

Module 5: ELASTICITY

elasticity: a general concept used to quantify the response in 1 variable when another variable changes

price elasticity of demand: measure of how responsive buyers are to price changes = $\frac{\% \Delta QD}{\% \Delta P}$ (note absolute value... $E_D > 0$ by convention)

inelastic vs elastic: $E_D > 1 \rightarrow$ elastic (very responsive consumers, flatter demand)

$E_D < 1 \rightarrow$ inelastic (less responsive consumers, steeper demand)

$E_D = \infty \rightarrow$ perfectly elastic (QD drops to 0 for small price increase, flat demand)

$E_D = 1 \rightarrow$ unit elastic

$E_D = 0 \rightarrow$ perfectly inelastic (QD remains constant w/ price change, vertical demand curve)

determinants of elasticity: amt of competing products, specificity, necessity, consumer search, time

midpoint formula: $\% \Delta QD = \left(\frac{QD_2 - QD_1}{\frac{QD_2 + QD_1}{2}} \right) \times 100$

$$\% \Delta P = \left(\frac{P_2 - P_1}{\frac{P_2 + P_1}{2}} \right) \times 100$$

$$E_D = \frac{\% \Delta QD}{\% \Delta P} = \frac{\left(\frac{QD_2 - QD_1}{\frac{QD_2 + QD_1}{2}} \right)}{\left(\frac{P_2 - P_1}{\frac{P_2 + P_1}{2}} \right)}$$

elasticity $\frac{1}{3}$ total revenue: $P \times QD = TR$

elasticity tells us which effect wins

inelastic: $\uparrow P \times \uparrow QD = \uparrow TR$; $\downarrow P \times \downarrow QD = \downarrow TR$

elastic: $\uparrow P \times \downarrow QD = \downarrow TR$; $\downarrow P \times \uparrow QD = \uparrow TR$

cross price elasticity: how sensitive QD is to price changes in other goods

$$E_{xy} = \frac{\% \Delta QD(x)}{\% \Delta P(y)}$$

← COMPLEMENTS → SUBSTITUTES →

← -1 0 1 →

income elasticity: how sensitive QD is to changes in income

$$E_i = \frac{\% \Delta QD}{\% \Delta I}$$

← INFERIOR → NORMAL → LUXURY →

← -1 0 1 →

NECESSITY

price elasticity of supply: how QS changes w/ price changes

inelastic vs elastic: $E_S = \frac{\% \Delta QS}{\% \Delta P}$ (very responsive supply, flatter supply)

$E_S > 1 \rightarrow$ elastic (less responsive supply, steeper supply)

$E_S < 1 \rightarrow$ inelastic (QS drops to 0 for small price decrease, flat supply)

$E_S = \infty \rightarrow$ perfectly elastic

$E_S = 1 \rightarrow$ unit elastic (QS remains constant w/ price change, vertical supply curve)

$E_S = 0 \rightarrow$ perfectly inelastic

determinants of elasticity: amt of inventory, availability of inputs, capacity, entry $\frac{1}{2}$ exit, time

$$E_S = \frac{\% \Delta QS}{\% \Delta P} = \frac{\left(\frac{QS_2 - QS_1}{\frac{QS_2 + QS_1}{2}} \right)}{\left(\frac{P_2 - P_1}{\frac{P_2 + P_1}{2}} \right)}$$