

# my\_assignment3

September 4, 2021

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[2]: %run MyLibrary.ipynb
```

```
[3]: # Function to swap row1 and row2
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```
def swap_rows(Ab,row1,row2):  
    temp = Ab[row1]  
    Ab[row1] = Ab[row2]  
    Ab[row2] = temp  
    return Ab
```

```
# Function for partial pivoting
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```
def partial_pivot(Ab,m,nrows):  
    pivot = Ab[m][m] # declare the pivot  
    if (Ab[m][m] != 0):  
        return Ab # return if partial pivot is not required  
    else:  
        for r in range(m+1,nrows):  
            # check for non-zero pivot and swap rows with it  
            if Ab[r][m] != 0:  
                pivot = Ab[r][m]  
                Ab=swap_rows(Ab,m,r)  
                return Ab  
        else:  
            r+=1  
    if (pivot==0): # if there is no unique solution  
        return None
```

```
# Gauss Jordan Elimination method
```

```
def gauss_jordan(Ab,nrows,ncols):  
    det=1  
    r=0  
    # does partial pivoting  
    Ab = partial_pivot(Ab,r,nrows)
```

```

for r in range(0,nrows):
    # if there is no solution
    if Ab==None:
        return Ab
    else:
        # Changes the diagonal elements to unity
        fact=Ab[r][r]
        det=det*fact # calculates the determinant
        for c in range(r,ncols):
            Ab[r][c]*=1/fact
        # makes all elements other than diagonal elements to zero
        for r1 in range(0,nrows):
            # does not change if it is already done
            if (r1==r or Ab[r1][r]==0):
                r1+=1
            else:
                factor = Ab[r1][r]
                for c in range(r,ncols):
                    Ab[r1][c]-= factor * Ab[r][c]
        return Ab, det

# Function to extract inverse from augmented matrix

def get_inv(A,n):
    r=len(A)
    c=len(A[0])
    M=[[0 for j in range(n)] for i in range(n)]
    for i in range(r):
        for j in range(n,c):
            M[i][j-n]=A[i][j]
    return M

# Function to round off all elements of a matrix

def round_matrix(M,r):
    for i in range(len(M)):
        for j in range(len(M[0])):
            M[i][j]=round(M[i][j],r)
    return M

```

```

[4]: A = [[1,1,1,1, 13],[2,3,0,-1, -1], [-3,4,1,2, 10],[1,2,-1,1, 1]]
print("The augmented matrix is: ")
print_matrix(A,4,5)
GJ, d=gauss_jordan(A,4,5)
if GJ!=None:

```

```

M=round_matrix(A,2)
print("Solutions are : ")
for i in range(4):
    print(M[i][4])
else:
    print("No unique solution exists.")

```

The augmented matrix is:

```

1   1   1   1   13
2   3   0  -1  -1
-3  4   1   2   10
1   2  -1   1   1

```

Solutions are :

```

2.0
-0.0
6.0
5.0

```

```

[5]: B = [[0,2,-3,-1],[1,0,1,0],[1,-1,0,3]]
print("The augmented matrix is: ")
print_matrix(B,3,4)
GJ, d=gauss_jordan(B,3,4)
if GJ!=None:
    print("Solutions are : ")
    for i in range(3):
        print(B[i][3])
else:
    print("No unique solution exists.")

```

The augmented matrix is:

```

0   2  -3  -1
1   0   1   0
1  -1   0   3

```

Solutions are :

```

1.0
-2.0
-1.0

```

```

[6]: C2 = [[0,2,1],[4,0,1],[-1,2,0]]      # matrix
C = [[0,2,1, 1,0,0],[4,0,1, 0,1,0],[-1,2,0, 0,0,1]]      # augmented matrix
print("The augmented matrix is: ")
print_matrix(C,3,6)
GJ, d=gauss_jordan(C,3,6)
if GJ!=None:
    # Finding the inverse and printing in rounded form
    # Multiply the matrices to verify if it is identity and then rounding at the
    →end
    M=get_inv(C,3)
    MM,k,l=matrix_multiply(M,3,3,C2,3,3)
    M=round_matrix(M,2)
    print("The inverse matrix is: ")
    print_matrix(M,3,3)
    print("Verification: ")
    MM=round_matrix(MM,2)
    print_matrix(MM,3,3)
else:
    print("No unique solution exists.")

```

The augmented matrix is:

0	2	1	1	0	0
4	0	1	0	1	0
-1	2	0	0	0	1

The inverse matrix is:

-0.33	0.33	0.33
-0.17	0.17	0.67
1.33	-0.33	-1.33

Verification:

1.0	0.0	0.0
0.0	1.0	0.0
0.0	0.0	1.0

```
[7]: D = [[1,4,2,3, 1,0,0,0],[0,1,4,4, 0,1,0,0],[-1,0,1,0, 0,0,1,0],[2,0,4,1,0,0,0,1]]
print("The augmented matrix is: ")
print_matrix(D,4,8)
GJ, d=gauss_jordan(D,4,8)
if GJ!=None:
    print("Determinant of the matrix = ",end='')
    print(round(d,4))
else:
    print("No unique solution exists.")
```

The augmented matrix is:

1	4	2	3	1	0	0	0
0	1	4	4	0	1	0	0
-1	0	1	0	0	0	1	0
2	0	4	1	0	0	0	1

Determinant of the matrix = 65.0