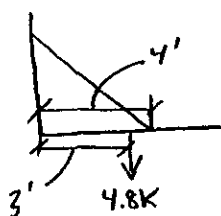
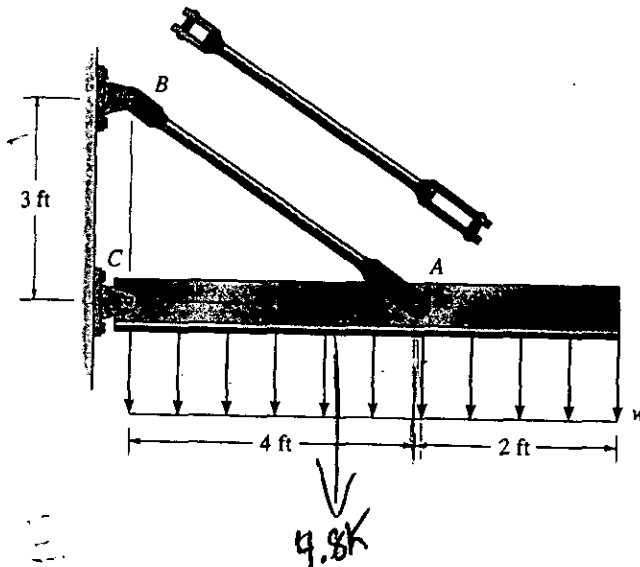


1. (10 pts)

The hanger assembly is used to support a distributed loading of $w = 0.8 \text{ kip/ft}$. Determine the average shear stress in the 0.40 in. diameter bolt at A and the average tensile stress in rod AB, which has a diameter of 0.50 in.

start w/ moments



$$P = 0.8 \times 6 = 4.8 \text{ K}$$

@ 3 ft.

$$\sum M_C = \frac{(-4.8 \text{ K})(3')}{4} + \frac{(ABy)(4')}{4}$$

$$ABy = 3.6 \text{ K}$$

45
50

Bolt shear = double shear

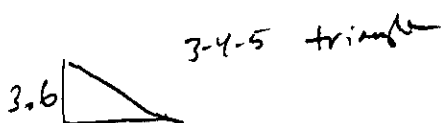
$$\text{so } f_v = \frac{P}{2A}$$

$$f_v = \frac{3.6 \text{ K}}{2 \left(\frac{3.14 \times (.4)^2}{4} \right)}$$

$$f_v = \frac{3.6 \text{ K}}{.2512}$$

$$\text{Bolt shear} = f_v = 14.33 \text{ KSI}$$

8



$$\frac{3.6}{3} = \frac{R}{5}$$

12(5) = R = 6 K in rod, so

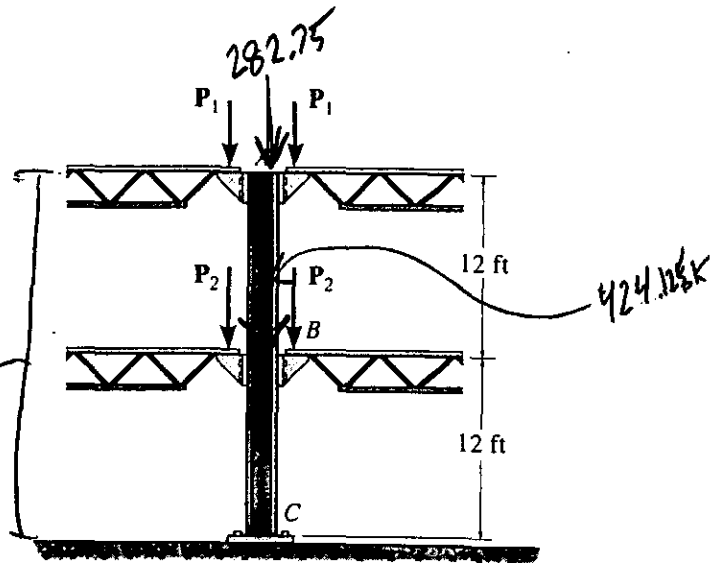
$$f_t = \frac{P}{A}, \frac{6 \text{ K}}{\frac{3.14 \times (.5)^2}{4}} = \frac{6 \text{ K}}{.1963}$$

$$\text{Rod tension} = 30.57 \text{ KSI}$$

2. (10 pts)

The A-36 steel column shown is used to support the symmetric loads from the two floors of a building. Determine the loads P_1 and P_2 if A moves downward 0.12 in. due to P_1 and both A and B move downward an additional 0.09 in. (due to P_2) when the loads are applied.

The column has a cross-sectional area of 23.4 in.².



Determine P_1, P_2

$$f = \frac{P}{A}$$

$$\delta = \frac{fL}{E}$$

$$E = 29,000 \text{ KSI}$$

$$\delta = \frac{PL}{AE}$$

P_1 compresses entire column

P_2 only compresses bottom 12'.

$$\begin{aligned} \frac{P_1}{\delta} &= 0.12 \quad L = 24' \\ 0.12 &= \frac{2 \times P_1 (24' \times 12'')}{(23.4)(29,000)} \end{aligned}$$

$$\frac{0.12 (23.4)(29,000)}{288} = \frac{288 P_1}{288}$$

$$P_1 = 282.75 \text{ K}$$

$$\begin{aligned} \frac{P_2}{\delta} &= 0.09 \quad L = 12' \\ 0.09 &= \frac{2 \times P_2 (12' \times 12'')}{23.4(29,000)} \end{aligned}$$

$$\frac{(0.09)(23.4)(29,000)}{144} = \frac{144 P_2}{144}$$

$$P_2 = 424.125 \text{ K}$$

3. (10 pts)

Same for Both

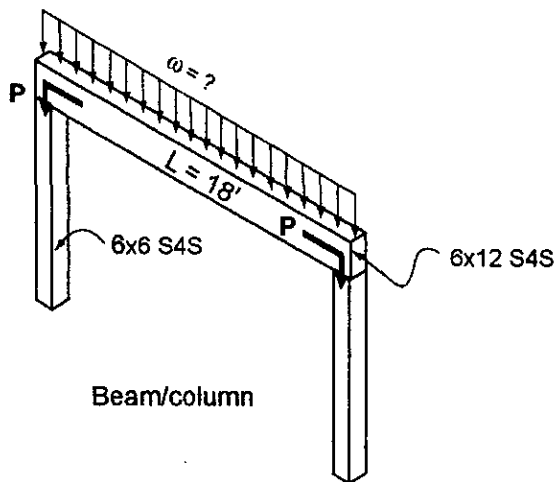
A 6x12 S4S timber beam is used to support a floor load as shown.

a) Determine the maximum reaction load P based on the beam's bearing capacity.

b) Determine the maximum reaction load P based on the column's compression capacity.

($F_{c\perp} = 550$ psi; $F_{c\parallel} = 800$ psi)

c) If the beam is a simply supported beam, uniformly loaded and spanning 18', what is the maximum load per foot w that the beam can safely support based on the reaction P found in parts a/b.



$$f_c = \frac{P}{A} \quad (6 \times 6) \quad A = 5.5 \times 5.5$$

$$800 \text{ psi} = \frac{P}{5.5 \times 5.5}$$

$$800(30.25) = P$$

b) $24,200 \# = P_{\text{max}} \text{ per column}$

$$f_t = \frac{P}{A}$$

$$F_{c\perp} = 550$$

$$550 = \frac{P}{18 \times 5.5} \quad 5\frac{1}{2}'' \times 5\frac{1}{2}''$$

$$550(99) = P$$

a) $P_{\text{max}} = 54,450 \#$
16,640

$$P_{\text{max then}} = 24,200 \times 2 = 48,400$$

c)

$$\text{so, } w = \frac{48,400}{18}$$

$$w = 2688.89 \#/\text{ft}$$

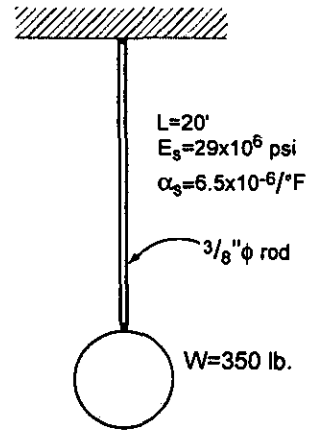
8

4. (10 pts)

A 350 lb. weight is suspended from a $3/8"$ diameter steel rod, 20 feet long.

Determine the following:

- the elongation of the rod due to the weight
- the change in temperature that would cause the rod to return to its unloaded position.



$$A = \frac{3.14 (.375)^2}{4} = .11$$

neg kimp to
contract

$$f_t = \frac{P}{A}, \frac{350}{.11} = 3181.8$$

$$\delta = \frac{(3181.8)(20 \times 12")}{29 \times 10^6 \text{ psi}}$$

$$a) \delta = 0.026"$$

$$3/8" = 0.375"$$

$$b) \delta = \alpha L \Delta T$$

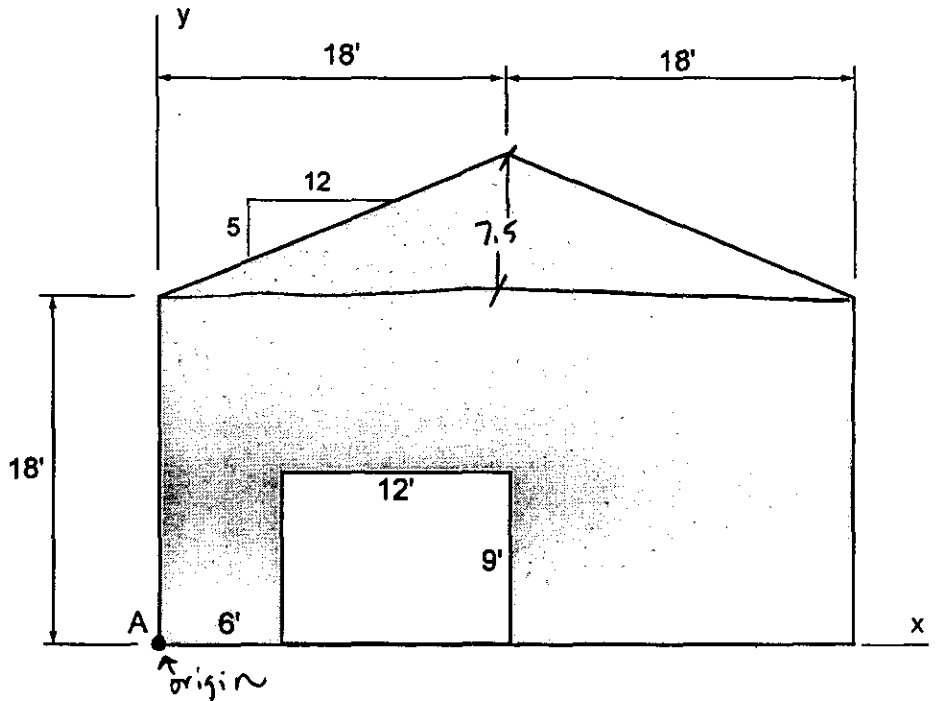
$$0.026" = \frac{(6.5 \times 10^{-6})(20 \times 12")(\Delta T)}{.00156}$$

$$\Delta T = -16.67^\circ$$

10

5. (10 pts)

A pre-cast concrete wall panel for an industrial building has the dimensions as shown. There is a large (12'x9') opening for moving equipment and materials. Determine the centroid of this large wall panel. Use the lower left hand corner at A as your reference point. Show your work. I recommend the use of a table to keep track of your values.



Component	Area (ΔA)	x	$x \Delta A$	y	$y \Delta A$
	$2 \times \frac{1}{2} \times 7.5 \times 18 = 135$ $18 \times 36 = 648$ 78.3	18	14094	12.75	9983.25
	$-9 \times 12 = -108$	12	1296	4.5	-486
$\Sigma \Delta A = 675$			$\Sigma x \Delta A = 12798$		$\Sigma y \Delta A = 9497.25$
			$\bar{x} = \frac{12798}{675} = 18.96$		$\bar{y} = \frac{9497.25}{675} = 14.07$

Component	Area (ΔA)	x	$x \Delta A$	y	$y \Delta A$
	135	18	2430	$18 + 2.5 = 20.5$	2767.5
	648	18	11664	9	5832
	-108	12	-1296	4.5	-486
$\Sigma = 675$			$\Sigma x \Delta A = 12798$ $\bar{x} = \frac{12798}{675} = 18.96$		$\Sigma y \Delta A = 8113.5$ $\bar{y} = \frac{8113.5}{675} = 12.02$

10