The canonical SOP:
$$F = m_3 + m_2 + m_6 = Y'ZX + Y'ZX' + YZX'$$

$$Q_{14}$$
 $y(x_1, x_2, x_3) = Im(0, 3, 4, 7)$

$$= \frac{2 m(0,3,4,7)}{= x_1' x_2' x_3' + x_1' x_2 x_3 + x_1' x_2 x_3 + x_1' x_2 x_3 + x_1' x_2 x_3}$$

$$= x_2' x_3' + x_2 x_3$$

$$x_{1}^{2} = x_{2}^{2} x_{3}^{2} + x_{1}^{2} x_{3}^{2} + x_{1}^{2} x_{3}^{2}$$

$$y = \chi_2^1 \chi_3^1 + \chi_1^1 \chi_3^2$$

If we choose XX as the selection signals, the 4 inputs could be the functions of the

If we choose
$$x_1 = 0$$
 $x_1 = 0$, then $y = x_2$.

Disconssion: If $x_1 = 0$ $x_2 = 0$, then $y = x_3$.

If
$$x_1=1$$
 $x_2=0$ $y=x_0$

Let's simplify y alittle bit: J= Im(0,2,4)= x/x/x/x/+x/x/x/x/ = (x2+x1x2)x3

$$= (x_{1}^{2} + x_{1}^{2} x_{2}) x_{3}^{2}$$

$$= (x_{1}^{1} + x_{2}^{1}) x_{3}^{2}$$

$$= x_{1}^{1} x_{3}^{1} + x_{2}^{1} x_{3}^{2}$$

$$= x_{1}^{1} x_{3}^{1} + x_{2}^{1} x_{3}^{2}$$

- Q17 (a) ab+bc=ab'(c+c') CHS=ab+bc RHS=ab' $LHS \neq RHS$ as when a=b=1 LHS=1, RHS=0
 - (b) abc+ab'c+a'c = ac+a'c = c = LHS ab'c+ab'c'+abc = ac+abc' = a(b'c'+c) = a(c+b') = RHS LHS + RHS