```
return None, None # No path found
graph = \{ 'A': [('B', 6), ('F', 3)], \}
  'B': [('A', 6), ('C', 3), ('D', 2)],
   'C': [('B', 3), ('D', 1), ('E', 5)],
  'D': [('B', 2), ('C', 1), ('E', 8)],
   'E': [('C', 5), ('D', 8), ('I', 5), ('J', 5)],
   'F': [('A', 3), ('G', 1), ('H', 7)],
   'G': [('F', 1), ('I', 3)],
  'H': [('F', 7), ('I', 2)],
  'I': [('E', 5), ('G', 3), ('H', 2), ('J', 3)],
  'J': [('E', 5), ('I', 3)]}
heuristic = { 'A': 10, 'B': 8, 'C': 5, 'D': 7, 'E': 3, 'F': 6, 'G': 5, 'H': 3, 'I': 1, 'J': 0}
start, goal = 'A', 'J'
path, total_cost = a_star(graph, start, goal, heuristic)
if path:
  print("Path found:", path)
   print("Shortest distance:", total_cost)
else:
  print("No path found")
OUTPUT:
                                                                ====== RESTART: /home/student/8puzzle.py
       0, 5]
       0, 3]
      2, 3]
```

AIM: Implement 8 puzzle problem Using Manhattan Distance

DISCRIPTION: The A* algorithm using the Manhattan Distance heuristic is commonly applied to grid-based pathfinding problems. The Manhattan Distance heuristic h(n) calculates the sum of the absolute differences between the current node's coordinates and the goal node's coordinates (h(n) = |x1 - x2| + |y1 - y2|). The algorithm prioritizes nodes based on the cost function f(n) = g(n) + h(n), where g(n) is the actual cost from the start node. This heuristic is suitable for movement in a 4-directional grid (up, down, left, right) without diagonal movement. A* ensures an optimal path when the heuristic does not overestimate the actual cost. It is widely used in AI, robotics, and game development for pathfinding.

CODE:

```
import heapq
class Puzzle:
  def __init__(self, board, g, parent=None):
     self.board = board
     self.g = g \# Depth (cost so far)
     self.h = self.manhattan_distance()
     self.f = self.g + self.h # A* function: f(n) = g(n) + h(n)
     self.parent = parent # To track the path
 def __lt__(self, other):
     return self.f < other.f # Priority queue comparison
def manhattan_distance(self):
    goal_pos = {1: (0, 0), 2: (0, 1), 3: (0, 2),
            4: (1, 0), 5: (1, 1), 6: (1, 2),
            7: (2, 0), 8: (2, 1), 0: (2, 2)}
distance = 0
     for i in range(3):
       for j in range(3):
          value = self.board[i][j]
          if value != 0: # Ignore blank tile
            goal_x, goal_y = goal_pos[value]
            distance += abs(i - goal_x) + abs(j - goal_y)
     return distance
def get_blank_pos(self):
     """Find blank space (0)"""
     for i in range(3):
```

```
for j in range(3):
          if self.board[i][j] == 0:
             return i, j
def generate_moves(self):
     """Generate possible moves"""
     x, y = self.get_blank_pos()
     moves = []
     directions = [(-1, 0), (1, 0), (0, -1), (0, 1)] # Up, Down, Left, Right
for dx, dy in directions:
       nx, ny = x + dx, y + dy
       if 0 \le nx \le 3 and 0 \le ny \le 3:
          new_board = [row[:] for row in self.board]
          new_board[x][y], new_board[nx][ny] = new_board[nx][ny], new_board[x][y]
          moves.append(Puzzle(new_board, self.g + 1, self))
return moves
def solve_puzzle(initial_state):
  """A* Search to solve the 8-puzzle"""
  start = Puzzle(initial_state, 0)
  goal = [[1, 2, 3], [4, 5, 6], [7, 8, 0]]
open_list = []
  closed\_set = set()
  heapq.heappush(open_list, start)
while open_list:
     current = heapq.heappop(open_list)
if current.board == goal:
       path = []
        while current:
          path.append(current)
          current = current.parent
       return path[::-1] # Reverse to get the correct order
closed_set.add(tuple(map(tuple, current.board)))
for move in current.generate_moves():
        if tuple(map(tuple, move.board)) not in closed_set:
```

```
heapq.heappush(open_list, move)

return None # No solution found

initial_state = [[1, 2, 3], [4, 0, 6], [7, 5, 8]]

solution = solve_puzzle(initial_state)

if solution:

for step in solution:

print("\nStep:", step.g)

for row in step.board:

print(row)

print(f"h(n) = {step.h}, g(n) = {step.g}, f(n) = {step.f}")

print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\print("\p
```

OUTPUT:

```
Step: 0
[1, 2, 3]
[4, 0, 6]
[7, 5, 8]
h(n) = 2, g(n) = 0, f(n) = 2

$\frac{1}{2}$

Step: 1
[1, 2, 3]
[4, 5, 6]
[7, 0, 8]
h(n) = 1, g(n) = 1, f(n) = 2
$\frac{1}{2}$

Step: 2
[1, 2, 3]
[4, 5, 6]
[7, 8, 0]
h(n) = 0, g(n) = 2, f(n) = 2

Goal Reached
```