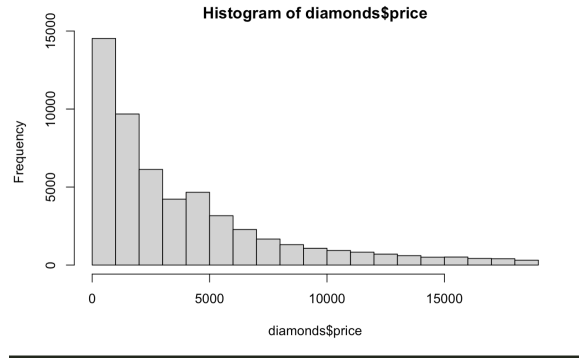


In-Class Assignment 13

1. For the price field in the diamonds dataset
 - a. First plot a histogram of the data. Does it look approximately exponential?

Yes!



hist(diamonds\$price)

- b. Adapt the LL optimization code to find the maximum likelihood estimate for an exponential distribution for the price data.
 - i.

```
f <- function (lamb)
length(diamonds$price)*log(lamb)-1*lamb*sum(diamonds$price)
```
 - ii.

```
optimize(f,c(0,3),maximum=TRUE)
```

 1. \$maximum
 2. [1] 0.000239011
 3. \$objective
 4. [1] -500508.4
 2. A sample consists of {0.1, 0.2, 0.5, 0.7, 0.8, 0.9, 0.95}. It is thought to fit a probability distribution of the form $p(x) = (\alpha+1)x^\alpha$, for $0 \leq x \leq 1$. Find the maximum likelihood estimate for the parameter α .
 - a.

```
samp <- c(0.1, 0.2, 0.5, 0.7, 0.8, 0.9, 0.95)
```
 - b.
 - c.

```
product <- prod(samp)
```
 - d.

```
summed <- sum(samp)
```
 - e.

- f. `LL <- function(x) log(product) + length(diamonds$z) * log(x) - summed*x`
 - g. `optimize(LL, c(0, 4), maximum = TRUE)`
 - i. `$maximum`
 - ii. `[1] 3.99994`
 - iii.
 - iv. `$objective`
 - v. `[1] 74753.96`
3. From diamonds dataset take the field z. Adopt the code to find the MLE's for the parameters of the normal distribution.
- a. `glimpse(diamonds$z)`
 - b. `product <- prod(diamonds$z)`
 - c. `summed <- sum(diamonds$z)`
 - d. `LL <- function(x) log(product) + length(diamonds$z) * log(x) - summed*x`
 - e. `optimize(LL, c(0, 4), maximum = TRUE)`
 - i. `$maximum`
 - ii. `[1] 3.99994`
 - iii.
 - iv. `$objective`
 - v. `[1] -Inf`