

Assignment 2

GoodLuck Page No.

Date

① Construct LR(0) Parsing table for following grammar

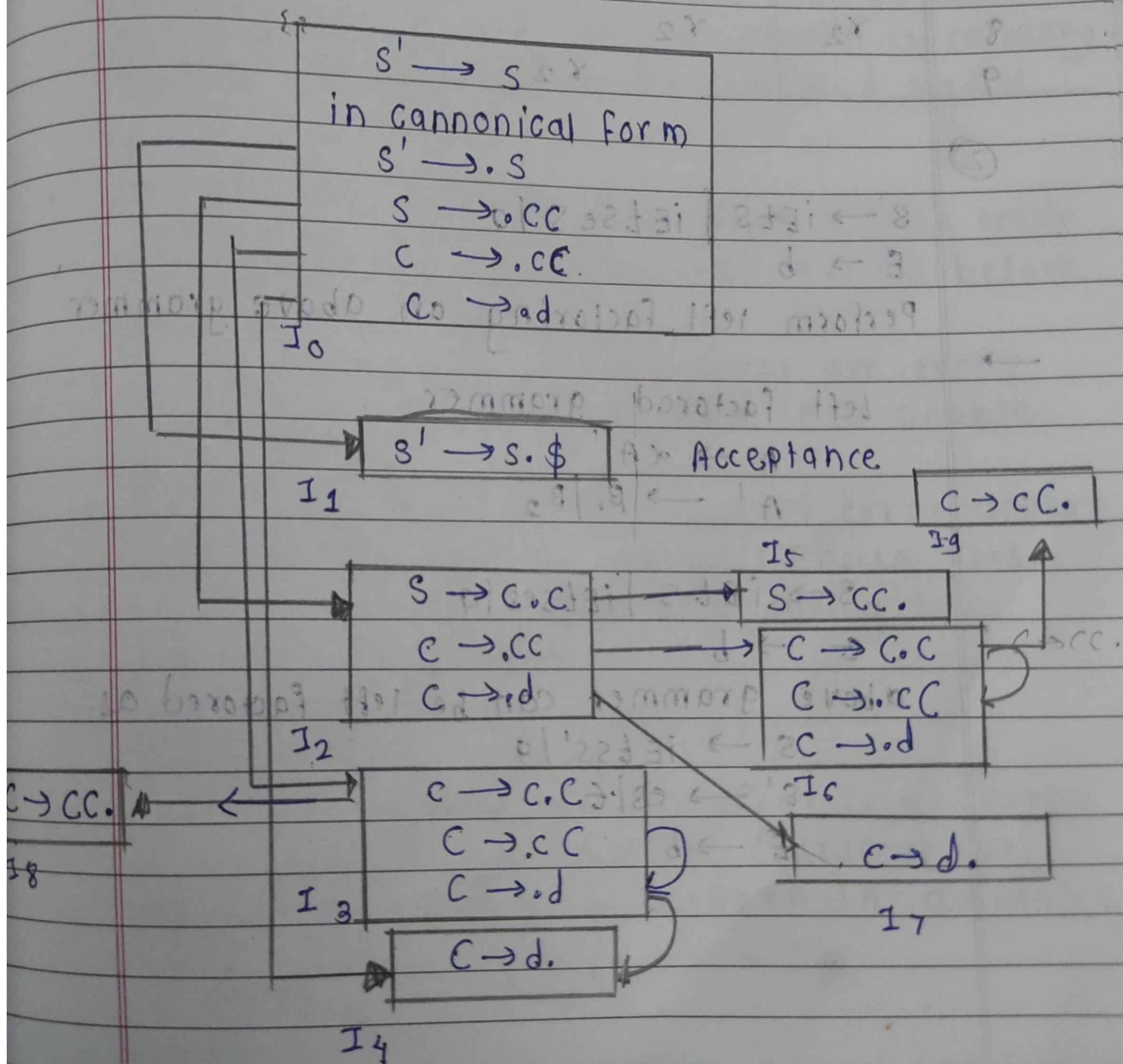
$S \rightarrow CC$

$C \rightarrow CC$

$C \rightarrow d$

Step 1 :
 $S' \rightarrow S$
 $S \rightarrow CC$
 $C \rightarrow CC$
 $C \rightarrow d$

Step 2 :



	ACTION			GOTO	
State	c	d	g	S	C
0	S ₃	S ₄		1	2
1			accept		
2	S ₆	S ₇		2	5
3	S ₃	S ₄		3	8
4	r ₃	r ₃		4	
5			r ₁	5	
6	S ₆	S ₇			9
7					
8	r ₂	r ₂			
9			r ₂		

②

$S \rightarrow iEtS \mid iEtseS \mid a$
 $E \rightarrow b$

Perform left factoring on above grammar

Left factored grammar

$A \rightarrow \alpha A'$
 $A' \rightarrow B_1 \mid B_2$

$S \rightarrow iEtS \mid iEtseS \mid a$
 $E \rightarrow b$

above grammar can be left factored as

$S \rightarrow iEtSS'$
 $S' \rightarrow es \mid \epsilon$
 $E \rightarrow b$

Q. List and explain various errors and error recovery strategies in syntax analysis.

→ Type of error

① Run-time error

② Compile-time error

① Run-time error →

A Run time error is one that occurs during the execution of program and is usually caused by incorrect system parameters or invalid input data. Example: can be a lack of memory to run an application, a memory conflict with another program, and logical error.

② Compile-time error → Compile time error increases during the compilation process before program execution.

④ Lexical error → Lexical errors are errors that your lexer throws when it is unable to continue.

⑤ Semantic error → This type of error appears during the semantic analysis phase. These types of errors are detected during the compilation process.

⑥ Syntax error

⑥ Syntactic error →

En. Syntactic error is an error in syntax of sequence of character or token intended to be written in a specific lang.

④ What is left Recursion? explain with an example

A Grammar is said to be left recursive if it has non-terminal A such that there is derivation in a form of $A \rightarrow A\alpha$ for some String α

$A \rightarrow$ terminal - Non Terminal

$\alpha \rightarrow$ set of String

Q2
if the left side of non-terminal symbol is equal to or some as left most symbol Non-terminal symbol of RHS then the grammar is said to be left recursive.

Rule for eliminating left recursion

$A \rightarrow A\alpha | \beta$ — ①

Then left Recursion can be eliminated

$A \rightarrow \beta A'$ — ②

$A' \rightarrow \alpha A' | \epsilon$ — ③

e.g

$E \rightarrow E + T | T$

$T \rightarrow T * F | F$

$F \rightarrow (E) | id$

→

$E \rightarrow TE'$

$E' \rightarrow +TE' | \epsilon$

$T \rightarrow FT'$

$T' \rightarrow *FT' | \epsilon$

$F \rightarrow (E) | id$

Q5 Is it the below grammar contain left recursion? if yes remove the left recursion from the grammar

$$\begin{aligned} E &\rightarrow E + T \mid T \\ T &\rightarrow T * F \mid F \\ F &\rightarrow (E) \mid id \end{aligned}$$

→ Non-Terminal E appear at the left most symbol This production is left recursive.

$$1. E \rightarrow E + T \mid T$$

— 1st Rule $A \rightarrow A\alpha \mid \beta$

$$E \rightarrow TE'$$

— 2nd Rule $A \rightarrow \beta A'$

$$E' \rightarrow +TE'$$

— 3rd Rule: $A \rightarrow \alpha A' \mid \epsilon$

$$2. T \rightarrow T * F \mid F$$

— 1st Rule

$$T \rightarrow FT'$$

— 2nd Rule

$$T' \rightarrow FT' \mid \epsilon$$

— 3rd Rule

$$3. F \rightarrow (E) \mid id$$

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' \mid \epsilon$$

$$F \rightarrow (E) \mid id$$

Q6 What is Recursive Descent Parsing Technique? explain with an e.g.

→ Recursive Descent Parsing technique same-time requires backtracking process to find correct A-production

As backtracking process increases the time and reduces the efficiency. normally recursive descent parsing technique not used practically
example.

$S \rightarrow cad$

$A \rightarrow abla$

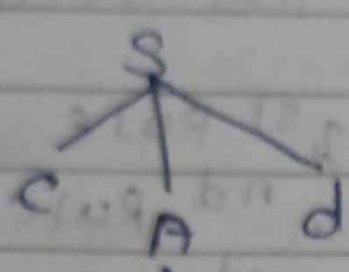


Fig (a)

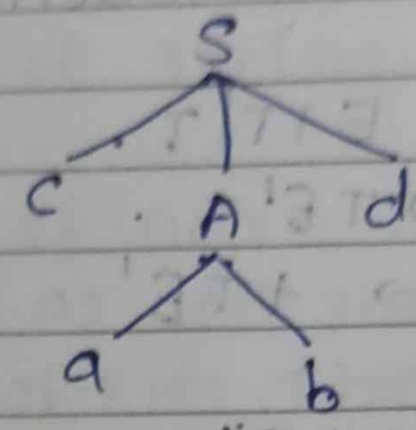


Fig (b)

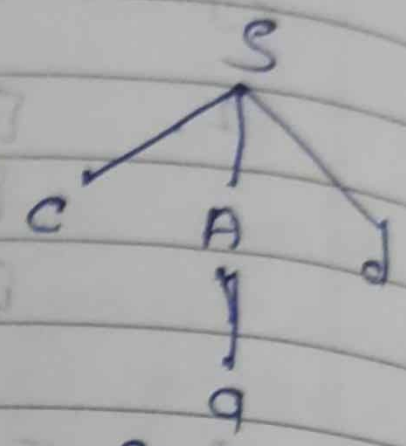
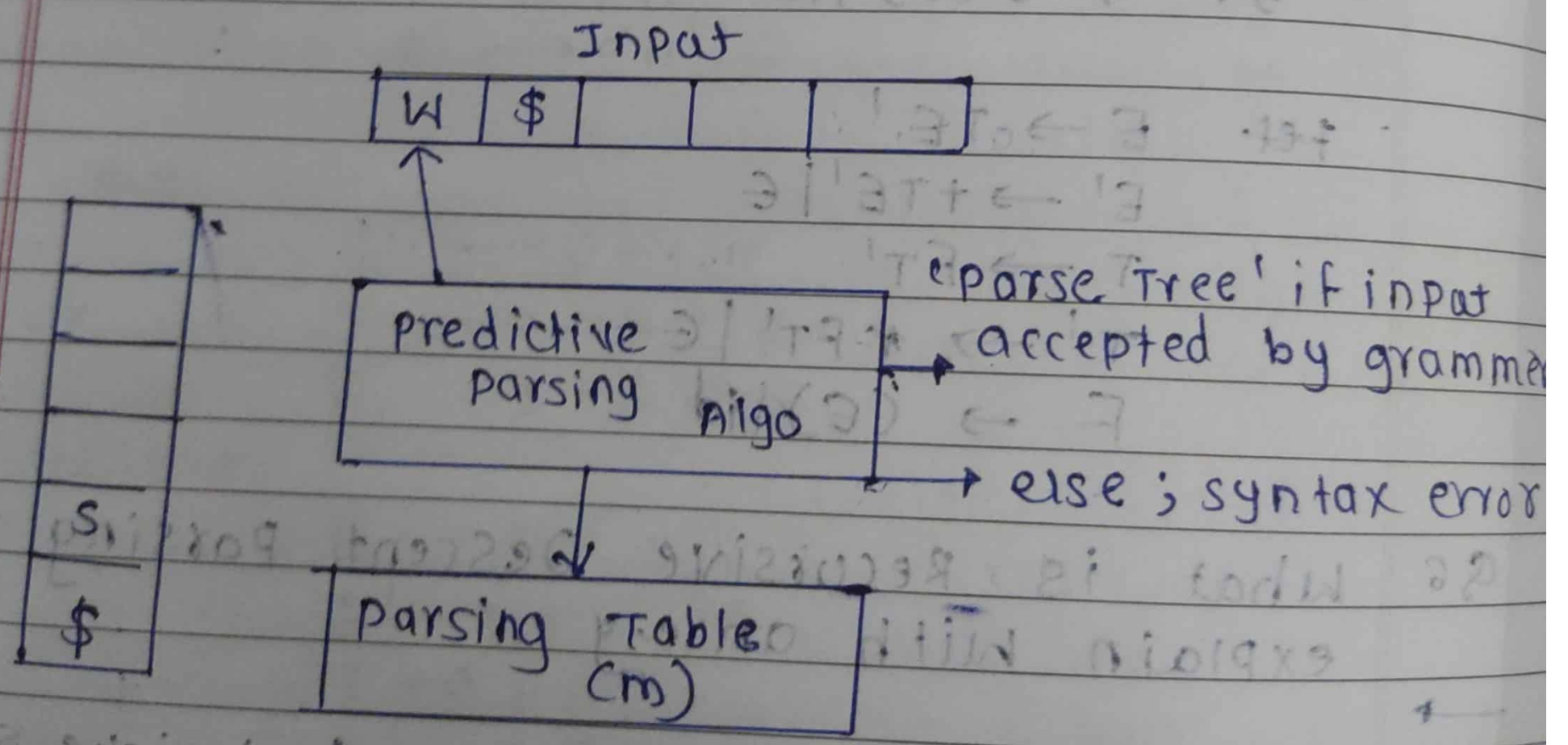


Fig (c)

Q7 Write algorithm for predictive parsing Technique



Algorithm

Input: A string 'w' a parsing table m and grammar G .

output: if 'w' is in $L(G)$ a leftmost derivation of 'w' otherwise an error indication

method: initially the parser is in a configuration with $w\$$ in the input buffer and the start symbol S of G on top of stack above $\$$.

let a be the first symbol of w ;

let x be the top of stack symbol;

While $(x \neq \$) \wedge$ stack not empty $\{$

if $(x = a)$ pop the stack and let a be the next symbol of w ;

else if $(x \text{ is a terminal})$ error();

else if $(m[x, a] \text{ is an error entry})$ error();

else if $(m[x, a] = x \rightarrow y_1 y_2 \dots y_k)$ {

output the production $x \rightarrow y_1 y_2 \dots y_k$;

pop the stack

push $y_k y_{k-1} \dots y_1$ onto the stack

(with y_1 on top);

}

}

Q 8) Compute FIRST and Follow set for the given grammar below

$$1. E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' \mid \epsilon$$

$$F \rightarrow (E)id$$

① FIRST SET \rightarrow

$$E \rightarrow TE'$$

$$\text{FIRST}(E) = \text{FIRST}(T) = (A) \text{ FIRST}(F) \\ = \text{FIRST}(F)$$

$$\text{FIRST}(T) = \{ (, id \}$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$\text{FIRST}(T') = \{ *, \epsilon \}$$

② Follow set \rightarrow

$$\text{Follow}(E) = \{ \$,) \}$$

$$\text{Rule 2 for } A \rightarrow \alpha B \beta = \text{FIRST}(\beta)$$

$$\text{Follow}(E') = \text{Follow}(E)$$

$$= \{ \$,) \}$$

$$\text{Follow}(T) = \{ \text{FIRST}(E') - \epsilon \} \cup \{ \text{Follow}(E) \}$$

$$= \{ +, \epsilon - \epsilon \} \cup \{ \$,) \}$$

$$= \{ +, \$,) \}$$

$$\text{Rule 2 for } A \rightarrow \alpha B \beta = \text{FIRST}(\beta)$$

$$\text{Follow}(T') = \{ \text{Follow}(T) \}$$

$$= \{ +, \$,) \}$$

$$\begin{aligned}\text{Follow}(F) &= \{ \text{FIRST}(\alpha') - \epsilon \} \cup \{ \text{Follow}(\tau) \} \\ &= \{ *, \epsilon + \epsilon \} \cup \{ +, \$, \rangle \} \\ &= \{ *, +, \$, \rangle \}\end{aligned}$$

Q9 check the below grammar is in LL

$$\textcircled{1} S' \rightarrow S\$$$

$$S \rightarrow SS+ | SS^* | a$$

→ ① FIRST SET →

$$S' \rightarrow S$$

$$\text{FIRST}(S') = \text{FIRST}(S)$$

$$= \text{FIRST}(S)$$

$$\text{FIRST}(S) = \{ S, a \}$$

$$\text{FIRST}(S) = \{ S, a, \$ \}$$

② Follow set →

$$\text{Follow}(S) = \{ \$ \}$$

$$\textcircled{P} \text{ follow}(S) = \{ \text{FIRST}(S) - \epsilon \} \cup \{ \text{follow}(S) \}$$

$$= \{ S, a - \epsilon \} \cup \{ \$, \}$$

$$= \{ S, a, \$ \}$$

Q9 Check the below grammar is in LL(1) or not
 $S \rightarrow iEtS / iEtSes / a$
 $E \rightarrow b$

	FIRST	Follow
S	{ i }	{ \$, e }
S'	{ e, ε }	{ \$, e }
E	{ b }	{ t }

Predictive Parsing Table.

	m	i	t	e	b	a	\$
S		$S \rightarrow iEtSs'$					
S'				$S' \rightarrow eS$ $S' \rightarrow \epsilon$			$S' \rightarrow \epsilon$
E					$E \rightarrow b$		

Q10 What is bottom-up parsing technique? explain Shift-Reduce parsing technique with ex

Bottom up parse corresponds to the construction of a parse tree for an input string beginning at the lower (bottom) and working up towards the root (the top)

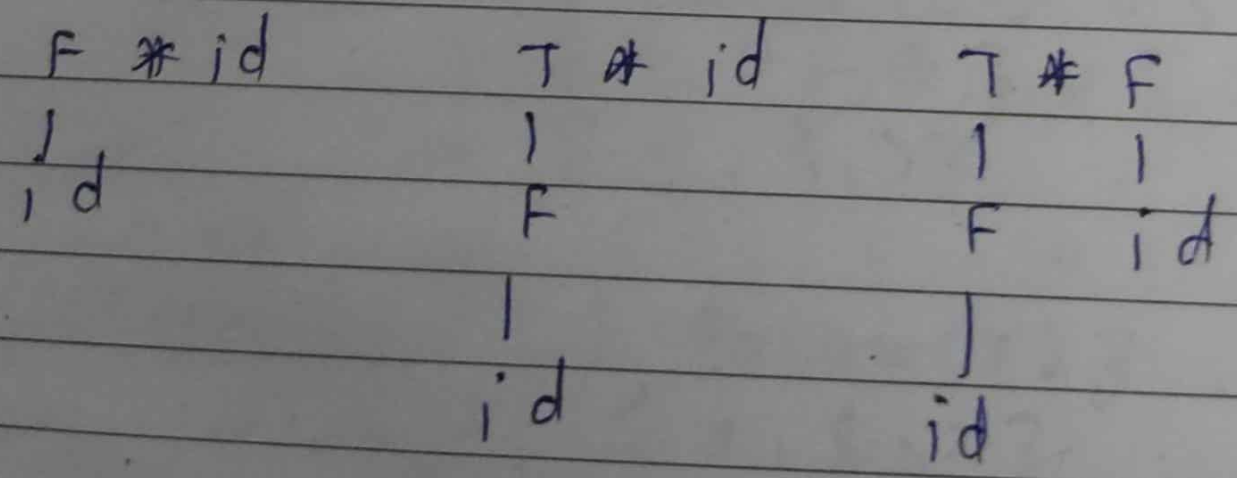
e.g

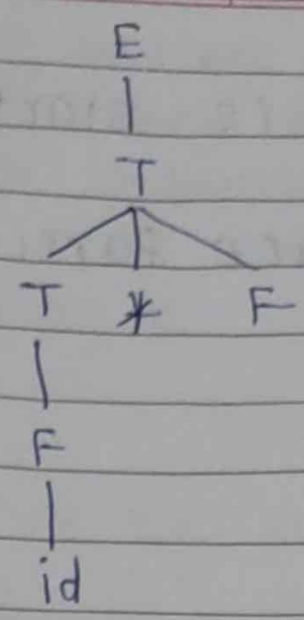
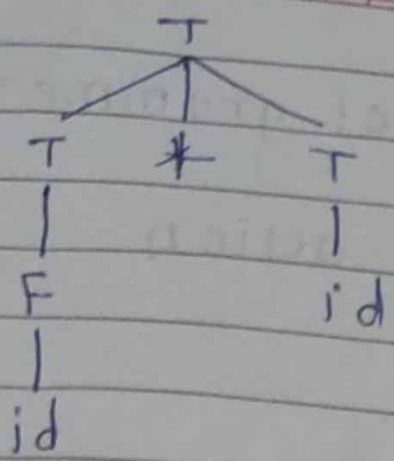
$$E \rightarrow E + T / T$$

$$T \rightarrow T * F / F$$

$$F \rightarrow (E) / id$$

id * id





Bottom up parsing is also known as process of reduction

ex. $id * id$
 $F * id$
 $T * id$
 $T * F$
 T
 E

* shift reduce parsing is

Shift reduce parsing is a form of bottom-up parsing in which a stack holds grammar symbol and an input buffer holds input string to be parsed

We use \$ to mark the bottom of the stack and also to represent end of the input string initially the stack is empty and string is on input as follow

STACK
\$

Input
w\$

final configuration of stack and input after successful completion of parsing the input string is

STACK
\$S

INPUT
\$

where s is start symbol of grammar

Shift-Reduce parsing use 4-action

- ① Shift
- ② Reduce
- ③ Accept
- ④ error

① Shift \rightarrow Shift the input symbol on top of stack

② Reduce \rightarrow When top of the stack matches RHS of production then it can be reduced to left side of production

③ Accept \rightarrow if input is successfully parsed then it is an accept action

④ error \rightarrow else an error and call an error recovery routine.

example \rightarrow

$S \rightarrow AB$

$A \rightarrow a$

$B \rightarrow b$

and input string ab

Stack	Input	Action
\$	ab\$	Shift a
\$a	b\$	Reduce $A \rightarrow a$
\$A	b\$	Shift b
\$Ab	\$	Reduce $B \rightarrow b$
\$AB	\$	Reduce $S \rightarrow AB$
\$S	\$	Accept

Total action used to parse input is 6

Q11) explain Removing left factori recursion and left factorial of grammer with help of example
 → ① A grammer is left recursive if it has a non-terminal A such that there is derivation $A \rightarrow A\alpha$ for some string α .
 if the production is $A \rightarrow A\alpha | \beta$

then left recursion can be eliminated by rewriting the above grammer as

$$\left. \begin{array}{l} A \rightarrow \beta A' \\ A' \rightarrow \alpha A' | \epsilon \end{array} \right\} \text{Free from left recursion}$$

example →

$$E \rightarrow E + T | T$$

$$T \rightarrow T * F | F$$

$$F \rightarrow (E) | id$$

→ removing a left recursion

$$E \rightarrow T E'$$

$$E' \rightarrow + T E' | \epsilon$$

$$T \rightarrow F T'$$

$$T' \rightarrow * F T' | \epsilon$$

$$F \rightarrow (E) | id$$

② left factorial →

left factorial is a grammer that is useful for producing grammer suitable for predictive or top-down parsing technique.

• if grammer is

$$A \rightarrow \alpha B_1 | \alpha B_2$$

removing left factorial

$$A \rightarrow \alpha A'$$

$$A' \rightarrow B_1 | B_2$$

example \rightarrow

$$S \rightarrow iEtS / iEtseS / a$$

$$E \rightarrow b$$

$$S \rightarrow iEtSS' / a$$

$$S' \rightarrow es / e$$

$$E \rightarrow b$$

Q13) Give leftmost and rightmost derivation of string daab write following grammer Also draw the derivation tree

$$S \rightarrow dAB$$

$$A \rightarrow aA / a$$

$$B \rightarrow bB / b$$

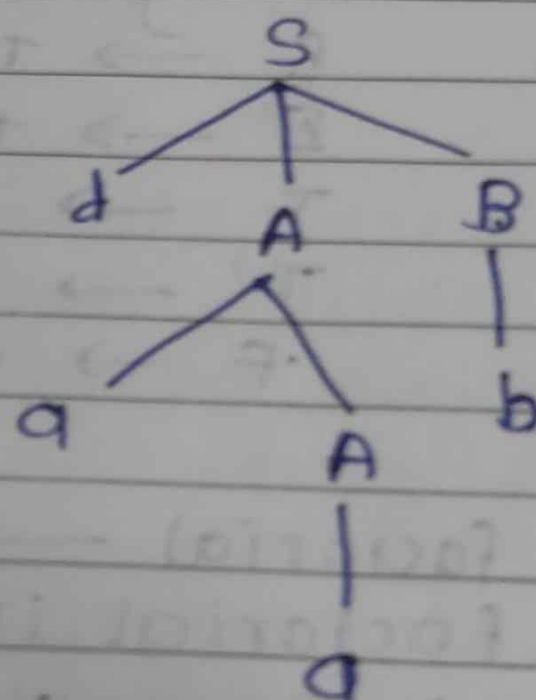
leftmost

$$S \rightarrow dAB$$

$$\rightarrow daAB$$

$$\rightarrow daaB$$

$$\rightarrow daab$$



$S \xrightarrow{\text{leftmost}} dAB$

$\xrightarrow{\text{leftmost}} dOAB$

$\xrightarrow{\text{leftmost}} daAB$

$\xrightarrow{\text{leftmost}} daaB$

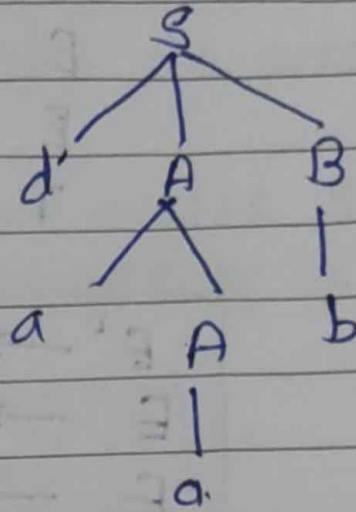
$\xrightarrow{\text{leftmost}} daab$

$S \xrightarrow{\text{Rightmost}} dAB$

$S \rightarrow dAb$

$S \rightarrow daAb$

$S \rightarrow daab$



Q14) What are the Conditions to check SR-conflict and RR-Conflict in SLR(1) Parsing technique.

→

① If SLR(1) contain a state like

$A \rightarrow \alpha \cdot a\beta$

$B \rightarrow \gamma$

We cannot directly say that state is S-R conflict instead we need to find

$\text{Follow}(B)$

if $\text{Follow}(B) = \{a\}$ (symbol after ' \cdot ') then we say that state consider contain SR conflict and hence grammar is not in SLR(1)

② if SLR(1) contain a state like

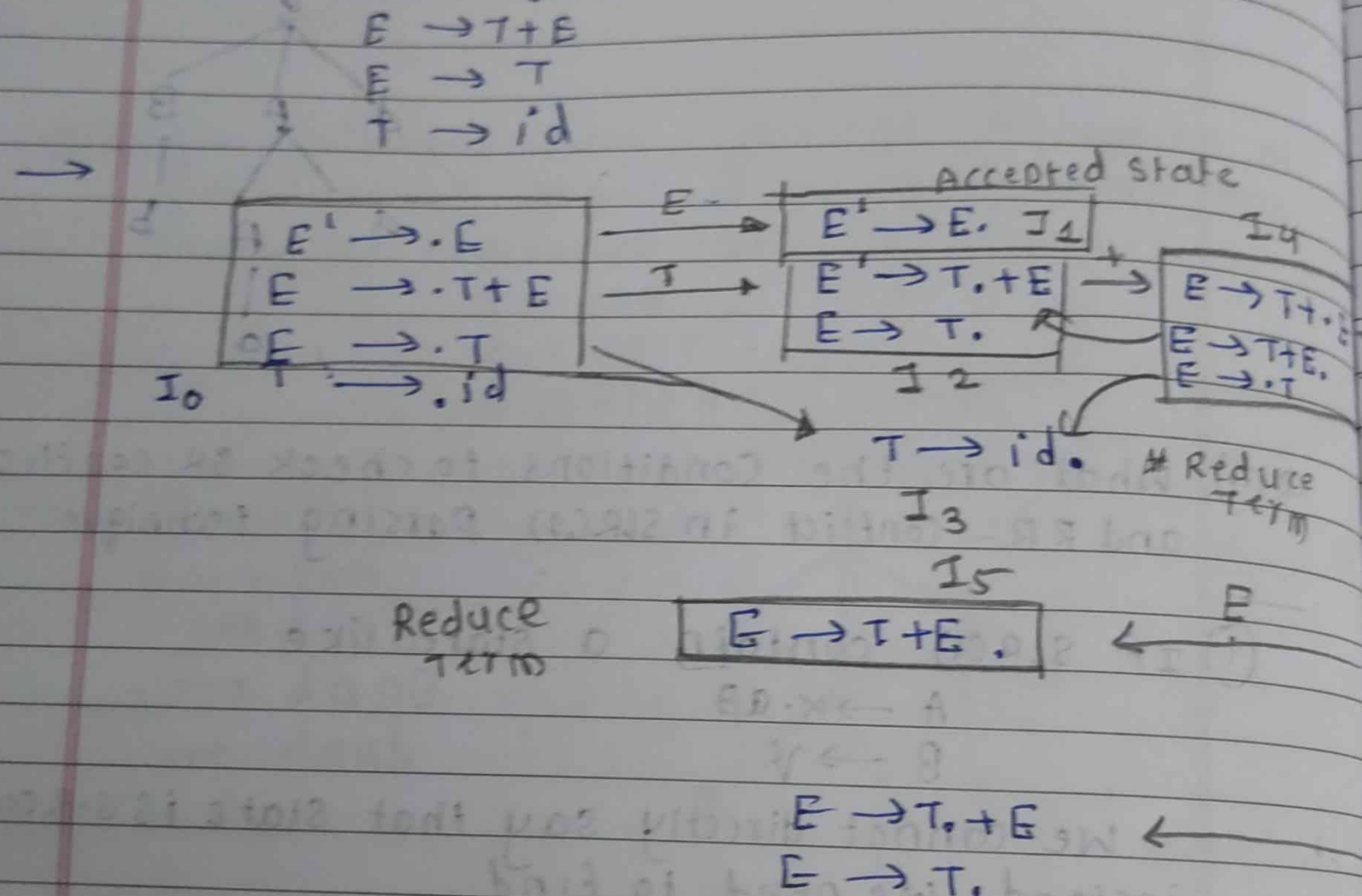
$A \rightarrow \alpha \cdot$

$B \rightarrow \gamma$

We cannot directly say that state is RR-conflict instead we need to find

Follow(A) \subseteq Follow(B)
 if Follow(A) \cap Follow(B) $\neq \emptyset$?
 then we say that state consider PR conflict
 and hence grammar is not in SLR(1)

Q15) check below grammar is in LR(0) or not



State	id + \$	E	T
0	S_0	1	2
1	Accepted		
2	Accepted		
3			
4			
5			

Q16 → Write algorithm for LR-Parsing technique.

Algorithm for LR(0)

Input: An input string 'w' and LR-Parsing table M with ACTION and GOTO function and a grammar G.

Output: If 'w' is in $L(G)$ the Reduction steps of bottom-up parse for w. otherwise an error indicator method:

initially the parser has 0 on its stack where '0' is initial state and w\$ in the input buffer

let a be the first symbol of w\$;

while(1) { /* repeat forever */

let s be the state on top of stack;

if (ACTION[s, a] = shift i) {

Push 't' onto the stack;

let a be the next input symbol;

} else if (ACTION[s, a] = reduce $A \rightarrow B$) {

POP |B| symbol of the stack;

let state 't' now be on top of stack;

push GOTO[t, A] onto the stack

} else if (ACTION[s, a] = Accept) break;

else call error-recovery technique;

}