## Karolina Tatarczyk

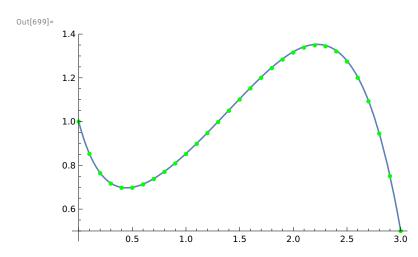
## Wybrane metody modelowania matematycznego

Projekt 1

Return[{roz, points}]

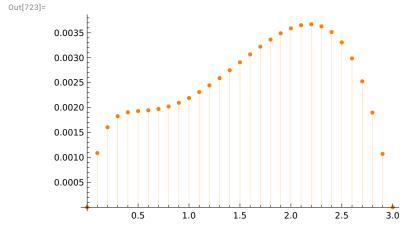
```
In[689]:=
       rrr2[function_, P_, Q_, pointA_, pointB_, Ya_, Yb_, number_] :=
         Module \Big[ \Big\{ f = function, \ p = P, \ q = Q, \ a = pointA, \ b = pointB, \ ya = Ya, \ yb = Yb, \ n = number \Big\}, \\
       roz = DSolve[\{y''[x] + p * y'[x] + q * y[x] == f[x], y[a] == ya, y[b] == yb\}, y[x], x][[1, 1, 2]];
       h = (b - a)/(n - 1);
       xi = Table[a + i * h, {i, 1, n-2}];
       w1 = 2 - p * h;
       w2 = 2 * (q * h * h - 2);
       w3 = 2 + p * h;
       w4 = Table[2 * h * h * f[x], {x, a, b, h}];
       tableB = \{w4[2] - ya * w1\};
       For[i = 3, i \le n-2, i++,
       AppendTo[tableB, w4[i]];
       ];
       AppendTo[tableB, w4[n-1]-yb*w3];
       matrix = Table[Table[0, \{i, 1, n-2\}], \{i, n-2\}];
       For[i = 1, i \le n-2, i++,
       For[j = 1, j \le n-2, j++,
       If[i == j + 1, matrix[[i, j]] = w1];
       If[i == j, matrix[i, j] = w2];
       If[i == j - 1, matrix[i, j] = w3];
       ];
       ];
       solution = LinearSolve[matrix, tableB];
       points = Transpose[{xi, solution}];
       AppendTo[points, {a, ya}];
       AppendTo[points, {b, yb}];
        points = SortBy[points, First];
```

In[690]:=



In[658]:=

```
ListX = Transpose[roz[2]][1];
ListY = Transpose[roz[2]][2];
resultPoints = Table[roz[1]]/. {x → ListX[i]}, {i, 1, Length[ListX]}];
bar = ListPlot[Transpose[{ListX, Abs[ListY - resultPoints]}],
    PlotStyle → Orange, Filling → Axis]
```



In[719]:=