

# Algorithms Tutorial 4 Worksheet 3

For doing this problem, we use BFS.

First we create an array called  $S-L$ , of size  $N^2$ . If for cell  $i$ , there is no snake or ladder on it, then  $S-L[i] = -1$  else  $S-L[i]$  contains the value to which the snake or the ladder points to.

Define func game (int  $S-L[]$ , int  $N$ )

{ Initialise boolean array visited of size  $N^2$ , with all elements initially false.

Initialise queue  $q$ .

$\because$  We are ~~at~~ at the first cell, mark visited  $[0]$  true.

Then enqueue the first cell along with its distance from first cell (here it is 0)

while ( $q$  is not empty)

{ int frontelement =  $q$ .front.

If frontelement == destination cell 0,  
break;

If that is not the case then,

~~enqueue~~ enqueue its 6 neighbours (since there are 6 dice throws).

for (int  $i = \text{frontelement} + 1$ ;  $i \leq \text{frontelement} + 6$ ;  $i++$ )

{ If that cell is visited (visited  $[i] = \text{true}$ )

{ break; }

else, visit the cell

{ int dist = distance of frontelement + 1.

mark this new cell as visited.

~~If no snakes or ladders.~~

~~int~~

Define int vertex.

```

    if no snakes or ladders,
    { vertex = value of latest cell (if found i) }
    else
    { vertex = move [i] }
    Push vertex and dist into the queue as one
    node.
  }
}
return
return. q.distance q.dist.
}

```

we can create the board in the main function easily.

Time Complexity  $\Rightarrow O(n)$  Since every cell added and removed only once from queue at max. Also, ~~add~~ adding/removing takes  $O(1)$  time