

Inference in Linear Gaussian Bayesian Network

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Abstract

The goal of this assignment is to predict the readings for temperature and humidity by estimating Linear Gaussian parameters for train datasets. There are 2 kinds of model, which are stationary at hour and day levels. The first model will have 5 parameters per sensor: μ_i , σ_i , β_0 , β_1 , σ . The second model will have similar parameters, except that every random variable will have it's own β_0 , β_1 .

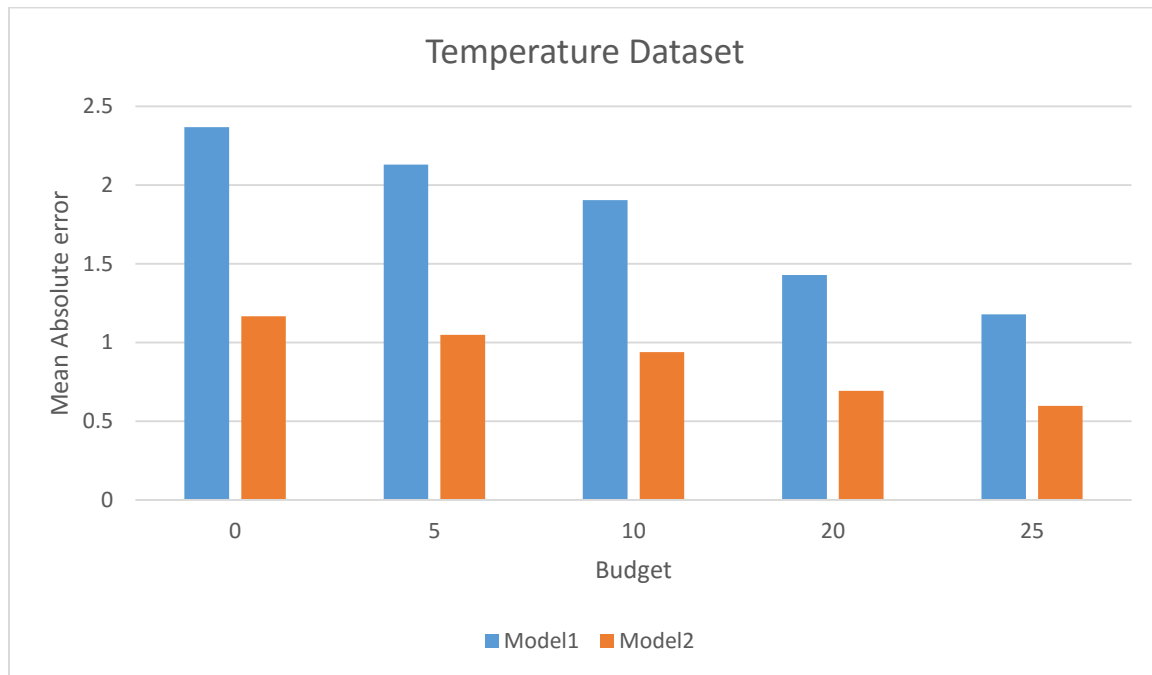
Implementation Details

| Function | Description |
|---|--|
| get_data_matrix(file_path) | Strip out the first row and first column and return data matrix |
| create_matrix_for_regression(sensor_readings) | I/P : a np array [1,2,3,4] O/P : a np matrix of form 1 2 2 3 3 4 |
| compute_regression_coeffs(data_matrix) | I/P : a data_matrix O/P : The coefficients of the regressed model with a polynomial order of 1. |
| get_cond_variance(actual_lst,predicted_lst) | I/P : Actual and predicted readings. O/P : Conditional Variance, which is the variance of errors. |
| get_mean(beta_0,beta_1,prev_mean) | $\mu_i = B_0 + B_1 * \mu_{i-1}$ |
| get_var(cond_var,beta_1,prev_sigma) | $\sigma_i = \text{cond_var} + (B_1^2) * \sigma_{i-1}$ |
| get_model_1_params(data_set) | |
| compute_regression_coeffs(data_matrix) | I/P : a data_matrix O/P : The coefficients of the regressed model with a polynomial order of 1. |
| get_cond_variance(actual_lst,predicted_lst) | I/P : Actual and predicted readings. O/P : Conditional Variance, which is the variance of errors. |
| get_model_2_matrix(data_set,train_days) | Fit the model 2 for the train set |
| chunks(_list,size) | Get Chunks of size size from a list _list |
| get_windows(no_of_sensors,no_of_cols,budget) | Get the window indices for each column/each time-stamp |

Results and Discussion:

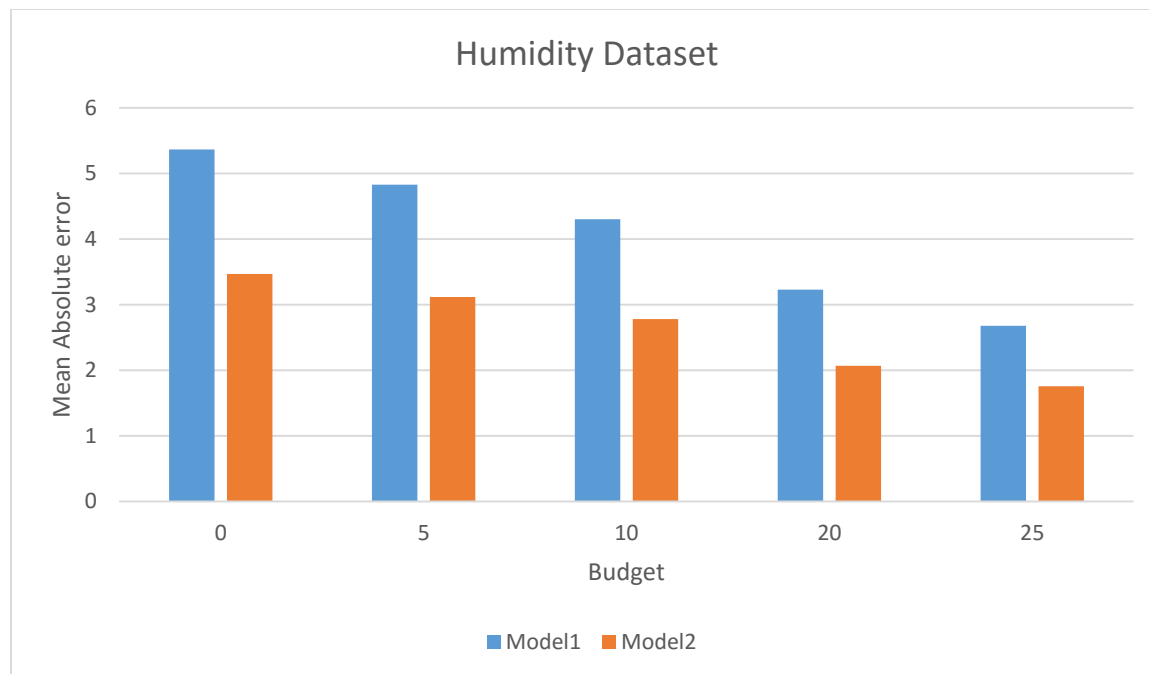
Window Sliding on Temperature:

- Model2 was the winner as it had lesser Mean Absolute error
- Upon increasing budgets, MAE was found to decrease



Window Sliding on Humidity:

- Again, Model2 was the winner as it had lesser Mean Absolute error
- Upon increasing budgets, MAE was found to decrease



Note : I could not complete inference using Variance approach due to lack of time.