

(a,b,c) and (-a,-c,-b) as divided by the XY plane is

(A) b:c (B) a:c (C) b:d (D) (:b)

Out 8 + Value of  $\lambda$  so that the lines  $\frac{\chi-\Sigma}{5} = \frac{2-y}{5} = \frac{1-z}{-1}$  and  $\frac{\chi}{T} = \frac{2y+1}{4\lambda} = \frac{1-z}{-3}$  are papendicular to each other

(A) 70 (B) 11 (D) 1

 $\frac{21-2}{3} = \frac{2+3}{-2}, z = 5 \text{ and } \frac{21+3}{1} = \frac{2y-3}{3} = \frac{2-5}{2} \text{ is}$ (A)  $\frac{21}{3}$  (B)  $\frac{21}{3}$  (C)  $\frac{21}{3}$  (O) 0°

On 10-4 Pirechon cosinus y aline whom equation is 6x-2=3y+1=2z-y au

(4) \frac{1}{14}, \frac{2}{14}, \frac{1}{14}, \frac{1}{14}

(A) parallel to z-axu (B) perpendential to x-axis

(c) Perpendicular to z-axis (p) parallel to z-axis

On 12 + Equation of the plane paking through the point (2,3,4) and making equal intercepts on the Coordinate ares is

One 13 + value of  $\lambda$  so that the planes  $\vec{R} \cdot (2i-j+\lambda k)=5$ and  $\vec{R} \cdot (2i-2j-2k)=5$  are perpendicular to each other as

(A) 1=3 (B) 1=-1 (C) 1=-3 (D) 1=2

on: 14+ A vector of magnihile 26 units nammer to the

(A) 241-6; +8k (B) 121-3; +4k (c) 1-j+k (0) noneg

Pan  $\vec{A}$ -(i-2) +  $2\vec{k}$ ) +  $\delta = 0$  is

(A) 6 (B) 3 (C) 2 (P) 18

and parallel to YOZ plane

(4) y=3 (8) y+z=3 (c)  $\chi=3$  (p) z=3

ON. 17 + distance y the point (2,3,-5) from the plane

×+2y-2z-9=0 is

(A) = (B) 3 (C) 9 (D) 5

From the 08/91in and the plane x-4+2+1=0

On-19 + Distance b/w the planes 2x-y +3z= 4 and 6x-3y+9z+13=0 us

(A)  $\frac{25}{\sqrt{14}}$  (B)  $\frac{5}{3\sqrt{14}}$  (C)  $\frac{25}{9\sqrt{14}}$  (D) none of these

is paralle to the plane  $\vec{R} = i(1+2\lambda) + j(-2+\lambda) + k (1+2\lambda)$ then value y m is

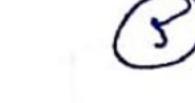
(A) m=2 (B) m=-1 (c) m=1 (D) m=-2

and the pane  $\vec{R} = (1+2j-k) + \lambda(1-j+k)$ (A)  $Sin^{-1}(\frac{3}{4\sqrt{2}})$  (B)  $Cos^{-1}(\frac{1}{3})$  (c)  $Sin^{-1}(\frac{2\sqrt{2}}{5})$  (b)  $Cos^{-1}(\frac{2\sqrt{2}}{3})$ 

One  $\frac{32}{6}$  =  $\frac{y-1}{\lambda} = \frac{z+5}{-y}$  is perpendicular to the Pane 3y-y-2z=7

(A)  $\frac{26}{\sqrt{3}}$  (B)  $\frac{3}{\sqrt{13}}$  (C)  $\frac{3}{\sqrt{13}}$  (D)  $\frac{13}{\sqrt{13}}$ 

On. 23 + Value of  $\lambda$  so that the lines  $\frac{21+1}{3} = \frac{2+3}{5} = \frac{2+5}{7} \text{ and } \frac{2-2}{4} = \frac{2-6}{7} \text{ are Coplanae}$ 



## (A) 1=2 (B) 1=3 (C) 1=-1 (D) 1=1

(A) 4 (B) not-dyind (c) 2 (D) 3

On. 25 + Sum of crody and degree of DE  $\left(1 + \left(\frac{dy}{dx}\right)^{2}\right)^{3/2} = k\left(\frac{d^{2}y}{dx^{2}}\right) \text{ is}$ (A) Y (B) 3 (C) not-dyind (D) 6

QN. 26 \* Integrating factor of D.E

× logx dy + y= 2 logx is

(A) logx (B) for (C) xlox (D) 1.

Nogx

QN. 27 + Integratory factor of D.E  $\frac{\chi dy}{dx} + y - \chi + \chi y \cot \chi = 0$ (A) Sinx (B)  $\chi + \sin \chi$  (C)  $\chi \sin \chi$  (D)  $\log(\pi \sin \chi)$ 

ON 28 + Ordery the differential equation of the family

g circles y radius & is

(A) 3 (B) 1 (C) 2 (D) noney these

(FOUR MARKERS) (NO Jugaad Bagzi) SECTION: B

ON. 29 - Show that the solution of the D.E (He<sup>2</sup>x) dy + (1+y<sup>2</sup>)e<sup>x</sup> dx =0 with intral Condition x=0, y=1 is  $y=e^{-x}$ 

ON. 30 - Show that the solution of the D. F (x-y) (dx+dy) = dx-dy with initial solution y(0)=-1 is x-y= exty+1

Om. 31 - Show that the solution of D. F (x+y)du + (x-y)dx =0 with Initial Conclution  $y=1 & x=1 = 109(x^2+y^2) + 2 + 109(x^2+y^2) = 3 + 192$ 

OM-32 - Show that the solution of D.F dy - 2y = cos(34) with Inital Conclution J(0)=0 -08 ye-27 = e-2x/2 C Sin 3x - 200337

ON. 33 - Show that the equation y the line passing through the pants (1,2,-4) and perpendicular to the lines  $\frac{y-8}{8} = \frac{y+9}{-16} = \frac{z-10}{2}$  and  $\frac{x-15}{3} = \frac{y-29}{3} = \frac{z-5}{-5}$ 

Snow  $\frac{3}{2} + \frac{1}{3} = \frac{3}{3} = \frac{3}{4} = \frac{3}{4}$ 

On. 36 + A vector  $\vec{n}$  of magnihold 8 units is inclined to X-axu at  $45^{\circ}$ , Y-axu at  $60^{\circ}$  and an obhest angle with Z-axu. If a plane passes through the point  $(\sqrt{2}, -1, 1)$  and is normal to  $\vec{n}$ , then show that the equation y the plane is  $\vec{R} \cdot (\sqrt{2}i + j - k) = 0$ 

ONI 37 \* Show that the equation of the plane passing through the points (2,1,-1) and (-1,3,4) and perpendicular to the plane x-2y+yz=10 is 18x+17y+yz=49. Also show that the plane thus obtained contains the line  $\vec{x}=-i+3j+y\vec{k}+1(3i-2j-5\vec{k})$ 

ON. 38 & Show that the equations of the planes through the line of Intersection of the planes 可·(21+6j) +12=0 and 可·(31-j+4k)=0 and which are at a unit destence from the osigin are 7. (21 + j + 2k) + 3 = 0 and 7. (-1+2j-2k) +3=0

On 39 + Show that the distance of the point (1,-2,3) from the plane 21-4+2=5 measured along a live paraller to me line  $\frac{x}{2} = \frac{y}{3} - \frac{z}{4}$  is 1