" PCA on IRIS dataset "

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Principal component analysis is a dimensionality reduction technique. According to the wikipedia:

"Principal component analysis (PCA) is a statistical procedure that uses an orthogonal transformation to convert a set of observations of possibly correlated variables into a set of values of linearly uncorrelated variables called principal components. This transformation is defined in such a way that the first principal component has the largest possible variance (that is, accounts for as much of the variability in the data as possible), and each succeeding component in turn has the highest variance possible under the constraint that it is orthogonal to the preceding components. The resulting vectors (each being a linear combination of the variables and containing n observations) are an uncorrelated orthogonal basis set. PCA is sensitive to the relative scaling of the original variables."

1.0 Importing the necessary libraries

```
In [47]:
```

```
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn import datasets
from sklearn.decomposition import PCA
from sklearn.preprocessing import StandardScaler
```

1.1 Importing the data

```
In [22]:
```

```
iris = datasets.load_iris()
#https://stackoverflow.com/questions/38105539/how-to-convert-a-scikit-learn-data
set-to-a-pandas-dataset
data = pd.DataFrame(data= np.c_[iris['data'], iris['target']],columns= iris['fea
ture_names'] + ['target'])
data = data.astype({"target": int})
```

1.2 Understanding the high level details of the dataset

In [23]:

```
data.info()
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):

#	Column	Non-Null Count	Dtype
0	sepal length (cm)	150 non-null	float64
1	sepal width (cm)	150 non-null	float64
2	petal length (cm)	150 non-null	float64
3	petal width (cm)	150 non-null	float64
4	target	150 non-null	int64

dtypes: float64(4), int64(1)

memory usage: 6.0 KB

In [24]:

```
data.describe().T
```

Out[24]:

	count	mean	std	min	25%	50%	75%	max
sepal length (cm)	150.0	5.843333	0.828066	4.3	5.1	5.80	6.4	7.9
sepal width (cm)	150.0	3.057333	0.435866	2.0	2.8	3.00	3.3	4.4
petal length (cm)	150.0	3.758000	1.765298	1.0	1.6	4.35	5.1	6.9
petal width (cm)	150.0	1.199333	0.762238	0.1	0.3	1.30	1.8	2.5
target	150.0	1.000000	0.819232	0.0	0.0	1.00	2.0	2.0

1.3 Understanding the features

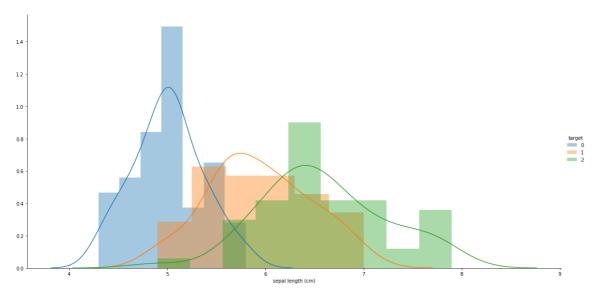
1.3.1 Analyzing the Sepal length feature

In [25]:

sns.FacetGrid(data=data,hue="target",height=8,aspect=2).map(sns.distplot,"sepal
length (cm)").add_legend()

Out[25]:

<seaborn.axisgrid.FacetGrid at 0x7f1562e83860>



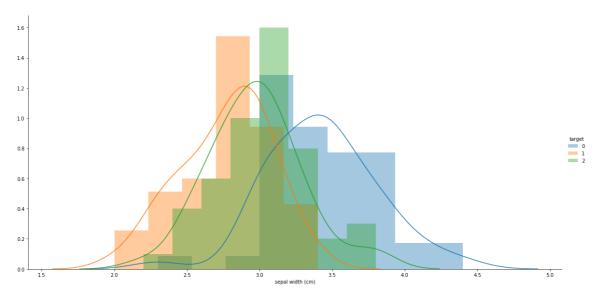
1.3.2 Analyzing the sepal width feature

In [26]:

sns.FacetGrid(data=data,hue="target",height=8,aspect=2).map(sns.distplot,"sepal
width (cm)").add_legend()

Out[26]:

<seaborn.axisgrid.FacetGrid at 0x7f1562e83cf8>



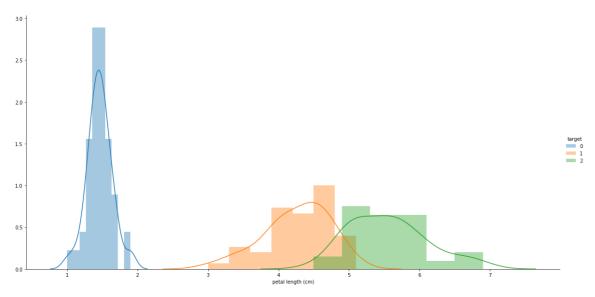
1.3.3 Analyzing the Petal length feature

In [27]:

sns.FacetGrid(data=data,hue="target",height=8,aspect=2).map(sns.distplot,"petal
length (cm)").add_legend()

Out[27]:

<seaborn.axisgrid.FacetGrid at 0x7f1562fee048>



if $(petal_length < 2.1)$ and $(petal_length > 0)$: then class = 0

" From this we can clearly understand that petal length is enough to distinguish the class 0 points alone."

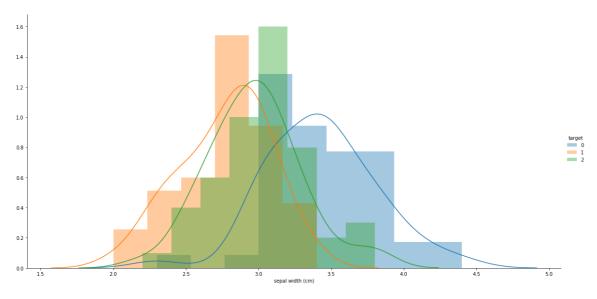
1.3.4 Analyzing the Petal width feature

In [28]:

sns.FacetGrid(data=data,hue="target",height=8,aspect=2).map(sns.distplot,"sepal
width (cm)").add_legend()

Out[28]:

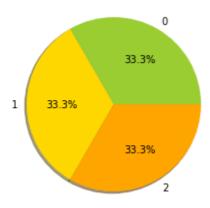
<seaborn.axisgrid.FacetGrid at 0x7f15635e1a58>



1.3.5 Analyzing the target labels

In [30]:

```
class label = data['target'].value counts()
total points = len(data)
print("Points with class label -> 0 are = ",class label.values[0]/total points*1
00,"%")
print("Points with class label -> 1 are = ",class label.values[1]/total points*1
00,"%")
print("Points with class label -> 2 are = ",class label.values[2]/total points*1
00,"%")
labels = ['0', '1', '2']
sizes = [33, 33, 33]
colors = ['yellowgreen', 'gold','orange']
plt.pie(sizes, labels=labels, colors=colors,autopct='%1.1f%', shadow=True)
Out[30]:
([<matplotlib.patches.Wedge at 0x7f1563540208>,
 <matplotlib.patches.Wedge at 0x7f156349c630>,
 <matplotlib.patches.Wedge at 0x7f1563795c50>],
 [Text(0.5499999702695115, 0.9526279613277875, '0'),
 Text(-1.0999999999994, -1.0298943258065002e-07, '1'),
 Text(0.5500001486524352, -0.9526278583383436, '2')],
 [Text(0.2999999837833699, 0.5196152516333385, '33.3%'),
 Text(-0.59999999999974, -5.6176054134900006e-08, '33.3%'),
 Text(0.30000008108314646, -0.5196151954572783, '33.3%')])
```



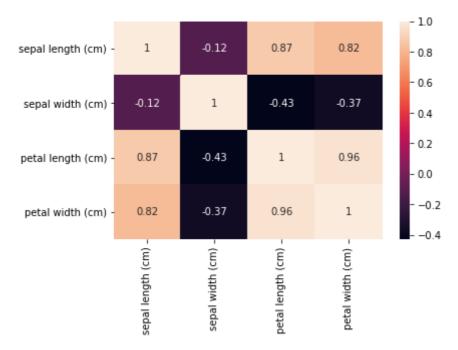
1.3.6 Correlation between the features

In [34]:

```
corr = data.drop(['target'],axis=1).corr()
sns.heatmap(corr,annot=True)
```

Out[34]:

<matplotlib.axes._subplots.AxesSubplot at 0x7f1562f85860>



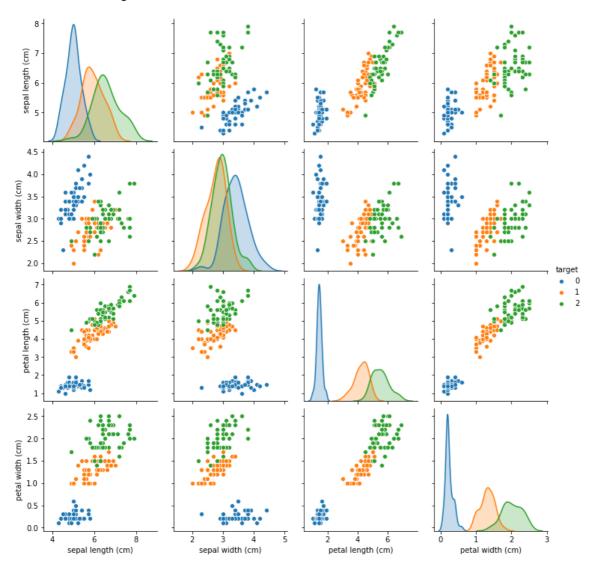
1.3.7 Pair plot of the features

In [41]:

sns.pairplot(data,hue="target")

Out[41]:

<seaborn.axisgrid.PairGrid at 0x7f155bfeba90>



1.4 PCA

In [46]:

```
# Dividing the data into x and y
x = data.drop(['target'],axis=1)
y= data['target']
```

Standardizing the features

Standardizing is a requirement for machine learning algorithms to make them work computationally efficient. Decision trees are exceptions because we expect the model to be interpretable.

In [48]:

```
xstd = StandardScaler().fit_transform(x)
```

Apllying the PCA

In [59]:

```
pca = PCA(n_components=4)
pca.fit(xstd)
features = pca.transform(xstd)
```

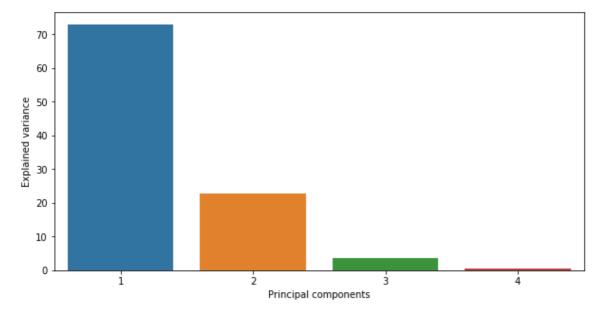
1.5 Interpreting the output of PCA

```
In [60]:
```

```
pca.explained_variance_ratio_
Out[60]:
array([0.72962445, 0.22850762, 0.03668922, 0.00517871])
```

In [85]:

```
explained_variance_ratio = [72.962,22.850,3.668,0.517]
no_principal_components=[1,2,3,4]
plt.figure(figsize=(10,5))
plt.xlabel("Principal components")
plt.ylabel('Explained variance')
ev = sns.barplot(x=no_principal_components,y=explained_variance_ratio)
```



As we can see from the above plot (The explained variance is calculated from eigen values internally):

- The first component covers 72.962% of the original data's information with a loss of ~ 28%.
- The second component covers 22.850% of the original data's information with a loss of ~ 78%.
- Both the first and second principal components are enough to cover ~ 95% with a loss of ~ 5%.
- The third and fourth components can be safely ignored because they only contribute to ~3% and 0.5% of original data's information.

1.6 Plotting the 2 principal components with maximum variance

In [86]:

```
pca = PCA(n_components=2)
pca.fit(xstd)
features = pca.transform(xstd)
```

In [97]:

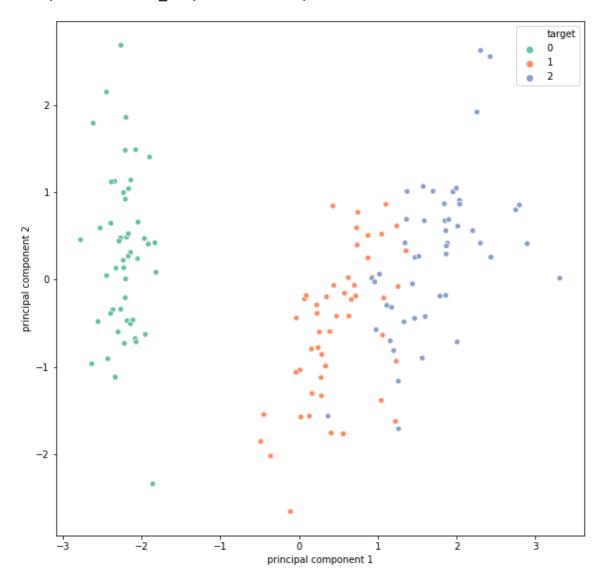
```
pca_output = pd.DataFrame(features,columns=['principal component 1','principal c
omponent 2'])
pca_output['target'] = data['target']
```

In [104]:

```
plt.figure(figsize=(10,10))
sns.scatterplot(data=pca_output,x='principal component 1',y='principal component
2',hue='target',palette="Set2")
```

Out[104]:

<matplotlib.axes. subplots.AxesSubplot at 0x7f154e5feac8>



The output of the linear PCA is the new features with maximum variance on the new feature axis.