## CvP - Homework 3

- Deadline: September 28, at the start of the werkcollege.
- Your solution can typed (preferred!) or handwritten.
- You can submit your solution in person or via liacscvp2018@gmail.com
- Don't forget your name and student number.

## Chapter 3

- 1. In denotational semantics, what are the syntactical and semantic domains?
- 2. What is stored in the state of a program in denotational semantics?
- 3. Using the grammar in Example 3.4, show the parse tree for each of the following statements:
  - (a) A = (A \* B) + C
  - (b) A = B \* C + A
  - (c) A = A + (B \* C)
  - (d) A = B \* (C + (A \* B))
- 4. When is a grammar rule said to be left-recursive?
- 5. Give an example of an ambiguous grammar.
- 6. Give an unambiguous grammar for if-then-else.
- 7. Extend the BNF of Example 3.4 into an unambiguous grammar that also includes operators and /.
- 8. Extend the BNF of question 7, above, into an unambiguous grammar that also includes the unary operators + and -. Assume these unary operators have the highest priority, i.e., in this language, -A + 2 means (-A) + 2.
- 9. Extend the BNF of question 8, above, into an unambiguous grammar that also includes the binary exponentiation operator  $\wedge$ . Assume that in this language the exponentiation operator has less priority than the unary operators of question 7, above, but higher priority than multiplication and division; i.e.,  $Z/X \wedge -Y$  means  $Z/(X \wedge (-Y))$ .

- 10. Write an attribute grammar whose BNF basis is that of Example 3.6 in Section 3.4.5 but whose language rules are as follows: Data types cannot be mixed in expressions, but assignment statements need not have the same types on both sides of the assignment operator.
- 11. Write an attribute grammar whose base BNF is that of Example 3.2 and whose type rules are the same as for the assignment statement example of Section 3.4.5.
- 12. Consider the BNF in exercise 1 of werkcollege 3. Compute the denotational semantics of the following program:

$$x := 0; y := 0;$$
 while  $(y < 5)$  do  $y := y + 1; x := x + 2;$  od