



# Educational Codeforces 126

Solutions now for A and B with explanation



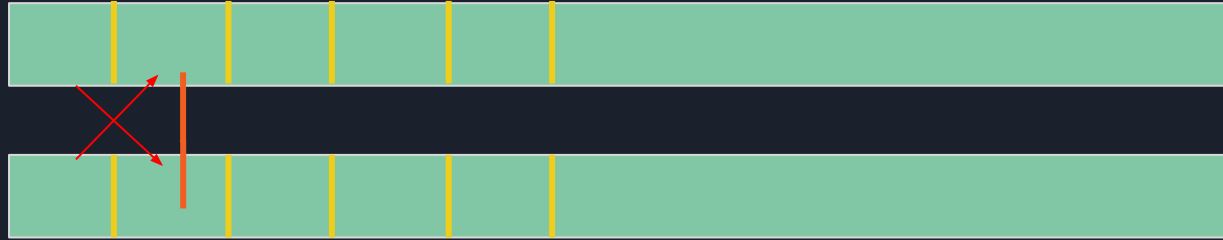
## Problem A

Given : <https://codeforces.com/contest/1661/problem/A> refer the link for the given statements

As the swaps can be done on **same position** of the 2 arrays a and b we should get the minimum value on each iteration for  $|a_i - a_{i+1}| + |b_i - b_{i+1}|$  and here what we can do is we should make that value as minimum as possible and only way we can do is make the sum mentioned above to be as minimum as possible in each step.

So this can be done by iteration through each element and check  $|a_i - a_{i+1}| + |b_i - b_{i+1}|$  is minimum or  $|a_i - b_{i+1}| + |b_i - a_{i+1}|$ . If the later is minum then swap  $a_{i+1}$  and  $b_{i+1}$  else dont do anything and by doing this we get the minimum sum on each iteration across the array

Compare the adjacent positions as while iteration across the array and get the minimum each time



The red arrow marks denotes the comparison to be done each time and the orange denotes the swap condition on each iteration which means swap the elements when we get the minimum sum by comparison we swap everytime



## Problem B

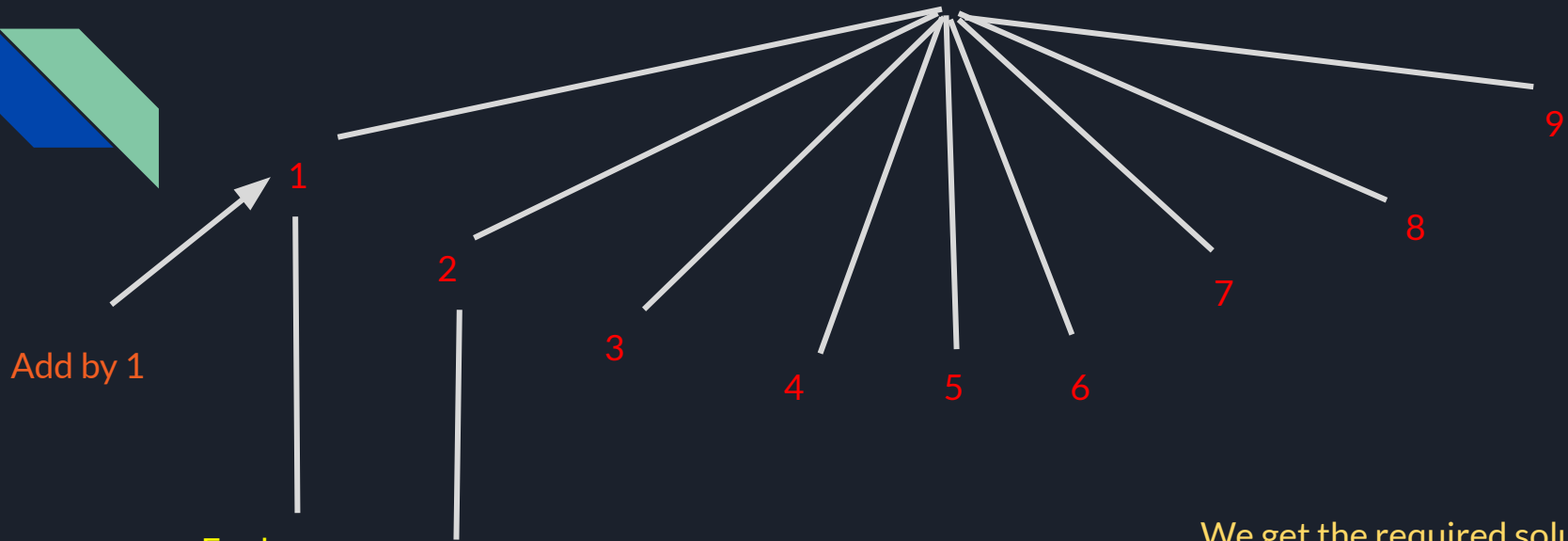
Given : <https://codeforces.com/contest/1661/problem/B> refer the link for the given statements

See if u guys clearly notice  $32768 = 2^{15}$  so any number which is a multiple of  $2^{15}$  will get accepted and for that we have to multiply it 15 times.

So the boundary value runs upto multiplying the number upto 15 times with 2 to be divisible by  $2^{15}$  but here we can use brute force method to solve this problem as we analyse each possible method to get the number a divisor of  $2^{15}$ . What we gonna do is we check each case from adding one 0 times and multiplying by 2 0 times to adding 1 14 times and multiplying by two 14 times and each time check if its a divisor of  $2^{15}$  and update the counter variable.

**Note : The total steps should be less than 15 so when we add by 1 we can multiply only 13 times and similarly reduces in the above manner**

# Tree



Multiply  
by 2

For loop  
from 0 to 13

$$(n+1)2^0$$

$$(n+1)2^{13}$$

$$(n+1)2^1 \dots$$

For loop  
from 0 to 12

$$(n+2)2^0$$

$$(n+2)2^1 \dots$$

$$(n+2)2^{12}$$

..... And it goes on similarly

We get the required solution  
by updating the counter  
variable everytime until the  
loop breaks which is  
 $\min(15, \text{counter\_variable})$  and if  
the counter variable  $> 15$  then  
break