## **In-Class Assignment 14**

For this problem, we will use the mtcars dataset.

- 1. Examine the gsec field in the dataset. Calculate its mean and standard deviation.
  - 1. mean(mtcars\$qsec)
  - 2. sd(mtcars\$qsec)
  - 3. [1] 17.84875
  - 4. [1] 1.786943
- 2. What is the standard error?

```
sd(mtcars$qsec)/sqrt(length(mtcars$qsec)) = 0.3158899
```

- 3. Construct a 95% confidence interval for the mean of the qsec field. Then, construct a 99% 1-sided confidence interval (lower limit). What would the result be for the 99% confidence interval if you used a normal distribution in place of the t-distribution?
  - LCL <- mean(mtcars\$qsec) + sd(mtcars\$qsec)/sqrt(length(mtcars\$qsec)) \*qt(0.025, mean(mtcars\$qsec) - 1)
  - UCL <- mean(mtcars\$qsec) + sd(mtcars\$qsec)/sqrt(length(mtcars\$qsec)) \*qt(0.975, mean(mtcars\$qsec) - 1)
  - UCL
  - LCL
  - [1] 18.51568
  - [1] 17.18182
  - mean(mtcars\$qsec) + sd(mtcars\$qsec)/sqrt(length(mtcars\$qsec)) \* qt(0.01,mean(mtcars\$qsec)
    -1)
  - 17.03713
  - qnorm(0.01, mean(mtcars\$qsec), sd(mtcars\$qsec)/sqrt(length(mtcars\$qsec)))
  - 17.11388
- 4. Construct 95% lower- and upper-confidence intervals (1-sided).

```
LCL \leftarrow mean(mtcars\$qsec) + sd(mtcars\$qsec)/sqrt(length(mtcars\$qsec)) *qt(0.025, mean(mtcars\$qsec) - 1)
```

```
\label{eq:UCL} UCL <- mean(mtcars\$qsec) + sd(mtcars\$qsec)/sqrt(length(mtcars\$qsec)) *qt(0.975, mean(mtcars\$qsec) - 1)
```

UCL

LCL

- [1] 18.51568
- [1] 17.18182
- 5. How large would the sample size have to be if a 99% confidence interval were to be 0.2 seconds wide?

it would be the size of the population which in this case is equal to 32.