Secure Data Aggregation Protocol for Sensor Networks

Presented By : Kavit Shah

Major Advisor : Brian King

Thesis Committee Members : Paul Salama, Mohamed El-Sharkawy, Sangkook Lee

Overview

- Introduction
- Cryptographic Tools
- Data Aggregation
- Secure Hierarchical In-network Data Aggregation (SHIA)
- Our Protocol
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Introduction

Ubiquitous Computing - is a scenario in which computing is everywhere.

Internet of Things - is a system where the Internet is connected to physical world via ubiquitous sensors.

Ad-hoc Networking - is a local network of sensors formed by peer-to-peer communications.

Sensor Networks - Collectively, we refer these concept as Sensor Networks.

Sensor Networks

In sensor networks, thousands of sensors may interact with each other and collects raw data.

The data is processed by computationally powerful machine (the base station).

Then the base station converts data into information.

Based on the derived information an important action is taken.

Sensor Networks Applications

Military - enemy tracking, battle filed surveillance or target classification.

Environmental - to monitor geographical location without much human intervention.

Health Care - to monitor patients around the clock, send reminders to doctors and nurses.

Sustainable Mobility - to build digitally connected and coordinated vehicles.

Consequences of Sensor Failures / Malicious Data

Speed sensor failure led to crash of Air France flight - Airbus A330 on 1st June 2009.

The speed sensors failed and for nearly a minute the pilot was not present in the cockpit.

AutoPilot did not know how to react.

The plane dropped out of the sky at a rate of 10,000 feet per minute.

The flight plunged into the Atlantic, killing all 228 on board.

Sensor Failure can be malicious data as well.

Resource Constrains

Physical Limitations - often deployed in open, hostile and unattended environments.

Hardware Limitations - due to lower manufacturing cost of sensor nodes, they have low speed processor, limited storage, a short range trans receivers.

 $\begin{tabular}{ll} \textbf{Transmission Medium -} & wireless networks have approximately 10^6 times higher bit error rate (BER) than wired networks which causes frequent link loss and then path loss. \\ \end{tabular}$

Mobility - network topology is dynamic, topology changes due to link failure, node failure or bandwidth optimization.

Cryptographic Tools

Hash Functions

A hash function takes a message as its input and outputs a fixed length message called hash code.

Compression It maps input x of arbitrary finite bitlength, to an output h(x) of fixed bitlength n.

Preimage resistance It is computationally infeasible to find to find any preimage x' such that h(x')=y where y is given whose corresponding input is not known.

Collision resistance It is computationally to find any two distinct inputs x,x' which hash to the same output, i.e., such that h(x)=h(x').

SHA-256, is a 256-bit hash and provides $128\,\mathrm{bits}$ of security against collision attacks.

Message Authentication Codes

A Message Authentication Code (MAC) is a family of hash functions parameterized by a secret key k.

Ease of computation

Compression

Computation-resistance

Digital Signatures

A digital signature is a cryptographic scheme which provides authentication, non-repudiation and integrity.

It is a 5-tuple scheme ($\mathcal{M},\mathcal{K},\mathcal{G},\mathcal{S},\mathcal{V}$)

For any secret key $(s_k,p_k)\in\mathcal{K}$ and any $m\in\mathcal{M}$, the message m is signed using key s_k as follows:

$$s=\mathrm{Sign}_{s_k}(m)$$

For any s_k let p_k denote public key and for all $m \in \mathcal{M}$ and $s \in \mathcal{S}$, s as follows:

$$\mathsf{Verify}_{p_k}(m,s) = \begin{cases} \mathbf{true} \text{ with probability of 1} & \text{if } s = \mathsf{Sign}_{s_k}(m) \\ \mathbf{false} \text{ with overwhelming probability} & \text{if } s \neq \mathsf{Sign}_{s_k}(m) \end{cases}$$

Summary of Cryptography Tools

Three different integrity-protection mechanisms HASH, MAC, Signature are summarized here.

	Who can generate it	Who can verify it
Hash	Everyone	Everyone
MAC	Holders of secret	Holders of secret
Signature	Holder of secret	Everyone

Data Aggregation

The idea of Data Aggregation is to compress the data coming from different sources.

Eliminating redundancy, minimizing the number of transmissions, thus saving energy and increasing the longevity of the network.

Address centric to a more Data centric approach for networking.

Definition

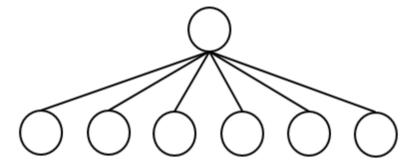
Consider a sensor network with n sensors collecting data and the base station, processes data into information.

Where, f is an aggregate function and $x_1, x_2, ..., x_n$ represent the sensor readings.

The goal is to compute the information as follows:

$$y = f(x_1, x_2, ..., x_n)$$

Data Aggregation using SUM



The root in the network, receives the following sensor data

 $S_1(10), S_2(14), S_3(12), S_4(15), S_5(11), S_6(17)$ and has its own data $S_0(15)$.

The root node aggregates these seven data and creates an aggregated result as follows:

$$S = \sum_{i=0}^{6} S_i \tag{1}$$

Now, root has to send only one data to its parent instead of seven.

Some Aggregate Functions

Min

Max

Sum

Average

Truncated Average

Trimmed Average

Count

Median

Lossy Data Compression

Lossy data compression schemes produces a compressed file from which only an **approximation** to the original information can be recovered. Much higher compression ratios are possible.

Our aggregation protocol is **lossy data compression** as the base station receives an aggregated sensor data and can not recover the original sensor data.

Secure Hierarchical In-network Data Aggregation (SHIA)

SHIA is a light weight protocol for providing data-integrity to in-network data aggregation scheme.

It is designed for general networks with single or multiple adversaries.

Our work enhances SHIA, by making it communication efficient, adds new security services to the protocol, achieves similar security goals with non-resilient aggregation functions and efficient ways of analyzing the protocol.

Network Assumptions

A multi hop network with a set $S = \{S_1, ..., S_n\}$ of n nodes where all sensor nodes are alive and reachable.

The network is organized in a rooted tree topology.

The **trusted base station** resides outside of the network and the network and the network topology.

The base station can directly communicate with every node in the network using authenticated broadcast.

All the wireless communications is **peer-to-peer** and we do not consider the **local wireless broadcast**.

Each sensor node I has a unique ${\bf ID}$ and shares a unique secret symmetric key ${\bf sk_I}$ with the base station.

Attacker Model

A model with **polynomially bounded** adversary (polynomial in terms of the security parameter).

We focus on **stealthy attacks**, where the goal of an adversary is to make the base station accept false aggregation results, which are significantly different from the true results determined by the measured values, while not being detected by the base station.

We do not consider denial-of-service (DoS) and various passive attacks.

SHIA Algorithm

The aggregate function f is summation meaning that we want to compute $a_1+a_2+\ldots+a_n$, where a_i is the sensor reading of the node i.

Query Dissemination, initiates the aggregation process.

Aggregate Commit, initiates the commitment tree generation process.

Result Checking, initiates the distributed, interactive verification process.

Aggregation Tree

We require the prior constructed rooted aggregation tree.

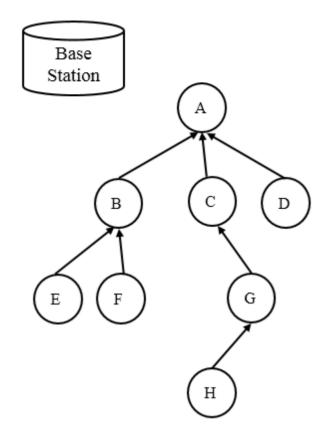


Figure 1: Aggregation Tree

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Query Dissemination

The base station broadcasts the query request message with the query nonce N in the aggregation tree.

SHIA uses hash chain to generate new nonce for each query to avoid replay attacks.

A hash chain is constructed by repeatedly evaluating a pre-image resistant hash function h on some initial random value, the final value (or "anchor value") is preloaded on the nodes in the network.

The base station uses the pre-image of the last used value as the nonce for the next broadcast.



Hash Chain.

For example, if the last known value of the hash chain is $h^i(X)$, then the next broadcast uses $h^{i-1}(X)$ as the nonce; X is the initial random value.

When a node receives a new nonce $N^{'}$, it verifies that $N^{'}$ is a precursor to the most recently received (and authenticated) nonce N on the hash chain, i.e., $h^i(N^{'})=N$ for some i bounded by a fixed k of number of hash applications.

Aggregate Commit

Defn: A commitment tree is a tree where each vertex has an associated data-item that is passed on to its parent: <count, value, complement, commitment>

The sensor node A creates the data-item for the leaf vertex A_0 is given as follows :

$$A_0 = \, < A_{count}, A_{value}, \overline{A_{value}}, A_{commitment} >$$

 $\text{Internal node I has child vertices: A_1,A_2,\ldots,A_q; $A_i = < A_{icount},A_{ivalue},\overline{A_{ivalue}},A_{icommitment} > 1.}$

Then,

$$I_{j} = < I_{jcount}, I_{jvalue}, \overline{I_{jvalue}}, I_{jcommitment} >$$

$$I_{jcount} = \sum A_{icount}$$

$$I_{jvalue} = \sum A_{ivalue}; \quad \overline{I_{jvalue}} = \sum \overline{A_{ivalue}}$$

$$I_{jcommitment} = H[N||I_{jcount}||I_{jvalue}||\overline{I_{jvalue}}||A_1||A_2||\dots||A_q]$$

Commitment Tree Generation Algorithm

Leaf nodes in the aggregation tree originate a single-vertex commitment forest.

Internal node I originates a similar single-vertex commitment forest and receives commitment forests from its children.

I wishes to combine q commitment forests F_1,\ldots,F_q .

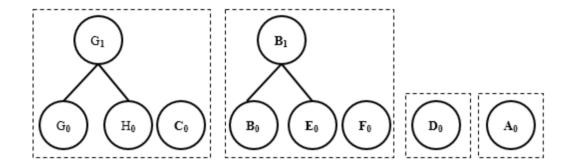
The intermediate result be $F=F_1\cup\ldots\cup F_q$, and repeat the following until no two trees are the same height in F.

Let h be the smallest height such that more than one tree in F has height h.

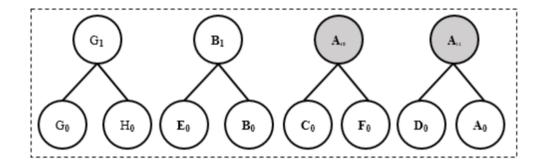
Find two commitment trees T_1 and T_2 of height h in F, and merge them into a tree of height h+1 by creating a new vertex that is the parent of both the roots of T_1 and T_2 .

Commitment Tree Generation Example

The commitment tree generation for the root \boldsymbol{A} of Figure 1 is given as follows:

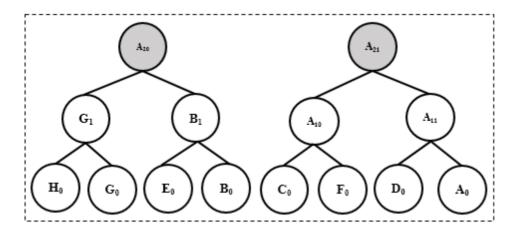


A 's forest impacted by the forests received from $B\,,\,C\,,\,D$.

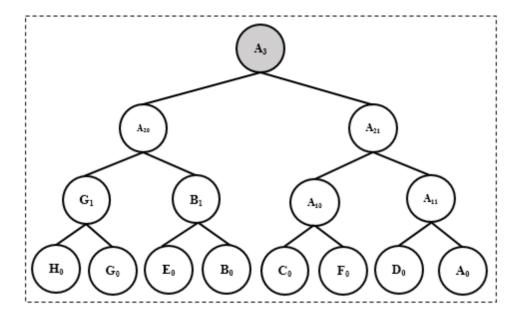


A's forest after first merge.

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A 's forest after second merge.



A's payload.

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$$A_{3} = <8, A_{3value}, \overline{A_{3value}}, H(N||8||A_{3value}||\overline{A_{3value}}||A_{20}||A_{21})>$$

$$A_{3value} = A_{20value} + A_{21value}; \qquad \overline{A_{3value}} = \overline{A_{20value}} + \overline{A_{21value}}$$

Result Checking

- **Distributing Final Commitment Values** The base station broadcasts all the received commitment data-items to the entire network using authenticated broadcast.
- **Distributing Off-path Values** The set of **off-path vertices** for a vertex u in a tree is the set of all the siblings of each of the vertices on the path from u to the root of the tree that u is in (the path is inclusive of u).
- Verification of Contribution The leaf vertex calculates the root data-item using received off-path data-items.
 - It compares the the calculated data-item with the received data-item from the base station.
 - If those two data-items match then it proceeds to the next step with Acknowledgment (ACK) message or with Negative Acknowledgment (NACK) message.

$$\begin{aligned} & \mathsf{MAC_{sk_A}}(\mathsf{N}||\mathsf{ACK}) \\ & \mathsf{MAC_{sk_A}}(\mathsf{N}||\mathsf{NACK}) \end{aligned}$$

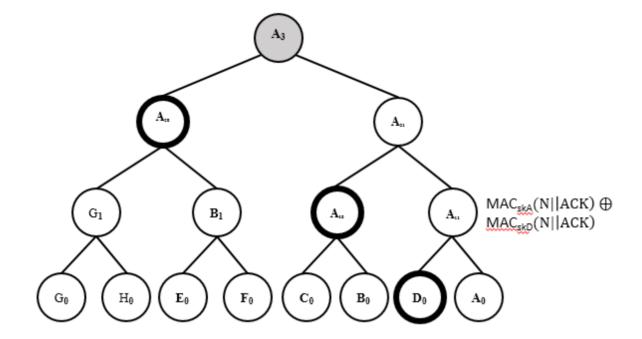
After receiving the authentication codes from all of its children it does XOR operation on all the authentication codes including its own authentication code and before sending to its parent.

Verification of confirmations The base station computes the following:

$$\bigoplus_{i=1}^n \mathrm{MAC}_{\mathrm{sk_i}}(\mathrm{N}||\mathrm{ACK})$$

Then it compares the computed code with the received code. If those two codes match, then the base station accepts the aggregation result.

Result Checking Example



Off-path vertices of \boldsymbol{u} are highlighted in bold.

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Our Protocol

Data Item

A commitment tree is a binary tree where each vertex has an associated data-item representing the data that is passed on to its parent.

$$< id, count, value, commitment >$$

Each sensor node creates its own data-item. For example, sensor node A creates its data-item A_0 .

$$A_0 = \langle A_{id}, 1, A_{value}, H(N||1||A_{value}) \rangle$$

where A_{id} , A_{value} is the unique ID and sensor reading of the node A. The count is 1 as there is only vertex in the subtree rooted at A, H is the collision resistant hash function, and N is the query nonce.

Signing and Verification of the Data-item

Each sensor node sends the signature of its data-item signed by itself using its own secret key.

$${\rm S}={\rm Sign}_{\rm sk_A}(A_0)$$

Table: Digital Certificate

Unique ID of the sensor node	
Public key of the sensor node	
Certification Authority's name	
Certification Authority's digital signature	

$$\text{Verify}_{\mathsf{pk}_{\mathsf{A}}}(A_0,\mathsf{S}) = \begin{cases} \text{true} \text{ with probability of 1} & \text{if } \mathsf{S} = \mathsf{Sign}_{\mathsf{sk}_{\mathsf{A}}}(A_0) \\ \text{false} \text{ with overwhelming probability} & \text{if } \mathsf{S} \neq \mathsf{Sign}_{\mathsf{sk}_{\mathsf{A}}}(A_0) \end{cases}$$

Commitment Payload

A **commitment payload** is a set of data-items of the root vertices of the trees with their respective signatures in the outgoing commitment forest and an additional signature for the transmission.

The **transmit payload** is the concatenation of all the data-items in the commitment payload.

Commitment Payload Example

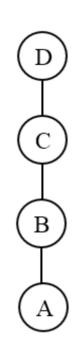


Figure 3: Palm Aggregation Tree

$$A_{pay} = \, < A_0, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{A}}}(A_0), \operatorname{Sign}_{\operatorname{sk}_{\mathsf{A}}}(A_\tau) > \ where \ A_\tau = \, < A_0 >$$

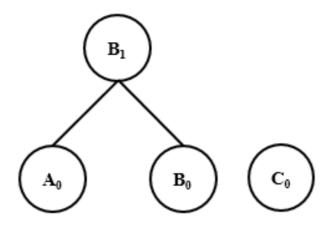


Figure 4: Commitment Payload of C

$$\begin{split} &C_{pay} = < C_0, \mathrm{Sign_{sk_C}}(C_0), B_1, \mathrm{Sign_{sk_B}}(B_1), \mathrm{Sign_{sk_C}}(C_\tau) > \ where \ C_\tau = < C_0 || B_1 > \\ &C_0 = < C_{id}, 1, C_{value}, H(N||1||C_{value}) > \\ &B_1 = < B_{id}, 2, B_{1value}, H(N||2||B_{1value}||A_0||B_0) >; \ B_{1value} = B_{value} + A_{value} \end{split}$$

FSwRD vs FSwoRD

Forwarding Signatures With Resigning Data-Item (FSwRD)

$$C_{\textit{pay}} = < C_0, \operatorname{Sign}_{\textit{sk}_{\textit{C}}}(C_0), B_1, \operatorname{Sign}_{\textit{sk}_{\textit{C}}}(B_1), \operatorname{Sign}_{\textit{sk}_{\textit{C}}}(C_{\tau}) > where C_{\tau} = < C_0 ||B_1| > 0$$

Forwarding Signatures Without Resigning Data-Item (FSwoRD)

$$C_{\textit{pay}} = < C_0, \operatorname{Sign}_{\textit{sk}_{\textit{C}}}(C_0), B_1, \operatorname{Sign}_{\textit{sk}_{\textit{B}}}(B_1), \operatorname{Sign}_{\textit{sk}_{\textit{C}}}(C_{\tau}) > where C_{\tau} = < C_0 ||B_1| > 0$$

Security Benefits of Signatures

The signature allows the parent node to verify the **authenticity** of the sensor node and assures the **integrity** of the data-item.

It allows the sender to have the proof for the sent data-item and the receiver to have the proof for the received data-item, providing the security service of **non-repudiation**.

The digital signature depends on the message so the parent node can not reuse the signature for other messages in the future, protecting the network against the **replay attacks**.

The signature of the transmit-payload is like the signature for the transmission, assuring none of the data-items in its payload have been left stranded.

Aggregate Commit: Commitment Tree Generation

Leaf nodes in the aggregation tree construct and send their payload to their parents in the aggregation tree.

Each internal node in the aggregation tree constructs their leaf vertex.

Internal node verifies all the received signatures then it merges all the data-items with same count value from its forest.

It merges two data-items by creating a new data-item with count value incremented by one and whose value is the addition of value field of the previous two data-items.

For example, in Figure ${\bf 0}$, the root A receives payloads from each of its children.

We describe the payload generation process for nodes $D, B, {\cal C}$ and ${\cal A}$ in order.

Example Continue: D's Payload Generation

The node D constructs its payload and sends D_{pay} to its parent A.

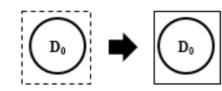


Figure 1: Transformation from D's forest to its payload. Each dashed-line box shows forest and solid-line box shows payload of the respective sensor node.

$$\begin{split} D_{pay} = &< D_0, \mathrm{Sign_{sk_D}}(D_0), \mathrm{Sign_{sk_D}}(D_\tau) >; \ where \ D_\tau = &< D_0 > \\ \\ D_0 = &< D_{id}, 1, D_{value}, H(N||1||D_{value}) > \end{split}$$

Example Continue: B's Payload Generation

The node ${\cal B}$ constructs its payload from its forest which consists of payloads received from ${\cal E}$ and ${\cal F}$.

Then node B sends B_{pay} to its parent A.

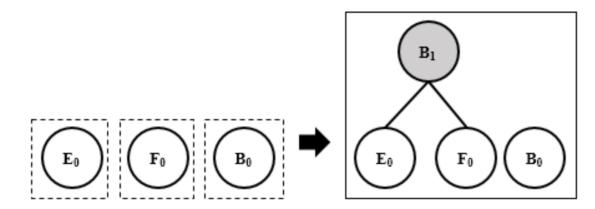


Figure 2: Transformation from B's forest to its payload.

$$\begin{split} B_1 = & < B_{id}, 2, B_{1value}, H(N||2||B_{1value}||E_0||F_0) > ; \ B_{1value} = E_{value} + F_{value} \\ \\ B_{pay} = & < B_0, \operatorname{Sign}_{\operatorname{sk}_B}(B_0), B_1, \operatorname{Sign}_{\operatorname{sk}_B}(B_1), \operatorname{Sign}_{\operatorname{sk}_B}(B_\tau) > \ where \ B_\tau = < B_0||B_1 > \end{split}$$

Example Continue: C's Payload Generation

The node ${\cal C}$ constructs its payload from its forest which consists of payloads received from ${\cal G}$.

Then node C sends C_{pay} to its parent A.

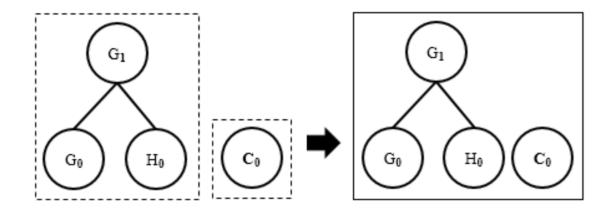


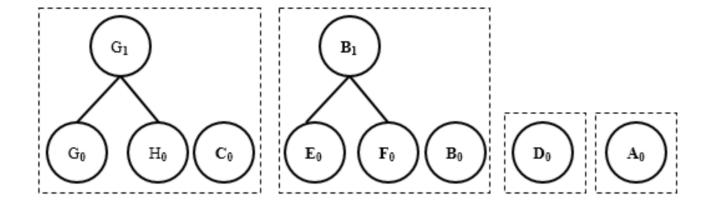
Figure 3: C's forest aggregation creating its payload.

$$G_{pay} = \langle G_1, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{G}}}(G_1), \operatorname{Sign}_{\operatorname{sk}_{\mathsf{G}}}(G_{\tau}) \rangle \ where \ G_{\tau} = \langle G_0 || H_0 \rangle$$

$$C_{pay} = \langle C_0, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{C}}}(C_0), G_1, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{C}}}(G_1), \operatorname{Sign}_{\operatorname{sk}_{\mathsf{C}}}(C_{\tau}) \rangle \ where \ C_{\tau} = \langle C_0 || G_1 \rangle$$

Example Continue: A's Payload Generation

The root node of the aggregation tree ${\cal A}$ receives the payloads from ${\cal B},{\cal C}$ and ${\cal D}$ respectively.



 $A\mbox{'s}$ forest: A receives three payloads from C,B and D

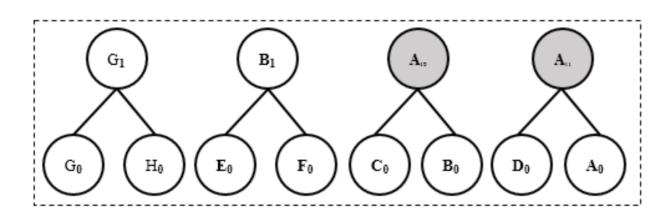


Figure 4: A's forest: after first merge

$$\begin{split} A_{10} = &< A_{id}, 2, A_{10value}, H(N||2||A_{10value}||B_0||C_0) >; A_{10value} = B_{value} + C_{value} \\ \\ A_{11} = &< A_{id}, 2, A_{11value}, H(N||2||A_{11value}||D_0||A_0) >; A_{11value} = D_{value} + A_{value} \end{split}$$

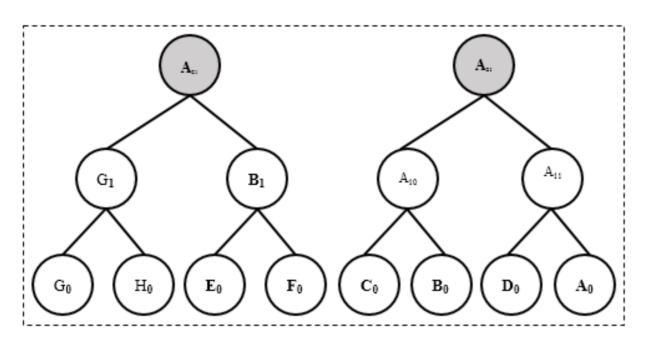


Figure 5: A's forest: after second merge

$$\begin{split} A_{20} = &< A_{id}, 4, A_{20value}, H(N||4||A_{20value}||G_1||B_1) >; A_{20value} = G_{1value} + B_{1value} \\ \\ A_{21} = &< A_{id}, 4, A_{21value}, H(N||4||A_{21value}||A_{10}||A_{11}) >; A_{21value} = A_{10value} + A_{11value} \end{split}$$

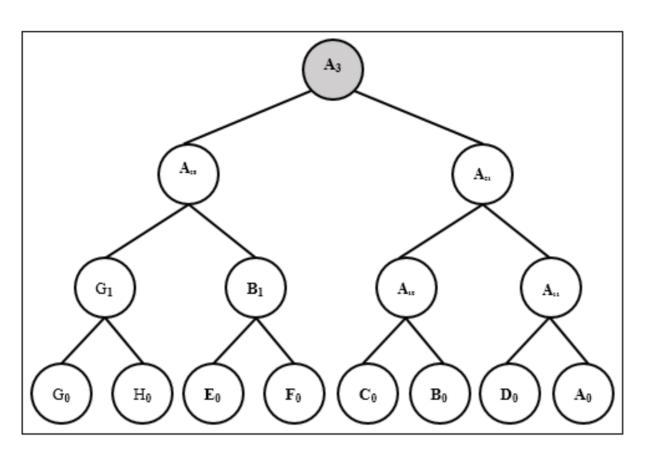


Figure 6: A's payload : A sends A_3 to the base station.

$$\begin{split} A_3 = &< A_{id}, 8, A_{3value}, H(N||8||A_{3value}||A_{20}||A_{21}) >; \ A_{3value} = A_{20value} + A_{21value} \\ \\ A_{pay} = &< A_3, \operatorname{Sign}_{\mathsf{sk}_{\mathsf{A}}}(A_3), \operatorname{Sign}_{\mathsf{sk}_{\mathsf{A}}}(A_{\tau}) > \ where \ A_{\tau} = < A_3 > \end{split}$$

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Result Checking

This phase requires that all the sensor nodes verify their individual contributions to the final aggregate value.

If there is any inconsistency in the aggregation process then with the help of the base station, trace down the node responsible for inconsistency.

It has the following major steps:

Dissemination of Final Payload by the Base Station

Dissemination of Off-Path Values

Verification of Inclusion

Collection of Authentication Codes

Verification of Authentication Codes

Detecting An Adversary

Dissemination of Final Payload by the Base Station

The base station broadcasts all the data-items in the payload to entire network using **authenticated broadcast**.

The base station receives only one data-item ${\cal A}_3$ in the payload sent by ${\cal A}$.

The base station broadcasts B_{pay} to entire network.

$$\mathsf{B}_{pay} = \, < A_3, \mathsf{Sign}_{\mathsf{sk_B}}(A_3), \mathsf{Sign}_{\mathsf{sk_B}}(\mathsf{B}_\tau) > \ where \ \mathsf{B}_\tau = \, < A_3 > .$$

Dissemination of Off-Path Values

In Figure 6, A_{10} has two children C_0 and B_0 .

 A_{10} also receives A_{11} and A_{20} from its parent A_{21} .

 ${\cal A}_{10}$ (which is sensor node ${\cal A}$ in aggregation tree) sends the following off-path values to ${\cal C}$ and ${\cal B}$ respectively.

$$< B_0, \operatorname{Sign}_{\operatorname{sk_A}}(B_0), A_{11}, \operatorname{Sign}_{\operatorname{sk_A}}(A_{11}), A_{20}, \operatorname{Sign}_{\operatorname{sk_A}}(A_{20}), \operatorname{Sign}_{\operatorname{sk_A}}(A_{\tau}) > \\ < C_0, \operatorname{Sign}_{\operatorname{sk_A}}(C_0), A_{11}, \operatorname{Sign}_{\operatorname{sk_A}}(A_{11}), A_{20}, \operatorname{Sign}_{\operatorname{sk_A}}(A_{20}), \operatorname{Sign}_{\operatorname{sk_A}}(A_{\tau}) > \\$$

FSwoRD

In FSwRD, all the leaf vertices need to know only one certificate as they receive data-items signed by their parent vertex.

In FSwoRD, all the leaf vertices might need to know $\log l$ certificates, where l is the number of leaf-vertices in commitment tree.

Significance of Commitment Field

The commitment filed provides data-integrity and helps us detecting any *malicious activity* in the network. The signatures infrastructure eventually we can detect an adversary.

If an internal vertex simply **forwards incorrect data-item** then the relevant leaf vertex will complain, as they will not be able to derive the data-item received using authenticated broadcast from the base station.

If an internal vertex **changed the data-item** while creating commitment tree and sending the incorrect off-path values to compensate discrepancy.

Malicious Activity

Suppose the vertices in the commitment tree have the data-items defined as follows :

$$A_0 = \langle A_{id}, 1, 10, H(N||1||10) \rangle$$

 $B_0 = \langle B_{id}, 1, 20, H(N||1||20) \rangle$
 $C_1 = \langle C_{id}, 2, 30, H(N||2||30||A_0||B_0) \rangle$

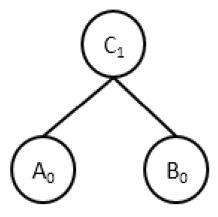


Figure 7: One Possible Commitment Tree

Suppose C changes A_0 and B_0 to A_0' and B_0' .

C can send either C_1^\prime or $C_1^{\prime\prime}$ to the base station.

To compensate for the discrepancy, C constructs $B_0^{\prime\prime}$ and $A_0^{\prime\prime}$ off-path values trying to hide its malicious activity from the base station.

$$A'_{0} = \langle A_{id}, 1, 100, H(N||1||10) \rangle$$

$$B'_{0} = \langle B_{id}, 1, 200, H(N||1||20) \rangle$$

$$C'_{1} = \langle C_{id}, 2, 300, H(N||2||300||\mathbf{A}''_{0}||\mathbf{B}_{0}) \rangle \text{ or }$$

$$C''_{1} = \langle C_{id}, 2, 300, H(N||2||300||\mathbf{A}_{0}||\mathbf{B}''_{0}) \rangle$$

$$B''_{0} = \langle B_{id}, 1, 290, H(N||1||20) \rangle$$

$$A''_{0} = \langle A_{id}, 1, 280, H(N||1||10) \rangle$$

A and B receives either C_1^\prime or $C_1^{\prime\prime}$ from the base station based on what C has sent to base station.

A and B receives $B_0^{\prime\prime}$ and $A_0^{\prime\prime}$ from C respectively.

A and B derives the root data-item using the received off-path values, and it does not match with the received root data-item.

$$A$$
 uses (A_0,B_0'') and derives
$$<2,300,H(N||2||300||\mathbf{A_0}||\mathbf{B_0''})>=C_1''\neq C_1'$$

$$B$$
 uses (A_0'',B_0) and derives
$$<2,300,H(N||2||300||\mathbf{A_0''}||\mathbf{B_0})> = C_1' \neq C_1''.$$

The commitment field makes it nearly impossible for an adversary to tamper with the data-items while creating commitment tree and/or while distributing off-path values.

Verification of Inclusion

Sensor node verifies that no aggregation tampering has occurred on the path between its leaf vertex and the root of its commitment tree.

It is able to do so since the off-path values provide all the necessary information to perform the data-item computation.

In the previous example, C receives B_0, A_{11} and A_{20} from its parent node and it has C_0 .

Then it compares the derived A_3 with the A_3 received from the base station.

If those data-items are identical then the node sends the authentication code with ACK message and if those data-items are not identical then the node sends the authentication code with NACK message.

Collection of Authentication codes

For sensor node ${\cal I}$ authentication codes are given as follows:

Positive :
$$MAC_{sk_I}(N||ACK)$$
 (2)
Negative : $MAC_{sk_I}(N||NACK)$

 sk_I is the secret key of the sensor node I, ACK and NACK are special messages.

An internal sensor node computes the XOR of its own authentication code with all the received codes, and forwards it to its parent.

For example, the sensor node ${\cal B}$, sends the following authentication code to ${\cal A}.$

$$\mathsf{MAC_{sk_E}}(\mathsf{N}||\mathsf{ACK}) \oplus \mathsf{MAC_{sk_F}}(\mathsf{N}||\mathsf{ACK}) \oplus \mathsf{MAC_{sk_B}}(\mathsf{N}||\mathsf{ACK})$$

Verification of Authentication codes

The base station computes the Δ_{ack} as follows :

$$\Delta_{ack} = \bigoplus_{i=1}^n \mathrm{MAC}_{\mathrm{sk_i}}(\mathrm{N}||\mathrm{ACK})$$

Here, the addition represents an XOR operation.

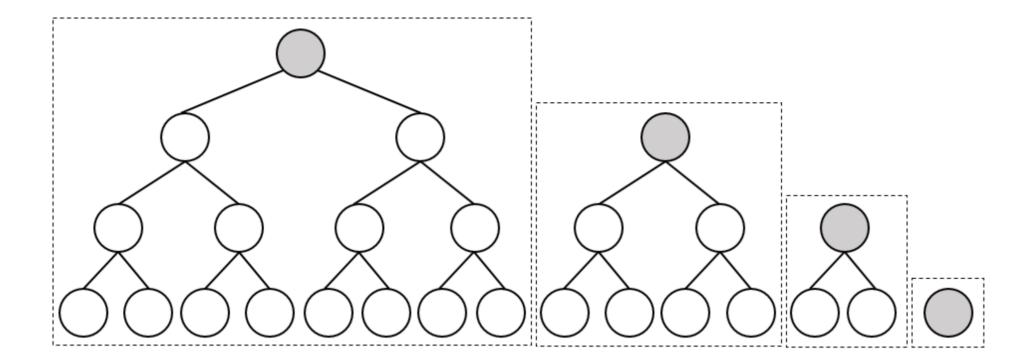
The base station compares Δ_{ack} with the received root authentication code Δ_{root} .

If those two codes match then it accepts the aggregated value or else it proceeds further to find an adversary.

The base station identifies the nodes who sent their authentication codes with NACK called a complainer.

The base station can find a single complainer complainer in **linear time**.

Finding Complainer Example

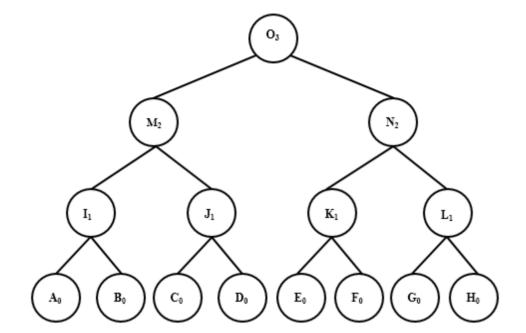


Identifying more than one complainer

- 1: BS requests authentication codes of all the tree roots in the aggregation tree root's forest.
- 2: BS simulates authentication codes of all the tree roots in the aggregation tree root's forest with ACK message.
- 3: BS compares the requested and simulated authentication codes.
- 4: BS constructs T = $\{T_1, T_2, \dots, T_{\log n}\}$ whose authentication codes do not match.
- 5: for all $t \in \mathsf{T} \operatorname{do}$
- 6: Call Algorithm 2 with (t)
- 1: BS requests the authentication codes of child \mathcal{C}_1 and \mathcal{C}_2 for the given tree.
- 2: BS simulates the authentication codes of child \mathcal{C}_1 and \mathcal{C}_2 with ACK message.
- 3: BS compares the requested and simulated authentication codes and identifies C^\prime whose authentication codes do not match.
- 4: if C' is a leaf vertex then
- 5: Add C' to complainer vertex set C
- 6: **else**
- 7: Call Algorithm 2 with (C')

Detecting an Adversary

Based on the complainer set C it constructs a set of possible adversaries $A = \{A_1, A_2, \dots, A_n\}$.



Suppose ${\bf C}=\{A_0\}$ then ${\bf A}=\{I,\{B,I\},\{B,M\},\{B,I,M\}\}.$

Note the fact that only I knows the exact data-item of A_{0} .

The vertices M and O knows aggregated value of A_0 .

Hence, if either M or O tampers they tamper with more than one data-item or they have to cheat in a group.

Detecting a single adversary

Suppose, I is an adversary and $C = \{A_0\}$ then $A = \{I, \{B, I\}, \{B, M\}, \{B, I, M\}\}$.

$$I_1 = \langle I_{id}, 1, I_{1value}, H(N||1||I_{value}||\mathbf{A_0}||B_0) \rangle$$

$$I_{pay} = \langle I_1, \operatorname{Sign}_{\mathsf{sk_I}}(I_1), \operatorname{Sign}_{\mathsf{sk_I}}(I_\tau) \rangle$$

Whereas,

$$I_1' = \langle I_{id}, 1, I_{1value}', H(N||1||I_{value}'||\mathbf{A_0'}||B_0) \rangle$$

 $I_{pay}' = \langle I_1', \operatorname{Sign}_{\mathsf{sk_I}}(I_1'), \operatorname{Sign}_{\mathsf{sk_I}}(I_{\tau}) \rangle$ where $I_{\tau} = I_1'$.

First the base station asks \boldsymbol{A} to send its payload.

$$\begin{split} A_{pay} &= < A_0, \operatorname{Sign}_{\mathsf{sk_A}}(A_0), \operatorname{Sign}_{\mathsf{sk_A}}(A_\tau) > \\ A_0 &= < A_{id}, 1, A_{value}, H(N||1||A_{value}) > \end{split}$$

The base station asks ${\cal I}$ to send its own payload. ${\cal I}$ sends its false payload to the base station.

$$\begin{split} A_{pay} = <& A_0, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{A}}}(A_0), \operatorname{Sign}_{\operatorname{sk}_{\mathsf{A}}}(A_\tau) > \operatorname{where} A_\tau = A_0 \\ B_{pay} = <& B_0, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{B}}}(B_0), \operatorname{Sign}_{\operatorname{sk}_{\mathsf{A}}}(B_\tau) > \operatorname{where} B_\tau = B_0 \\ I_{pay} = <& I_1, \operatorname{Sign}_{\operatorname{sk}_{\mathsf{I}}}(I_1), \operatorname{Sign}_{\operatorname{sk}_{\mathsf{A}}}(I_\tau) > \operatorname{where} I_\tau = I_0 \end{split}$$

Then the base station asks ${\cal M}$ to send all the received payload from each of its children.

$$\begin{split} I'_{pay} = < I'_1, \operatorname{Sign}_{\mathsf{sk_I}}(I'_1), \operatorname{Sign}_{\mathsf{sk_I}}(I_\tau) > \text{where } I_\tau = I'_1 \\ J_{pay} = < J_1, \operatorname{Sign}_{\mathsf{sk_I}}(J_1), \operatorname{Sign}_{\mathsf{sk_A}}(J_\tau) > \text{where } J_\tau = J_0 \end{split}$$

As the base station receives the I^\prime_{pay} with a signature from M, it proves that I is an adversary.

Algorithm to Detect an Adversary

- 1: BS identifies all the complainer and constructs $C = \{C_1, C_2, \dots, cC_n\}$
- 2: for all $C\in \mathsf{C}$ do
- 3: BS asks C to send data-item with its signature, sent during commitment tree generation phase
- 4: BS identifies possible adversary based on C and constructs $A = \{A_1, A_2, \dots, A_n\}$
- 5: for all $A \in \mathsf{A}$ do
- BS asks A to send data-items with its signature, received and sent by A during commitment tree generation phase
- 7: If needed BS asks the parent of A to send data-items with its signature
- 8: BS determines the adversary based on the verification of signatures

Once the base station detects adversaries it dispels them from the network for all the future queries.

Doing so removes un-necessary communication for debugging purpose in the future which saves bandwidth and increases the life-time of the network.

Analysis

Analysis - I

For an aggregation tree with n nodes, at max there will be $(2^{\lg n+1}-1)=(2n-1)$ vertices in the commitment tree.

In FSwRD and FSwoRD, there are at least ${f 2(2n-1)}$ signatures created while creating the commitment tree.

In general, an intermediate node with n descendants receives $\lceil \log_2 \mathbf{n} \rceil$ trees from its children.

The node with n descendants receives at least $\mathbf{2}\lceil\log_{\mathbf{2}}\mathbf{n}\rceil$ signatures.

We claim that the binary representation of a non-negative number x illustrates the payload decomposition of the sensor node S, where x = 1 + number of descendants of S.

Suppose, sensor node S has 22 descendants then x=23, $(x)_{10}=(10111)_2$. This means S has four complete binary trees in its payload, with the height of four, two, one and zero.

Analysis - II

Network Topology	Totality of Signatures Transmitted	
I Network Topology	, ,	
	FSwRD	FSwoRD
Star	2n	2n
Palm Tree	2n	2n
Complete Binary	2n	2n

Network Topology	Totality of Certificates	
	FSwRD FSwoRD	
Star	n-1 n-1	
Palm Tree	$XX \mid n-1$	
Complete Binary	n-1 n-1	

Conclusion And Future Work

Improved SHIA by removing the redundant field in its data-item.

An efficient mathematical way of analyzing the protocol.

An algorithm to find all possible cheater in the network.

An algorithm which can detect an adversary in the network and remove it for all future queries.

In the future, we would like to analyze this protocol for various network topologies and generalized the results.

It is our hope that further studies can improve the cheater detection algorithm.

Thank You.

Questions?