

Transforms:

World-frame = robots origin

tag4-frame = fixed offset from world frame

tag14.img1-frame = tag14 in image 1 (only tag 14)

tag14.img2-frame = tag14 in image 2 (both tags)

To triangulate entry point:

$P1$ = projection matrix for image 1

$P2$ = projection matrix for image 2

K = camera matrix

$$\rightarrow P1 = K \times T_{img1-camera-world}$$

$$\rightarrow T_{img1-camera-world} =$$

$$T_{img1camera-tag14} \times T_{tag14-img2camera} \times$$

$$T_{img2camera-tag4} \times T_{tag4-world}$$

$$\rightarrow P2 = K \times T_{img2-camera-world}$$

$$\rightarrow T_{img2camera-world} = T_{img2camera-tag4} \times T_{tag4-world}$$

returns 3D point in world frame

Triangulate target point:

$$P_{\text{top}} = K_{\text{top}} \cdot C_{\text{arm}} \times T_{\text{topcam}} \cdot \text{tag14}$$

$$T_{\text{topcam}} \cdot \text{tag14} =$$

$$T_{\text{topcam}} \cdot \text{top tag} \times T_{\text{roptag}} \cdot \text{tag14}$$

$$P_{\text{side}} = K_{\text{side}} \cdot C_{\text{arm}} \times T_{\text{sidecam}} \cdot \text{tag14}$$

$$T_{\text{sidecam}} \cdot \text{tag14} = T_{\text{sidecam}} \cdot \text{side tag} \times T_{\text{side tag}} \cdot \text{top tag} \\ \times T_{\text{roptag}} \cdot \text{tag14}$$

returns 3D point in tag14 frame (P_{tag14})

$$P_{\text{img2cam}} = T_{\text{img2cam}} \cdot \text{tag14} \times P_{\text{tag14}}$$

$$P_{\text{tag4}} = T_{\text{tag4}} \cdot \text{img2cam} \times P_{\text{img2cam}}$$

$$P_{\text{world}} = T_{\text{world}} \cdot \text{tag4} \times P_{\text{tag4}}$$

Trajectory = Target point - entry point

calculate rpy as normal

calculate distance w/ euclidean distance