## CPL\_Midsem

## October 9, 2021

```
[]: %run Function_Library.ipynb
[30]: #Q1
      #Kavin.A.S.B(1911085)
      def h(x):
          return (x-5)*math.exp(x)+5
      eps=10**-6
      p=1
      q = 10
      a,b=bracketing(p,q,h)
      print("\nFrom Newton Raphson Method")
      x=5
      root=newton_raphson(x,h)
      print("Nearest root of the given function for " + str(x) + " is x = "+str(root))
      \#b = kx/hc
      b = 344.9453
      print("The value of b =" + str(b))
      #Kavin.A.S.B(1911085)
```

From Newton Raphson Method Nearest root of the given function for 5 is x=4.965114231744276 The value of b =344.9453

```
print("No unique solution exists.")
```

The augmented matrix is:

```
0
                  1
                      0 0
    0
             2
         3
                       1
    0
             0
                  0
0
    4
         0
             0
                  0
                       0
5
    0
         0
             0
                  0
                       0
                           0
                                1
```

```
TypeError
                                          Traceback (most recent call last)
<ipython-input-36-5deb19ca9f8f> in <module>
      3 print("The augmented matrix is: ")
      4 print_matrix(C,4,8)
----> 5 GJ, d=gauss_jordan(C,4,8)
      6 if GJ!=None:
      7
           M=get_inv(C,4)
<ipython-input-4-6c373844fedc> in gauss_jordan(Ab, nrows, ncols)
                        # does partial pivoting
     54
                        Ab = partial_pivot(Ab,r,nrows)
                    fact=Ab[r][r]
---> 55
     56
                    det=det*fact # calculates the determinant
     57
                    for c in range(r,ncols):
TypeError: 'int' object is not subscriptable
```

```
[35]: #Q3
#Kavin.A.S.B(1911085)
# LU decomposition using Doolittle's condition L[i][i]=1

print("The matrix is: ")
A,r,c = read_matrix('A.txt')
print_matrix(A,r,c)

vect=[-9,5,7,11]

# partial pivoting
A, vector = partial_pivot_LU(A, vect, r)
A = LU_doolittle(A,r)
```

```
print("The transformed LU matrix is ")
     print_matrix(A,r,r)
     x = [0 \text{ for i in range}(r)]
     x = for_back_subs_doolittle(A,r,vect)
     print("Solutions are : ")
     for i in range(r):
         print("x["+str(i)+"] = "+str(x[i]))
     #Kavin.A.S.B(1911085)
     The matrix is:
           -7.0
     3.0
                 -2.0
                          2.0
     -3.0
          5.0 1.0
                          0.0
     6.0
           -4.0
                 0.0
                          -5.0
     -9.0
          5.0
                 -5.0 12.0
     The transformed LU matrix is
     3.0
           -7.0
                 -2.0
                           2.0
     -1.0
            -2.0
                  -1.0
                           2.0
     -3.0
            8.0
                   -3.0
                           2.0
     2.0
           -5.0
                 0.333333333333333
                                        0.3333333333333334
     Solutions are :
     x[0] = 3.0
     x[1] = 4.0
     x[2] = -6.0
     x[3] = -1.0
[14]: #Q4
     #Kavin.A.S.B(1911085)
     def f(x):
         return 4*math.sin(x)*math.exp(-x)-1
```

```
eps=10**-6
p=0
q=1
a,b=bracketing(p,q,f)
print("\nFrom Bisection Method")
root=bisection(a,b,f)
if p==a and q==b:
    print("Root of the function in the interval (" + str(p) + "," + str(q) + "),
\rightarrow= "+str(root))
else:
    print("Root does not lie in the given range (" + str(p) + "," + str(q)+")")
    print("We change the interval to (" + str(a) + "," + str(b)+")")
    print("Root of the given function in the interval (" + str(a) + "," + str(b)_{\sqcup}
→+ ") is "+str(root))
print("\nFrom Regular Falsi Method")
root=regula_falsi(a,b,f)
if p==a and q==b:
   print("Root of the function in the interval (" + str(p) + "," + str(q) + ")__
→= "+str(root))
else:
    print("Root does not lie in the given range (" + str(p) + "," + str(q)+")")
    print("We change the interval to (" + str(a) + "," + str(b)+")")
    print("Root of the given function in the interval (" + str(a) + "," + str(b) ∪
→+ ") is "+str(root))
#Kavin.A.S.B(1911085)
```

```
From Bisection Method Root of the function in the interval (0,1) = 0.3705587387084961 From Regular Falsi Method Root of the function in the interval (0,1) = 0.3705584003334566
```

```
[16]: #Kavin.A.S.B(1911085)
import math
import matplotlib.pyplot as plt

plt.figure(figsize=(9,6))
p=0
q=1
a,b=bracketing(p,q,f)
x_bis, y_bis =bisection_for_plotting(a,b,f)
x_rf, y_rf =regula_falsi_for_plotting(a,b,f)
```

```
print("\nBISECTION METHOD")
a=pd.DataFrame(y_bis,x_bis)
print(a)
print("\n\nREGULA FALSI METHOD")
b=pd.DataFrame(y_rf,x_rf)
print(b)

plt.plot(x_bis, y_bis, 'r-o', label='Bisection')
plt.plot(x_rf, y_rf, 'g-o', label='Regula Falsi')

plt.grid(color='b', ls = '-.', lw = 0.5)
plt.xlabel('No. of terms in taylor expansion')
plt.ylabel('Error')
plt.title('Error vs No. of terms curve')
plt.legend()
plt.show()
#Kavin.A.S.B(1911085)
```

```
BISECTION METHOD
```

0

- 1 -2.292864e-01
- 2 6.940729e-03
- 3 -1.002927e-01
- 4 -4.406794e-02
- 5 -1.792540e-02
- 6 -5.334495e-03
- 7 8.423635e-04
- 8 -2.236228e-03
- 9 -6.944759e-04
- 10 7.455742e-05
- 11 -3.098058e-04
- 12 -1.175858e-04
- 13 -2.150461e-05
- 14 2.652880e-05
- 15 2.512695e-06 16 -9.495808e-06
- 17 -3.491519e-06
- 18 -4.894027e-07
- 19 1.011648e-06

## REGULA FALSI METHOD

0

- 1 2.889616e-01
- 2 2.534652e-01

- 3 1.630040e-01
- 4 8.445109e-02
- 5 3.886823e-02
- 6 1.691148e-02
- 7 7.177851e-03
- 8 3.014426e-03
- 9 1.260307e-03
- 10 5.259410e-04
- 11 2.193102e-04
- 12 9.141959e-05
- 13 3.810315e-05
- 14 1.588027e-05
- 15 6.618275e-06
- 16 2.758210e-06
- 17 1.149498e-06

18 4.790581e-07

output\_5\_1.png

[]: