

# INDIAN INSTITUTE OF TECHNOLOGY, KHARAGPUR

## Computer Science and Engineering

### Switching Circuits and Logic Design (CS21002)

#### Class Test – I (Spring)

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Date: Wed, Jan 20, 2021

Marks: 35

Time: 8:10-9am (FN)

**Answer ALL the questions using xournal or similar software to edit the PDF**

Q1: Your roll number is of the form  $nnDDx_2nnx_1x_0$ . Consider the decimal number  $x_2x_1x_0 = \underline{139}$ .

Let  $B$  be its binary equivalent. Run the *double dabble* (also called *add-3 and shift*) algorithm to convert the binary number  $B$  to BCD showing each step clearly. The operations should be either **L Sft** for left shift or **Add 3**. The entries for D2, D1 and D0 should be their values after application of the indicated operation. 25

Operation	B2	B1	B0	$x_2x_1x_0 = \underline{139}$
Initial	0000	0000	0000	$B = \underline{10001011}$
L Sft	0000	0000	<u>0001</u>	<u>10001011</u>
L Sft	0000	0000	<u>0010</u>	<u>10001011</u>
L Sft	0000	0000	<u>0100</u>	<u>10001011</u>
LSft	0000	0000	<u>1000</u>	<u>10001011</u>
Add 3	0000	0000	<u>1011</u>	<u>10001011</u>
LSft	0000	0001	<u>0111</u>	<u>10001011</u>
Add 3	0000	0001	<u>1010</u>	<u>10001011</u>
LSft	0000	0011	<u>0100</u>	<u>10001011</u>
LSft	0000	0110	<u>1001</u>	<u>10001011</u>
Add 3	0000	<u>1001</u>	<u>1100</u>	<u>10001011</u>
LSft	<u>0001</u>	<u>0011</u>	<u>1001</u>	<u>10001011</u>
Finish	$x_2 = \underline{1}$	$x_1 = \underline{3}$	$x_0 = \underline{9}$	

Q2: Your roll number is of the form  $nnDDnnnx_1x_0$ . Consider the decimal number  $x_1x_0 = \underline{39}$ .

Represent 49 and  $-x_1x_0$  in 8-bit signed 2's complement representation; then perform the following operations on your representations, showing each step clearly:

(a)  $49 + (-x_1x_0)$

5

Item	Binary representation
$x_1x_0 =$	<u>0010011</u>
$-x_1x_0$ (2's complement)	<u>11011001</u>
49	<u>00110001</u>
+ $(-x_1x_0)$	<u>11011001</u>
Result <u>266</u>	<u>100001010</u>

$$= 10 \pmod{2^8 = 256}$$

(b)  $(-x_1x_0) + (-49)$

5

Item	Binary representation
49	<u>00110001</u>
-49 (2's complement)	<u>11001111</u>
$-x_1x_0$	<u>11011001</u>
+ (-49)	<u>11001111</u>
Result <u>424</u>	<u>110101000</u>

$$= -88 \pmod{2^8 = 256}$$