

三次元関数グラフ

メビウスの帯

関数 $\cos([s])*(3+[t]*\cos([s]/2));\sin([s])*(3+[t]*\cos([s]/2));[t]*\sin([s]/2)$

種別 $x = f(s,t), y = g(s,t), z = h(s,t)$

$x = \cos(s) * (3 + t * \cos(s / 2))$

$y = \sin(s) * (3 + t * \cos(s / 2))$

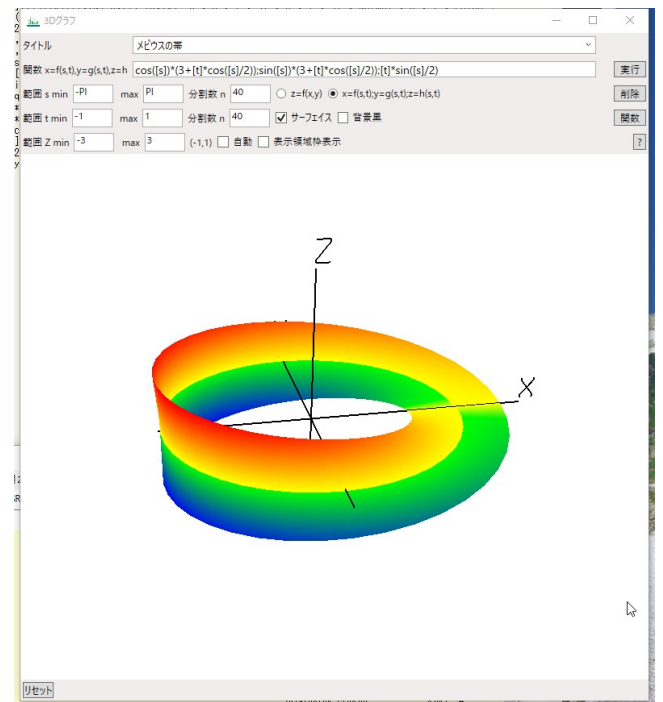
$z = t * \sin(s / 2)$

範囲

$s = -\pi \sim \pi$

$t = -1 \sim 1$

$z = -3 \sim 3$



球面

関数 $\cos([s])*\cos([t]);\cos([s])*\sin([t]);\sin([s])$

種別 $x = f(s,t), y = g(s,t), z = h(s,t)$

$x = \cos(s) * \cos(t)$

$y = \cos(s) * \sin(t)$

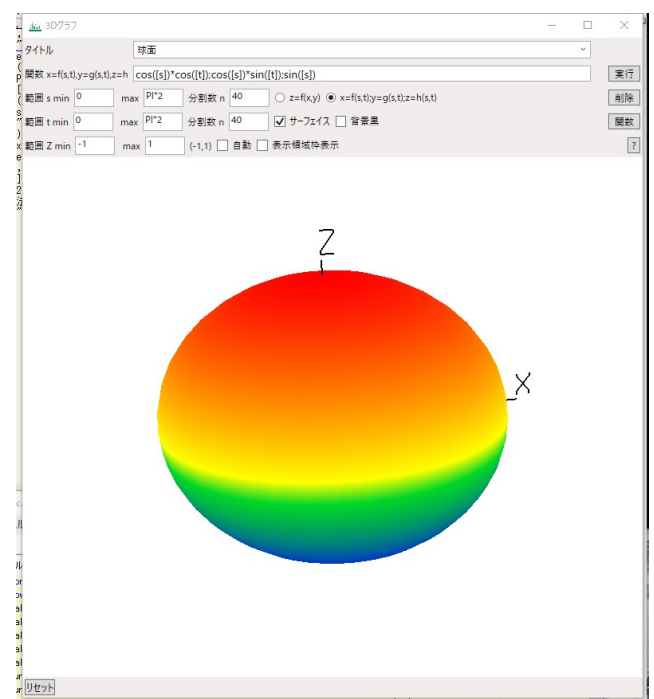
$z = \sin(s)$

範囲

$s = 0 \sim 2\pi$

$t = 0 \sim 2\pi$

$z = -1 \sim 1$



メキシカンハット

関数 $\sin(\sqrt{[x]^2+[y]^2})/\sqrt{[x]^2+[y]^2}$

種別 $z = f(x,y)$

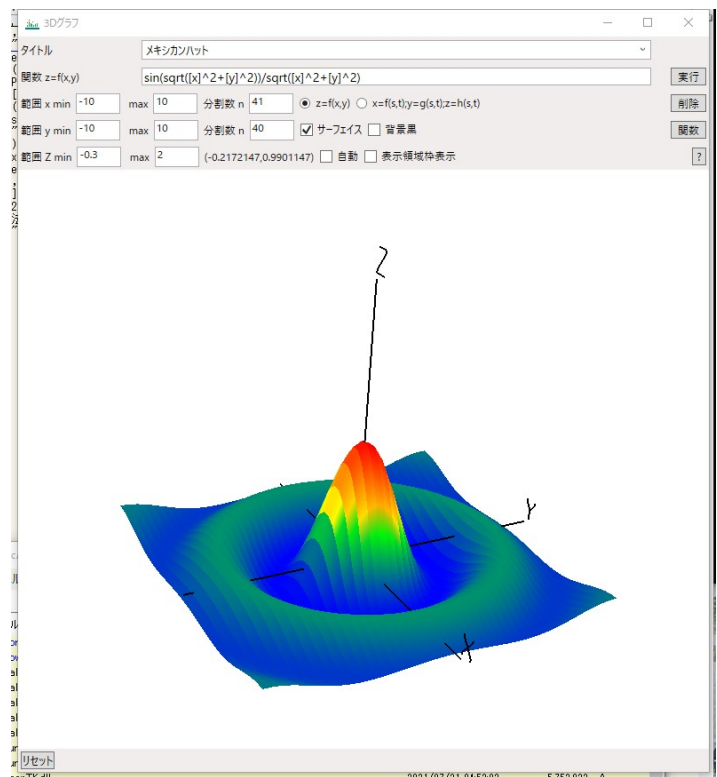
$$z = \sin(\sqrt{x^2 + y^2}) / \sqrt{x^2 + y^2}$$

範囲

$$x = -10 \sim 10$$

$$y = -10 \sim 10$$

$$z = -0.3 \sim 2$$



メキシカンハット 2

関数 $[a] * \cos(\pi/100 * \sqrt{[x]^2+[y]^2}) + [b] * \sin(\pi/25 * \sqrt{[x]^2+[y]^2}); [a]=10; [b]=5$

種別 $z = f(x,y)$

$$z = a * \cos(\pi / 100 * \sqrt{x^2 + y^2}) + b * \sin(\pi / 25 * \sqrt{x^2 + y^2})$$

$$a = 10$$

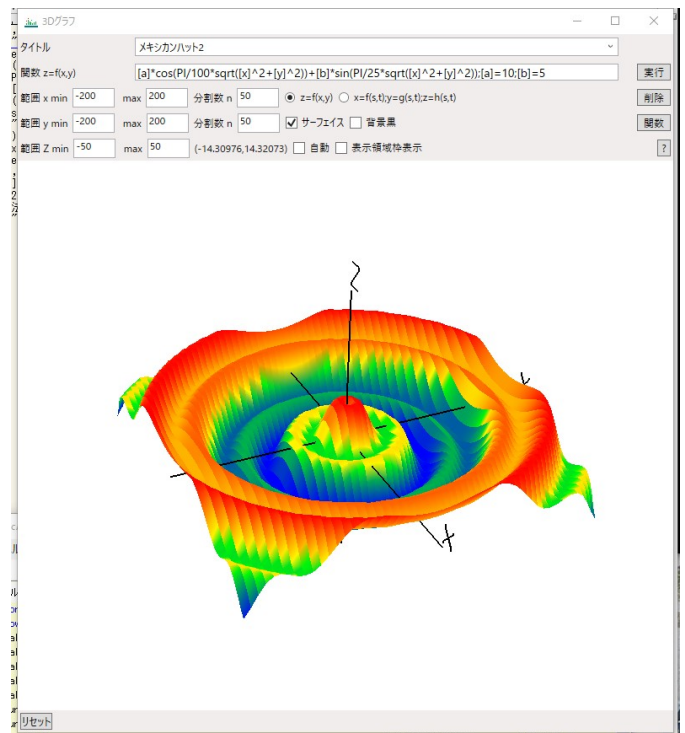
$$b = 5$$

範囲

$$x = -200 \sim 200$$

$$y = -200 \sim 200$$

$$z = -50 \sim 50$$



トーラス

関数 $\cos([s])*(3+\cos([t]));\sin([s])*(3+\cos([t]));\sin([t])$

種別 $x = f(s,t), y = g(s,t), z = h(s,t)$

$$x = \cos(s) * (3 + \cos(t))$$

$$y = \sin(s) * (3 + \cos(t))$$

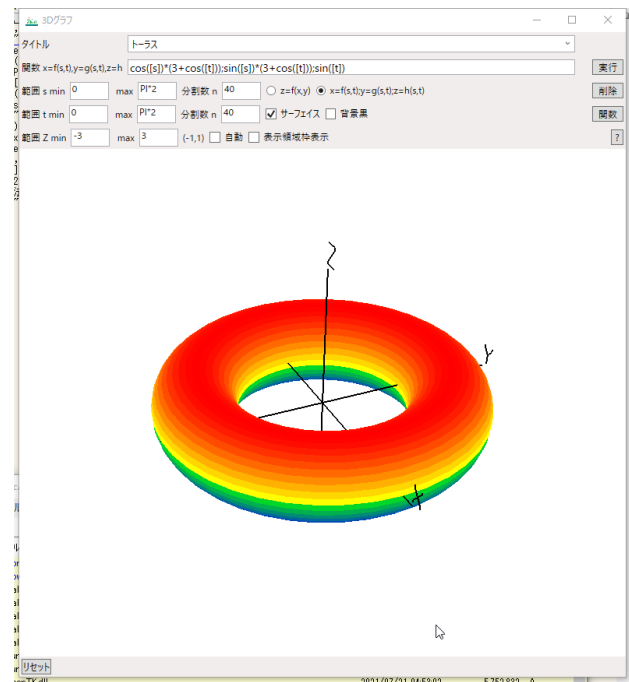
$$z = \sin(t)$$

範囲

$$s = 0 \sim 2\pi$$

$$t = 0 \sim 2\pi$$

$$z = -3 \sim 3$$



カルデラ

関数 $\exp(-([x]^2+[y]^2)/2)*\sqrt{[x]^2+[y]^2}/(2*PI)$

種別 $z = f(x,y)$

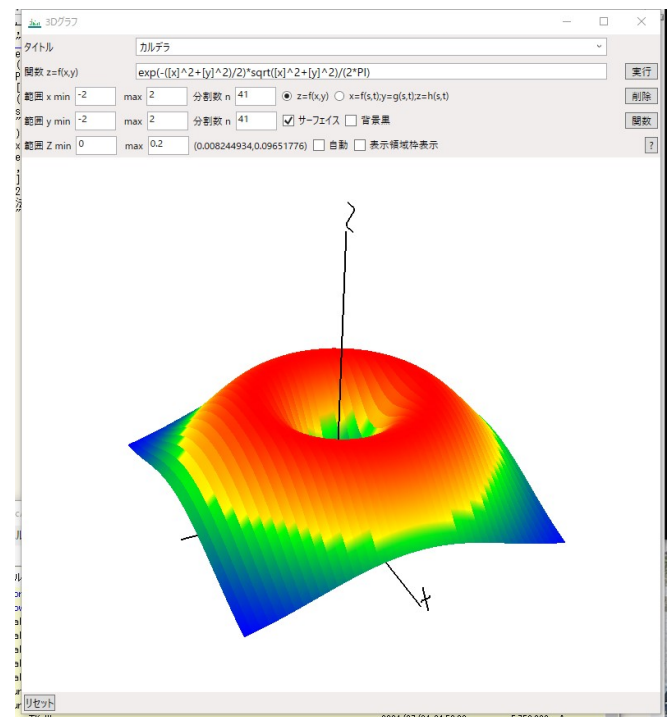
$$z = \exp(-(x^2 + y^2) / 2) * \sqrt{x^2 + y^2} / (2\pi)$$

範囲

$$x = -2 \sim 2$$

$$y = -2 \sim 2$$

$$z = 0 \sim 0.2$$



ばね型

関数 $(5+\cos([s]))*\cos([t]);(5+\cos([s]))*\sin([t]);\sin([s])+0.6*[t]$

種別 $x = f(s,t), y = g(s,t), z = h(s,t)$

$$x = (5 + \cos(s)) * \cos(t)$$

$$y = (5 + \cos(s)) * \sin(t)$$

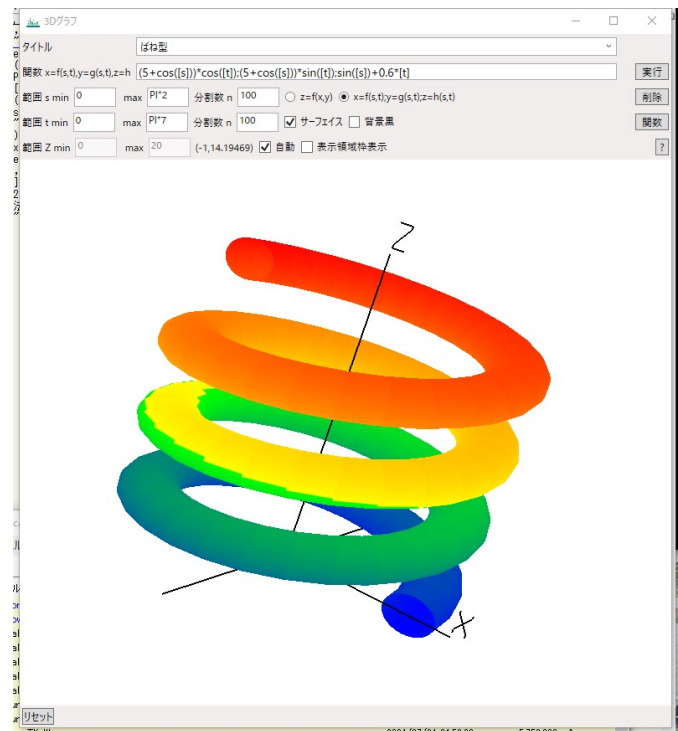
$$z = \sin(s) + 0.6 * t$$

範囲

$$s = 0 \sim 2\pi$$

$$t = 0 \sim 7\pi$$

$$z = 0 \sim 20$$



ラクランジュの緩和法

関数 $((x)^2+[y]^2)/2;-[x]-[y]+2;[x]-[y]+2$

種別 $z = f(x,y)$

$$z = (x^2 + y^2) / 2$$

$$z = -x - y + 2$$

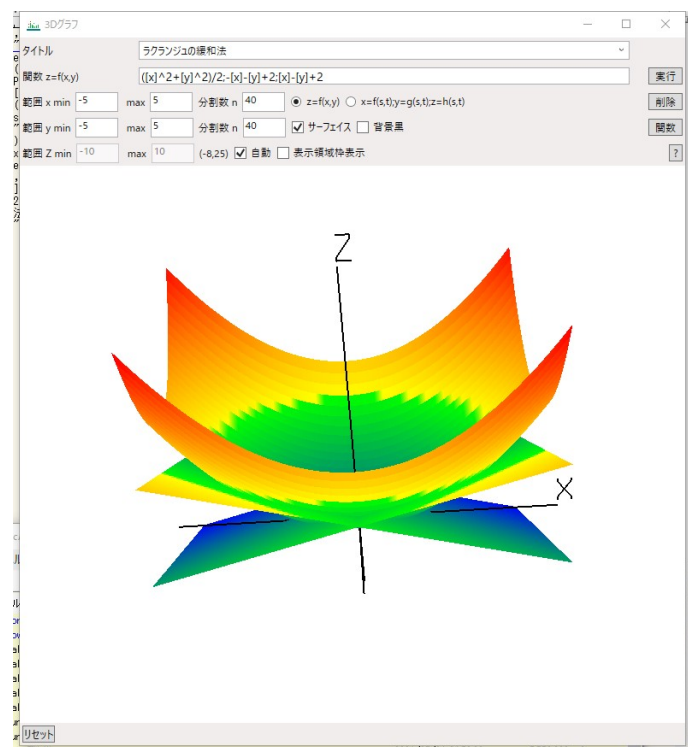
$$z = x - y + 2$$

範囲

$$x = -5 \sim 5$$

$$y = -5 \sim 5$$

$$z = \text{auto}$$



少し陥没した鞍型

関数 $3 \cdot \exp(-([x]^2 + [y]^2)) \cdot (2 \cdot [x]^2 + [y]^2)$

種別 $x = f(s,t)$, $y = g(s,t)$, $z = h(s,t)$

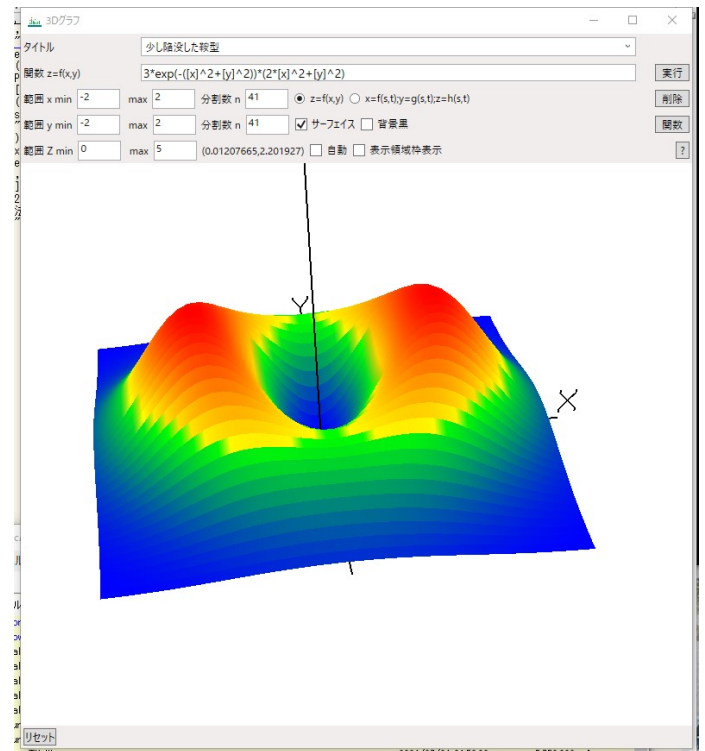
$$z = 3 \cdot \exp(-(x^2 + y^2)) \cdot (2 \cdot x^2 + y^2)$$

範囲

$$x = -2 \sim 2$$

$$y = -2 \sim 2$$

$$z = 0 \sim 5$$



ジグモイド

関数 $1/(1+\exp(-[u])); [u]=5 \cdot [x]+10 \cdot [y]-10$

種別 $z = f(x,y)$

$$z = 1 / (1 + \exp(-u))$$

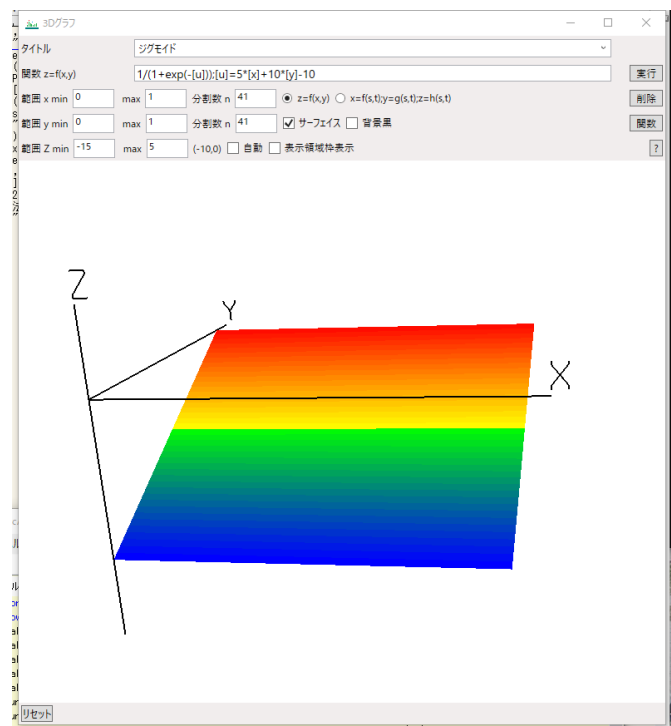
$$u = 5 \cdot x + 10 \cdot y - 10$$

範囲

$$x = 0 \sim 1$$

$$y = 0 \sim 1$$

$$z = -15 \sim 5$$



ニューロン

関数 $1/(1+\exp(-([u]*[x]+[v]*[y]+[w])))$;[u]=5;[v]=10;[w]=-5

種別 $z = f(x,y)$

$$z = 1 / (1 + \exp(-(u * x + v * y + w)))$$

$$u = 5$$

$$v = 10$$

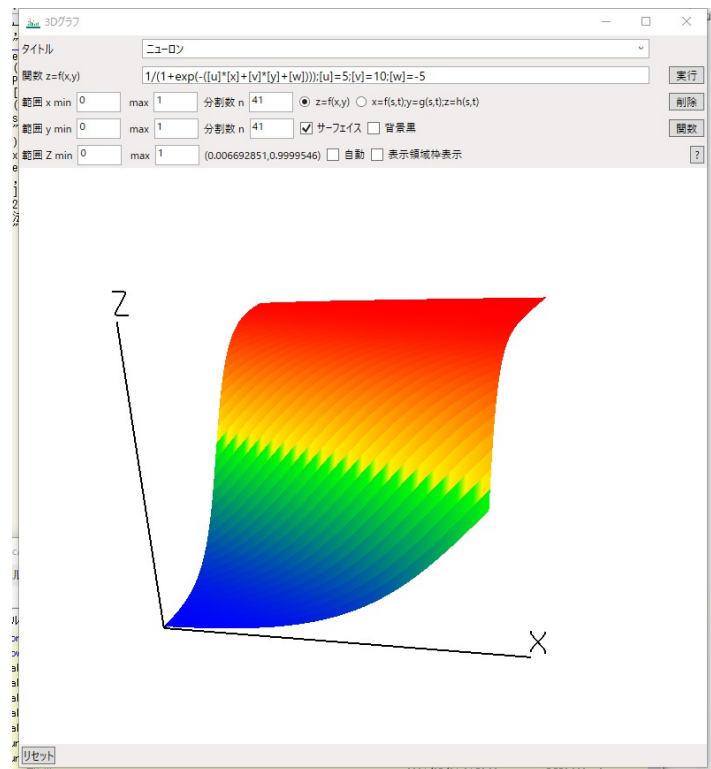
$$w = 5$$

範囲

$$x = 0 \sim 1$$

$$y = 0 \sim 1$$

$$z = 0 \sim 1$$



サンプル

関数 $50 * \cos(\pi / 100 * \sqrt{[x]^2 + [y]^2}) + 5 * \sin(\pi / 25 * \sqrt{[x]^2 + [y]^2})$

種別 $z = f(x,y)$

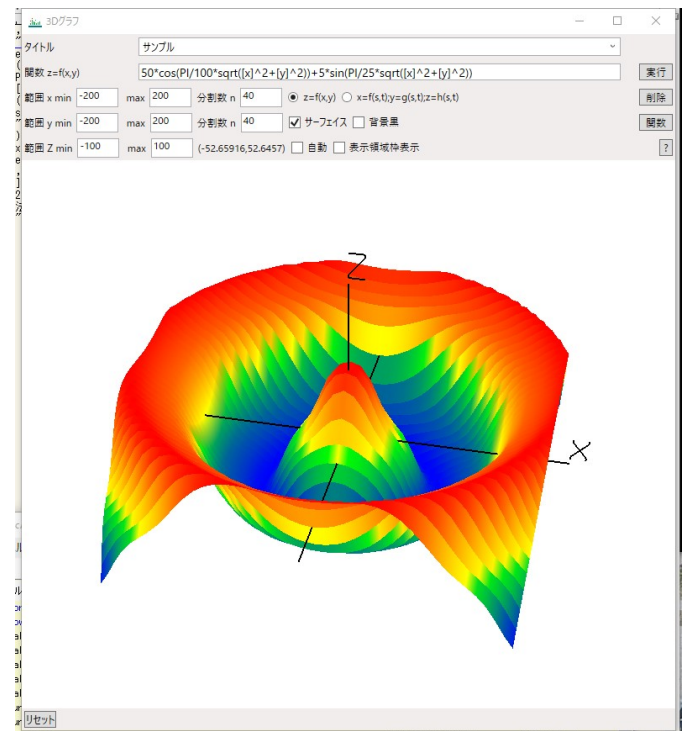
$$z = 50 * \cos(\pi / 100 * \sqrt{x^2 + y^2}) + 5 * \sin(\pi / 25 * \sqrt{x^2 + y^2})$$

範囲

$$x = -200 \sim 200$$

$$y = -200 \sim 200$$

$$z = -100 \sim 100$$



クロスエントロピー

関数 $-[x] \cdot \log([y]) - (1-[x]) \cdot \log(1-[y])$

種別 $z = f(x,y)$

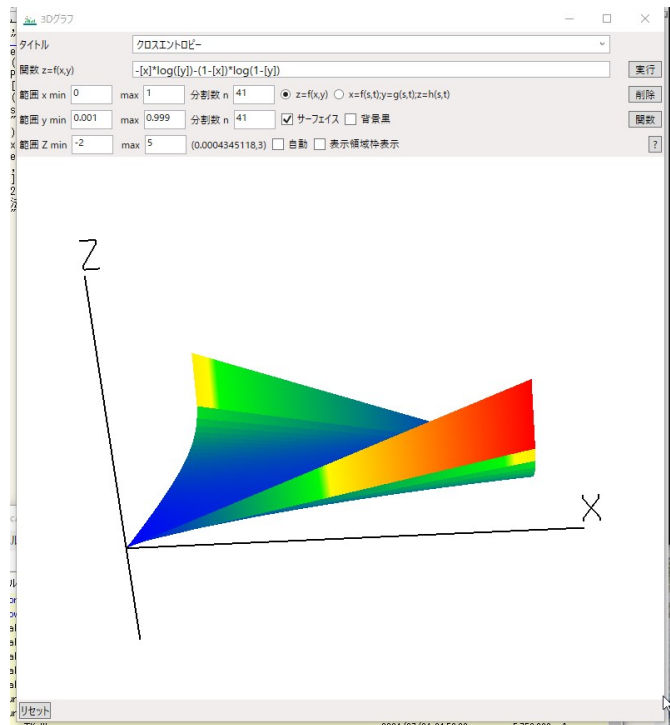
$$z = -x \cdot \log(y) - (1-x) \cdot \log(1-y)$$

範囲

$$x = 0 \sim 1$$

$$y = 0.001 \sim 0.999$$

$$z = -2 \sim 5$$



クロスエントロピー 2

関数 $(-[a] \cdot \log([x]) - (1-[a]) \cdot \log(1-[x])) + (-[b] \cdot \log([y]) - (1-[b]) \cdot \log(1-[y]))$; $[a]=1$; $[b]=0$

種別 $z = f(x,y)$

$$z = (-a \cdot \log(x)) - (1-a) \cdot \log(1-x) + (-b \cdot \log(y) - (1-b) \cdot \log(1-y))$$

$$a = 1$$

$$b = 0$$

範囲

$$x = 0.01 \sim 0.99$$

$$y = 0.01 \sim 0.99$$

$$z = 0 \sim 5$$

