"The work contained and presented here is my work and my work alone."

1. Obtaining Descriptive Statistics (10 points)

☑ Distributions	
sample mean	91044.915
maximum	926500
median 400000	22750
variance variance	2.706e + 10
standard deviation Quantiles 100.0% maximum 926	164501.8
first 92 tartile 926 90.0% 2560 75.0% quartile 92	7500
90th percentile	256004.2
skewness	3.1642868
kurtosis	11.15371

Figure (1)

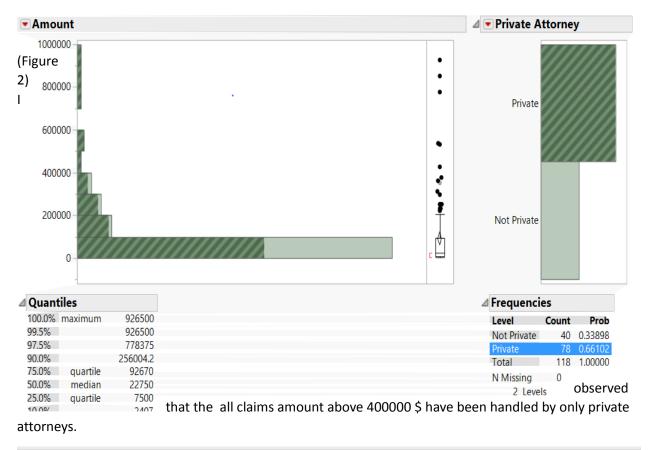
The statistics in Figure (1) was obtained through the following steps:

Analyze> Distribution> summary statistics> customize summary statistics

2. Used the distribution function in JMP to explorer the data and list at least four facts that relate total amount paid with the other variables. (20 Points)

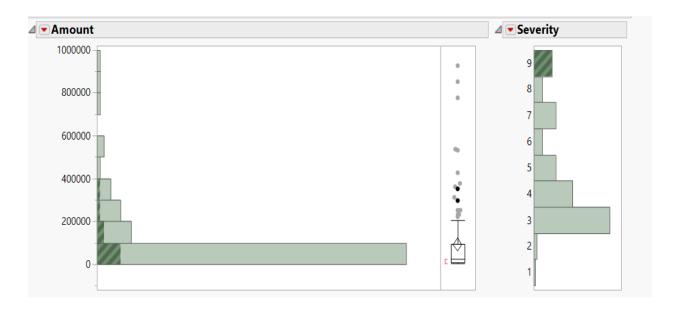
- 1. Claims above 400000 \$ are all from private attorneys (Figure. 2)
- 2. Highest claim amount is from dermatology. (Figure 3)
- 3. Cases with highest severity have paid amount less than 400000 \$. (Figure 4)
- 4. Non privat

e firms could make maximum claim amount only up to 400000 \$. (Figure 5)

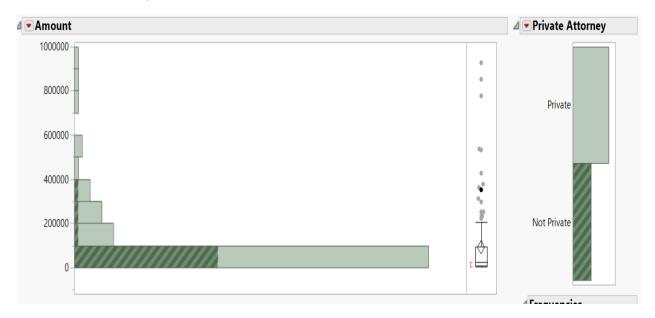




(Figure 3) The highest claim amount is from Dermatology specialty. And also dermatology has the biggest range of claim amount compared to other specialties starting from least to highest claim amount which we can observe in the above distribution.



(Figure 4) As we click on the severity 9 which is the highest one, the claim amount that are highlighted are all below 400000 \$.



(Figure 5) When I clicked on Non private attorney, only claim amount below 400000 \$ have been highlighted. Which means, the claim amounts for private attorneys are up to 400000 \$.

3. Obtaining Confidence Intervals (20 points)

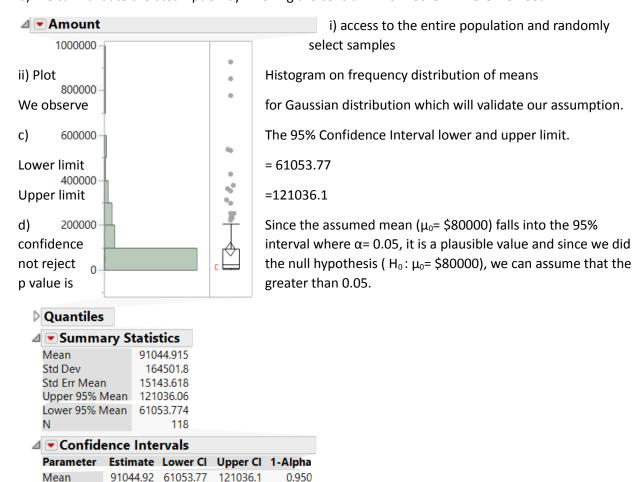
The insurance company claims that the Amount of the claim payment is about \$80000 for each claim. The company wants to know if the average amount is significantly different from \$80000. Complete the

following steps in order to get an answer for the manufacturer.

- a) State the assumption to generate a 95% confidence interval.
- b) State how you would validate the assumption.
- c) Determine the 95% confidence interval for the mean.

d) Interpret this confidence interval in your own words.

- a) The assumption to generate 95% confidence Interval is that
- i) the sample is randomly selected;
- ii) the sample has symmetric distribution, basically its almost nearly normal.
- b) We can validate the assumption by invoking the central Limit Theorem where we need



4. Std Dev 164501.8 145854.6 188659.3 sample *t*-test to determine whether the mean

Amount is significantly different from \$80000. Be sure to validate any assumptions that are associated with the test. Continue to use MedicalMalpractice.jmp.

a) Perform the analysis to validate the assumptions of a one-sample *t*-test graphically. Does the data appear normally distributed using the normal curve and the normal quantile plot?

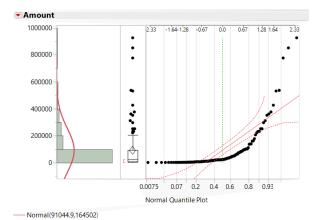
0.950

The insurance company wants to perform a one-

b) Before conducting the test, complete the hypotheses. Is this a one-sided or two-sided test? Ho:

Ha: _____

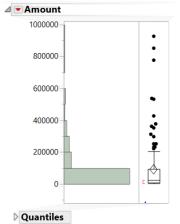
c) Assuming 95% confidence interval, determine whether the mean Amount is significantly different from \$80000.



- a) When I selected Normal quantile Plot and Normal Plot, I realized that the plot is not normal.
- b) It is a two sided test, since we just have to determine if the mean amount is different from the given mean of $\$80000(\mu_0)$.

$$H_0$$
: μ_0 = 80000

$$H_a: \mu_0 \neq 80000$$



c) My hypothesis would go by

$$H_0$$
: $\mu_0 = 80000$

$$H_a: \mu_0 \neq 80000$$

So, I selected the test mean from the distribution table and tested mean hypothesis for \$80000.

I got the two tailed p value (Prob > |t|) as 0.4672.

Our Confidence Interval is 95%, hence $\alpha = 0.05$

P value
$$>> \alpha$$

Therefore, I fail to reject the null Hypothesis.

✓ Test Mean Hypothesized Value 80000 Actual Estimate

DF 91044.9 Std Dev 164502 t Test Test Statistic 0.7293 Prob > |t| Prob > t 0.2336 Prob < t 0.7664 40000 60000 80000 120000

Summary Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistics Statistic

Conclusion: We do not have significance evidence that the mean amount is different from \$80000 at p value -0.4672

5. Test the following claims (or hypotheses). (10 points)

Claim1: Average Profit Age is greater than 45. Before conducting the test, complete the

hypotheses. Is this a one-sided or two-sided test?

Ho: _____ Ha: ____

Result (reject or not reject):

p-value:

It is a one-sided test because of the expressions "Average Profit Age is greater than 45". It is a right tailed test.

 $H_0: \mu_0 \le 45$

 $H_a: \mu_0 > 45$

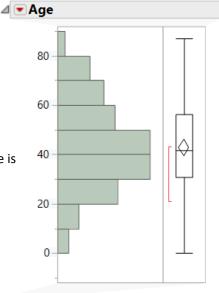
I got the two tailed p value (Prob < t) as 0.9034. (Figure 9)

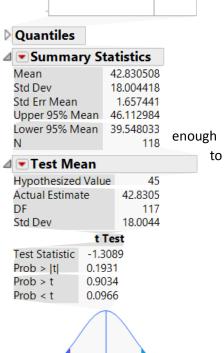
We will consider confidence Interval is 95%, hence $\alpha = 0.05$,

P Value = 0.9034

P value >> α

Hence, we fail to reject the null hypothesis, since there is no evidence to prove that the mean amount is less than or equal 45.





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6. Is it appropriate to conduct a two-sample *t*-test to test if a difference exists between the averages Amount paid when Private Attorney is used vs Not Private?

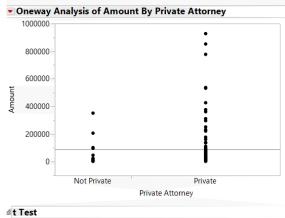
a) If appropriate, generate a two-sample *t*-test for both a) and state the null and alternative hypotheses.

Ho:	
На:	

Result (reject or not reject):

p-value:

b) What conclusion do you reach?



a) Yes, two sample test can be done to test the mean in both samples of similar parameter.

The plot beside gives us a two- sample test of amount paid by private and non-private attorneys.

Here let μ_1 be estimate mean of private attorneys

 $\mu_2 \text{ be estimate mean of non private} \\$ attorneys

$$H_0: \mu_1 = \mu_2$$

 $H_a: \mu_1 \neq \mu_2$

P value = 0.0002, α = 0.05 (Figure 10)

Since P value is $<< \alpha$,

we reject the null hypothesis.

b) Since p value is less than α , there is sufficient evidence to prove that the means of amount paid to private and non-private attorney is different.

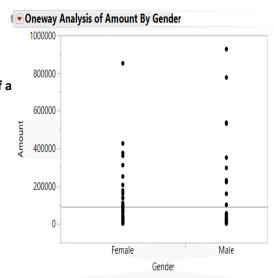
7. Is it appropriate to conduct a two-sample *t*-test to test if a difference exists between the average Amount paid when Female claimant vs male claimant?

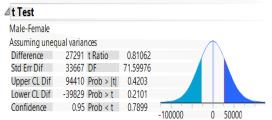
a) If appropriate, generate a two-sample *t*-test for both a) and State the null and alternative hypotheses. Assume that you are willing to accept a 5% probability of incorrectly rejecting the null hypothesis.

Ho: _____

Result (reject or not reject):

p-value:





b) What conclusion do you reach?

a) Yes, two sample test can be done to test the mean in both samples of similar parameter.

The plot beside gives us a two-sample test of amount paid by private and non-private attorneys.

Here let μ_1 be estimate mean of amount paid by men

 μ_2 be estimate mean of amount paid by women

 $H_0: \mu_1 = \mu_2$

 $H_a: \mu_1 \neq \mu_2$

P value = 0.4203, $\alpha = 0.05$ (5 % error)(Figure 11)

Since P value is $>> \alpha$, we fail to reject the null hypothesis.

b) Hence there is insufficient evidence to prove that the amount paid by men is different from amount paid by women.

8. Analyzing Data from Two Independent Samples (10 Points)

You own two plants and have taken 100 random samples of the output of each plant. If you want to test the hypothesis that the plants are performing equally well, what test would you utilize? Where is the test found in JMP?

Here our null hypothesis would be that there is no difference in the mean of output and the alternate hypothesis is that there is an existing difference.

 H_0 : difference in mean is 0.

 H_1 difference in mean in not equal to 0.

To know that the plants are doing equally well we would go to through the following steps.

JMP file > Analyze > Matched pairs.