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B-tree Insertion

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Pseudocode for insertion of an element in B-tree

BtreeInsertion( $T, k$ )

$r \leftarrow \text{root}[T]$

if  $n[r] = 2t - 1$

$s \leftarrow \text{new Node}()$

$\text{root}[T] = s$

$\text{leaf}[s] = \text{false}$

$n[s] = 0$

$c_1[s] = r$

BtreeSplitChild( $s, 1, r$ )

BtreeInsertNonFull( $s, k$ )

else do BtreeInsertNonFull( $r, k$ )

BtreeInsertNonFull( $x, k$ )

$i = n[x]$

if  $\text{leaf}[x]$

while  $i \geq 1$  and  $k < \text{key}[i][x]$

$\text{key}[i+1][x] = \text{key}[i][x]$

$i = i - 1$

$\text{key}[i+1][x] = k$

$n[x] = n[x] + 1$

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①

else while  $i \geq 1$  and  $key[i][x]$

$i = i - 1$

$i = i + 1$

if  $n[c[i][x]] == t-1$

BTreeSplitChild( $x, i, c[i][x]$ )

if  $k \leq t$ ;  $key[i][x]$

$i = i + 1$

BTreeInsertNonFull( $c[i][x], k$ )

BTreeSplitChild( $x, i$ )

BTreeSplitChild( $x, i, y$ )

$z = \text{new Node}()$

$leaf[z] = leaf[y]$

$n[z] = t-1$

for  $j = 1$  to  $t-1$

$key[j][z] = key[j+1][y]$

if not  $leaf[y]$

for  $j = 1$  to  $t$

$c[j][z] = c[j][y] + t[y]$

$n[y] = t-1$

~~for~~ for  $j = n[x] + 1$  to  $i+1$

$c[j+1][x] = c[j][x]$

$c[i+1][x] = z$

②

for  $j = n[n]$  to  $i$

$$\text{key}[j+1][n] = \text{key}[j][n]$$

$$\text{key}[i][n] = \text{key}[t][y]$$

$$n[n] = n[n] + 1$$