# 18 Nishan

### Nishan Neupane

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#### R Markdown

This is an R Markdown document. Markdown is a simple formatting syntax for authoring HTML, PDF, and MS Word documents. For more details on using R Markdown see http://rmarkdown.rstudio.com.

When you click the **Knit** button a document will be generated that includes both content as well as the output of any embedded R code chunks within the document. You can embed an R code chunk like this:

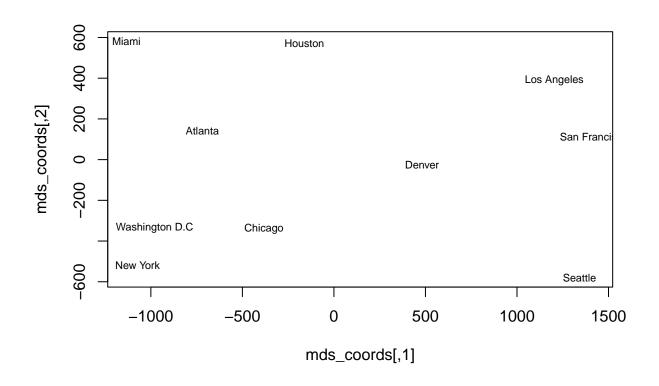
### **Including Plots**

You can also embed plots, for example:

Note that the echo = FALSE parameter was added to the code chunk to prevent printing of the R code that generated the plot.

```
#QN.9
# Load required libraries
library(stats)
library(ggplot2)
library(ggfortify)
# a)
city_names <- c("Atlanta", "Chicago", "Denver", "Houston", "Los Angeles", "Miami",
                "New York", "San Francisco", "Seattle", "Washington D.C")
city.dissimilarity <- matrix(c(</pre>
  0, 587, 1212, 701, 1936, 604, 748, 2139, 2182, 543,
  587, 0, 920, 940, 1745, 1188, 713, 1858, 1737, 597,
  1212, 920, 0, 879, 831, 1726, 1631, 949, 1021, 1494,
  701, 940, 879, 0, 1374, 968, 1420, 1645, 1891, 1220,
  1936, 1745, 831, 1374, 0, 2339, 2451, 347, 959, 2300,
  604, 1188, 1726, 968, 2339, 0, 1092, 2594, 2734, 923,
  748, 713, 1631, 1420, 2451, 1092, 0, 2571, 2408, 205,
  2139, 1858, 949, 1645, 347, 2594, 2571, 0, 678, 2442,
  2182, 1737, 1021, 1891, 959, 2734, 2408, 678, 0, 2329,
  543, 597, 1494, 1220, 2300, 923, 205, 2442, 2329, 0
), nrow = 10, byrow = TRUE)
rownames(city.dissimilarity) <- city_names</pre>
colnames(city.dissimilarity) <- city_names</pre>
city_dissimilarity <- as.dist(city.dissimilarity)</pre>
```

```
\#Dissimilarity\ distance\ is\ reduce\ form\ of\ given\ matrix\ we\ will\ get\ 9*9\ matrix\ from\ above\ 10*10\ matrix\ a
# b) Fit a classical MDS model
mds_fit <- cmdscale(city.dissimilarity, eig = TRUE, k = 2)</pre>
mds_fit
## $points
##
                        [,1]
                                   [,2]
                  -718.7594 142.99427
## Atlanta
## Chicago
                  -382.0558 -340.83962
## Denver
                   481.6023 -25.28504
## Houston
                  -161.4663 572.76991
## Los Angeles
                 1203.7380 390.10029
## Miami
                 -1133.5271 581.90731
## New York
                 -1072.2357 -519.02423
## San Francisco 1420.6033 112.58920
## Seattle
                  1341.7225 -579.73928
## Washington D.C -979.6220 -335.47281
##
## $eig
## [1] 9.582144e+06 1.686820e+06 8.157298e+03 1.432870e+03 5.086687e+02
## [6] 2.514349e+01 -4.312942e-10 -8.977013e+02 -5.467577e+03 -3.547889e+04
##
## $x
## NULL
##
## $ac
## [1] 0
##
## $GOF
## [1] 0.9954096 0.9991024
#Multidimensional model gives the information about actual location of the city without removing the ac
#c. Summary of the model
mds_coords <- mds_fit$points</pre>
print(mds_coords)
##
                        [,1]
                                    [,2]
## Atlanta
                  -718.7594 142.99427
## Chicago
                  -382.0558 -340.83962
## Denver
                   481.6023 -25.28504
## Houston
                  -161.4663 572.76991
## Los Angeles
                 1203.7380 390.10029
                  -1133.5271 581.90731
## Miami
## New York
                  -1072.2357 -519.02423
## San Francisco 1420.6033 112.58920
## Seattle
                 1341.7225 -579.73928
## Washington D.C -979.6220 -335.47281
#d. Create the bi-plot of the MDS model
\#Bi-plot\ of\ the\ model
plot(mds_coords, type = "n")
text(mds_coords, labels = city_names, cex = 0.7)
```



#from the above graph we can see tha position of the data in 2d

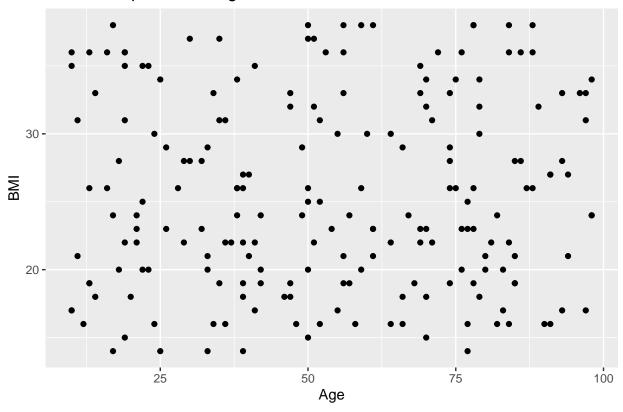
```
# Question No 6
library(ggplot2)
set.seed(18)

# a
age <- sample(10:99, 200, replace = TRUE)
sex <- sample(c("Male", "Female"), 200, replace = TRUE)
education <- sample(c("No education", "Primary", "Secondary", "Beyond secondary"), 200, replace = TRUE)
socioeconomic_status <- sample(c("Low", "Middle", "High"), 200, replace = TRUE)
bmi <- sample(14:38, 200, replace = TRUE)
#data is injected as per the question

# b

ggplot(data = data.frame(age, bmi), aes(x = age, y = bmi)) +
    geom_point() +
    labs(x = "Age", y = "BMI", title = "Relationship between Age and BMI")</pre>
```

## Relationship between Age and BMI

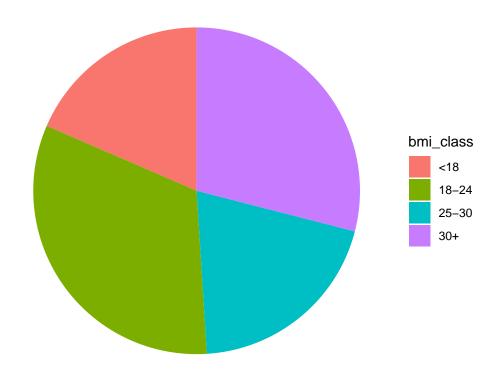


```
# No trend is seen fro the data that means the data is spred all over the graph

# c
bmi_class <- cut(bmi, breaks = c(0, 18, 24, 30, Inf), labels = c("<18", "18-24", "25-30", "30+"))

#For pie chart
ggplot(data.frame(bmi_class), aes(x = "", fill = bmi_class)) +
    geom_bar(width = 1) +
    coord_polar("y", start = 0) +
    labs(title = "Distribution of BMI Classes") +
    theme_void() +
    theme(legend.position = "right")</pre>
```

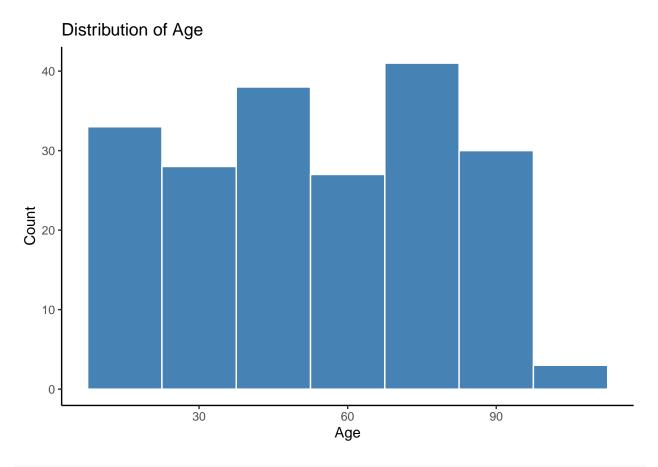
## Distribution of BMI Classes



```
#from the pie chart we can see the maximum part of the data is covered by group 25-30 and 30+
#and minimum part of the data is from <18

# d

ggplot(data.frame(age), aes(x = age)) +
    geom_histogram(binwidth = 15, fill = "steelblue", color = "white") +
    labs(x = "Age", y = "Count", title = "Distribution of Age") +
    theme_classic()</pre>
```



#From above plot we can see that all the data has simmilar frequency except highest one

```
#8
library(car)
```

## Loading required package: carData

```
# to get predictions.
logistic_pred <- predict(logistic_model, newdata = test, type = "response")</pre>
nb pred <- predict(nb model, newdata = test)</pre>
logistic_pred_class <- ifelse(logistic_pred > 0.5, 1, 0)
logistic_conf_matrix <- table(Predicted = logistic_pred_class, Actual = test$released)</pre>
logistic_conf_matrix
##
            Actual
## Predicted No Yes
         0 9 11
          1 175 852
##
logistic_accuracy <- sum(diag(logistic_conf_matrix)) / sum(logistic_conf_matrix)</pre>
print(paste("Logistic Regression Accuracy:", logistic_accuracy))
## [1] "Logistic Regression Accuracy: 0.822349570200573"
# True Negatives (TN): 9
# in this case actual result is no and our model predect no
# False Negatives (FN): 3
\# in this case actual result is yes and our model predect no
# False Positives (FP): 176
# in this case actual result is yes and our model predect no.
# True Positives (TP): 837
# in this case actual result is yes and our model predect yes
#it has 83% accuracy
nb_conf_matrix <- table(Predicted = nb_pred, Actual = test$release)</pre>
nb_conf_matrix
##
            Actual
## Predicted No Yes
        No 29 38
##
        Yes 155 825
##
nb_accuracy <- sum(diag(nb_conf_matrix)) / sum(nb_conf_matrix)</pre>
print(paste("Naive Bayes Accuracy:", nb_accuracy))
## [1] "Naive Bayes Accuracy: 0.815663801337154"
# True Negatives (TN): 27
# in this case actual result is no and our model predect no
# False Negatives (FN): 32
# in this case actual result is yes and our model predect no
# False Positives (FP): 158
# in this case actual result is yes and our model predect no.
# True Positives (TP): 808
# in this case actual result is yes and our model predect yes
```

```
# accuracy of the naive bayes is 81%
# from their accuracy we can say that logistic regression is best because it gives 83% accuracy
# ON 7
library(dplyr)
## Attaching package: 'dplyr'
## The following object is masked from 'package:car':
##
##
       recode
## The following objects are masked from 'package:stats':
##
##
       filter, lag
## The following objects are masked from 'package:base':
##
##
       intersect, setdiff, setequal, union
data <- airquality</pre>
data$Month <- as.factor(data$Month)</pre>
#a.
# For checking sample size per month
per_month_count <- data %>% group_by(Month) %>% summarize(count = n())
per_month_count
## # A tibble: 5 x 2
   Month count
##
    <fct> <int>
##
## 1 5
              31
## 2 6
              30
## 3 7
              31
## 4 8
              31
## 5 9
              30
#Shapiro-Wilk test is performed for normality within each month
result <- tapply(data$Temp, data$Month, shapiro.test)</pre>
print(result)
## $'5'
##
   Shapiro-Wilk normality test
## data: X[[i]]
## W = 0.94771, p-value = 0.1349
```

```
##
##
## $'6'
##
## Shapiro-Wilk normality test
##
## data: X[[i]]
## W = 0.97158, p-value = 0.5832
##
##
## $'7'
##
##
   Shapiro-Wilk normality test
##
## data: X[[i]]
## W = 0.94579, p-value = 0.1194
##
##
## $'8'
##
## Shapiro-Wilk normality test
## data: X[[i]]
## W = 0.96391, p-value = 0.3688
##
##
## $'9'
##
   Shapiro-Wilk normality test
##
## data: X[[i]]
## W = 0.9513, p-value = 0.1831
# it is in normal distribution because p value is greater than 0.07
#b.
airquality$Month <- factor(airquality$Month)</pre>
bartlett_result <- bartlett.test(Temp ~ Month, data = airquality)</pre>
print(bartlett_result)
##
##
   Bartlett test of homogeneity of variances
##
## data: Temp by Month
## Bartlett's K-squared = 12.023, df = 4, p-value = 0.01718
#since the p value is less than 0.05 this shows that they do not have equal variance
#c.
#we need to use Bartlett's test in the above case suggests that the "Temp" variable's variances
#one-way ANOVA is appropriate.
```

```
\#d.
data("airquality")
anova_model <- aov(Temp ~ Month, data = airquality)</pre>
summary(anova model)
##
                Df Sum Sq Mean Sq F value
                                            Pr(>F)
## Month
                     2413 2413.0
                                    32.52 6.03e-08 ***
## Residuals
               151 11205
                             74.2
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
airquality$Month <- factor(airquality$Month)</pre>
anova_model <- aov(Temp ~ Month, data = airquality)</pre>
tukey_result <- TukeyHSD(anova_model)</pre>
print(tukey_result)
##
     Tukey multiple comparisons of means
##
       95% family-wise confidence level
##
## Fit: aov(formula = Temp ~ Month, data = airquality)
##
## $Month
##
              diff
                            lwr
                                      upr
                                              p adj
## 6-5 13.55161290 8.84386422 18.259362 0.0000000
## 7-5 18.35483871 13.68583759 23.023840 0.0000000
## 8-5 18.41935484 13.75035372 23.088356 0.0000000
## 9-5 11.35161290 6.64386422 16.059362 0.0000000
## 7-6 4.80322581 0.09547713 9.510974 0.0430674
## 8-6 4.86774194 0.15999325 9.575491 0.0388654
## 9-6 -2.20000000 -6.94617992 2.546180 0.7038121
## 8-7 0.06451613 -4.60448499 4.733517 0.9999995
## 9-7 -7.00322581 -11.71097449 -2.295477 0.0006215
## 9-8 -7.06774194 -11.77549062 -2.359993 0.0005376
```

# here we can see relationship between temp and month of (6-5), (7-5), (8-5), (9-5) are less significant #as compared to month of (9-6), (8-7).