The Anderson Bridge is a very important and useful modification of the Maxwell Wien Bridge as shown in Fig 11.32.

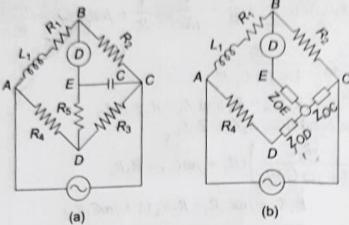


Fig 11.32 Anderson's bridge

The balance condition for this bridge can be easily obtained by converting the mesh impedances C, R3, R5 to an equivalent star with the star point 0 as shown in Fig 11.32(b) by using star/delta transformation.

As per delta to star transformation

$$Z_{OD} = \frac{R_3 R_5}{(R_3 + R_5 + 1/j\omega C)}$$
  $Z_{OC} = \frac{R_3 / j\omega C}{(R_3 + R_5 + 1/j\omega C)} = Z_3$ 

Hence with reference to Fig. 11.32 (b) it can be seen that

$$Z_1 = (R_1 + j\omega L_1), Z_2 = R_2, Z_3 = Z_{OC} = \frac{R_3 / j\omega C}{(R_3 + R_5 + 1 / j\omega C)}$$
 and  $Z_4 = \frac{R_4 + Z_{OD}}{R_4 + R_5 + 1 / j\omega C}$ 

$$Z_1 Z_3 = Z_2 Z_4$$

Therefore,  $(R_1 + j\omega L_1) \times Z_{OC} = Z_2 \times (Z_4 + Z_{OD})$ 

$$(R_1 + j\omega L_1) \times \left(\frac{R_3/j\omega C}{(R_3 + R_5 + 1/j\omega C)}\right) = R_2 \left(R_4 + \frac{R_3R_5}{(R_3 + R_5 + 1/j\omega C)}\right)$$

Simplifying,

$$(R_{1} + j\omega L_{1}) \times \frac{R_{3}/j\omega C}{(R_{3} + R_{5} + 1/j\omega C)} = R_{2} \left( R_{4} (R_{3} + R_{5} + 1/j\omega C) + \frac{R_{3}R_{5}}{(R_{3} + R_{5} + 1/j\omega C)} + \frac{R_{3}R_{5}}{(R_{3} + R_{5} + 1/j\omega C)} \right)$$

$$(R_{1} + j\omega L_{1}) \times \frac{R_{3}}{j\omega C} = R_{2}R_{4} (R_{3} + R_{5} + 1/j\omega C) + R_{2}R_{3}R_{5}$$

$$\frac{R_{1}R_{3}}{j\omega C} + \frac{j\omega L_{1}R_{3}}{j\omega C} = R_{2}R_{3}R_{4} + R_{2}R_{4}R_{5} + \frac{R_{2}R_{4}}{j\omega C} + R_{2}R_{3}R_{5}$$

$$\frac{-jR_1R_3}{\omega C} + \frac{L_1R_3}{C} = R_2R_3R_4 + R_2R_4R_5 - \frac{jR_2R_4}{\omega C} + R_2R_3R_5$$

Equating the real terms and imaginary terms

uating the real terms and imaginary terms
$$\frac{L_1 R_3}{C} = R_2 R_3 R_4 + R_2 R_4 R_5 + R_2 R_3 R_5$$

$$L_1 = \frac{C}{R_3} \left( R_2 R_3 R_4 + R_2 R_4 R_5 + R_2 R_3 R_5 \right)$$

$$L_1 = C R_2 \left[ R_4 + \frac{R_4 R_5}{R_3} + R_5 \right]; \quad L_1 = C R_2 \left[ R_4 + R_5 + \frac{R_4 R_5}{R_3} \right]$$

$$\frac{j R_1 R_3}{\omega C} = \frac{-j R_2 R_4}{\omega C}; \quad R_1 R_3 = R_2 R_4, \text{ therefore, } R_1 = \frac{R_2 R_4}{R_3}$$

This method is capable of precise measurement of inductances and a wide range of values from a few µH to several Henries.