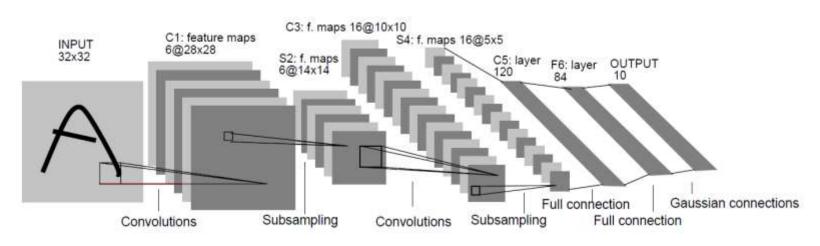


Deep Learing v.s. Classical methods



卷积神经网络

- 卷积神经网络(Convolutional Neural Network,CNN)是一种前馈神 经网络,近年来被大量应用于计算机视觉、自然语言处理等领域。
- CNN的研究始于二十世纪末,时间延迟网络和LeNet-5是最早出现的 卷积神经网络,近年来卷积神经网络的规模逐渐增大,例如AlphaGo 有超过40层的卷积神经网络。

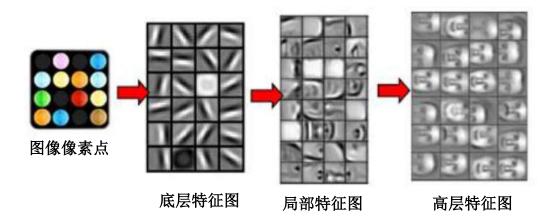


LeNet-5结构, LeCun, et al. Proceedings of the IEEE (1998).

卷积神经网络

- 卷积神经网络被广泛使用在图像分类、物体识别等图像领域任务中;
- · 卷积神经网络使用卷积核(kernel)捕捉图像特征;
- 卷积核可以自底向上,层级提取图像特征,如下图:





Convolutional neuron networks (CNN)

• LeNet: convolutional network designed for handwritten and machine-printed character recognition

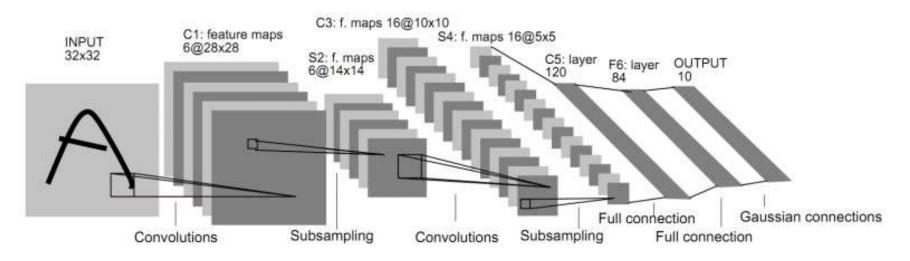
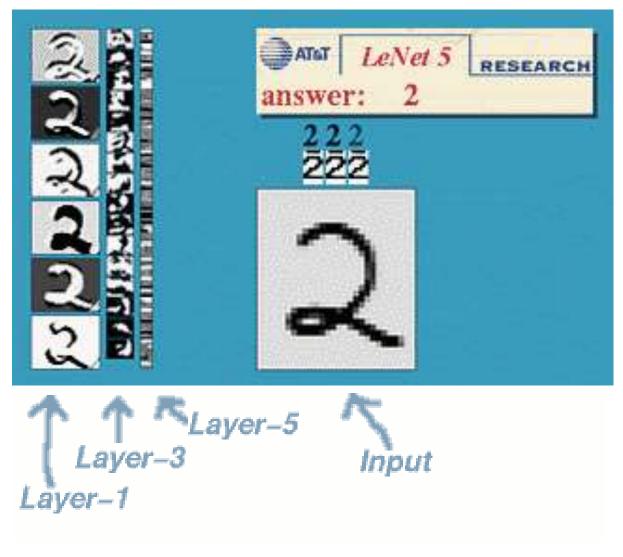


Fig. 2. Architecture of LeNet-5, a Convolutional Neural Network, here for digits recognition. Each plane is a feature map, i.e. a set of units whose weights are constrained to be identical.

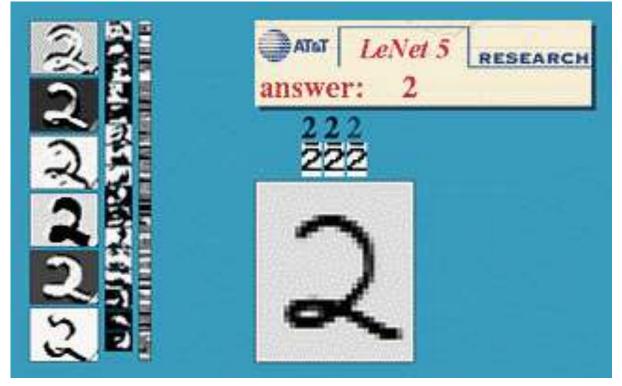
LeCun, Y., Bottou, L., Bengio, Y., and Haffner, P. (1998). Gradient-based learning applied to document recognition. Proceedings of the IEEE, 86(11), 2278–2324.

LeNet: convolutional network designed for handwritten and machine-printed character recognition



http://yann.lecun.com/exdb/lenet/index.html

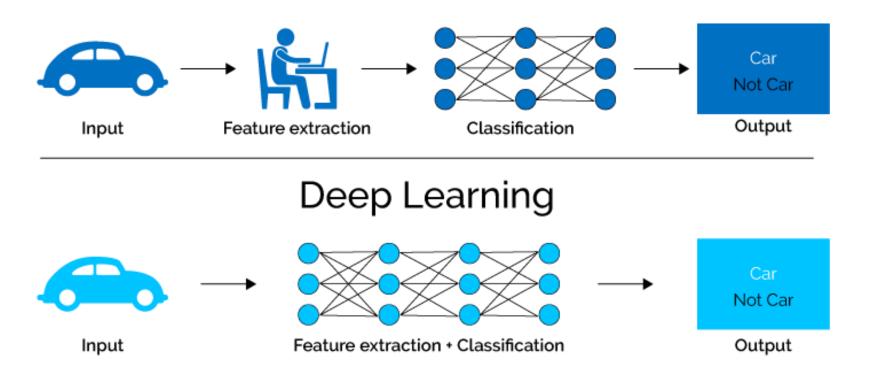
LeNet: convolutional network designed for handwritten and machine-printed character recognition





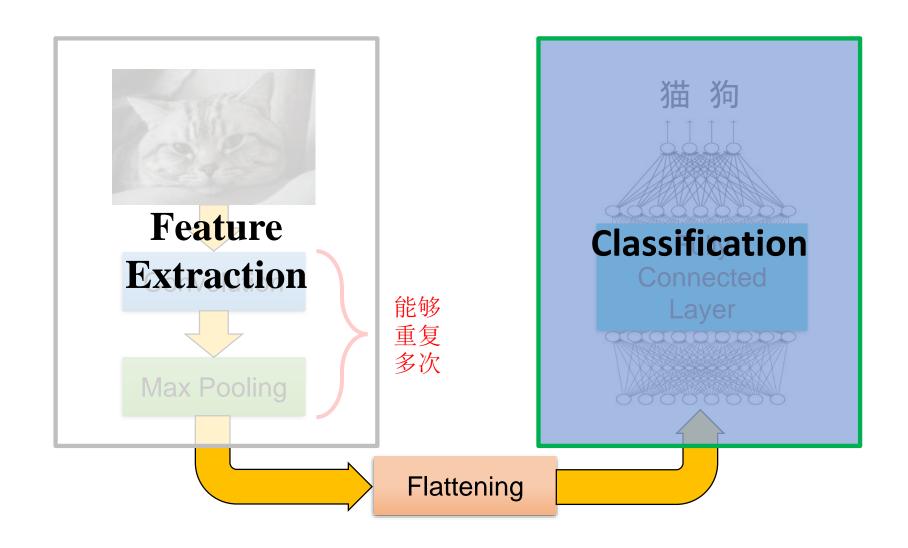
端到端(end-to-end)

'Classical' Machine Learning



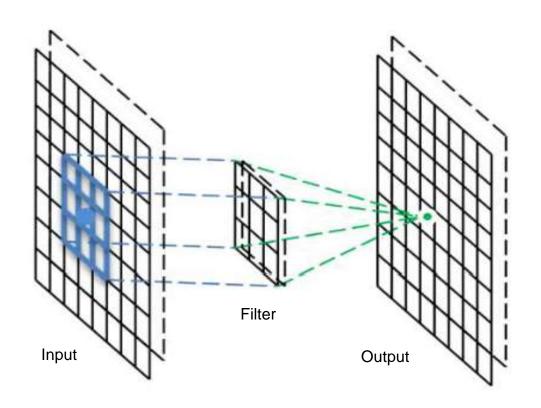
图片来源: https://towardsdatascience.com/why-deep-learning-is-needed-over-traditional-machine-learning-1b6a99177063

CNN在图像识别中的应用



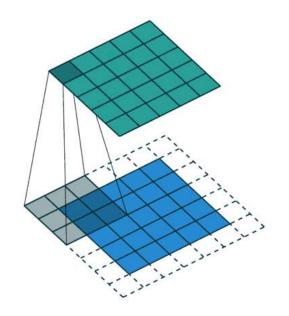
卷积层(Convolutional layer)

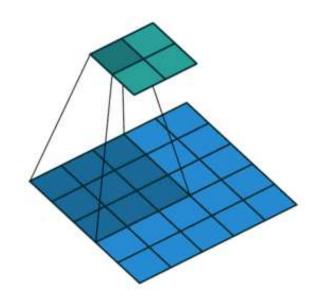
• 卷积层是卷积神经网络的核心部分,一个卷积层通常含有数个卷积核(filters)来执行卷积操作。



CNN 示意图, Poletaev, et al. Journal of Physics: Conference Series(2016).

- CNN中常用Padding和Strides来控制输出图像的大小。
 - Padding: 用额外的像素点来填充边缘,使得输出大小等于输入大小。
 - Strides: 用来调整卷积的步长,产生不同尺寸的输出。





左: Padding, 右: strides=2, Dumoulin, et al. arXiv:1603.07285(2016).

• 卷积层通过卷积操作来捕获filters关注的信息。

1	0	0	0	0	1
0	~	0	0	1	0
1	0	0	0	0	1
1	0	1	0	1	1
0	0	0	0	1	1
0	0	1	0	1	1

6X6图像

1	0	0
0	7	0
1	0	0

0	0	1
0	0	1
0	0	1

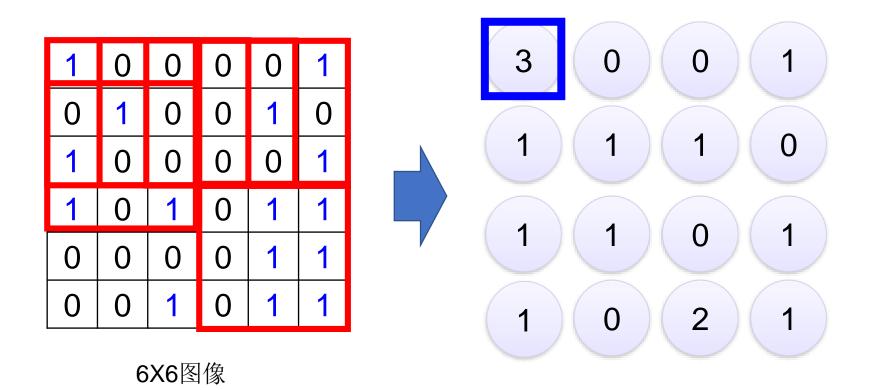
: :

每个filter检测3X3的pattern。

• 卷积层通过卷积操作来捕获filters关注的信息。

Filter1

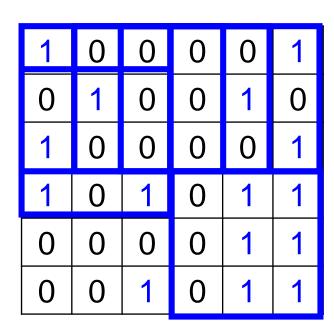
1	0	0
0	1	0
1	0	0



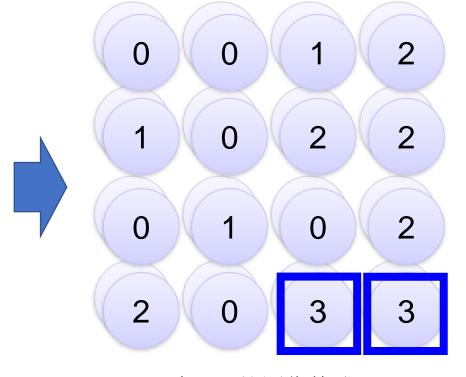
• 卷积层通过卷积操作来捕获filters关注的信息。

Filter2

0	0	1
0	0	1
0	0	1



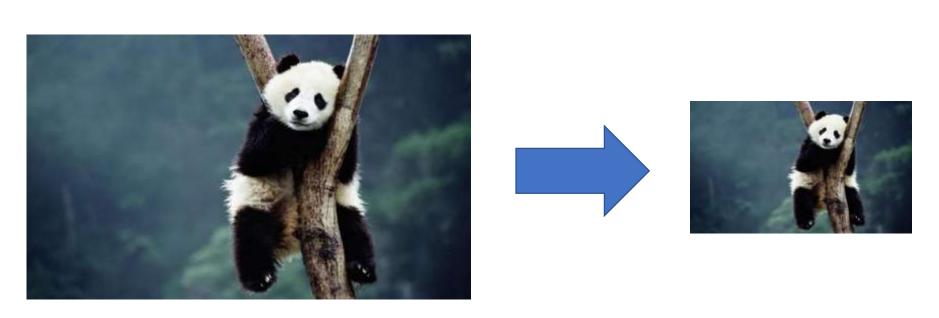




2个4X4的图像构成了一个2X4X4的图像

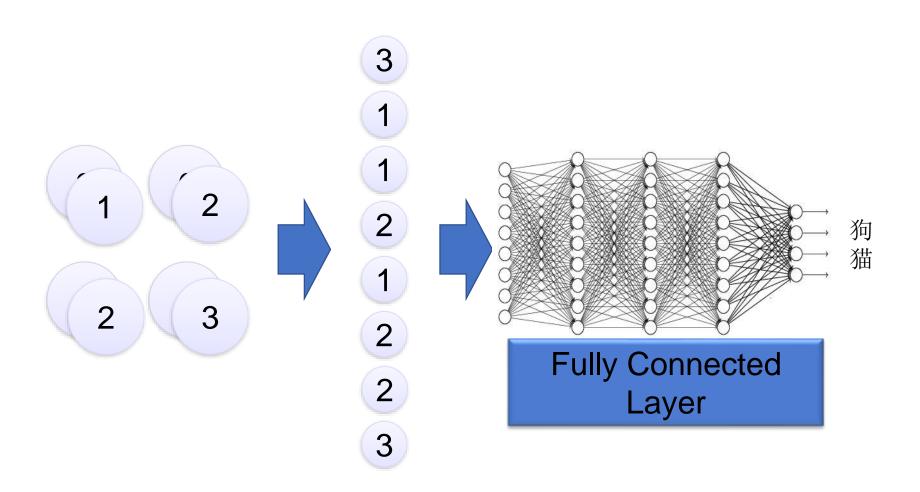
池化层(Pooling layer)

• 对像素的抽样可以在一定程度上保持原始对象,并且减少描述对象所需要的参数。



对图片进行抽样

Flattening和全连接网络



天网系统

"准确锁定、捕捉到他们的,是'天网工程'人脸识别系统,"南 湖区公安分局技术与数据服务中心综合管理室主任沈月光介绍说。

"演唱会在正对着检票口的地方增设了几个摄像头,能够对进出检票口所有人员姓名、身份证号、穿着、相貌等进行精确识别把控,它在非常短的时间内便可将数据库筛选一遍。"

•••••



人脸识别技术 - Facenet

Face embedding + optimize Triplet Loss

利用CNN将照片投影到表示向量空间

anchor

CNN

Shared weights

CNN

Shared weights

CNN

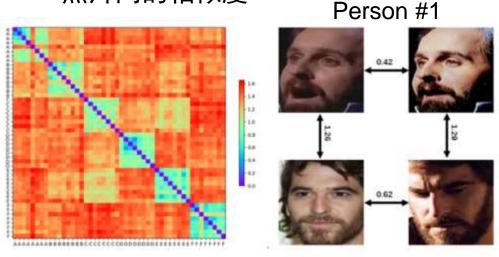
CNN

CNN

CNN

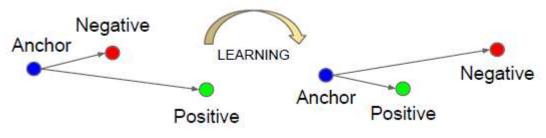
Shared weights

在表示空间用欧式距离度量不同人脸照片间的相似度



人脸照片相似度矩阵

Person #2

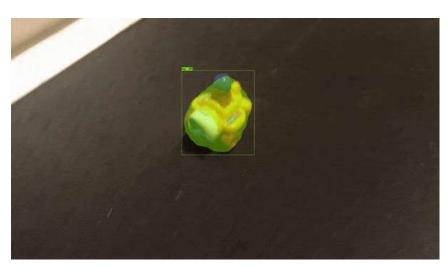


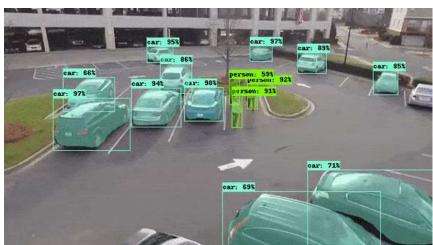
优化Triplet Loss

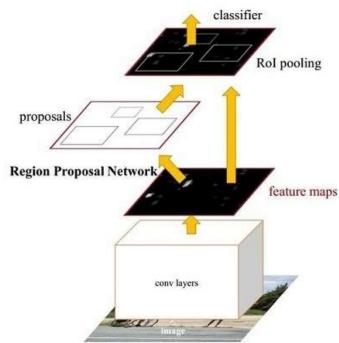
F Schroff, CVPR, 2015

物体识别技术 – Faster R-CNN

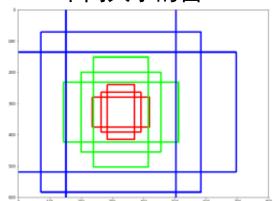
S Ren, CVPR, 2016





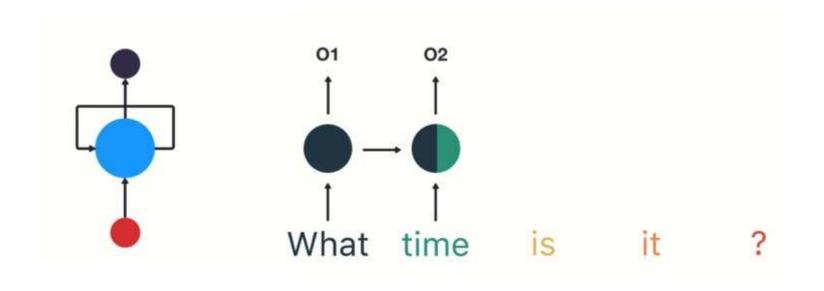


不同大小的窗:



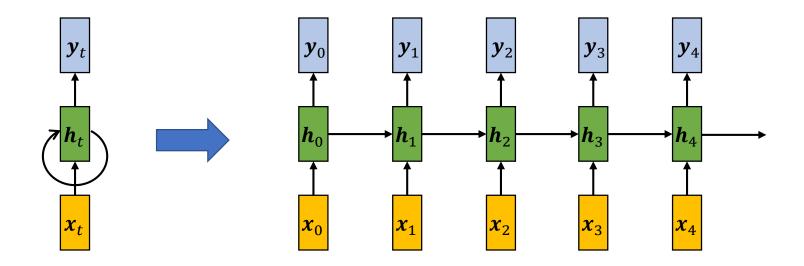
循环神经网络

- 循环神经网络(Recurrent Neural Network, RNN)是一类用于处理序列数据的神经网络,它广泛的用于自然语言处理中的语音识别、机器翻译、故障诊断等领域。
- RNN可以将之前的输入"记忆"在神经网络中,从而输出 也与之前输入有关,如下图的例子:



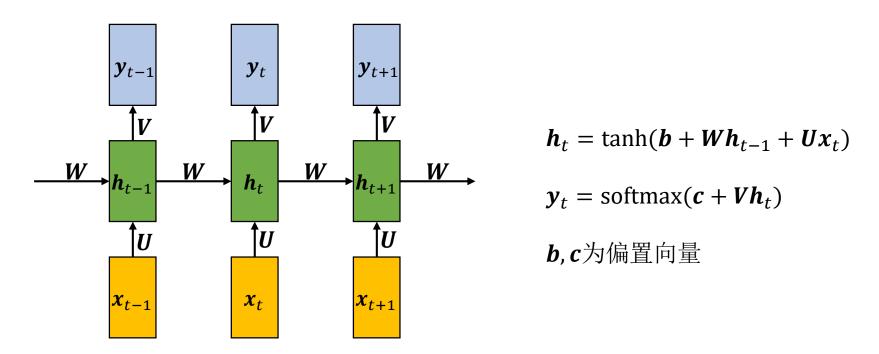
循环神经网络

- RNN是包含有循环的网络,可以使用展开计算图的方式表示。
 - x_t : 输入, h_t : 隐藏层, y_t : 输出



循环神经网络

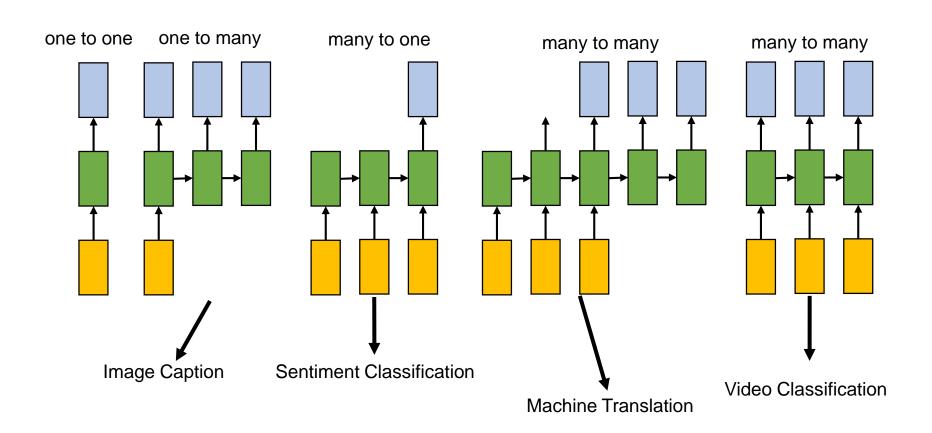
• RNN每一层的计算需要考虑到上一层的影响,假设使用双曲正切激活函数(tanh)的前提下,用RNN来预测词或者字符,其推导过程如下所示。



其它RNN模型:LSTM,GRU等。

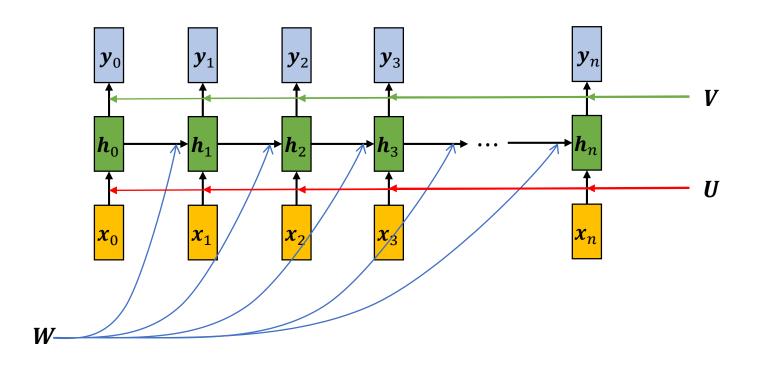
循环神经网络

• RNN按照输入输出可以分为以下四种。



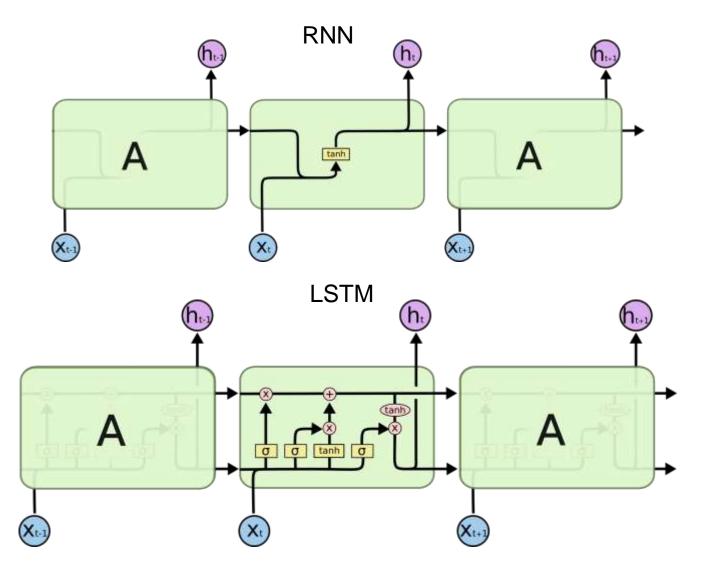
循环神经网络:参数共享

• RNN的一个特点是所有的隐层共享参数(W, U, V), 这样极大地缩小了参数空间。



Long short-term memory (LSTM)

更好地处理长程记忆



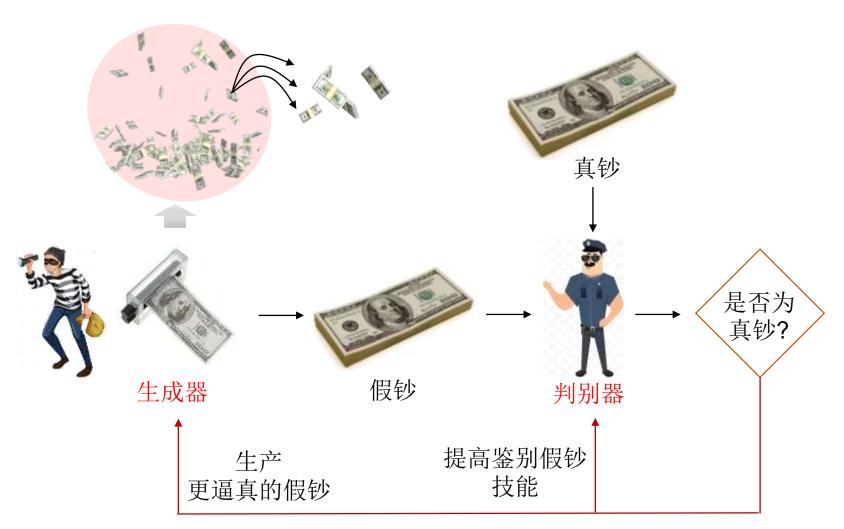
RNN诗歌创作

一声秋雁连天远。(*P*ZPPZ) The twitter of a wild goose comes from the distant horizon. 万里归帆隔水遥。(*ZPPZZP) The homebound ships are still ten thousand miles away from the destination 惆怅旧游零兹处. (*Z*PPZZ) I am so sad to be the place where I said goodbye to my travelling companions. 白头萧瑟满江桥。(*P*ZZPP) There is nothing here, but a gloomy spectacle and the old me in the bridge.

利用深度学习做分布估计:

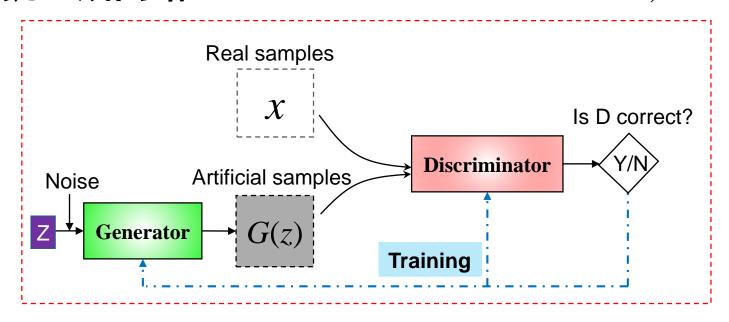
对抗生成网络(Generative Adversarial Nets, GAN)

▶生成器与判别器的自我博弈



利用深度学习做分布估计:

对抗生成网络(Generative Adversarial Nets, GAN)



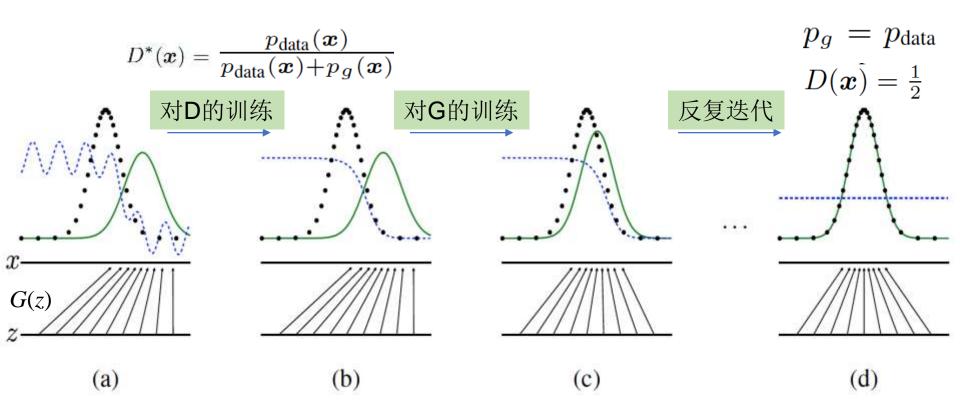
目标函数:

$$\min_{G} \max_{D} V(D,G) = \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}(\boldsymbol{x})}[\log D(\boldsymbol{x})] + \mathbb{E}_{\boldsymbol{z} \sim p_{\boldsymbol{z}}(\boldsymbol{z})}[\log (1 - D(G(\boldsymbol{z})))]$$

- $\max D$ 使得分类器尽量准确的区分真实样本和生成样本,即最大化 $\log(D(x))$ 和 $\log(1-D(G(z))$
- minG 使得生成器尽量骗过分类器,即log(1-D(G(z))最小

生成对抗网络的训练过程示意

初始化的D和G



这里的Z表示一个均匀分布, G(z)是从Z到X的函数映射

GAN算法流程

Algorithm 1 Minibatch stochastic gradient descent training of generative adversarial nets. The number of steps to apply to the discriminator, k, is a hyperparameter. We used k = 1, the least expensive option, in our experiments.

for number of training iterations do

for k steps do

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Sample minibatch of m examples $\{x^{(1)}, \dots, x^{(m)}\}$ from data generating distribution $p_{\text{data}}(x)$.
- Update the discriminator by ascending its stochastic gradient:

$$\nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[\log D\left(\boldsymbol{x}^{(i)} \right) + \log \left(1 - D\left(G\left(\boldsymbol{z}^{(i)} \right) \right) \right) \right].$$

end for

- Sample minibatch of m noise samples $\{z^{(1)}, \ldots, z^{(m)}\}$ from noise prior $p_q(z)$.
- Update the generator by descending its stochastic gradient:

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log \left(1 - D \left(G \left(\boldsymbol{z}^{(i)} \right) \right) \right).$$

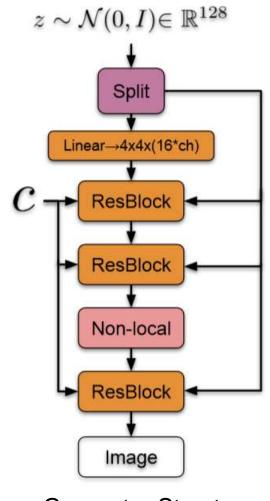
end for

The gradient-based updates can use any standard gradient-based learning rule. We used momentum in our experiments.

GAN应用 – 图像生成

A Brock, ICLR, 2018 – Big-GAN



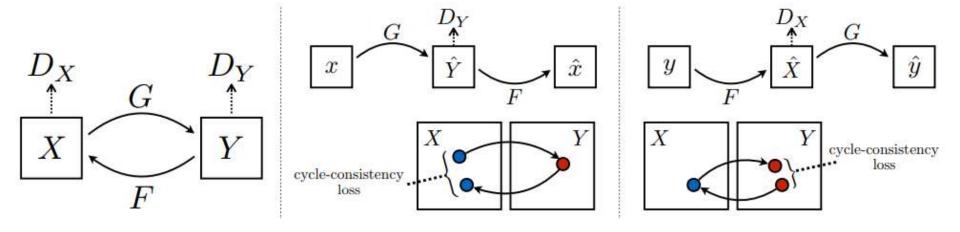


Generator Structure

GAN应用 – 风格迁移

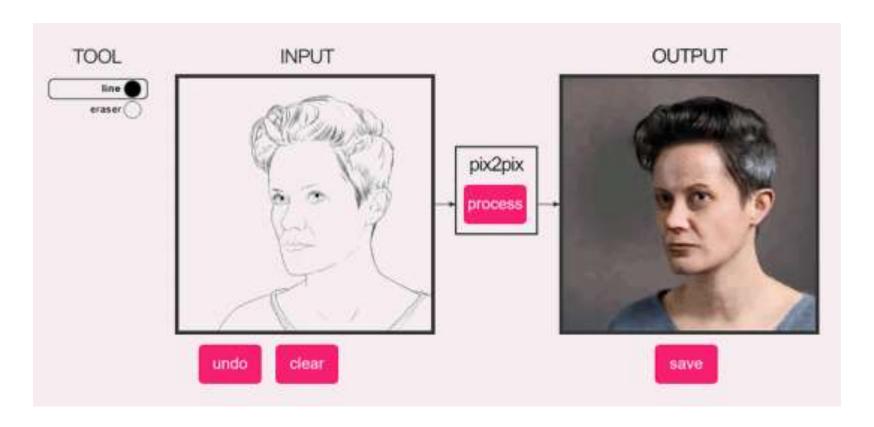


JY Zhu, CVPR, 2017 - cycleGAN



一个有趣的例子

Pix2pix - 图像翻译



<u>甚至可以自己尝试:</u> https://affinelayer.com/pixsrv/

课外阅读:

- LeCun, Y., Bengio, Y. and Hinton, G. E.
 Deep Learning
 Nature, (2015), Vol. 521, pp 436-444
- Ian Goodfellow, Yoshua Bengio, Aaron Courville
 Deep Learning
 MIT press, 2016, https://www.deeplearningbook.org