

• **ROLL NO. - 210100166 CLASS - D3/T4**

- In week-0, I learnt about uncertainty principle of Heisenberg which is $\Delta x \Delta p > \hbar/4\pi$, planks equation $E = K.E. + \Phi$, by Davisson-Germier experiment gives $m\lambda = 2d\sin\theta$, De Broglie wavelength and Schrodinger's philosophy about particle and wave. We also got wave number $K = 2\pi/\lambda$. Finally, we get Schrodinger equation TDSE - $i\hbar \partial\psi/\partial t = H\psi = [-\hbar^2/2m \partial^2/\partial x^2 + V(x)] \psi$. I also understood about eigenfunction and eigen value of Schrodinger eqn. from lecture, All the eigenfunction of Q.M. operators are orthogonal ($\langle \psi_m / \psi_n^* \rangle = 0$ for $m \neq n$ and $\langle \psi_m / \psi_n^* \rangle = 1$ for $m = n$). In this week I also learn about normalisation of function ($\langle \psi / \psi^* \rangle = 1$) and I also understand about what is the restrictions on wave functions, In free Particle there are no external force act on particle so net force on particle equal to zero so $V(x) = 0$ in Schrodinger equation.
- In particle in 1-D Box, there are two infinite wall at $x=0$ and $x=L$ and we get boundary condition $\psi(0)=0$ and $\psi(L)=0$ and we get eqn. of wave function for particle in box is $\sqrt{2/L} \sin n\pi x/L$ where $n=1,2,3...$ and we get energy expression $E_n = n^2 h^2 / 8mL^2$ then I learn about expectation value from lecture.