Recursion

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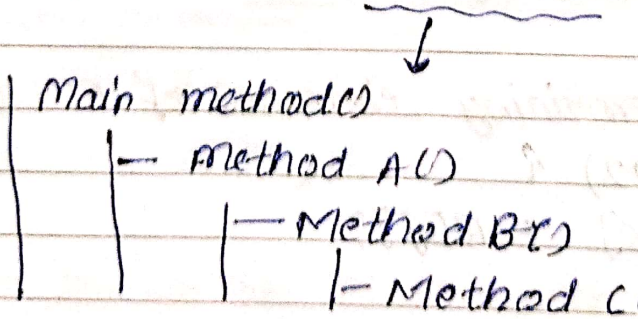
"process where a method calls itself in order to solve a problem. This technique is commonly used to break down a problem into smaller, more manageable sub-problems of the ~~sme~~ same type.
Each recursive call should move the solution closer to a base case, which stops the recursion.

Base case → Stop repetation of the code. or end.

Note if the **Base case** is not provided then Stack Overflow recursion in Java occurs when a recursive method calls itself too many times, exceeding the maximum size of the call stack.



Main method() calls Method A(), which calls Method B, which calls Method C. and so on.

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Call Stack

'memory region that stores information about active method calls, including method names, parameters & return addresses. It's Last-In-First-Out (LIFO) data structures that manages method calls & returns.

Problem statement: printing "Hi" 5 times using recursion in java.

```
public static void printHi(int n){
    if (n>0){                          ← base case
        System.out.println("Hi");
        printHi(n-1);                  ← Recursive case.
    }
}

public static void main(String[] args){
    printHi(5);
}
```

→ printHi method calls itself recursively until n reaches 0.

n=5 in this case.

printHi(5) → Hi
printHi(5-1)-4 → Hi
printHi(4-1)-3 → Hi
printHi(3-1)-2 → Hi
printHi(2-1)-1 → Hi
printHi(1-2)-0 → returns / ends. (n is not greater than 0).

Problem Statement 2 "Simple recursive function in Java that calculates the factorial of a number."

$5! = 5 \times 4 \times 3 \times 2 \times 1 = 120$

```
public static int factorial(int n){
    if(n == 0){          ← Base case
        return 1;          Factorial of 0 is 1
    }
    else{                ← Recursive case
        return n * factorial(n-1);
    }
}

public static void main(String[] args){
    int number = 5;
    int result = factorial(number);
    System.out.println("Factorial of " +
        number + " is " + result);
}
```

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factorial (5) → 5
Factorial (5-1) = 4 → 4
factorial (4-1) = 3 → 3
factorial (3-1) = 2 → 2
factorial (2-1) = 1 → 1
factorial (1-0) = 0 → 1

$5 \times 4 \times 3 \times 2 \times 1 = 120$.

Explanation:- The factorial method is defined to take on integer 'n'.
- If 'n' is 0, the method returns 1 (the base case).
- Otherwise, the method returns 'n * factorial(n-1)', which is a recursive call to itself with 'n-1'.

1. factorial (5) calls factorial (4)
2. factorial (4) calls factorial (3)
3. factorial (3) calls factorial (2)
4. factorial (2) calls factorial (1)
5. factorial (1) calls factorial (0)
6. factorial (0) returns 1 (base case)

n * factorial(n-1)

Backtracking

7. factorial (1) returns 1 * 1 = 1
8. factorial (2) returns 2 * 1 = 2
9. factorial (3) returns 3 * 2 = 6
10. factorial (4) returns 4 * 6 = 24
11. factorial (5) returns 5 * 24 = 120

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