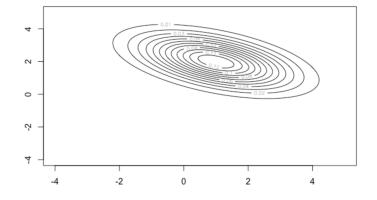
## **In-Class Assignment 9**

- 1. Open the pizza dataset.
  - a. Calculate the covariance and correlation between moisture and cal using cov and cor
    - i. cor(pizza\$mois, pizza\$cal) = 0.7644405
    - ii. cov(pizza\$mois, pizza\$cal) = -4.527918
  - b. Verify the cov value by calculating E(XY) E(X)E(Y) (will not be exact)
    - i. mean(pizza\$mois\*pizza\$cal) (mean(pizza\$mois)\*mean(pizza\$cal))
    - ii. [1] -4.512825
  - c. Verify the cor value by diving the covariance by the product of standard deviations
    - i. cov(pizza\$mois, pizza\$cal)/(sd(pizza\$cal)\* sd(pizza\$mois))
    - ii. -0.7644405
  - d. Examine the entire correlation matrix. Which variable has the strongest correlation with cal?
    - i. cor(pizza\$cal, pizza\$mois) = -0.7644405
    - ii. cor(pizza\$cal, pizza\$prot) = 0.0702581
    - iii. cor(pizza\$cal, pizza\$fat) = 0.7645671
    - iv. cor(pizza\$cal, pizza\$ash) = 0.3264685
    - v. cor(pizza\$cal, pizza\$sodium) = 0.6719575
    - vi. cor(pizza\$cal, pizza\$carb) = -0.02348458
    - vii. calorie and fat have the strongest correlation.
- 2. For a multivariate normal definition, define the mean value to be (1, 2), with Var(X) = 2, Var(Y) = 1, and the Corr(X, Y) = -0.5.
  - a. Create a contour plot for this distribution.



- b. Create 1,000 simulations of the distribution and create a scatterplot for those simulations.
  - i. library(MASS)
  - ii. plot(mvrnorm(1000, mu = c(0,0), Sigma))

