XI - TEST NO: 6 - Total On1= 25 - CMAPTER: COMPLEX NUMBERS - Max Main = 50 - Max Time = 1:45 OMS: 1 + A lead value of x Satisfies for equation  $\left(\frac{3-4ix}{3+4ix}\right) = \alpha - i\beta$ ,  $i7 \alpha^2 + \beta^2 =$ (A)-1 (B) 1 (c) 2 (0) -2 Online & 7 z = xtiy lies inthe 3 quadrant, then Zalso lies in the third quadrant if (A) x>y>0 (B) x x y x 0 (C) y x x 20 (D) y >x >0 Days 3 \* The lead value of for which the Expression 1-ising is purely leal is (4) (n+1) ] (B) (2n+1) ] (c) na (D) noney then Ons: 4 = \frac{13}{2} (i^n + i^{n+1}) equals to; when nez (9) 1-i (B) -1-i (c) -1+i (o) 1+i 0M5.5 + The equation | Z+1-i| = [Z-1+i] Represents q (1) circle (B) payabora (c) ellipse (D) Strayps line On-6 + Value of i4n+1 - 14n-1 es (A) 1 (B) -1 (C) -i (O) i



Quai: 7 + 7 Z = 11-31. 7 x os a leal number Such that | z-ix |= 4, then the value of is (A)-7 (B) 7 (c) 4 (D)-4

Ours + The number of solutions of the equation 1212 + 72=0 is (4) 2 (8) 1 (1) 3 (D) Inth mony solution

OM.9 → Valuey (- J-i) 4n+3 is; n+N (A) 1 (B) i (c) -i (P) -1

Oni 10 + The value of  $x^3 + 7x^2 - x + 16$  when x = 1+2i is (A) 17-24i(B) -17+24i(c) -17-24i (D) noney then

ON.11 + 7 Z(2-i) = 3+i, then z20 is equal to  $\binom{A}{2} - 2^{10} \binom{R}{2} 2^{10} \binom{C}{2} 2^{20} \binom{D}{2} - 2^{20}$ 

On 12 + 7 |29-11= |212+1 , then Z. her on

(A) Imagenay Axy (B) Origm (c) Real Axy (D) none y
then On. 13 + The conjugate of J5+12i + J5-12i 25

\[
\sigma 5+12i - \sigma 5-12i
\]

 $(A) -3i (B) \frac{3}{2}i (C) -\frac{3}{2}i (D) \frac{3}{2}i$ 

On. 21 + 7 (55 + 55 i) 33 2 79 Z , then modules of Complex numby Z es equal to (A) (B) 52 (C) 252 (D) 4

ON. 22 + 7 | 1- \(\frac{z\_1}{z\_2}\) - \(\frac{z\_1-z\_2}{z\_2}\)^2 - \(\lambda\) \(\lambda\) \(\lambda\) \(\lambda\) \(\lambda\) then k is equal to

(A) 1 (B) 2 (c) 1 (p) 1/2

On. 23 + The real value y'à fer which 3;3 - 2ai2 + (1-a); +5 os real es

(A) 2 (B) 3 (c) -2 (D) 1

On-24 + 3 (a2+1)2 = x-iy, then value y x2+y2 -Es

 $(4) \frac{(a^2+1)^2}{4a^2+1} (8) \frac{(a^2+1)^4}{(2a+i)^2} (e) \frac{(a^2+1)^4}{4a^2+1} (o) \frac{(a^2+1)^4}{4a^2+1}$ 

Om25 + 7 Z=1+21

(A) 121 (B) 2/2/ (C) 12/2

(A) 8 (B) 16 (C) 32 (D) 2

Unis + The wal value of or and y for which ten forming yearly hord, an expectively

(A) 1,3 or -1,1/3 (B) 2,1/3 or -2,3 (c) 2,3 or -2,1/3 (D) nonny trues

04.16 + 7 |2+11 = 2+2+2i, then 2 44als to

(\*) 2+13i (B) 1+2i (C) 1-2i (D) 53 ± 1i

(A) 1 (B) 2 (C) Infinite mory (D) 3

On18 + Number of non-zuo Integral sorutions of the equation  $|1-i|^{4}=2^{x}$  is

(A) 1 (B) 2 (C) Enfine mony (D) none of there

On 19 + Modulus of 1+i - 1-i es

(A) 2 (B) 4 (c) 1 (0) 8

On 20 + The modulus of the Complex number  $Z = \frac{(1-i\sqrt{3})(\cos \alpha + i\sin \alpha)}{2(1-i)(\cos \alpha - i\sin \alpha)}$ (A)  $\frac{1}{\sqrt{2}}$  (B)  $\frac{2}{\sqrt{3}}$  (C)  $\sqrt{2}$  (D)  $\frac{1}{\sqrt{2}}$ 

On. 21 + 7 (55 + 55 i) 33 2 49 Z , then modules of Compan numby Z is equal to

(A) (B) 52 (C) 252 (D) 4

OM. 22 + 7 |1- \(\frac{z\_1}{z\_2}\) - |z\_1-z\_2|^2 - \(\lambda\) (1- |z\_1|^2) (1-|z\_2|^2) then k is equal to

(A) 1 (B) 2 (c) 1 (p) 1/2

On. 23 - The real value y'à far which 3;3 - 2ai2 + (1-a); + 5 03 real 28

(A) 2 (B) 3 (C) -2 (D) 1

 $\frac{(a^2+1)^2}{2a-i} = \chi - i\gamma, \text{ then value } \chi^2 + \gamma^2 = 3$ 

 $\frac{(4)}{(4a^2+1)^2}$  (B)  $\frac{(a^2+1)^4}{(2a+i)^2}$  (C)  $\frac{(a^2+1)^4}{(4a^2+1)}$  (D)  $\frac{(a^2+1)^4}{(2a+i)^2}$ 

Om.25 + 7 Z=1+21

(A) |z| (B) 2|z| (C) |z|2 (D) 1z|