Some applications (statically indeterminate) support settlement & FIS support B is sum by 8. We can split the problem into 2 part due to symmetry as shown Since there is a point of inflection, BM must be = 0 at that point. .. We can split at P into 2 contriberer beams with shear acting between them. 7 F x 8/2 Berionsly, we got, & D= P13 3EI : here me get,  $\frac{8}{2} = \frac{F(\frac{9}{2})^3}{3EI} = \frac{Fl}{24EI}$ : S = F/3 ~ F = Shew free at P=12EIS BM at support = 12EI8 x = 6EI8, shew at support=12EI8 BM diagram

GEZS

GEZS

(Faking (7)) A morning. We consider this broblem as superimposition of  $\frac{8}{12}$  of 2 problems, only  $\frac{8}{12}$  of  $\frac{5}{12}$  problems, only  $\frac{8}{12}$  of  $\frac{5}{12}$  o 1. 384 EI - R13 = 0 since deflection at B = 0 (due to given boundary condition) i. R = \frac{5}{8} WL \frac{1}{5} WL \frac{1}{16} WL \frac{1}{5} WL \frac{1}{16} WL \frac{1}{5} WL \frac{1}{16} WL \frac{1}{5} 3 ml 3 ml

Salution of statically indeterminate broblems:

general approach — O calendate the degree of indeterminacy (n)

(i) carrent it into a statically determinate broblem by removing reactions in "number of constraints. (111) Put "n" no. of unknowns in place of the constraints. (112) At each constraint, write the equation of resultant deflection (deformation involving those in unknown reactions. Thus me get "n" no. of livear simultaneous equation involving "n" unknown reactions. We solve them wring standard approach. Thus me find the unknown reactions and the problem is solved.

sake the following broblem.

AJ LEI equilibrium (ignoring ascial DOF)

.. We must remove 2 constraints to convert it into a determinate problem. We put unknown reaction forces in those constraints.

at b) R2 (+2)

We can write equations of slape cantilever beam R, and deflection at B. (determinate problem)

A  $\frac{1}{2}$ B slope at B=0  $\Rightarrow Pa^2 + \frac{R_2l}{EX} - \frac{R_1l}{2R_1} = 0$ 

: 3Pa2+ 2R21-4R,1=0-0

deflection at  $B=0 \Rightarrow \frac{Pa^3}{3E/1} + \frac{Pa^2}{2E/1}(b) + \frac{R_2l^2}{3E/1} - \frac{R_1l^3}{3E/1} = 0$ 

2 Pa3 + 3 Pa2b + 3 R212-2 R113=0 - 11 solve 1 and 1 to get R1 and R2

From @ Ha + 2R2 2Parl + 4R21 = 2R11 Use in 1 2 Pa3 + 3 Pab + 3 R2 1 = 2 R113 = 2 Pat 1 + 4 R2 12  $-2Pa^{3}+3Pa^{2}b=R_{2}l^{2}$   $\therefore R_{2}=\frac{Pa^{2}(2a+3b)}{l^{2}}=\frac{Pa^{2}(2l+b)-2l}{l^{2}}=\frac{Pba^{2}}{l^{2}}$ :.  $R_1 = \frac{1}{12} \left( Pa^2 + 2R_2 I \right) = \frac{1}{12} \left( Pa^2 + 2 Pba^2 X \right) = \frac{1}{12} \left( Pa^2 I + 2 Pba^2 X \right)$  $= \frac{Pa^{2}(1+2b)}{1^{2}} = \frac{Pa^{2}(1+2b)}{1^{3}} = \frac{Pa^{2}(a+3b)}{1^{3}}$ :. Sher at A = P - Pa2 (a+3b) = P[13-a2(a+3b)] using 1= a+b, me get shear at A = Pb (b+3a) Moment at  $A = \frac{2}{12} + \frac{2}{13} + \frac{2}{13} = \frac{2}{1$  $= \frac{P}{12} \left[ a_1^2 + b_1^2 - a_1^2 (a_1 + 3b_1^2) \right] = \frac{P}{12} \left[ a_1 (a_1 + b_1)^2 + b_1^2 - a_1^2 - 3b_1^2 \right]$  $= \frac{P}{12} \left[ a^3 + 2a^2b + b^2a + b^2a - 3ba^2 \right] = \frac{P}{12} \left[ ab^2 \right]$ : Reaction at A = - Pab2

Salve this problem gramming Find the support reactions and draw the SFD and BMD.

For method and draw the SFD and BMD. Note: these shear force diagram are the vertical shear face diagram.