

# Pressure Drop Estimation in Pipelines

(Analytical Modeling and Validation using MATLAB, Python, Excel,  
Aspen HYSYS & DWSIM)



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Agenda

1. Problem Statement
2. Fluid Mechanics Fundamentals
3. Darcy–Weisbach Equation
4. Flow Regimes & Friction Factor Models
5. Pipeline Roughness & Material Selection
6. Minor Losses
7. Validation with Moody Chart
8. Engineering Methodology & Workflow
9. Demo Outputs (Python, Matlab, Excel, DWSIM, Aspen Hysys)
10. Limitations
11. Summary



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Problem Statement

## **Objective:**

Develop and validate a computational model to estimate pressure drop in pipelines under different flow and material conditions.

## **Engineering Value:**

- Enables quick estimation before simulation
- Useful for pump sizing
- Reduces energy consumption
- Helps avoid undersizing/oversizing during design



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Fluid Transport Fundamentals

## Key Quantities:

- Flow rate (Q)
- Cross-sectional area (A)
- Velocity (v)
- Density ( $\rho$ )
- Viscosity ( $\mu$ )
- Pipe diameter (D)
- Length (L)

## Formula:

$$A = \frac{\pi D^2}{4}, v = \frac{Q}{A}$$

**Concept:** Higher velocity increases frictional resistance → higher pressure drop.



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Darcy–Weisbach Equation

$$\Delta p = f \cdot \frac{L \cdot \rho v^2}{D}$$

Where:

- $f$ = friction factor
- $L$ = pipe length
- $D$ = pipe diameter
- $v$ = velocity
- $\rho$ = fluid density

## Interpretation:

Pressure drop is proportional to:

- Length
- Velocity<sup>2</sup>
- Friction factor

Inversely proportional to diameter



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Flow Regimes (Reynolds Number)

$$Re = \frac{\rho v D}{\mu}$$

## Regimes:

- **Laminar:**  $Re < 2300$
- **Transitional:**  $2300–4000$
- **Turbulent:**  $Re > 4000$

## Engineering Insight:

Most industrial flows are turbulent → friction factor depends on *roughness* +  $Re$ .



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Friction Factor Models

## Laminar Flow

$$f = \frac{64}{Re}$$

## Turbulent Flow (Swamee–Jain)

Explicit formula:

$$f = 0.25 \left[ \log_{10} \left( \frac{\varepsilon}{3.7D} + \frac{5.74}{Re^{0.9}} \right) \right]^{-2}$$

## Turbulent Flow (Colebrook Equation)

Implicit equation (iterative):

$$\frac{1}{\sqrt{f}} = -2 \log_{10} \left( \frac{\varepsilon}{3.7D} + \frac{2.51}{Re\sqrt{f}} \right)$$

**Note:** Colebrook is more accurate but requires iteration; Swamee–Jain is explicit and fast.



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Pipe Roughness ( $\epsilon$ ) Values

Material	$\epsilon$ (m)	Notes
PVC	1.5e-6	Smooth
Copper	1.5e-6	Very smooth
Stainless Steel	4.5e-5	Standard engineering value
Commercial Steel	4.5e-5	Used widely in industries
Concrete	3e-3	Very rough

## Importance:

- Roughness directly affects turbulent friction → huge impact on pressure drop.
- Roughness has negligible effect in laminar flow but significantly increases pressure drop in turbulent flow.



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Minor Losses (K-values)

$$\Delta p_{\text{minor}} = K \cdot \frac{\rho v^2}{2}$$

Component	K-value	Meaning
90° Bend	0.75	Change in direction
Gate Valve (open)	0.15	Small loss
Sudden Expansion	1.0	High loss
Entrance	0.5	Sharp-edged entry

## Engineer Tip:

In short pipelines, minor losses can exceed frictional losses → never ignore.



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Total Pressure Drop

$$\Delta p_{\text{total}} = \Delta p_{\text{friction}} + \Delta p_{\text{minor}}$$

Combine both effects for accurate design.

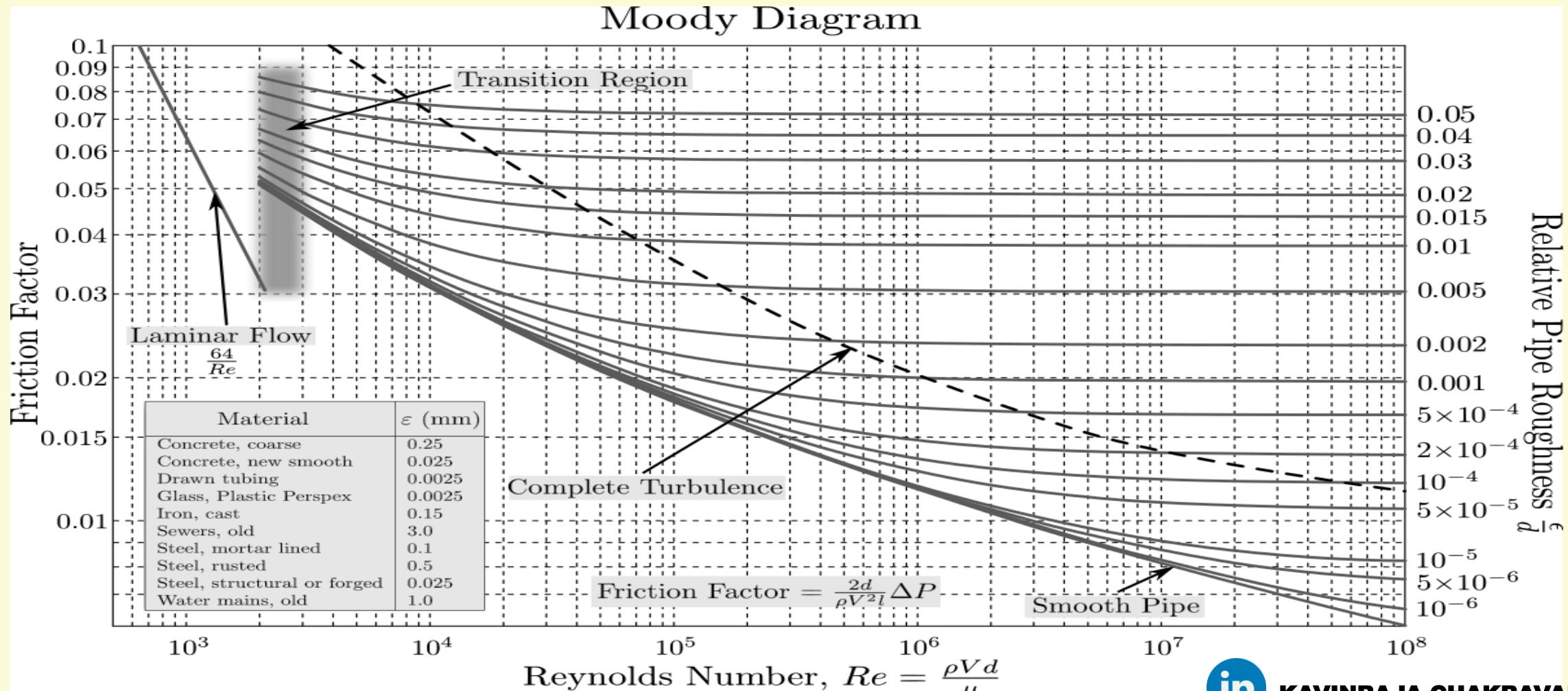


KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Validation with Moody Chart



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Engineering Algorithm & Computational Workflow(Python,Matlab)



- Input:  $Q$ ,  $D$ ,  $L$ ,  $\rho$ ,  $\mu$ ,  $\varepsilon$ ,  $K$ -list
- Compute  $A$
- Compute  $v$
- Compute  $Re$
- Determine flow regime
- Compute  $f$  (laminar / Swamee–Jain / Colebrook)
- Compute  $\Delta p_{\text{friction}}$
- Compute  $\Delta p_{\text{minor}}$
- Output results



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Python Demo Outputs

## Output

```
=====
PRESSURE DROP IN A STRAIGHT PIPE
Darcy-Weisbach Method
=====

Enter volumetric flow rate Q (m^3/s): 0.002784861111
Enter pipe diameter D (m): 0.1143
Enter pipe length L (m): 500
Enter fluid density rho (kg/m^3): 997.452
Enter fluid viscosity mu (Pa.s): 0.000889873
Enter pipe roughness epsilon (m): 0.000045
Enter number of fittings / minor losses: 1
Enter K-value for fitting 1: 0.5

Select friction factor method:
1 → Swamee-Jain (Explicit)
2 → Colebrook (Iterative)
Enter choice (1 or 2): 1

===== RESULTS =====
Flow regime          : Turbulent Flow
Velocity (m/s)       : 0.2714
Reynolds number      : 3.477e+04
Friction factor (f) : 0.02382
Δp (friction) (Pa)  : 3828.33
Δp (minor) (Pa)     : 18.37
Δp (total) (Pa)     : 3846.70
=====
```



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Matlab Demo Outputs

```
Command Window
Pressure_Drop_Estimation_in_Pipelines
=====
PRESSURE DROP IN A STRAIGHT PIPE
Darcy-Weisbach Method
=====
Enter volumetric flow rate Q (m^3/s) : 0.002784861111
Enter pipe diameter D (m) : 0.1143
Enter pipe length L (m) : 500
Enter fluid density rho (kg/m^3) : 997.452
Enter fluid viscosity mu (Pa.s) : 0.000889873
Enter pipe roughness epsilon (m) : 0.000045
Enter number of fittings / minor losses: 1
Enter K-value for fitting 1: 0.5

Select friction factor method:
1 → Swamee-Jain (Explicit)
2 → Colebrook (Iterative)
Enter choice (1 or 2) : 1

===== RESULTS =====
Flow regime           : Turbulent Flow
Velocity (m/s)        : 0.2714
Reynolds number       : 3.477e+04
Friction factor (f)   : 0.02382
Δp (friction) (Pa)    : 3828.33
Δp (minor) (Pa)       : 18.37
Δp (total) (Pa)       : 3846.70
=====

fx >>
```



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Excel Demo Outputs

**Pressure Drop Estimation in Pipelines**

USER INPUT			
Parameter	Symbols	Value	Units
Fluid Density	$\rho$	997.452	$\text{kg/m}^3$
Dynamic Viscosity	$\mu$	0.00089	$\text{Pa.s}$
Pipe Diameter	$D$	0.1143	$\text{m}$
Pipe Length	$L$	500	$\text{m}$
Flow Rate	$Q$	0.00278	$\text{m}^3/\text{s}$
Pipe Roughness	$\epsilon$	4.5E-05	$\text{m}$
K-values	$K$	0.5	-

REFERENCE		
Pipe Roughness ( $\epsilon$ ) Values		
Material	$\epsilon$ (m)	Notes
PVC	1.50E-06	Smooth
Copper	1.50E-06	Very smooth
Stainless Steel	4.50E-05	Standard engineering value
Commercial Steel	4.50E-05	Used widely in industries
Concrete	3.00E-03	Very rough

Minor Losses (K-values)		
Component	K-value	Meaning
90° Bend	0.75	Change in direction
Gate Valve (open)	0.15	Small loss
Sudden Expansion	1	High loss
Entrance	0.5	Sharp-edged entry

Determine Flow Regime		
Area(A) $0.01026 \text{ m}^2$	Reynolds Number (Re) $34789.8$	
Velocity (v) $0.27154 \text{ m/s}$		
	Friction Factor(f) $0.02382$	

Darcy–Weisbach Equation		
$\Delta p_{\text{friction}}$	3831.83	$\text{pa}$
Minor Losses		
$\Delta p_{\text{minor}}$	18.3872	$\text{pa}$

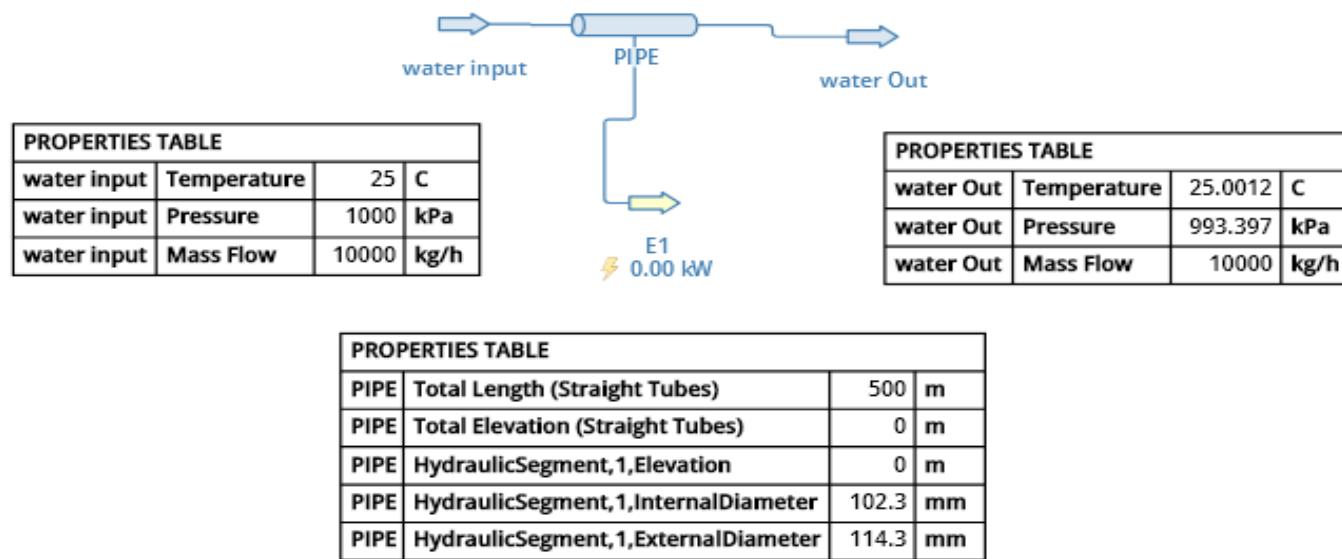
Total Pressure Drop		
$\Delta p_{\text{total}}$	3850	$\text{pa}$

Pressure drop is calculated using the Darcy–Weisbach equation, with friction factors derived from  $f=64/\text{Re}$  for laminar flow and the explicit Swamee–Jain approximation for turbulent flow to enable direct, non-iterative computation.

Created by Kavinraja Chakravarthy

# DWSIM Outputs

## Pressure Drop Estimation in Pipelines



KAVINRAJA CHAKRAVARTHY

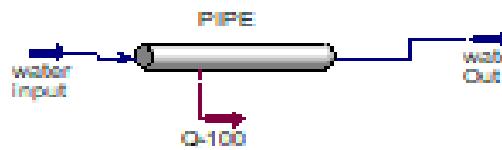


Kavinraja Chakravarthy

# Aspen Hysys Outputs

## Pressure Drop Estimation in pipelines

water input		
Temperature	25.00	C
Pressure	1000	kPa
Mass Flow	1.000e+004	kg/h



PIPE		
Inside Diameter(1)	102.3	mm
Outside Diameter(1)	114.3	mm
Pipe length(1)	500.0	m
Elevation(1)	0.0000	m
Fitting Type(1)	Pipe	
Material Type (Material Type_1)	Mild Steel	

water Out		
Temperature	25.00	C
Pressure	993.4	kPa
Mass Flow	1.000e+004	kg/h



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Limitations

- Assumes incompressible flow
- Single pipe only (no network)
- No temperature correction for fluid properties
- Transitional flow not modeled accurately
- Roughness constant (no aging/scaling)
- Assumes steady-state, single-phase flow



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

# Summary

- Darcy–Weisbach provides reliable pressure drop estimation
- Friction factor selection is critical and regime-dependent
- Analytical results were validated using multiple software tools
- The project demonstrates strong fundamentals in fluid mechanics and process simulation



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy

**GitHub Repository:** <https://github.com/kavinrajachakravarthy/Pressure-Drop-Estimation-in-Pipelines>

**linkedin:** <https://www.linkedin.com/in/kavinraja-chakravarthy>

# Thank You



KAVINRAJA CHAKRAVARTHY



Kavinraja Chakravarthy