

# Q3

November 21, 2021

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[95]: %run lib.ipynb
```

```
[96]: x = [1.5,1.8,2.1,2.7,3.0,3.3,3.6,3.9,4.8,5.1,5.4,5.7,6.0,6.6,6.9,7.2,7.8,8.1,8.
      ↪4,8.7]
      y = [0.45,0.42,0.42,0.36,0.33,0.31,0.32,0.31,0.28,0.29,0.24,0.23,0.25,0.21,0.
      ↪23,0.21,0.23,0.22,0.24,0.23]
      import math
      #(i) y = (sigma1_x) e^(alpha1 x). Take ln both sides. lny = c1 + c2 x
      lny = [math.log(i) for i in y]
      linearfit(x,lny)
```

The slope is -0.0971676482997938

The intercept is -0.7720858223962891

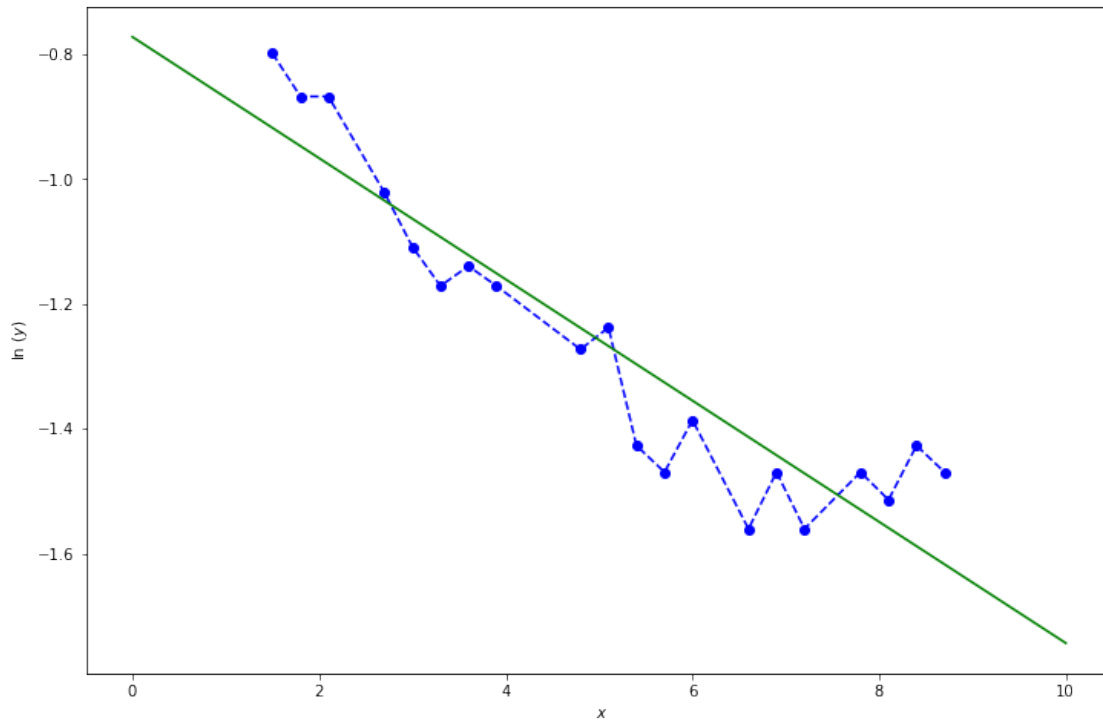
The Corellation coefficient 'r' is 0.9231412967039344

```
[97]: # the slope = ln(sigma1_0) ; intercept = alpha1
      sigma1_0 = math.exp(-0.0971676482997938)
      alpha1 = -0.7720858223962891
      print("The value of sigma_0 = " + str(sigma1_0))
      print("The value of alpha = " + str(alpha1))
```

The value of sigma\_0 = 0.9074038686650271

The value of alpha = -0.7720858223962891

```
[98]: t = np.linspace(0,10,3000,endpoint= True)
      s = -0.7720858223962891 + t*-0.0971676482997938
      plt.figure(figsize = (12, 8))
      plt.plot(x,lny,'bo--')
      plt.plot(t,s,'g', label='Precise Soln')
      plt.xlabel(" $x$")
      plt.ylabel("ln $(y)$")
      plt.show()
```



```
[99]: #(ii)  $y = (\sigma_2 x) T^{\alpha_2}$ . Take  $\ln$  both sides.  $\ln y = c_3 + c_4 \ln x$ 
lny = [math.log(i) for i in y]
lnx = [math.log(i) for i in x]
linearfit(lnx, lny)
```

The slope is -0.43849688288816846

The intercept is -0.6060230029837954

The Correlation coefficient 'r' is 0.9644824067362816

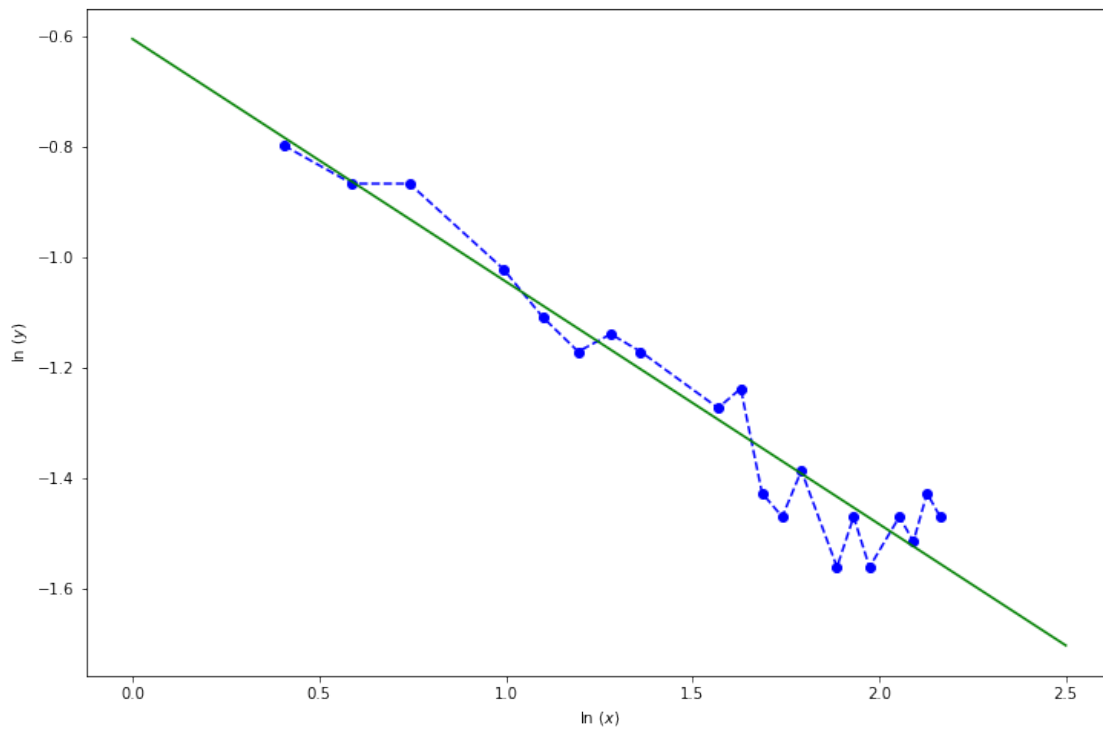
```
[100]: # the slope =  $\ln(\sigma_2_0)$  ; intercept =  $\ln(\alpha_2)$ 
sigma2_0 = math.exp(-0.43849688288816846)
alpha2 = -0.6060230029837954
print("The value of sigma_0 = " + str(sigma2_0))
print("The value of alpha = " + str(alpha2))
```

The value of sigma\_0 = 0.6450052111683877

The value of alpha = -0.6060230029837954

```
[101]: t = np.linspace(0, 2.5, 3000, endpoint= True)
s = -0.6060230029837954 + t*-0.43849688288816846
plt.figure(figsize = (12, 8))
plt.plot(lnx, lny, 'bo--')
plt.plot(t, s, 'g', label='Precise Soln')
plt.xlabel("ln  $x$ ")
```

```
plt.ylabel("ln $(y)$")
plt.show()
```



```
[102]: print("Since the r value of (ii) is closer to 1 than (i), the data is fit better_
        ↳to the second equation(ii)")
```

Since the r value of (ii) is closer to 1 than (i), the data is fit better to the second equation(ii)