

Test

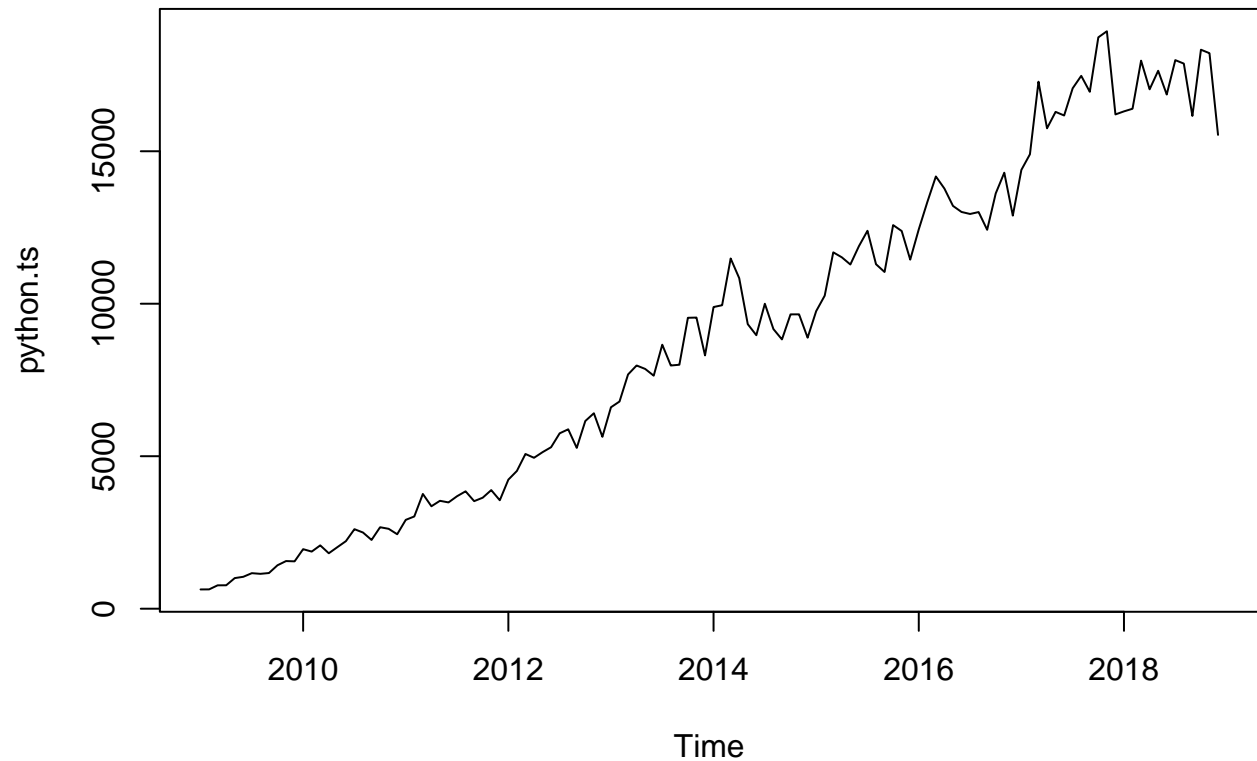
Kathy Wu

1/16/2022

```
counts = read.csv("MLTollsStackOverflow.csv")
python = counts[,5]

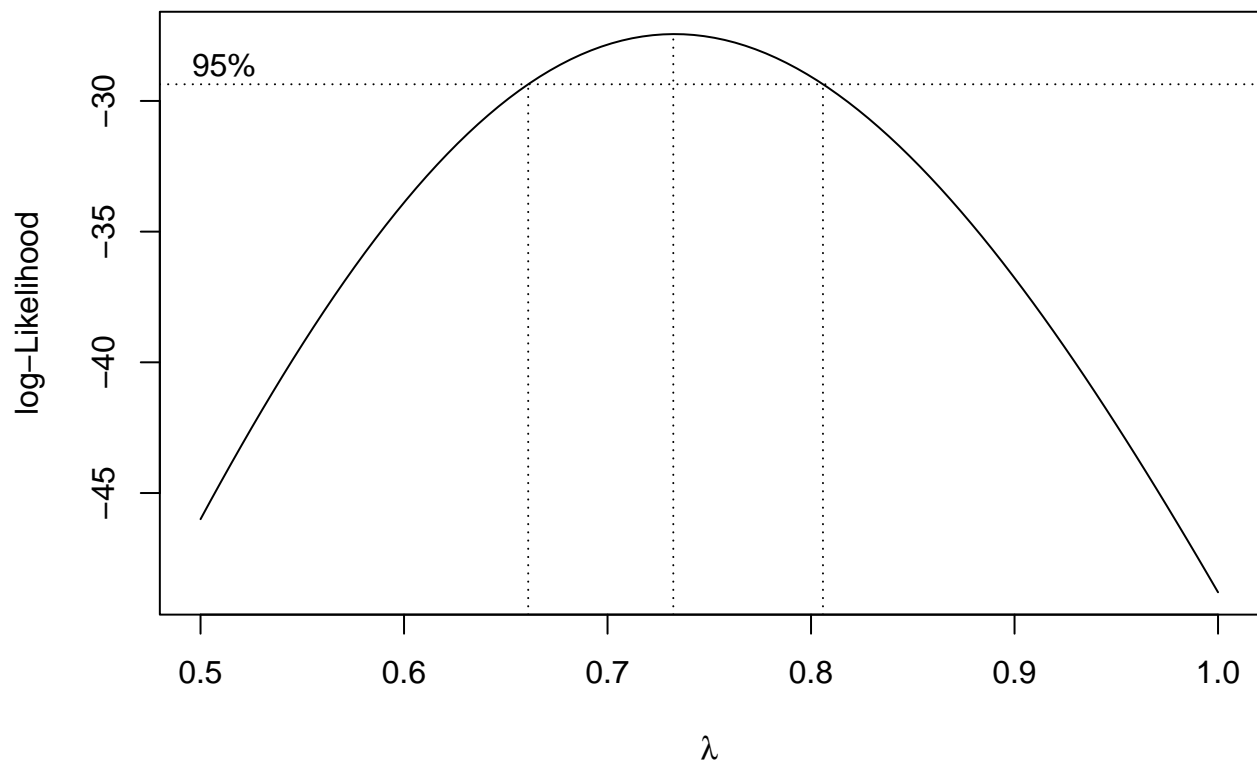
python.tr=python[1:120]
python.te=python[121:132]

python.ts = ts(python.tr, start=c(2009,1), frequency=12)
ts.plot(python.ts)
```



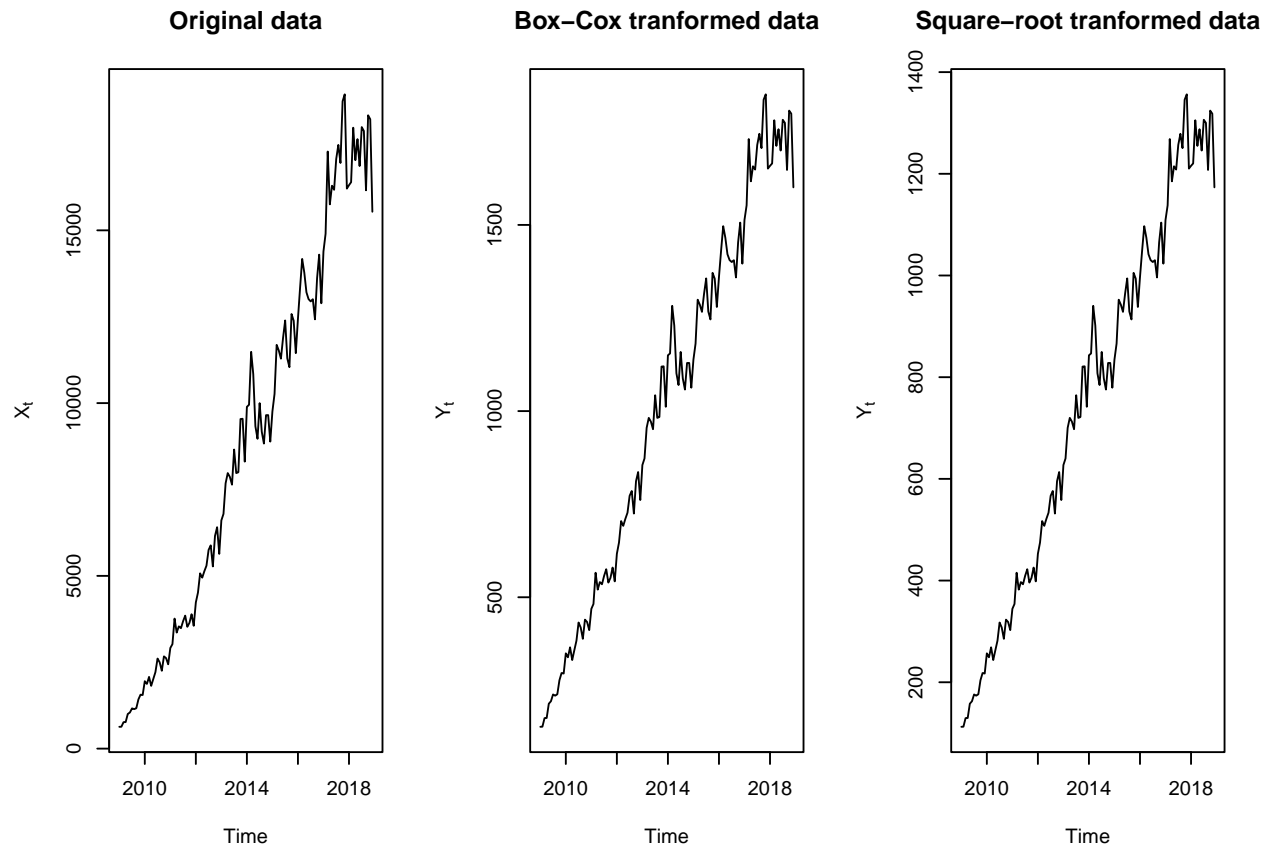
Transformation

```
library(MASS)
t = 1:length(python.ts)
fit = lm(python.ts ~ t)
bcTransform = boxcox(python.ts ~ t, plotit = TRUE, lambda = seq(0.5, 1, 0.01))
```



```
lambda = bcTransform$x[which(bcTransform$y == max(bcTransform$y))]
python.bc = (1/lambda)*(python.ts^lambda-1)
```

```
python.lam=(python.ts)^(lambda)
# compare the original and boxcox transform
op <- par(mfrow = c(1,3))
ts.plot(python.ts, main = "Original data", ylab = expression(X[t]))
ts.plot(python.bc, main = "Box-Cox tranformed data", ylab = expression(Y[t]))
ts.plot(python.lam, main = "Square-root tranformed data", ylab = expression(Y[t]))
```



```
var(python.ts)
```

```
## [1] 31122294
```

```
var(python.bc)
```

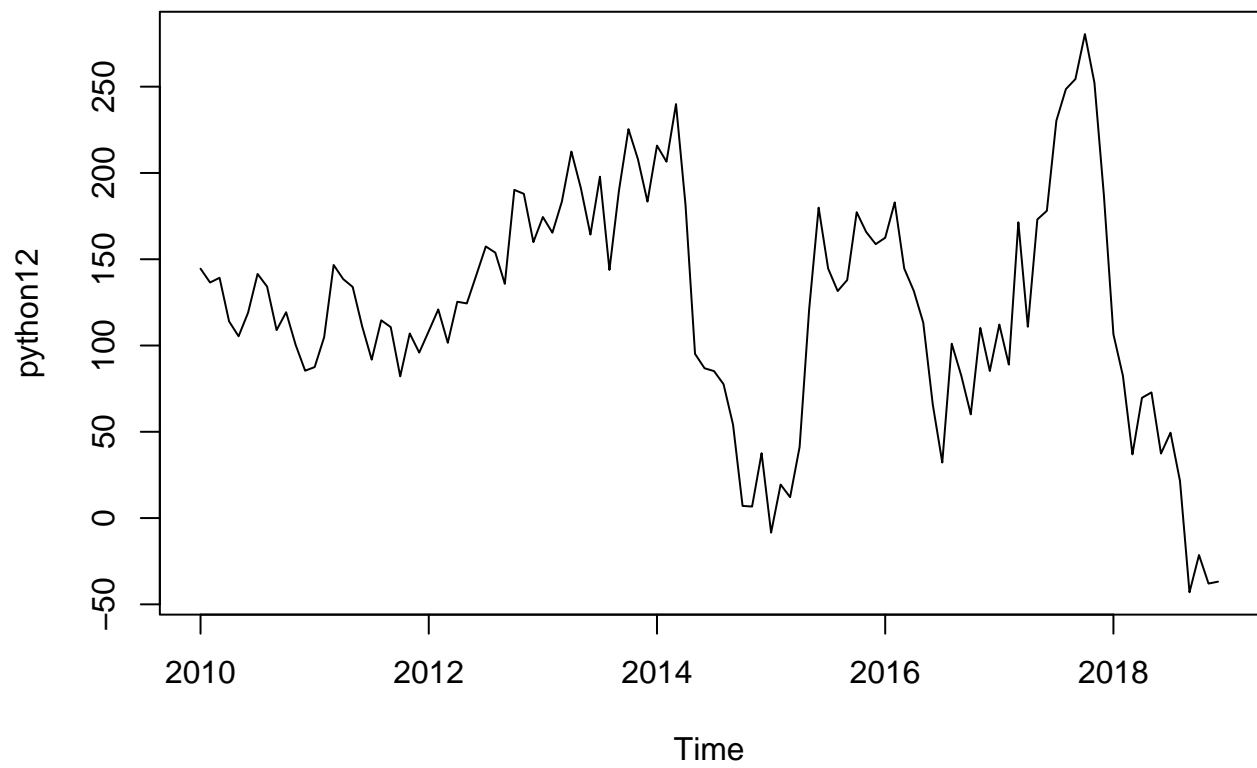
```
## [1] 259399
```

```
var(python.lam)
```

```
## [1] 139115
```

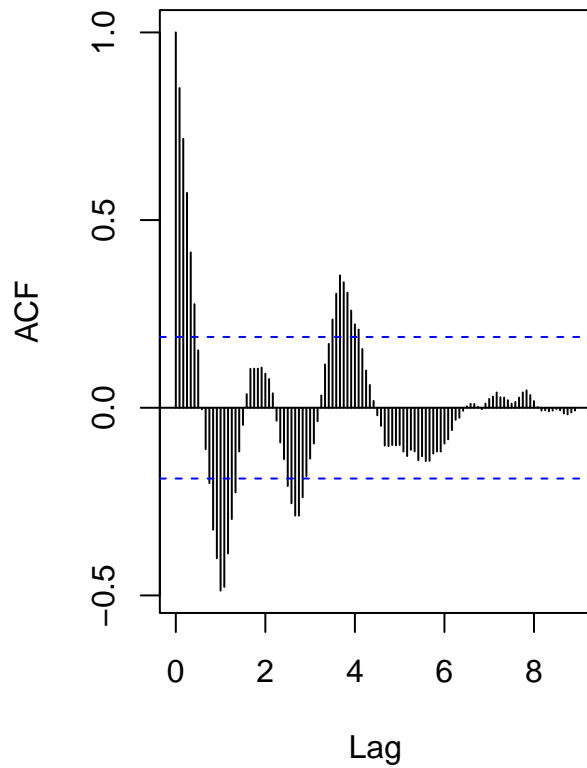
De-seasonalize first, then de-trend

```
python12=diff(python.lam, 12)
plot(python12)
```

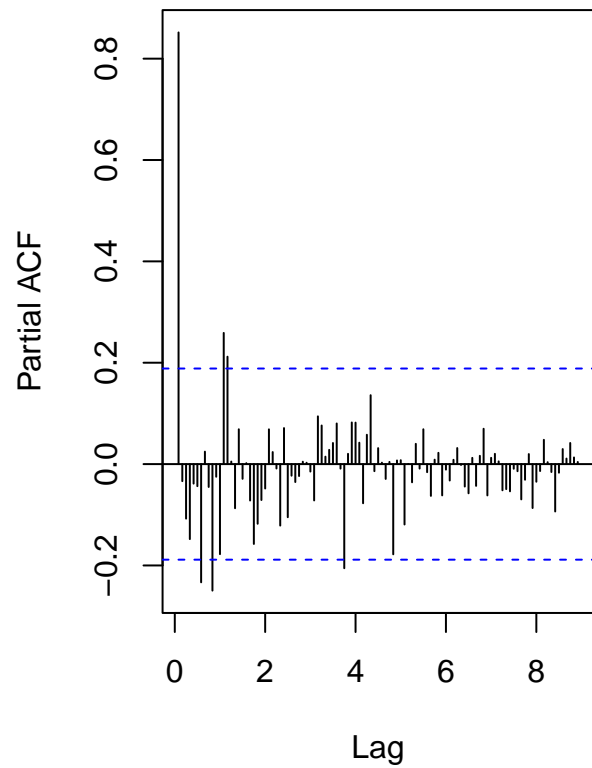


```
# plot the acf/pacf for deseasonalize dataset  
par(mfrow=c(1,2))  
acf(python12, lag.max=120)  
pacf(python12, lag.max=120)
```

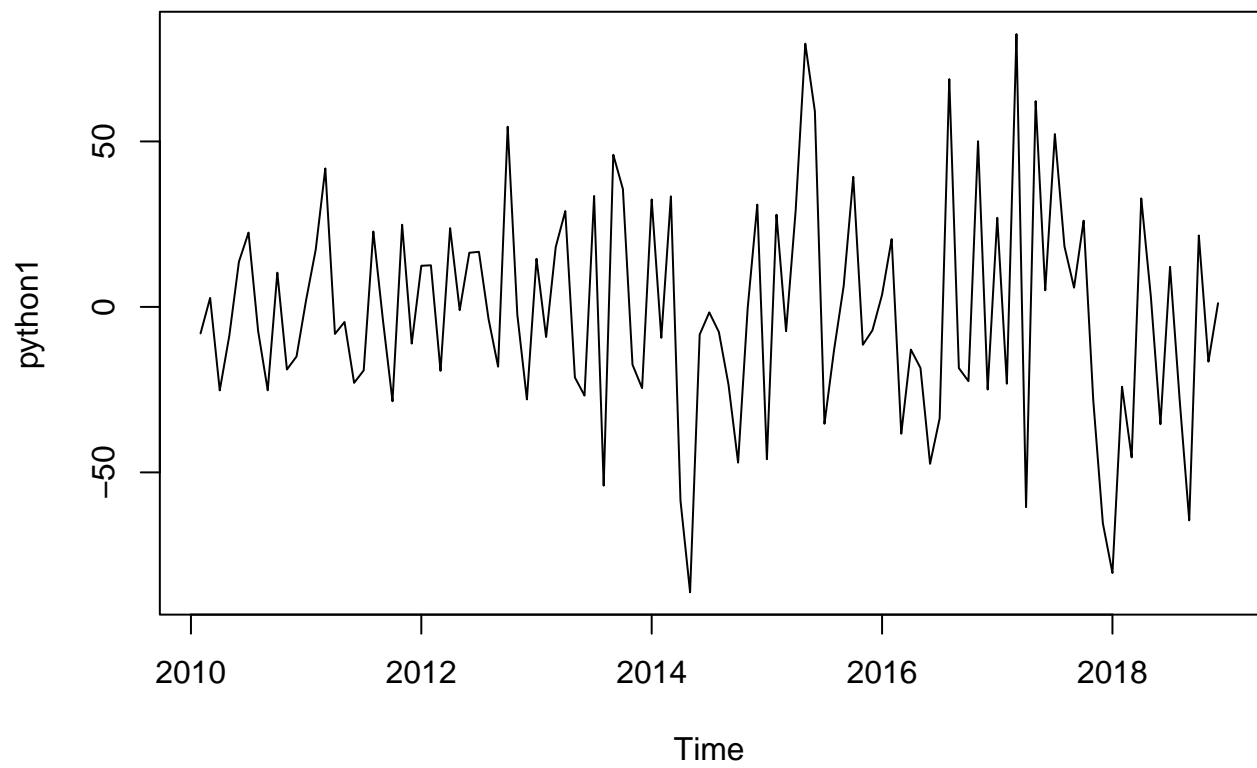
Series python12



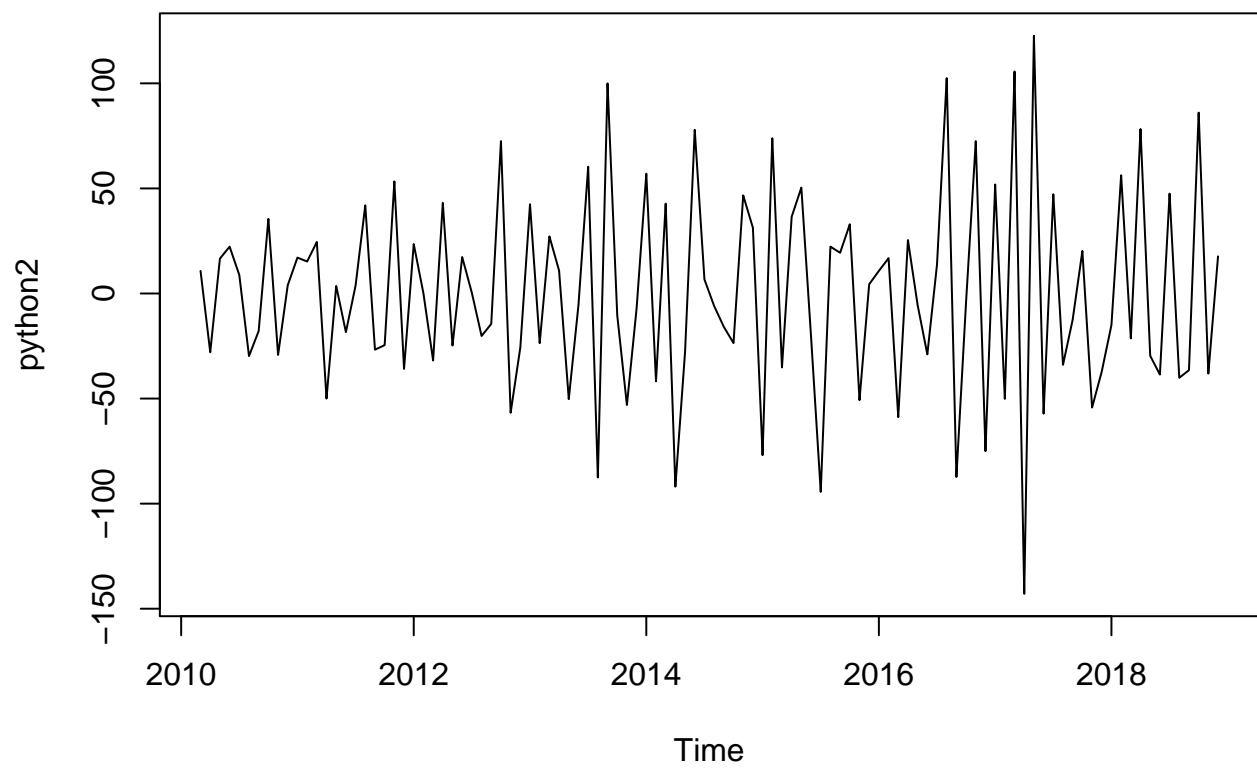
Series python12



```
# de-trend the data once  
python1 = diff(python12,1)  
plot(python1)
```



```
# de-trend the data again  
python2 = diff(python1, 1)  
plot(python2)
```



```
# Check the variance  
var(python.lam)
```

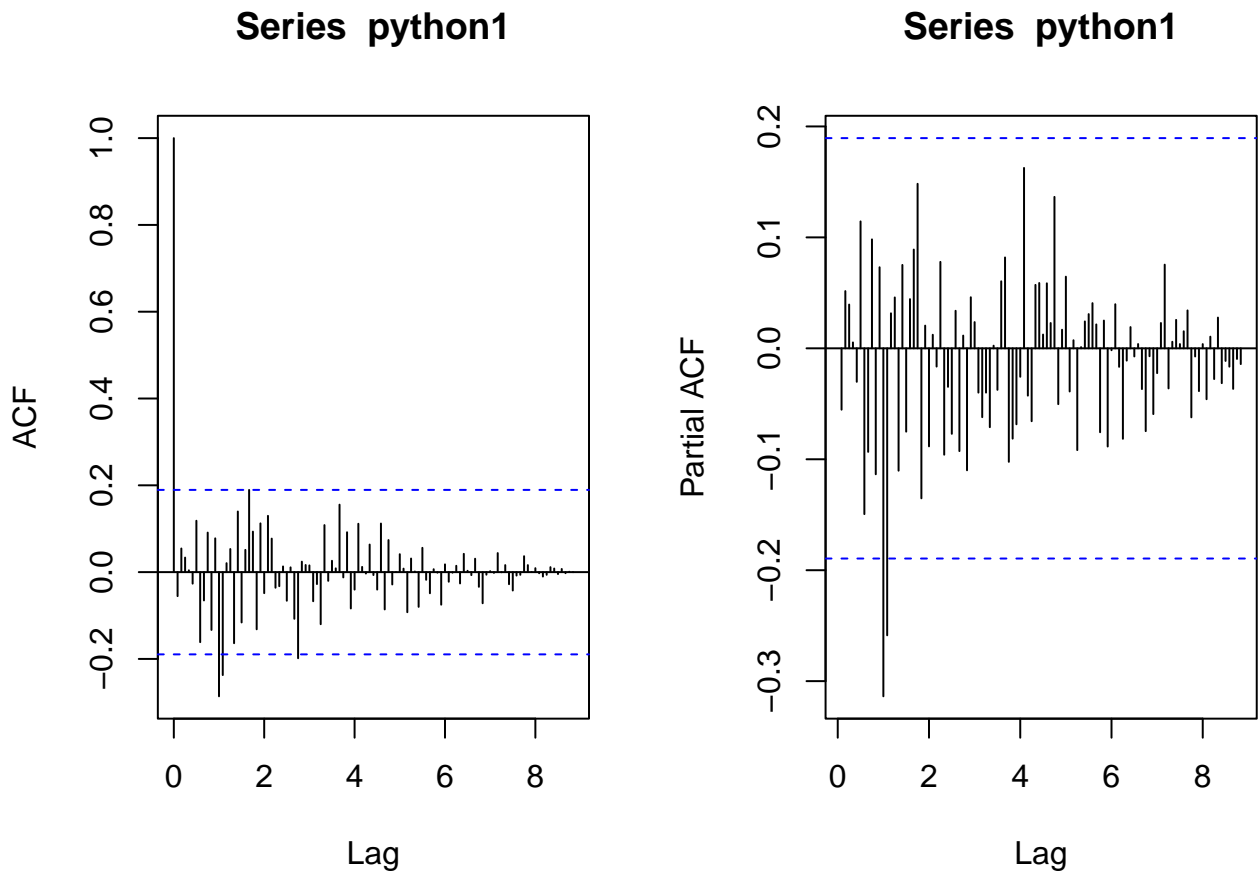
```
## [1] 139115
var(python12) # de-seasonal data

## [1] 4433
var(python1) # deseasonal first, then trend

## [1] 1081
var(python2)

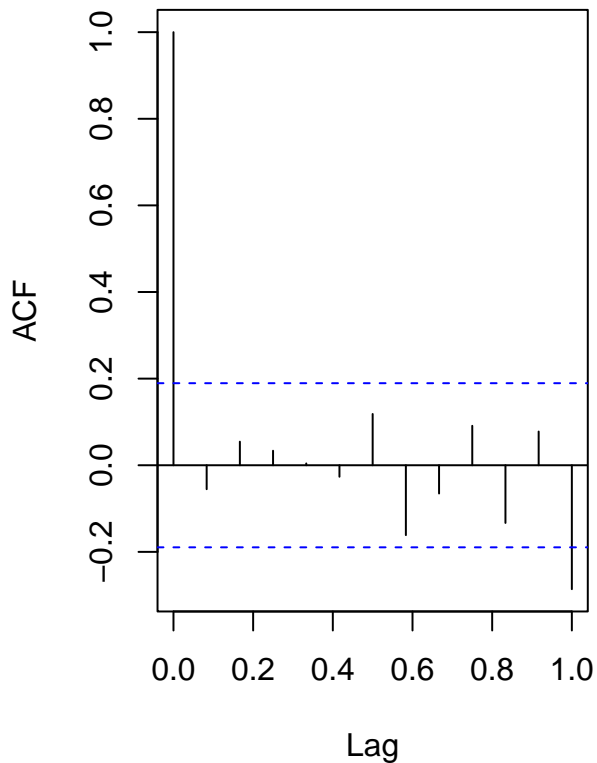
## [1] 2302
# increasing variance for second de-trend
# d=1, D=1

par(mfrow=c(1,2))
acf(python1, lag.max=120)
pacf(python1, lag.max=120)
```

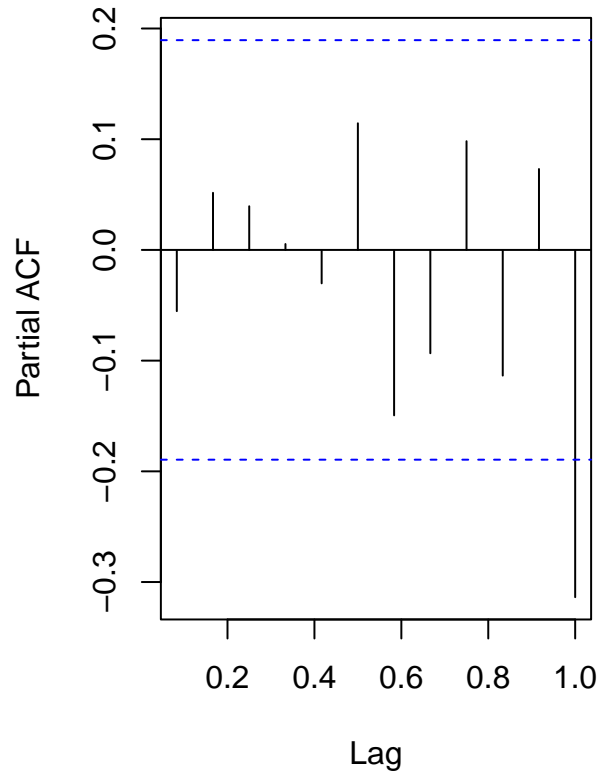


```
par(mfrow=c(1,2))
acf(python1, lag.max=12)
pacf(python1, lag.max=12)
```

Series python1



Series python1



Fit the model

```
fit.coef=arima(python1, order=c(13,1,13),
               fixed=c(rep(0,11),NA,NA,NA,NA,NA,rep(0,9),NA,NA),
               seasonal = list(order = c(0,1,0), period = 12), method="ML")
```

```
## Warning in arima(python1, order = c(13, 1, 13), fixed = c(rep(0, 11), NA, : some
## AR parameters were fixed: setting transform.pars = FALSE
```

```
fit.coef
```

```
##
## Call:
## arima(x = python1, order = c(13, 1, 13), seasonal = list(order = c(0, 1, 0),
##   period = 12), fixed = c(rep(0, 11), NA, NA, NA, NA, rep(0, 9), NA, NA),
##   method = "ML")
##
## Coefficients:
##      ar1  ar2  ar3  ar4  ar5  ar6  ar7  ar8  ar9  ar10  ar11  ar12  ar13
##      0    0    0    0    0    0    0    0    0    0    0  -0.361 -0.255
## s.e.    0    0    0    0    0    0    0    0    0    0    0   0.096  0.093
##      ma1   ma2  ma3  ma4  ma5  ma6  ma7  ma8  ma9  ma10  ma11  ma12
##     -1.200  0.234   0    0    0    0    0    0    0    0    0  -1.059
## s.e.   0.121  0.119   0    0    0    0    0    0    0    0    0   0.155
##      ma13
##      1.040
## s.e.   0.153
##
```



```
## sigma^2 estimated as 793: log likelihood = -471.5, aic = 957
```

```
# calculate the residual
```

```
res1=residuals(fit.coef)
```

```
#res2=residuals(fit2)
```

```
# plot the histogram of the residual
```

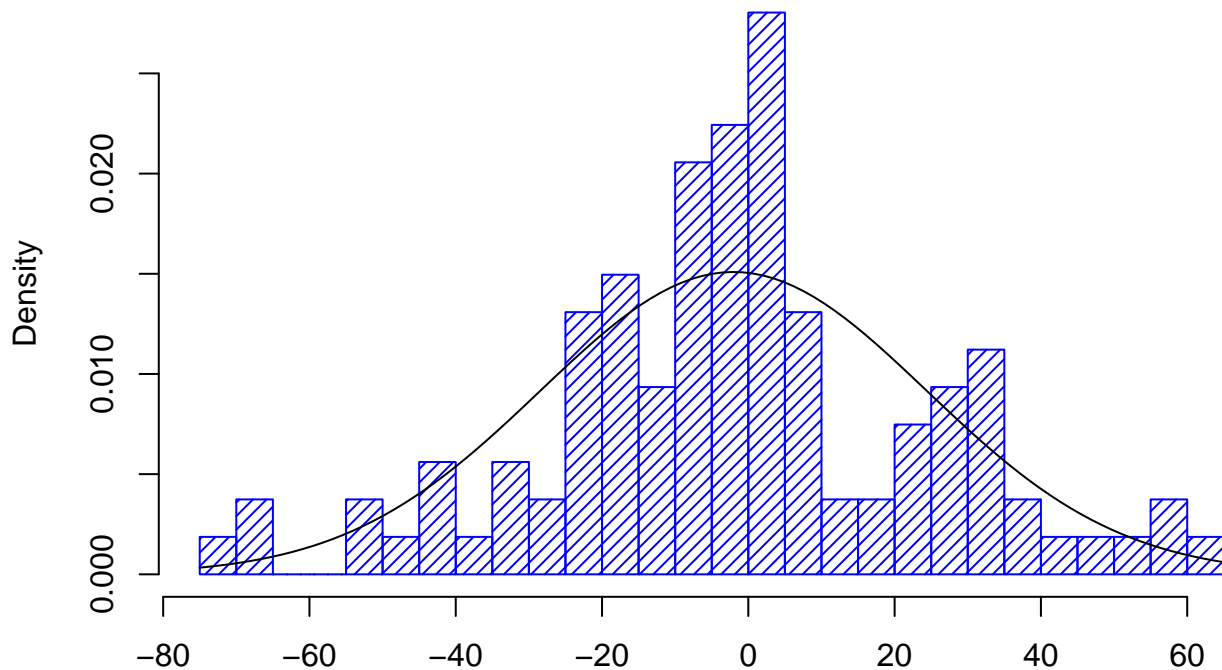
```
hist(res1,density=20,breaks=20, col="blue", xlab="", prob=TRUE)
```

```
m=mean(res1)
```

```
std=sqrt(var(res1))
```

```
curve(dnorm(x,m,std), add=TRUE)
```

Histogram of res1

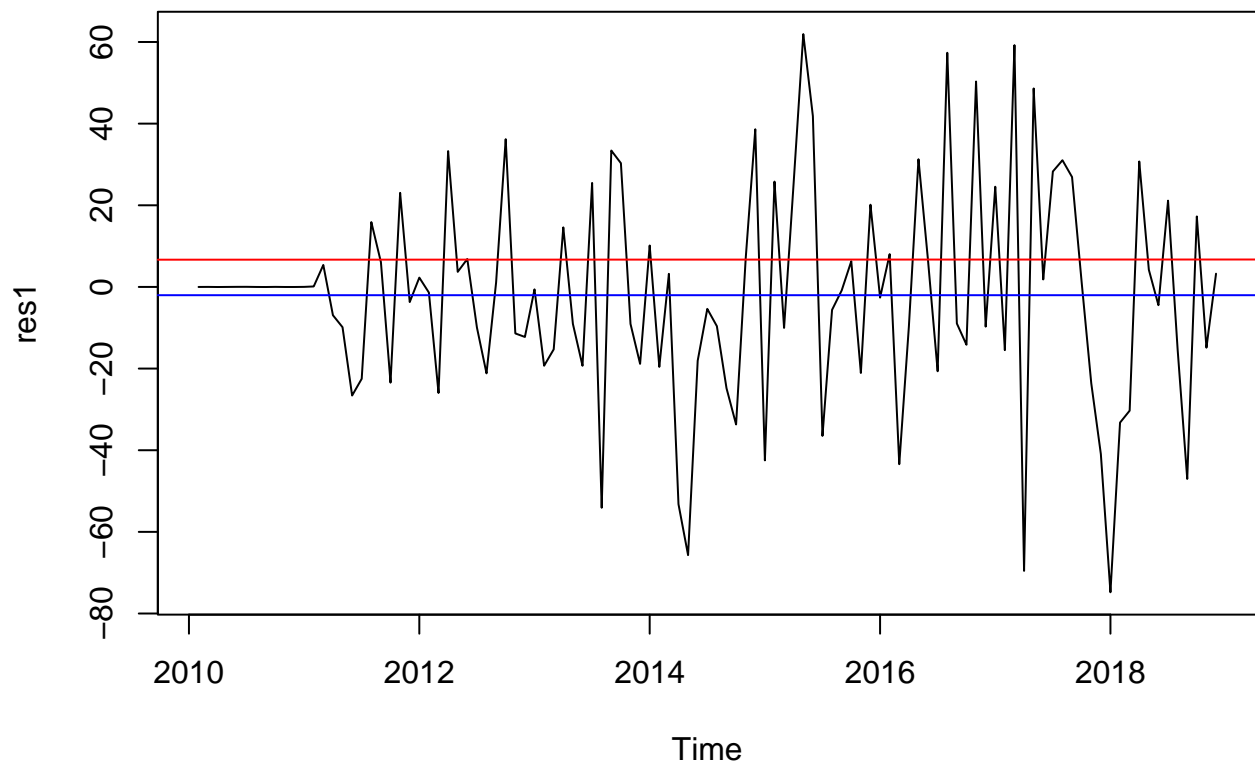


```
# check if the residual performs white noise
```

```
plot.ts(res1)
```

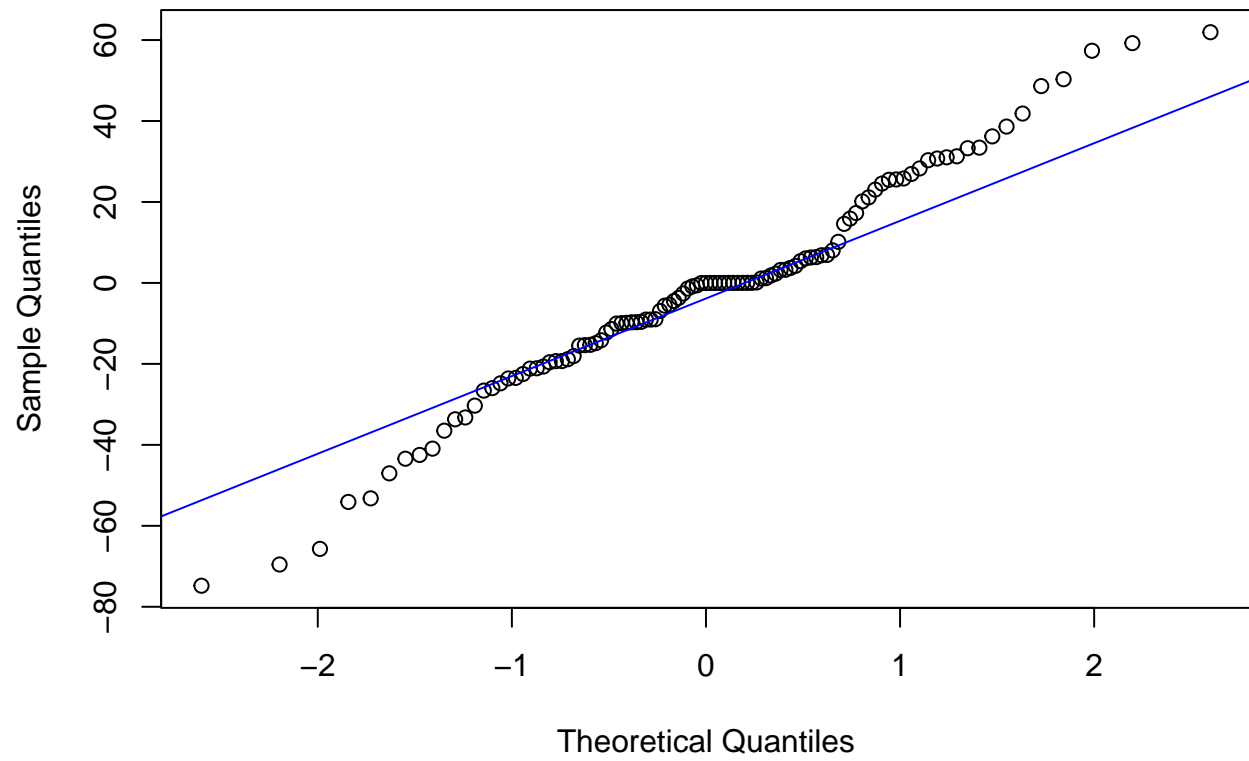
```
fitt <- lm(res1 ~ as.numeric(1:length(res1))); abline(fitt, col="red")
```

```
abline(h=mean(res1), col="blue")
```



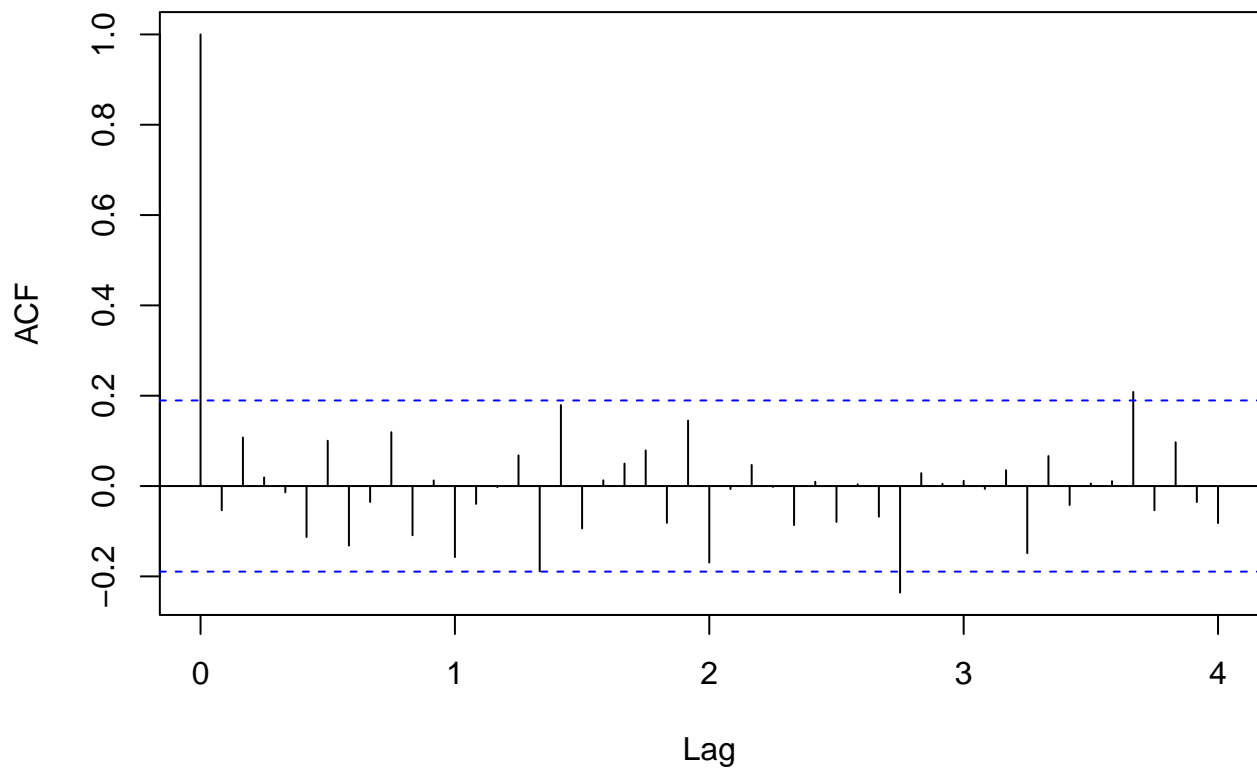
```
# Q-Q plot  
qqnorm(res1,main= "Normal Q-Q Plot for Model")  
qqline(res1,col="blue")
```

Normal Q-Q Plot for Model



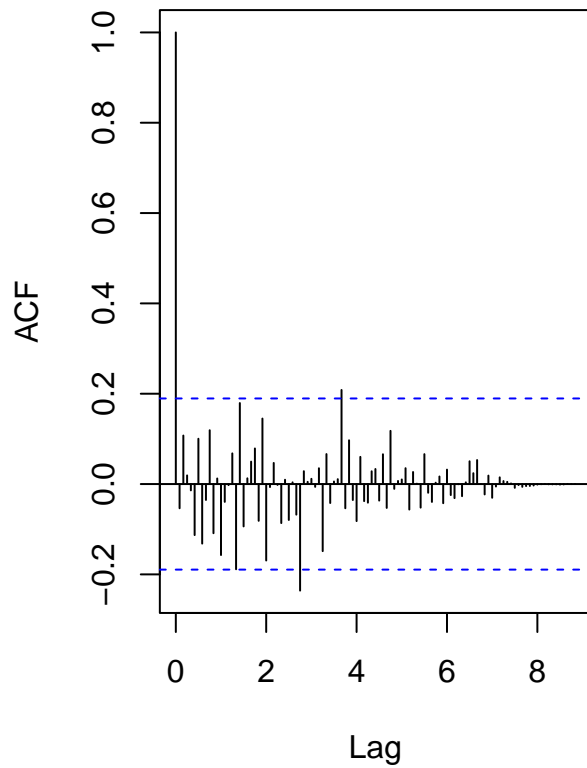
```
# plot the acf/pacf, small p and q  
#par(mfrow=c(1,2))  
acf(res1, lag.max=48)
```

Series res1

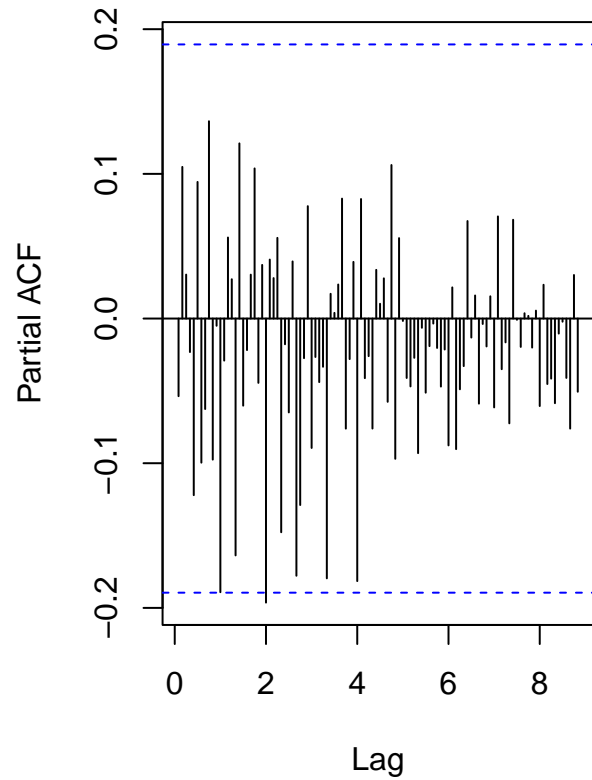


```
#pacf(res1, lag.max=24)
# plot the acf/pacf, big P and Q
par(mfrow=c(1,2))
acf(res1, lag.max=120)
pacf(res1, lag.max=120)
```

Series res1



Series res1



```
# test if residual is normally distributed
shapiro.test(res1)
```

```
##
##  Shapiro-Wilk normality test
##
## data:  res1
## W = 0.98, p-value = 0.09
```

```
# Box test
# lag= sqrt(number of observations)
Box.test(res1, lag = 11, type = c("Box-Pierce"), fitdf = 6)
```

```
##
##  Box-Pierce test
##
## data:  res1
## X-squared = 8.8, df = 5, p-value = 0.1
```

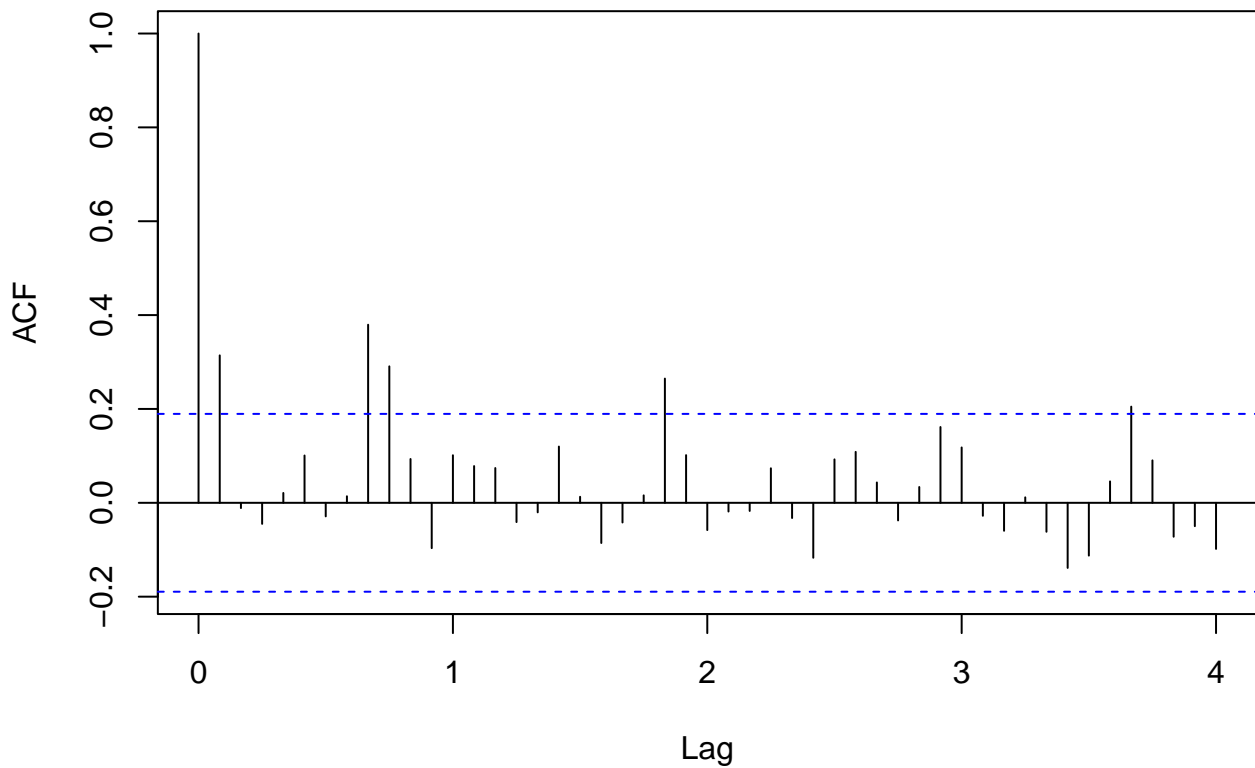
```
Box.test(res1, lag = 11, type = c("Ljung-Box"), fitdf = 6)
```

```
##
##  Box-Ljung test
##
## data:  res1
## X-squared = 9.6, df = 5, p-value = 0.09
```

```
Box.test(res1^2, lag = 11, type = c("Ljung-Box"), fitdf = 0)
```

```
##  
## Box-Ljung test  
##  
## data: res1^2  
## X-squared = 42, df = 11, p-value = 2e-05  
acf(res1^2, lag.max=48)
```

Series res1^2



```
#pacf(res1^2, lag.max =48)  
ar(res1, aic = TRUE, order.max = NULL, method = c("yule-walker"))
```

```
##  
## Call:  
## ar(x = res1, aic = TRUE, order.max = NULL, method = c("yule-walker"))  
##  
##  
## Order selected 0 sigma^2 estimated as 699  
Forecast
```