

**VISVESVARAYA TECHNOLOGICAL
UNIVERSITY**

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB REPORT

on

Artificial Intelligence (23CS5PCAIN)

Submitted by

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in partial fulfillment for the award of the degree of

BACHELOR OF ENGINEERING

in

COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

(Autonomous Institution under VTU)

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**B.M.S. College of Engineering,
Bull Temple Road, Bangalore 560019**
(Affiliated To Visvesvaraya Technological University, Belgaum)
Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Kavana M A (1BM23CS145)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

Surabhi S Assistant Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
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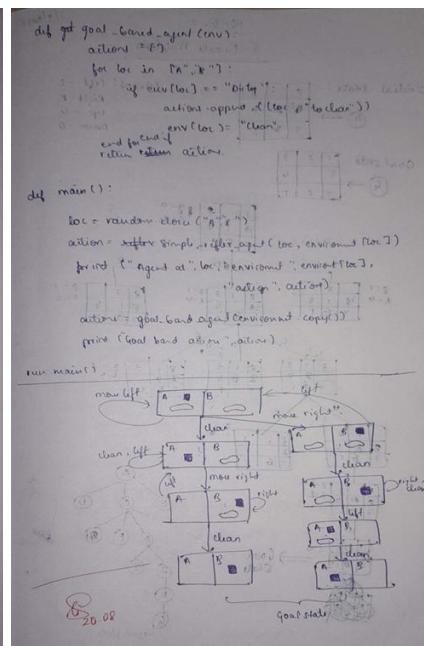
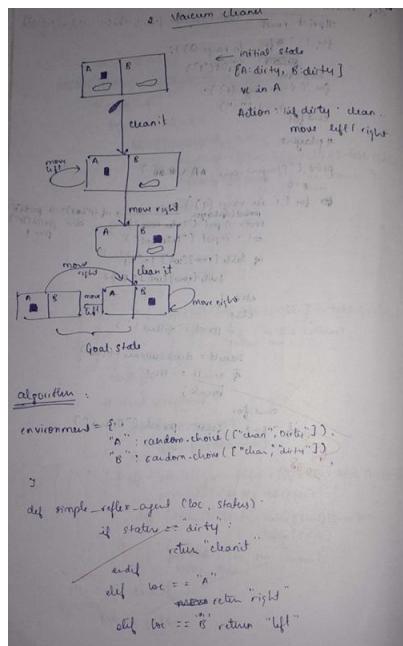
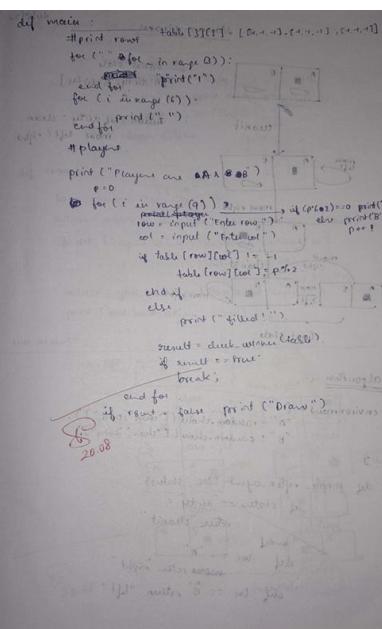
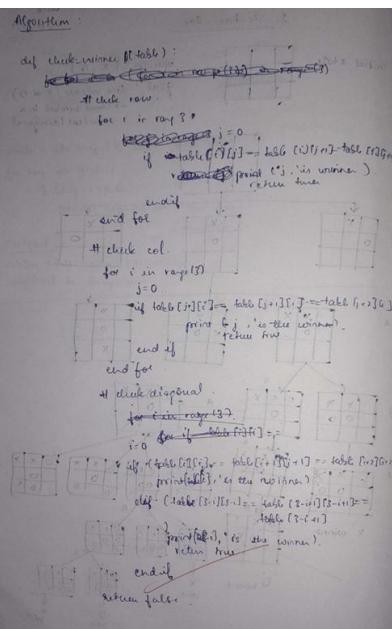
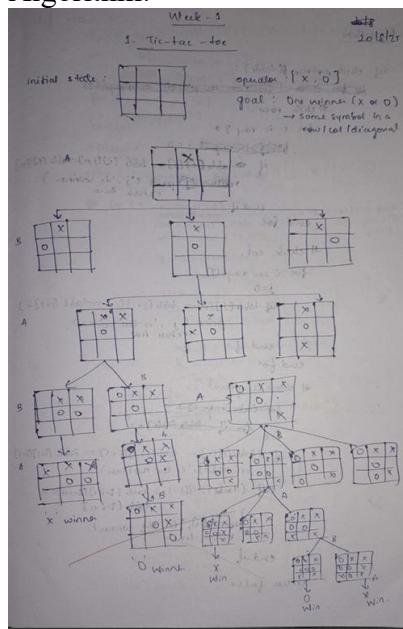
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Github Link:

Program 1

Implement Tic – Tac – Toe Game

Algorithm:



Code:

```
#tic tac toe
```

```
def print_board(board):
```

```
    for row in board:
```

```

print(" | ".join(row))
print("--" * 5)

def check_winner(board, player):
    # Check rows
    for row in board:
        if all(cell == player for cell in row):
            return True

    # Check columns
    for col in range(3):
        if all(board[row][col] == player for row in range(3)):
            return True

    # Check diagonals
    if all(board[i][i] == player for i in range(3)) or \
        all(board[i][2 - i] == player for i in range(3)):
        return True

    return False

def tic_tac_toe():
    board = [[" " for _ in range(3)] for _ in range(3)]
    players = ["X", "O"]
    moves = 0

    while moves < 9:
        print_board(board)
        player = players[moves % 2]
        print(f"Player {player}'s turn")

        row = int(input("Enter row (0-2): "))
        col = int(input("Enter col (0-2): "))

        if board[row][col] == " ":
            board[row][col] = player
            moves += 1
        else:
            print("Cell already taken, try again!")
            continue

    if check_winner(board, player):
        print_board(board)
        print(f"Player {player} wins!")
        return

print_board(board)

```

```

print("It's a draw!")

# Run the game
tic_tac_toe()



---


#vacum cleaner
import random

# Environment: 2 rooms A and B, both start dirty
environment = {
    "A": "Dirty",
    "B": "Dirty"
}

# Simple Reflex Agent
def simple_reflex_agent(location, status):
    if status == "Dirty":
        return "Cleanit please"
    elif location == "A":
        return "Right"
    else:
        return "Left"

# Goal-Based Agent
def goal_based_agent(env):
    actions = []
    for location in ["A", "B"]:
        if env[location] == "Dirty":
            actions.append((location, "toClean"))
            env[location] = "Clean"
    return actions

# Simulation
def run_simulation():
    print("Initial Environment:", environment)

    # Reflex agent
    location = random.choice(["A", "B"])
    action = simple_reflex_agent(location, environment[location])
    print(f'Reflex Agent at {location} sees {environment[location]} -> Action: {action}')

    # Goal-based agent
    actions = goal_based_agent(environment.copy())
    print("Goal-Based Agent Actions:", actions)

run_simulation()

```

Output:

The screenshot shows a terminal window titled "IDLE Shell 3.13.6" with the following content:

```
File Edit Shell Debug Options Window Help
| | |
Player O's turn
Enter row (0-2): 0
Enter col (0-2): 2
| X | O
-----
| | |
Player X's turn
Enter row (0-2): 1
Enter col (0-2): 1
| X | O
-----
| X |
-----
Player O's turn
Enter row (0-2): 2
Enter col (0-2): 1
| X | O
-----
| X |
-----
| O |
Player X's turn
Enter row (0-2): 1
Enter col (0-2): 0
| X | O
-----
X | X |
-----
| O |
Player O's turn
Enter row (0-2): 2
Enter col (0-2): 2
| X | O
-----
X | X |
-----
| O | O
Player X's turn
Enter row (0-2): 1
Enter col (0-2): 2
| X | O
-----
X | X | X
-----
| O | O
Player X wins!
```

```
===== RESTART: D:/1BM23CS145/AI/vaccumcleaner.py =====
Initial Environment: {'A': 'Dirty', 'B': 'Dirty'}

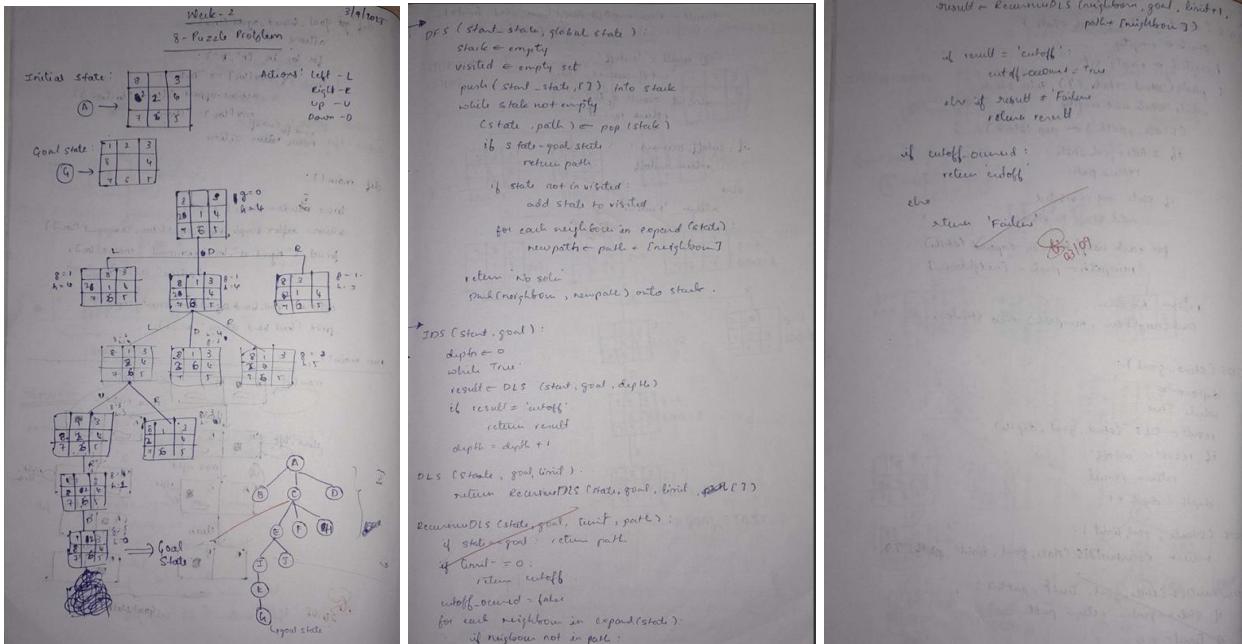
Simple Reflex Agent starts at A
Step 1: Clean A
Step 2: Move Right to B
Step 3: Clean B
Step 4: Move Left to A
Environment after Reflex Agent: {'A': 'Clean', 'B': 'Clean'}

Goal-Based Agent starts at A
Step 1: Clean A
Step 2: Move to B
Step 3: Clean B
Environment after Goal-Based Agent: {'A': 'Clean', 'B': 'Clean'}
```

Program 2

Implement 8 puzzle problems using Depth First Search (DFS)
Implement Iterative deepening search algorithm

Algorithm:



Code:

```
from collections import deque
import copy
```

```
goal_state = [[1, 2, 3],
              [4, 5, 6],
              [7, 8, 0]]
```

```
moves = [(-1,0), (1,0), (0,-1), (0,1)]
```

```
def find_blank(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return i, j
```

```
def get_neighbors(state):
    neighbors = []
    x, y = find_blank(state)
    for dx, dy in moves:
        nx, ny = x + dx, y + dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            new_state = copy.deepcopy(state)
            new_state[x][y], new_state[nx][ny] = new_state[nx][ny], new_state[x][y]
            neighbors.append(new_state)
```

```

return neighbors

def is_goal(state):
    return state == goal_state

def print_state(state):
    for row in state:
        print(row)
    print()

def dfs(start_state, limit=50):
    stack = [(start_state, [])]
    visited = set()

    while stack:
        state, path = stack.pop()
        state_tuple = tuple(tuple(row) for row in state)

        if state_tuple in visited:
            continue
        visited.add(state_tuple)

        if is_goal(state):
            return path + [state]

        if len(path) >= limit:
            continue

        for neighbor in get_neighbors(state):
            stack.append((neighbor, path + [state]))
    return None

def dls(state, depth, path, visited):
    if is_goal(state):
        return path + [state]
    if depth == 0:
        return None

    state_tuple = tuple(tuple(row) for row in state)
    visited.add(state_tuple)

    for neighbor in get_neighbors(state):
        neighbor_tuple = tuple(tuple(row) for row in neighbor)
        if neighbor_tuple not in visited:
            result = dls(neighbor, depth - 1, path + [state], visited)
            if result:
                return result

```

```

return None

def ids(start_state, max_depth=50):
    for depth in range(max_depth):
        visited = set()
        result = dls(start_state, depth, [], visited)
        if result:
            return result
    return None

if __name__ == "__main__":
    start_state = [[1, 2, 3],
                   [4, 0, 6],
                   [7, 5, 8]]

    print("DFS Solution:")
    sol_dfs = dfs(start_state, limit=20)
    if sol_dfs:
        for step in sol_dfs:
            print_state(step)
    else:
        print("No solution found with DFS")

    print("\nIDS Solution:")
    sol_ids = ids(start_state, max_depth=20)
    if sol_ids:
        for step in sol_ids:
            print_state(step)
    else:
        print("No solution found with IDS")

```

Output:

```

>>> ===== RESTART: D:\IBM23CS145\AI\8puzzle.py =====
DFS Solution:
[1, 2, 3]
[4, 0, 6]
[7, 5, 8]

[1, 2, 3]
[4, 6, 0]
[7, 5, 8]

[1, 2, 3]
[4, 6, 8]
[7, 5, 0]

[1, 2, 3]
[4, 6, 8]
[7, 0, 5]

[1, 2, 3]
[4, 6, 8]
[0, 7, 5]

[1, 2, 3]
[0, 6, 8]
[4, 7, 5]

[1, 2, 3]
[6, 0, 8]
[4, 7, 5]

[1, 2, 3]
[6, 7, 8]
[4, 0, 5]

[1, 2, 3]
[6, 7, 8]
[0, 4, 5]

[1, 2, 3]
[0, 7, 8]
[6, 4, 5]

[1, 2, 3]
[7, 0, 8]
[6, 4, 5]

[1, 2, 3]
[7, 4, 8]
[6, 0, 5]

[1, 2, 3]
[7, 4, 8]
[0, 6, 5]

[1, 2, 3]
[0, 4, 8]
[7, 6, 5]

[1, 2, 3]
[4, 0, 8]
[7, 6, 5]

[1, 2, 3]
[4, 8, 0]
[7, 6, 5]

[1, 2, 3]
[4, 8, 5]
[7, 6, 0]

[1, 2, 3]
[4, 8, 5]
[7, 0, 6]

[1, 2, 3]
[4, 0, 5]
[7, 8, 6]

[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

IDS Solution:
[1, 2, 3]
[4, 0, 6]
[7, 5, 8]

[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

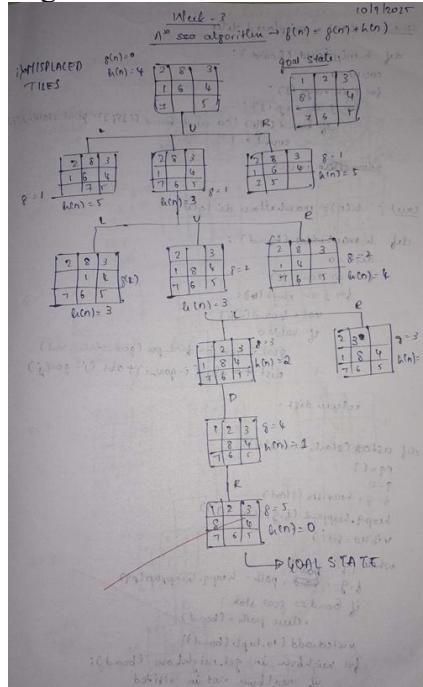
...

```

Program 3

Implement A* search algorithm

Algorithm:



```

class Node:
    def __init__(self, board, parent=None):
        self.board = board
        self.parent = parent
        self.g_val = 0
        self.h_val = 0
        self.f_val = 0
        self.state_id = None

    def __lt__(self, other):
        return self.f_val < other.f_val

    def __eq__(self, other):
        return self.state_id == other.state_id

    def __hash__(self):
        return hash(str(self.state_id))

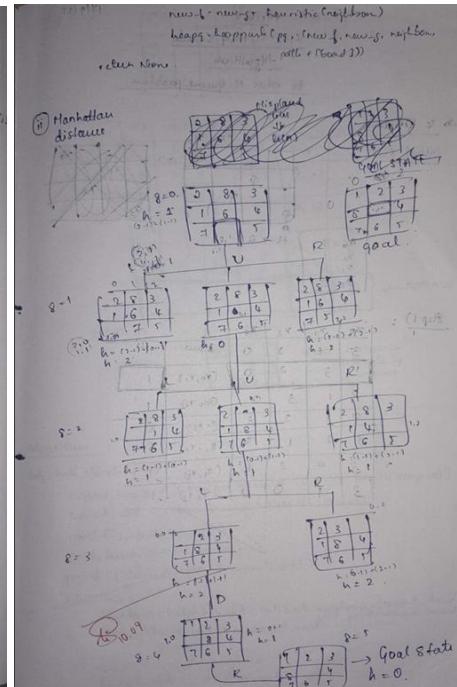
    def __str__(self):
        return str(self.board)

def h_misplaced(board):
    count = 0
    for i in range(3):
        for j in range(3):
            if board[i][j] != 0 and board[i][j] != goal_state[i][j]:
                count += 1
    return count

def h_manhattan(board):
    dist = 0
    for i in range(3):
        for j in range(3):
            val = board[i][j]
            if val != 0:
                goal_pos = find_pos(goal_state, val)
                dist += abs(i - goal_pos[0]) + abs(j - goal_pos[1])
    return dist

def astar(start, heuristic):
    pq = []
    g = 0
    h = 0
    g, h, pq = heuristic(start)
    heapq.heappush(pq, (g+h, start))
    visited = set()
    while pq:
        g, h, node = heapq.heappop(pq)
        if node.state_id == goal_state:
            return node
        visited.add(node.state_id)
        for neighbor in get_neighbors(node):
            if neighbor.state_id not in visited:
                new_g = g + 1
                new_h = heuristic(neighbor)
                new_f = new_g + new_h
                if neighbor not in pq or new_f < neighbor.f_val:
                    neighbor.g_val = new_g
                    neighbor.h_val = new_h
                    neighbor.f_val = new_f
                    neighbor.state_id = str(neighbor)
                    heapq.heappush(pq, (new_f, neighbor))
    return None

```



Code:

```
import heapq
```

```
goal_state = [[1,2,3],
              [8,0,4],
              [7,6,5]]
```

```
moves = [(1,0), (-1,0), (0,1), (0,-1)]
```

```
def to_tuple(board):
    return tuple(tuple(row) for row in board)
```

```
def find_pos(board, value):
    for i in range(3):
        for j in range(3):
            if board[i][j] == value:
                return (i, j)
```

```
# Heuristic 1: misplaced tiles
```

```
def h_misplaced(board):
    count = 0
    for i in range(3):
        for j in range(3):
            if board[i][j] != 0 and board[i][j] != goal_state[i][j]:
                count += 1
    return count
```

```

return count

# Heuristic 2: manhattan distance
def h_manhattan(board):
    dist = 0
    for i in range(3):
        for j in range(3):
            val = board[i][j]
            if val != 0:
                goal_i, goal_j = find_pos(goal_state, val)
                dist += abs(i - goal_i) + abs(j - goal_j)
    return dist

def get_neighbors(board):
    neighbors = []
    x, y = find_pos(board, 0)
    for dx, dy in moves:
        nx, ny = x + dx, y + dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            new_board = [list(row) for row in board]
            new_board[x][y], new_board[nx][ny] = new_board[nx][ny], new_board[x][y]
            neighbors.append(new_board)
    return neighbors

def print_board(board):
    for row in board:
        print(''.join(str(x) for x in row))
    print()

def astar(start, heuristic):
    pq = []
    g = 0
    f = g + heuristic(start)
    heapq.heappush(pq, (f, g, start, []))
    visited = set()

    while pq:
        f, g, board, path = heapq.heappop(pq)
        if board == goal_state:
            return path + [board]

        visited.add(to_tuple(board))

        for neighbor in get_neighbors(board):
            if to_tuple(neighbor) not in visited:
                new_g = g + 1
                new_f = new_g + heuristic(neighbor)
                heapq.heappush(pq, (new_f, new_g, neighbor, path + [board]))

```

```

        heapq.heappush(pq, (new_f, new_g, neighbor, path + [board]))
    return None

start_state1 = [[1,2,3],
               [4,0,6],
               [7,5,8]]

start_state2 = [
    [2, 8, 3],
    [1, 6, 4],
    [7, 0, 5]
]

start_state3 = [
    [8, 0, 3],
    [2, 1, 4],
    [7, 6, 5]
]

print("Using Misplaced Tiles:")
solution = astar(start_state3, h_misplaced)
print("Steps:", len(solution)-1)
for step, board in enumerate(solution):
    print(f"Step {step}:")
    print_board(board)

print("Using Manhattan Distance:")
solution = astar(start_state3, h_manhattan)
print("Steps:", len(solution)-1)
for step, board in enumerate(solution):
    print(f"Step {step}:")
    print_board(board)

```

Output:

The screenshot shows the IDLE Shell interface with the title bar "IDLE Shell 3.13.6". The menu bar includes File, Edit, Shell, Debug, Options, Window, and Help. The main window displays the output of the 8-puzzle algorithm using the Manhattan Distance heuristic. The output is as follows:

```

Using Manhattan Distance:
=====
Steps: 5
Step 0:
8 0 3
2 1 4
7 6 5

Step 1:
8 1 3
2 0 4
7 6 5

Step 2:
8 1 3
0 2 4
7 6 5

Step 3:
0 1 3
8 2 4
7 6 5

Step 4:
1 0 3
8 2 4
7 6 5

Step 5:
1 2 3
8 0 4
7 6 5

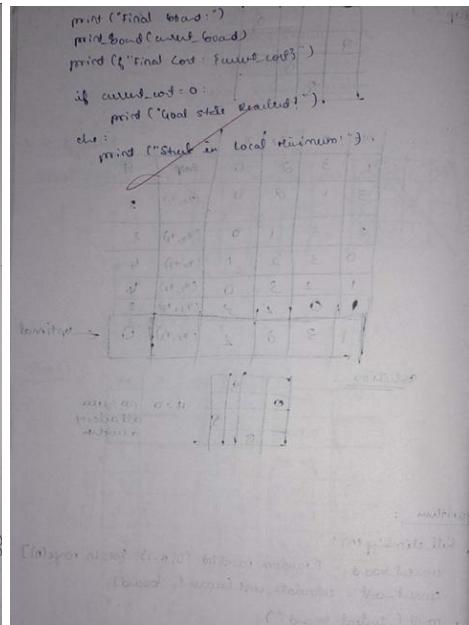
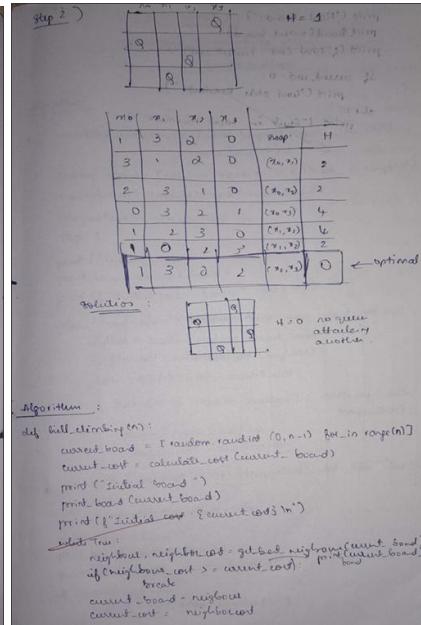
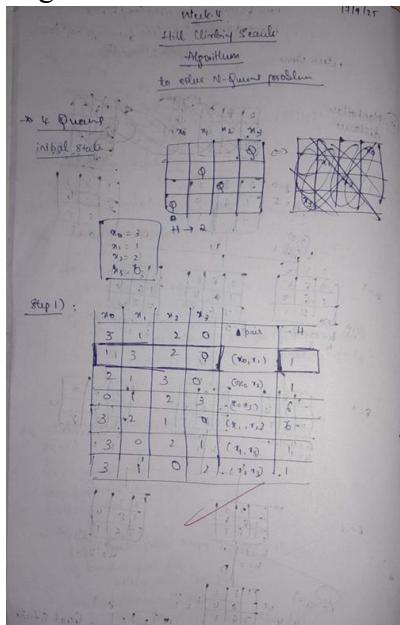
```

The shell prompt ">>> |" is visible at the bottom left, and the status bar at the bottom right shows "Ln: 251 Col 0".

Program 4

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:



Code:

import random

```

def print_board(board):
    n = len(board)
    for i in range(n):
        row = ["Q" if board[i] == j else "." for j in range(n)]
        print(" ".join(row))
    print()

def calculate_cost(board):
    """Heuristic: number of pairs of queens attacking each other"""
    n = len(board)
    cost = 0
    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or abs(board[i] - board[j]) == abs(i - j):
                cost += 1
    return cost

def get_best_neighbor(board):
    n = len(board)
    best_board = list(board)
    best_cost = calculate_cost(board)

    for row in range(n):

```

for row in range(n):

```

for col in range(n):
    if board[row] != col:
        neighbor = list(board)
        neighbor[row] = col
        cost = calculate_cost(neighbor)
        if cost < best_cost:
            best_cost = cost
            best_board = neighbor
return best_board, best_cost

def hill_climbing(n):
    current_board = [random.randint(0, n - 1) for _ in range(n)]
    current_cost = calculate_cost(current_board)

    print("Initial Board:")
    print_board(current_board)
    print(f"Initial Cost: {current_cost}\n")

    step = 1
    while True:
        neighbor, neighbor_cost = get_best_neighbor(current_board)
        print(f"Step {step}:")
        print("Current Board:")
        print_board(current_board)
        print(f"Current Cost: {current_cost}")
        print(f"Best Neighbor Cost: {neighbor_cost}\n")

        if neighbor_cost >= current_cost:
            break

        current_board = neighbor
        current_cost = neighbor_cost
        step += 1

    print("Final Board:")
    print_board(current_board)
    print(f"Final Cost: {current_cost}")

    if current_cost == 0:
        print("Goal State Reached!")
    else:
        print("Stuck in Local Minimum!")

# Run for 4-Queens
hill_climbing(4)

```

Output:

```
IDLE Shell 3.13.5
File Edit Shell Debug Options Window Help
>>> ===== RESTART: D:/IBM23CS145/hillclimbing.py =====
Initial Board:
. Q .
. Q .
. Q .
. . Q

Initial Cost: 4

Step 1:
Current Board:
. Q .
. Q .
. Q .
. . Q

Current Cost: 4
Best Neighbor Cost: 2

Step 2:
Current Board:
. Q .
. . Q
. Q .
. . Q

Current Cost: 2
Best Neighbor Cost: 1

Step 3:
Current Board:
. Q .
. . Q
Q . .
. . Q

Current Cost: 1
Best Neighbor Cost: 0

Step 4:
Current Board:
. Q .
. . Q
Q . .
. Q .

Current Cost: 0
Best Neighbor Cost: 0

Final Board:
. Q .
. . Q
Q . .
. Q .

Final Cost: 0
Goal State Reached!
>>>
```

Ln: 175 Col: 0

Program 5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

Week 5
14/9/25

```

Simulated Annealing to solve
8-Queens problem using backtracking

Algorithm:
def simulated_annealing(n, initial_temp=100, cooling_rate=0.95,
                           stopping_temp=1):
    current_board = [random.randint(0, n-1) for _ in range(n)]
    current_cost = calculate_cost(current_board)
    temperature = initial_temp
    step = 0
    print("Initial board")
    print_board(current_board)
    print(f"Initial cost: {current_cost}")
    while (temperature > stopping_temp) and (current_cost > 0):
        neighbor = random_neighbor(current_board)
        neighbor_cost = calculate_cost(neighbor)
        delta = neighbor_cost - current_cost
        if delta < 0 or random.random() < math.exp(-delta / temperature):
            current_board = neighbor
            current_cost = neighbor_cost
        print(f"Step {step}: Temp={temperature}, cost={current_cost}")
        step += 1
        temperature *= cooling_rate
    print("\nFinal Board")
    print_board(current_board)
    print(f"Final cost: {current_cost}")
    if current_cost == 0:
        print("Goal state Reached!")

```

Code:

```

import random
import math

def print_board(board):
    n = len(board)
    for i in range(n):
        row = ["Q" if board[i] == j else "." for j in range(n)]
        print(" ".join(row))
    print()

def calculate_cost(board):
    """Heuristic: number of pairs of queens attacking each other"""
    n = len(board)
    cost = 0
    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or abs(board[i] - board[j]) == abs(i - j):
                cost += 1
    return cost

```

```

def random_neighbor(board):
    """Generate a random neighboring board by moving one queen"""
    n = len(board)
    neighbor = list(board)
    row = random.randint(0, n - 1)
    col = random.randint(0, n - 1)
    neighbor[row] = col
    return neighbor

def simulated_annealing(n, initial_temp=100, cooling_rate=0.95, stopping_temp=1):
    current_board = [random.randint(0, n - 1) for _ in range(n)]
    current_cost = calculate_cost(current_board)
    temperature = initial_temp
    step = 1

    print("Initial Board:")
    print_board(current_board)
    print(f"Initial Cost: {current_cost}\n")

    while temperature > stopping_temp and current_cost > 0:
        neighbor = random_neighbor(current_board)
        neighbor_cost = calculate_cost(neighbor)
        delta = neighbor_cost - current_cost

        # Acceptance probability
        if delta < 0 or random.random() < math.exp(-delta / temperature):
            current_board = neighbor
            current_cost = neighbor_cost

        print(f"Step {step}: Temp={temperature:.3f}, Cost={current_cost}")
        step += 1
        temperature *= cooling_rate

    print("\nFinal Board:")
    print_board(current_board)
    print(f"Final Cost: {current_cost}")

    if current_cost == 0:
        print("Goal State Reached!")
    else:
        print("Terminated before reaching goal.")

# Run for 8-Queens
simulated_annealing(8)

```

Output:

Program 6

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Algorithm:

Wk-6							
P	Q	R	$Q \rightarrow P$	$P \rightarrow Q$	$Q \vee R$	KB	$R \rightarrow P$
F	F	F	T	T	F	F	T
F	F	T	T	T	F	T	T
F	T	F	F	T	F	T	F
F	T	T	F	T	F	F	T
T	F	F	F	F	F	T	T
T	F	T	T	T	T	T	T
T	T	F	T	F	T	F	F
T	T	T	T	T	T	T	T

KB = { $Q \rightarrow P$, $P \rightarrow Q$, $Q \vee R$ } \cup $\{(Q \rightarrow P) \wedge (P \rightarrow Q)\} \cup \{Q \vee R\}$

Truth table:

P	Q	R	$Q \rightarrow P$	$P \rightarrow Q$	$Q \vee R$	KB	$R \rightarrow P$	$Q \rightarrow P$
F	F	F	T	T	F	F	T	T
F	F	T	T	T	F	T	T	T
F	T	F	F	T	F	T	F	F
F	T	T	F	T	F	F	T	F
T	F	F	F	F	F	T	T	T
T	F	T	T	T	T	T	T	T
T	T	F	T	F	T	F	F	F
T	T	T	T	T	T	T	T	T

Models where KB is true:

- $P=F, Q=F, R=T$
- $P=T, Q=F, R=T$

Wk-6							
Does KB entail R?							
Yes, KB $\models R$. (Reasoning: If KB is true, then R is true.)							
i) Does KB entail $R \rightarrow P$? (Reasoning: If KB is true, then $R \rightarrow P$ is true.)							
ii) Does KB entail $S \rightarrow R$? (Reasoning: If KB is true, then $S \rightarrow R$ is true.)							
iii) Does KB entail $R \wedge S$? (Reasoning: If KB is true, then $R \wedge S$ is true.)							
iv) Does KB entail $S \wedge R$? (Reasoning: If KB is true, then $S \wedge R$ is true.)							
v) Does KB entail $(Q \vee C) \wedge (B \vee \neg C) \Rightarrow \neg C \wedge A \vee B$?							
Truth table:							
A	B	C	$A \vee C$	$B \vee \neg C$	KB	$\neg C \wedge A \vee B$	
F	F	F	F	T	F	T	
F	F	T	T	F	F	F	
F	T	F	T	T	T	T	
F	T	T	T	F	T	F	
T	F	F	T	F	F	T	
T	F	T	T	T	T	F	
T	T	F	T	F	F	T	
T	T	T	T	T	T	T	

KB $\models R$ for models: $(A, B, C) \in \{(T, T, T), (T, F, F), (T, T, F), (T, F, T)\}$.

i.e., whenever KB is True, R is True.

Algorithms							
function TT-ENTAILS?(KB, Q) returns true or false							
inputs: KB, the knowledge base, & propositional logic							
i.e., the query, a sentence in propositional logic							
symbols = a list of the proposition symbols in KB							
return TT-CHECK-ALL(KB, Q, symbols, {})							
function TT-CHECK-ALL(KB, Q, symbols, model) returns true or false							
if EMPTY?(symbols) then							
if PI-TRUE?(KB, model) then return PI-True(model)							
else return False(model)							
else do							
P = FIRST(symbols)							
model = REST(symbols)							
return TT-CHECK-ALL(KB, Q, symbols \ P, model) \cup TT-CHECK-ALL(KB, Q, symbols \ P, model \ P, False))							

Code:

```
import itertools
import re
```

```
def evaluate(expr, model):
```

```
    """
```

Evaluate a propositional logic expression under a given model (assignment).

Supported operators:

\sim : NOT

\wedge : AND

\vee : OR

\rightarrow : IMPLIES

\leftrightarrow : BICONDITIONAL

```
"""
```

```
# Replace biconditional and implication first
```

```
expr = expr.replace("<->", " == ")
```

```
expr = expr.replace("->", " <= ")
```

```
# Replace negation ~ with explicit parentheses (not X)
```

```
expr = re.sub(r'~(\w+)', r'(not \1)', expr)
```

```
expr = re.sub(r'~(([^)])+)''', r'(not (\1))', expr)
```

```
# Replace AND and OR
```

```
expr = expr.replace("^\w+", " and ")
```

```

expr = expr.replace("v", " or ")

# Replace symbols with their boolean values in the model
for sym, val in model.items():
    expr = re.sub(r'\b' + re.escape(sym) + r'\b', str(val), expr)

# Evaluate the final Python boolean expression
return eval(expr)

def tt_entails(kb, query, symbols):
    """
    Truth-table enumeration to check if KB entails Query.
    Prints the truth table and returns True if entails, else False.
    """
    entails = True
    models = list(itertools.product([True, False], repeat=len(symbols)))

    print("Truth Table Evaluation:\n")
    header = " | ".join(symbols) + " | KB | Query | KB  $\Rightarrow$  Query"
    print(header)
    print("-" * len(header) * 2)

    for values in models:
        model = dict(zip(symbols, values))
        kb_val = evaluate(kb, model)
        query_val = evaluate(query, model)
        implication = (not kb_val) or query_val

        if kb_val and not query_val:
            entails = False

        row = " | ".join(['T' if v else 'F' for v in values])
        row += f" | {kb_val} | {query_val} | {implication}"
        print(row)

    print("\nResult:")
    if entails:
        print("The Knowledge Base entails the Query (KB  $\models$  Query)")
    else:
        print("The Knowledge Base does NOT entail the Query (KB  $\not\models$  Query)")

# Example usage:

kb = "(Q  $\rightarrow$  P)  $\wedge$  (P  $\rightarrow$   $\neg$ Q)  $\wedge$  (Q  $\vee$  R)"

```

```
symbols = ["P", "Q", "R"]
```

```
queries = ["R", "R -> P", "Q -> R"]
```

for query in queries:

```
    print(f"\nEvaluating Query: {query}\n")
    tt_entails(kb, query, symbols)
    print("\n" + "="*50 + "\n")
```

Output:

```
=====
RESTART: D:/1BM23CS145/propositionallogic.py =====

Evaluating Query: R
Truth Table Evaluation:
P | Q | R | KB | Query | KB => Query
-----
T | T | T | F | T | T
T | T | F | F | F | T
T | F | T | T | T | T
T | F | F | F | F | T
F | T | T | F | T | T
F | T | F | F | F | T
F | F | T | T | T | T
F | F | F | F | F | T

Result:
The Knowledge Base entails the Query (KB => Query)
=====

Evaluating Query: R -> P
Truth Table Evaluation:
P | Q | R | KB | Query | KB => Query
-----
T | T | T | F | T | T
T | T | F | F | F | T
T | F | T | T | T | T
T | F | F | F | T | T
F | T | T | F | F | T
F | T | F | F | T | T
F | F | T | T | F | T
F | F | F | F | T | T

Result:
The Knowledge Base does NOT entail the Query (KB => Query)
=====

Evaluating Query: Q -> R
Truth Table Evaluation:
P | Q | R | KB | Query | KB => Query
-----
T | T | T | F | T | T
T | T | F | F | F | T
T | F | T | T | T | T
T | F | F | F | F | T
F | T | T | F | T | T
F | T | F | F | T | T
F | F | T | T | F | T
F | F | F | F | T | T

Result:
The Knowledge Base entails the Query (KB => Query)
```

Program 7

Implement unification in first order logic

Algorithm:

week - 7
21/10/23

Implement unification in first order logic part 7: x & y

(P1 op1 op2, P2 op2 op3) and

Algorithm :

Step 1) If P_1 or P_2 is a variable or const, then:

- If P_1 or P_2 are identical, then return NIL
- Else if P_1 is variable,
 - If P_1 occurs in P_2 , return FAILURE
 - else return $(\theta_1(P_1))$
- Else if P_2 is variable,
 - If P_2 occurs in P_1 , then return FAILURE
 - else return $(\theta_2(P_2))$
- else return failure.

Step 2) If the initial predicate symbol in P_1 & P_2 are not same return FAILURE

Step 3) If P_1 and P_2 have different arguments, return FAIL

Step 4) Set substitution set (SUBST) to NIL.

Step 5) For $i=1$ to the no. of elements in P_1 ,

- call unify function with i'th element of P_1 with i'th element of P_2 . Put result into S.
- If S-failure, return failure.
- If S!=NIL, do
 - Apply S to remainder of L1 & L2
 - SUBST = APPEND(S, SUBST)

Step 6) return SUBST.

Ex :

$\text{eats}(x, \text{apple}) , \text{eats}(\text{Riya}, y)$

$x \rightarrow \text{Riya}$

$\text{eats}(\text{Riya}, \text{apple}), \text{eats}(\text{Riya}, y)$

$y \rightarrow \text{apple}$

~~$\text{eats}(\text{Riya}, \text{apple}), \text{eats}(\text{Riya}, \text{apple})$~~

8/10

Code:

```
def is_variable(x):
    return isinstance(x, str) and x.islower()

def is_constant(x):
    return isinstance(x, str) and x[0].isupper()

def occurs_check(var, expr, subst):
    """Check if var occurs in expr after applying current substitution"""
    if var == expr:
        return True
    elif isinstance(expr, list):
        return any(occurs_check(var, e, subst) for e in expr)
    elif expr in subst:
        return occurs_check(var, subst[expr], subst)
    return False
```

```

def unify(x, y, subst=None, depth=0):
    """Main unification function with debug prints"""
    indent = " " * depth
    if subst is None:
        print(indent + f"Substitution failed.")
        return None
    print(indent + f"Unify({x}, {y}) with subst = {subst}")

    if x == y:
        print(indent + "Terms are identical, no change.")
        return subst
    elif is_variable(x):
        return unify_var(x, y, subst, depth)
    elif is_variable(y):
        return unify_var(y, x, subst, depth)
    elif isinstance(x, list) and isinstance(y, list):
        if len(x) != len(y):
            print(indent + "Lists have different lengths. Fail.")
            return None
        for xi, yi in zip(x, y):
            subst = unify(xi, yi, subst, depth + 1)
        if subst is None:
            print(indent + "Failed to unify list elements.")
            return None
        return subst
    else:
        print(indent + "Cannot unify different constants or structures. Fail.")
        return None

def unify_var(var, x, subst, depth):
    indent = " " * depth
    if var in subst:
        print(indent + f"{var} is in subst, unify({subst[var]}, {x})")
        return unify(subst[var], x, subst, depth + 1)
    elif is_variable(x) and x in subst:
        print(indent + f"{x} is in subst, unify({var}, {subst[x]})")
        return unify(var, subst[x], subst, depth + 1)
    elif occurs_check(var, x, subst):
        print(indent + f"Occurs check failed: {var} occurs in {x}")
        return None
    else:
        print(indent + f"Add {var} -> {x} to subst")
        subst[var] = x
        return subst

# Example expressions
expr1 = ['f', 'X', ['g', 'Y']]

```

```
expr2 = ['f', 'a', ['g', 'b']]  
  
print("Starting Unification:\n")  
result = unify(expr1, expr2, subst={})  
print("\nFinal Unification Result:", result)
```

Output:

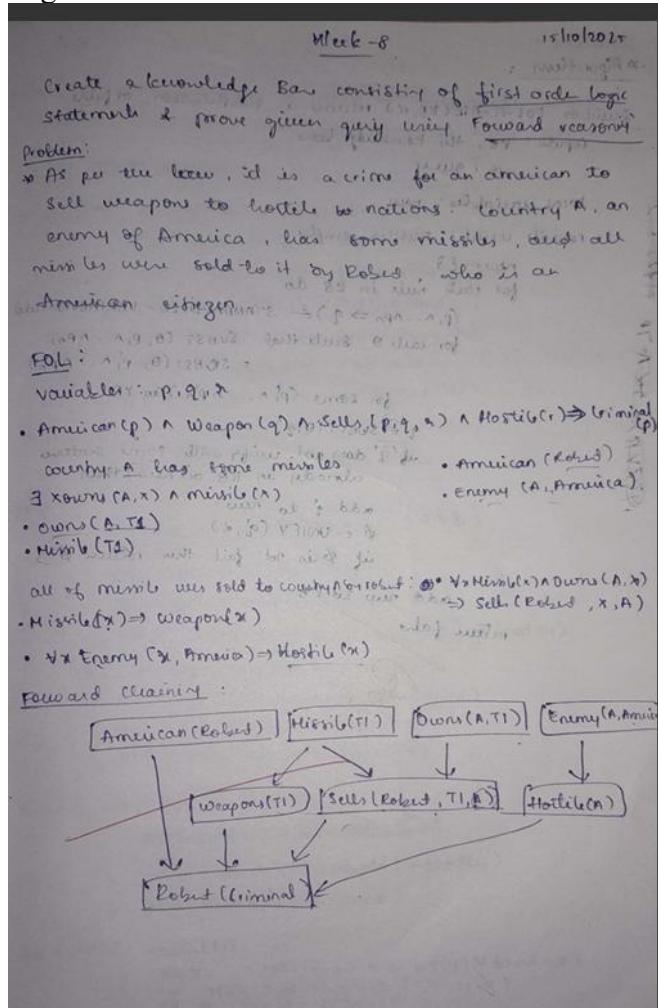
```
>> ===== RESTART: D:/1BM23CS145/unification.py =====  
Starting Unification:  
  
Unify(['f', 'X', ['g', 'Y']], ['f', 'a', ['g', 'b']]) with subst = {}  
  Unify(f, f) with subst = {}  
  Terms are identical, no change.  
  Unify(X, a) with subst = {}  
  Add a -> X to subst  
  Unify(['g', 'Y'], ['g', 'b']) with subst = {'a': 'X'}  
    Unify(g, g) with subst = {'a': 'X'}  
    Terms are identical, no change.  
    Unify(Y, b) with subst = {'a': 'X'}  
    Add b -> Y to subst  
  
  Final Unification Result: {'a': 'X', 'b': 'Y'}  
>> |
```

Ln: 559 Col: 0

Program 8

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Algorithm:



Code:

```
import re
```

class KnowledgeBase:

```
def __init__(self):
    self.facts = set()
    self.rules = []
```

```
def add_fact(self, fact):  
    self.facts.add(fact)
```

```
def add_rule(self, head, body, label=None):
    self.rules.append({"head": head, "body": body, "label": label})
```

```
def substitute(expr, subs):
```

```

for var, val in subs.items():
    expr = re.sub(r'\b' + var + r'\b', val, expr)
return expr

def extract_predicate(expr):
    m = re.match(r'(\w+)\(([^\)]*)\)', expr)
    if not m:
        return None, []
    pred, args = m.groups()
    args = [a.strip() for a in args.split(',') if a.strip()]
    return pred, args

def unify(pattern, fact):
    p_pred, p_args = extract_predicate(pattern)
    f_pred, f_args = extract_predicate(fact)
    if p_pred != f_pred or len(p_args) != len(f_args):
        return None
    subs = {}
    for pa, fa in zip(p_args, f_args):
        if pa[0].islower():
            if pa in subs:
                if subs[pa] != fa:
                    return None
            else:
                subs[pa] = fa
        elif pa != fa:
            return None
    return subs

def forward_chain(kb, query):
    derived = True
    steps = []
    while derived:
        derived = False
        for rule in kb.rules:
            body = rule["body"]
            head = rule["head"]
            label = rule["label"]

            matches = [{}]
            for cond in body:
                new_matches = []
                for m in matches:
                    for fact in kb.facts:
                        subs = unify(cond, substitute(fact, m))
                        if subs is not None:
                            combined = {**m, **subs}

```

```

consistent = True
for k in combined:
    if k in m and m[k] != combined[k]:
        consistent = False
        break
    if consistent:
        new_matches.append(combined)
matches = new_matches

for subs in matches:
    new_fact = substitute(head, subs)
    if new_fact not in kb.facts:
        kb.facts.add(new_fact)
    derived = True
    steps.append({
        "rule": label,
        "substitution": subs,
        "premises": [substitute(c, subs) for c in body],
        "derived": new_fact
    })
    print(f'Derived: {new_fact} by rule {label} with substitution {subs}')
return steps

def print_proof(query, steps):
    derived_by = {step["derived"] for step in steps}

def print_tree(goal, indent=""):
    if goal not in derived_by:
        print(f'{indent}- {goal}')
    else:
        step = derived_by[goal]
        print(f'{indent}- {goal} [derived by: {step["rule"]}]')
        for p in step["premises"]:
            print_tree(p, indent + " ")

print(f'\nProof tree for query '{query}':')
print_tree(query)

# -----
# Create knowledge base
# -----
kb = KnowledgeBase()

kb.add_fact("Owns(A, t1)")
kb.add_fact("Missile(t1)")
kb.add_fact("American(Robert)")

```

```

kb.add_fact("Enemy(A, America)")

kb.add_rule("Criminal(p)", ["American(p)", "Weapon(q)", "Sells(p, q, r)", "Hostile(r)"],
label="R_crime")
kb.add_rule("Sells(Robert, x, A)", ["Missile(x)", "Owns(A, x)"], label="R_sells_by_robert")
kb.add_rule("Weapon(x)", ["Missile(x)"], label="R_missile_weapon")
kb.add_rule("Hostile(x)", ["Enemy(x, America)"], label="R_enemy_hostile")

query = "Criminal(Robert)"

steps = forward_chain(kb, query)

print("\n==== Knowledge Base Facts after Forward Chaining ====")
for f in sorted(kb.facts):
    print(" -", f)

print("\nDerivation steps:")
for i, step in enumerate(steps, 1):
    print(f"Step {i}: rule {step['rule']}")
    print(" substitution:", step["substitution"])
    print(" premises used:")
    for p in step["premises"]:
        print(" -", p)
    print(" derived:", step["derived"], "\n")

print("==== Query Result ====")
if query in kb.facts:
    print(f"Query '{query}' is TRUE (derived)")
else:
    print(f"Query '{query}' could NOT be derived")

print_proof(query, steps)

```

Output:

IDLE Shell 3.13.6

```

File Edit Shell Debug Options Window Help
===== RESTART: D:/IBM23CS145/AI/week8_forward_reasoning.py =====
Derived: Sells(Robert, t1, A) by rule R_sells_by_robert with substitution {'x': 't1'}
Derived: Weapon(t1) by rule R_missile_weapon with substitution {'x': 't1'}
Derived: Hostile(A) by rule R_enemy_hostile with substitution {'x': 'A'}
Derived: Criminal(Robert) by rule R_crime with substitution {'p': 'Robert', 'q': 't1', 'r': 'A'}

==== Knowledge Base Facts after Forward Chaining ====
- American(Robert)
- Criminal(Robert)
- Enemy(A, America)
- Hostile(A)
- Missile(t1)
- Owns(A, t1)
- Sells(Robert, t1, A)
- Weapon(t1)

Derivation steps:
Step 1: rule R_sells_by_robert
    substitution: {'x': 't1'}
    premises used:
        - Missile(t1)
        - Owns(A, t1)
    derived: Sells(Robert, t1, A)

Step 2: rule R_missile_weapon
    substitution: {'x': 't1'}
    premises used:
        - Missile(t1)
    derived: Weapon(t1)

Step 3: rule R_enemy_hostile
    substitution: {'x': 'A'}
    premises used:
        - Enemy(A, America)
    derived: Hostile(A)

Step 4: rule R_crime
    substitution: {'p': 'Robert', 'q': 't1', 'r': 'A'}
    premises used:
        - American(Robert)
        - Weapon(t1)
        - Sells(Robert, t1, A)
        - Hostile(A)
    derived: Criminal(Robert)

==== Query Result ====
Query 'Criminal(Robert)' is TRUE (derived)

Proof tree for query 'Criminal(Robert)':
- Criminal(Robert) [derived by: R_crime]
- American(Robert)
- Weapon(t1) [derived by: R_missile_weapon]
- Missile(t1)
- Sells(Robert, t1, A) [derived by: R_sells_by_robert]
- Missile(t1)
- Owns(A, t1)
- Hostile(A) [derived by: R_enemy_hostile]
- Enemy(A, America)

```

Ln: 29 Col: 27

Program 9

Create a knowledge base consisting of first order logic statements and prove the given query using Resolution

Algorithm:

Week - 1
Resolution in FOL
29/01/2023

Ex 6: Create a knowledge base consisting of first order logic statements and prove the given query using resolution

Given KB or memory:

- A(x) : food(x) \rightarrow likes(John, x)
- food(Apple) \wedge food(vegetable)
- hungry : eats(X, Y) \wedge killed(X) \rightarrow food(Y)
- eats(Child, Peanut) \vee !alive(Child)
- !eats(Child, X) \rightarrow eats(Harry, X)
- !X : !killed(X) \rightarrow alive(X) \wedge !killed(Cat)

To prove:

- ? !killed(Toddler) \wedge likes(Toddler, Peanut)

Solution:

- 1) Refute (\neg) !killed(Toddler) \wedge likes(Toddler, Peanut): $\neg(\neg \text{killed}(\text{Toddler})) \wedge \neg(\text{likes}(\text{Toddler}, \text{Peanut}))$
- 2) Eliminate implication: $\{ \neg \text{killed}(\text{Toddler}), \neg \text{likes}(\text{Toddler}, \text{Peanut}) \}$
- 3) Derive (\neg) alive(Toddler): $\neg(\text{alive}(\text{Toddler}))$
- 4) Derive (\neg) !killed(Cat): $\neg(\neg \text{killed}(\text{Cat}))$
- 5) Derive (\neg) eats(Child, Peanut) \wedge !alive(Child): $\neg(\text{eats}(\text{Child}, \text{Peanut})) \wedge \neg(\text{alive}(\text{Child}))$
- 6) Derive (\neg) eats(Child, X) \rightarrow eats(Harry, X): $\neg(\neg \text{eats}(\text{Child}, \text{X})) \rightarrow \neg(\text{eats}(\text{Harry}, \text{X}))$
- 7) Derive (\neg) !killed(X) \rightarrow alive(X): $\neg(\neg \text{killed}(\text{X})) \rightarrow \neg(\neg \text{alive}(\text{X}))$
- 8) Derive (\neg) !killed(X) \rightarrow !killed(Cat): $\neg(\neg \text{killed}(\text{X})) \rightarrow \neg(\neg \text{killed}(\text{Cat}))$

i) move negation (\neg) towards

- 1) Refute (\neg) !killed(Toddler) \wedge likes(Toddler, Peanut): $\neg(\neg \text{killed}(\text{Toddler})) \wedge \neg(\text{likes}(\text{Toddler}, \text{Peanut}))$
- 2) Derive (\neg) alive(Toddler): $\neg(\text{alive}(\text{Toddler}))$
- 3) Derive (\neg) !killed(Cat): $\neg(\neg \text{killed}(\text{Cat}))$
- 4) Derive (\neg) !killed(X) \rightarrow alive(X): $\neg(\neg \text{killed}(\text{X})) \rightarrow \neg(\neg \text{alive}(\text{X}))$

ii) Remove variables

- 1) Refute (\neg) !killed(X, Z) \wedge !killed(Y, Z) \wedge food(Z): $\neg(\neg \text{killed}(\text{X}, \text{Z})) \wedge \neg(\neg \text{killed}(\text{Y}, \text{Z})) \wedge \neg(\text{food}(\text{Z}))$
- 2) Derive (\neg) !killed(X, Y) \wedge !killed(Y, Z) \wedge food(Z): $\neg(\neg \text{killed}(\text{X}, \text{Y})) \wedge \neg(\neg \text{killed}(\text{Y}, \text{Z})) \wedge \neg(\text{food}(\text{Z}))$
- 3) Derive (\neg) !killed(X, Y) \wedge !killed(Y, Z) \wedge !alive(Z): $\neg(\neg \text{killed}(\text{X}, \text{Y})) \wedge \neg(\neg \text{killed}(\text{Y}, \text{Z})) \wedge \neg(\neg \text{alive}(\text{Z}))$
- 4) Derive (\neg) !killed(X, Y) \wedge !killed(Y, Z) \wedge !killed(Z): $\neg(\neg \text{killed}(\text{X}, \text{Y})) \wedge \neg(\neg \text{killed}(\text{Y}, \text{Z})) \wedge \neg(\neg \text{killed}(\text{Z}))$

Eliminate

1. Eliminate biconditionals & implications:
 $\neg(A \leftrightarrow B) \equiv (\neg A \wedge B) \vee (A \wedge \neg B)$
 $\neg(A \rightarrow B) \equiv A \wedge \neg B$
2. Move \neg inward:
 $\neg(\neg A \wedge B) \equiv A \vee \neg B$
 $\neg(\neg A \wedge \neg B) \equiv A \vee B$
 $\neg(\neg A \vee B) \equiv \neg A \wedge \neg B$
 $\neg(\neg A \vee \neg B) \equiv A \wedge B$
3. Standardize variables good by renaming them.
4. Skolemize
 i.e., $\exists x R(x)$ becomes $R(x)$ where x is the new Skolem constant
5. Drop universal quantifiers
 $\forall x P(x)$ \rightarrow $P(x)$ (where x is a fresh variable)
6. Distribute \wedge over \vee :
 $(A \wedge B) \vee C \equiv (A \vee C) \wedge (B \vee C)$

Code:

STEP 1. Input FOL Statements

FOL statements = {

- 'a': " $\forall x: \text{food}(x) \rightarrow \text{likes}(\text{John}, x)$ ",
- 'b': "food(Apple) \wedge food(Vegetables)",
- 'c': " $\forall x \forall y: \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y)$ ",
- 'd': "eats(Anil, Peanuts) \wedge alive(Anil)",
- 'e': " $\forall x: \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x)$ ",
- 'f': " $\forall x: \neg \text{killed}(x) \rightarrow \text{alive}(x)$ ",
- 'g': " $\forall x: \text{alive}(x) \rightarrow \neg \text{killed}(x)$ ",
- 'h': "likes(John, Peanuts)"

1

```
print("==== STEP 1: Given FOL Statements ===")
```

for key, val in FOL statements.items():

```
print(f'{key}. {val}')
```

STEP 2. Eliminate Implications

```
print("== STEP 2: After Removing Implications ==")
```

```
CNF_imp_removed = {  
    'a': "¬food(x) ∨ likes(John, x)".
```

```

'b1': "food(Apple)",
'b2': "food(Vegetables)",
'c': "¬eats(x, y) ∨ killed(x) ∨ food(y)",
'd1': "eats(Anil, Peanuts)",
'd2': "alive(Anil)",
'e': "¬eats(Anil, x) ∨ eats(Harry, x)",
'f': "killed(x) ∨ alive(x)",
'g': "¬alive(x) ∨ ¬killed(x)",
'h': "likes(John, Peanuts)"
}

for key, val in CNF_imp_removed.items():
    print(f'{key}. {val}')

# STEP 3. Standardize Variables and Drop Quantifiers

print("==== STEP 3: Standardized Variables (Dropped Quantifiers) ====")
for key, val in CNF_imp_removed.items():
    print(f'{key}. {val}')

# STEP 4. Final CNF Knowledge Base

print("==== STEP 4: Final CNF Clauses ====")

CNF_clauses = [
    "¬food(x) ∨ likes(John, x)",
    "food(Apple)",
    "food(Vegetables)",
    "¬eats(y, z) ∨ killed(y) ∨ food(z)",
    "eats(Anil, Peanuts)",
    "alive(Anil)",
    "¬eats(Anil, w) ∨ eats(Harry, w)",
    "killed(g) ∨ alive(g)",
    "¬alive(k) ∨ ¬killed(k)",
    "likes(John, Peanuts)"
]

for i, clause in enumerate(CNF_clauses, start=1):
    print(f'{i}. {clause}')

# STEP 5. Resolution Proof (Text-Based)

print("==== STEP 5: Resolution Proof ====")

steps = [
    ("1", "Negate Goal", "¬likes(John, Peanuts)"),
    ("2", "Resolve (1) with (¬food(x) ∨ likes(John, x)) using {x/Peanuts}", "¬food(Peanuts)"),
]

```

("3", "Resolve (2) with ($\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$) using {z/Peanuts}", " $\neg \text{eats}(y, \text{Peanuts}) \vee \text{killed}(y)$ "),

("4", "Resolve (3) with ($\text{eats}(\text{Anil}, \text{Peanuts})$) using {y/Anil}", " $\text{killed}(\text{Anil})$ "),

("5", "Resolve (4) with ($\neg \text{alive}(k) \vee \neg \text{killed}(k)$) using {k/Anil}", " $\neg \text{alive}(\text{Anil})$ "),

("6", "Resolve (5) with ($\text{alive}(\text{Anil})$)", " \perp (Contradiction)")

]

for num, action, result in steps:

```
print(f"Step {num}: {action}")
print(f"    ⇒ {result}\n")
```

```
print("Contradiction reached ⇒ Therefore, John likes Peanuts is TRUE.\n")
```

Output:

```
== STEP 1: Given FOL Statements ==
a. vx: food(x) + likes(John, x)
b. food(Apple) ∧ food(Vegetables)
c. vxvy: eats(x, y) ∧ ¬killed(x) → food(y)
d. eats(Anil, Peanuts) ∧ alive(Anil)
e. vx: eats(Anil, x) + eats(Harry, x)
f. vx: ¬killed(x) → alive(x)
g. vx: alive(x) + ¬killed(x)
h. likes(John, Peanuts)
== STEP 2: After Removing Implications ==
a. ¬food(x) ∨ likes(John, x)
b1. food(Apple)
b2. food(Vegetables)
c. ¬eats(x, y) ∨ killed(x) ∨ food(y)
d1. eats(Anil, Peanuts)
d2. alive(Anil)
e. ¬eats(Anil, x) ∨ eats(Harry, x)
f. killed(x) ∨ alive(x)
g. alive(x) ∨ ¬killed(x)
h. likes(John, Peanuts)
== STEP 3: Standardized Variables (Dropped Quantifiers) ==
a. ¬food(x) ∨ likes(John, x)
b1. food(Apple)
b2. food(Vegetables)
c. ¬eats(x, y) ∨ killed(x) ∨ food(y)
d1. eats(Anil, Peanuts)
d2. alive(Anil)
e. ¬eats(Anil, x) ∨ eats(Harry, x)
f. killed(x) ∨ alive(x)
g. alive(x) ∨ ¬killed(x)
h. likes(John, Peanuts)
== STEP 4: Final CNF Clauses ==
1. ¬food(x) ∨ likes(John, x)
2. food(Apple)
3. food(Vegetables)
4. ¬eats(y, z) ∨ killed(y) ∨ food(z)
5. eats(Anil, Peanuts)
6. alive(Anil)
7. ¬eats(Anil, w) ∨ eats(Harry, w)
8. killed(g) ∨ alive(g)
9. ¬alive(k) ∨ ¬killed(k)
10. likes(John, Peanuts)
== STEP 5: Resolution Proof ==
Step 1: Negate Goal
    ⇒ ¬likes(John, Peanuts)

Step 2: Resolve (1) with (-food(x) ∨ likes(John, x)) using {x/Peanuts}
    ⇒ ¬food(Peanuts)

Step 3: Resolve (2) with (-eats(y,z) ∨ killed(y) ∨ food(z)) using {z/Peanuts}
    ⇒ ¬eats(y, Peanuts) ∨ killed(y)

Step 4: Resolve (3) with (eats(Anil, Peanuts)) using {y/Anil}
    ⇒ killed(Anil)

Step 5: Resolve (4) with (-alive(k) ∨ ¬killed(k)) using {k/Anil}
    ⇒ ¬alive(Anil)
```

Program 10

Implement Alpha-Beta Pruning.

Algorithm:

Week - 10

Alpha-Beta Pruning

($\alpha = \infty$) & ($\beta = -\infty$) after ($\alpha > \beta$) no more pruning

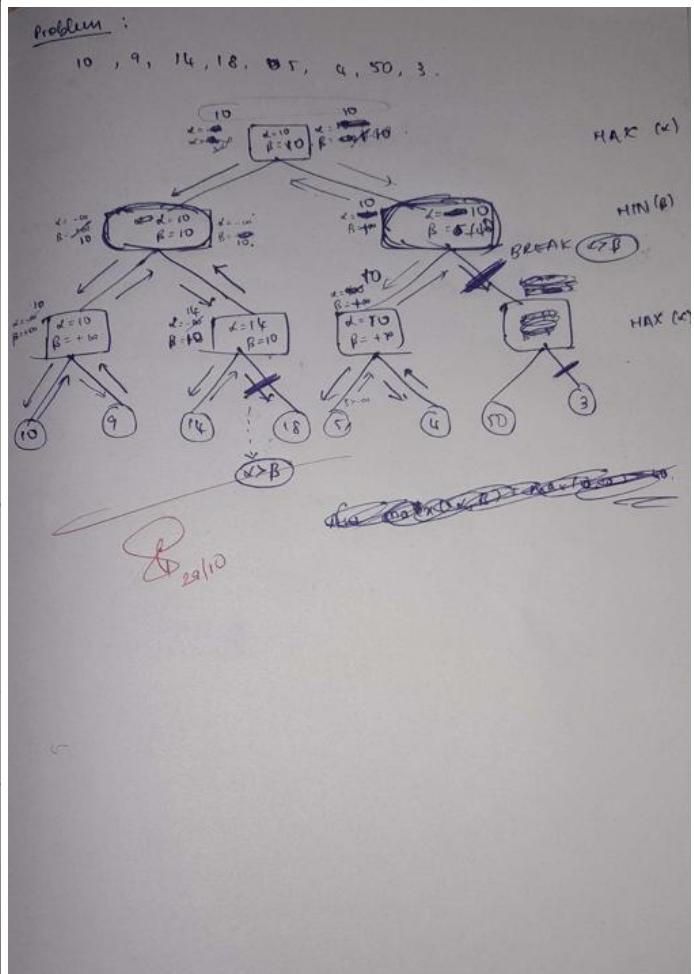
Algorithm :

```

function A-B-SEARCH(state) returns an action
    v ← MAX-VALUE(state, -∞, +∞)
    return the actions in ACTIONS(state) with value v
function MAX-VALUE(state, α, β) returns a utility state-value
    if TERMINAL-TEST(state) then return UTILITY(state)
    for each a in ACTIONS(state) do
        v ← MAX(v, MIN-VALUE(RESULT(s, a), α, β))
        if v ≥ β then return v
        α ← MAX(α, v)
    return v

function MIN-VALUE(state, α, β) returns utility value
    if TERMINAL-TEST(state) then return UTILITY(state)
    v ← +∞
    for each a in ACTIONS(state) do
        v ← MIN(v, MAX-VALUE(RESULT(s, a), α, β))
        if v ≤ α then return v
        β ← MIN(β, v)
    return v

```



Code:

```
import math
```

```
# -----
# Define the game tree structure
# -----
game_tree = {
    'A': ['B', 'C'],
    'B': ['D', 'E'],
    'C': ['F', 'G'],
    'D': ['L1', 'L2'],
    'E': ['L3', 'L4'],
    'F': ['L5', 'L6'],
    'G': ['L7', 'L8'],
    'L1': 10,
    'L2': 9,
    'L3': 14,
```

```

'L4': 18,
'L5': 5,
'L6': 4,
'L7': 50,
'L8': 3
}

# -----
# Pretty print the game tree as ASCII art
# -----
def print_tree():
    print("\nGame Tree Structure:\n")
    print("      A (MAX)")
    print("      /   \\")

    print("    B (MIN)   C (MIN)")
    print("    /   \\"   /   \\")

    print("  D (MAX) E (MAX) F (MAX) G (MAX)")
    print("  /   \\"   /   \\"   /   \\"   /   \\")

    print("10  9  14  18  5  4  50  3")
    print("\n-----\n")

# -----
# Alpha-Beta Pruning Implementation (with detailed trace)
# -----
def alphabeta(node, depth, alpha, beta, maximizing_player):
    indent = " " * depth # indentation for better readability

    # If leaf node
    if isinstance(game_tree[node], int):
        print(f'{indent}Reached leaf {node} with value {game_tree[node]}')
        return game_tree[node]

    # MAX node
    if maximizing_player:
        print(f'{indent}Exploring MAX node {node} (depth={depth}), α={alpha}, β={beta}')
        max_eval = -math.inf
        for child in game_tree[node]:
            print(f'{indent}--> Exploring child {child} of {node}')
            eval = alphabeta(child, depth + 1, alpha, beta, False)
            max_eval = max(max_eval, eval)
            alpha = max(alpha, eval)
        print(f'{indent}Updated MAX node {node}: value={max_eval}, α={alpha}, β={beta}')
        if beta <= alpha:
            print(f'{indent}!!! Pruning at MAX node {node} (β={beta} ≤ α={alpha})')
            break
    return max_eval

```

```

# MIN node
else:
    print(f'{indent}Exploring MIN node {node} (depth={depth}), α={alpha}, β={beta}"')
    min_eval = math.inf
    for child in game_tree[node]:
        print(f'{indent}--> Exploring child {child} of {node}')
        eval = alphabeta(child, depth + 1, alpha, beta, True)
        min_eval = min(min_eval, eval)
        beta = min(beta, eval)
    print(f'{indent}Updated MIN node {node}: value={min_eval}, α={alpha}, β={beta}"')
    if beta <= alpha:
        print(f'{indent}!!! Pruning at MIN node {node} (β={beta} ≤ α={alpha})')
        break
return min_eval

```

```

# -----
# Run the algorithm
# -----
print_tree()
print("Starting Alpha-Beta Pruning...\n")

best_value = alphabeta('A', 0, -math.inf, math.inf, True)

print("\n-----")
print(f' Best achievable value at root (A): {best_value}')
print("-----")

```

Output:

```

Game Tree Structure:
      A (MAX)
      /   \
     B (MIN)   C (MIN)
    / \   / \
    D (MAX) E (MAX) F (MAX) G (MAX)
   / \ / \ / \
  10  9  14  18  5   4   50   3

-----
Starting Alpha-Beta Pruning...
Exploring MAX node A (depth=0), α=-inf, β=inf
-> Exploring child B of A
Exploring MIN node B (depth=1), α=-inf, β=inf
--> Exploring child D of B
Exploring MAX node D (depth=2), α=-inf, β=inf
--> Exploring child L1 of D
    Reached leaf L1 with value 18
    Updated MAX node D: value=18, α=18, β=inf
--> Exploring child L2 of D
    Reached leaf L2 with value 9
    Updated MAX node D: value=18, α=18, β=inf
    Updated MAX node D: value=18, α=18, β=18
    Updated MAX node D: value=18, α=18, β=18
--> Exploring child E of B
Exploring MAX node E (depth=2), α=-inf, β=18
--> Exploring child L3 of E
    Reached leaf L3 with value 14
    Updated MAX node E: value=14, α=14, β=18
    !!! Pruning at MAX node E (β=18 ≤ α=14)
    Updated MAX node E: value=14, α=14, β=18
    Updated MAX node A: value=18, α=18, β=18
    Updated MAX node A: value=18, α=18, β=inf
--> Exploring child C of A
Exploring MIN node C (depth=1), α=18, β=inf
--> Exploring child F of C
Exploring MAX node F (depth=2), α=18, β=inf
--> Exploring child L5 of F
    Reached leaf L5 with value 5
    Updated MAX node F: value=5, α=18, β=inf
--> Exploring child L6 of F
    Reached leaf L6 with value 4
    Updated MAX node F: value=5, α=18, β=inf
    Updated MIN node C: value=5, α=18, β=inf
    !!! Pruning at MIN node C (β=5 ≤ α=18)
    Updated MAX node A: value=18, α=18, β=inf
-----
```

Best achievable value at root (A): 18