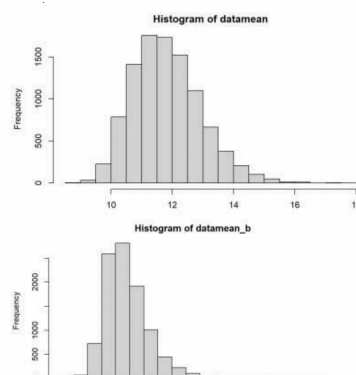


## STT 380

### In-Class Assignment 17

For this problem we will be looking at the data in the hypodata.csv file.

1. Read the data into R.
  - a. `hypodata <- read.csv('hypodata.csv')`
  - b. `glimpse(hypodata)`
2. Find the mean, standard deviation, and standard error.
  - a. `mean(hypodata$x) = 11.81398`
  - b. `sd(hypodata$x) = [1] 35.31754`
  - c. `sd(hypodata$x)/sqrt(length(hypodata$x)) = 1.116839`
3. Assuming the data is normal, build a 99% (2-sided) confidence interval with the t distribution
  - a. `mn + se*qt(c(0.005,0.995), length(data) - 1) = 8.931688 - 14.696273`
4. Next, use standard bootstrapping to build the 99% confidence interval.
  - a. `datamean <- rep(0,10000)`
  - b. `datasd <- rep(0,10000)`
  - c. `for(i in 1:10000){ datasamp <- sample(data, length(data), replace = TRUE)`
    - i. `datamean[i] <- mean(datasamp)`
    - ii. `datasd[i] <- sd(datasamp)`
    - iii.
    - iv. `quantile(datamean, c(0.005, 0.995)) = 9.546193 - 15.209124`
5. Use the Bayesian bootstrapping to build the 99% confidence interval.
  - a. `library(DirichletReg) weight <- rep(0,length(data)) datamean <- rep(0,10000) datasd <- rep(0,10000) for(i in 1:10000){ weight <- rdirichlet(1, rep(1,length(data))) datasamp <- sample(data, length(data),prob = weight, replace = TRUE) datamean[i] <- mean(datasamp) datasd[i] <- sd(datasamp) quantile(datamean, c(0.005, 0.995)) = 8.932163 - 17.995259`
6. Plot a histogram of the simulations in (4) and (5). Does it look like the simulated means fit a normal distribution?
  - a. No it does not
  - b. `hist(mpgmean_norm, breaks=30)`
  - c. `hist(mpgmean_b, breaks=30)`



7. How do the 3 confidence intervals compare?
  - a. They are all different. The first is the smallest. The bayesian is similar but with a larger interval.
8. Next, use both standard and Bayesian bootstrapping to build a 99% CI for the standard deviation. Plot a histogram of each. Is the graph symmetric or skewed?
  - a. The graph is skewed
  - b. `quantile(mpgmean_b, c(0.005, 0.995)) =`
  - c. `quantile(mpgmean_norm, c(0.005, 0.995))`
  - d.

