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IFOS-2012 - Paper I
5/(c) write a program to implement trapezoidal rule
   to evalute
                  C1-e
> # include (stdio.h)
   # include (conio.h)
   # include (Math. h)
   Void main ()
     float a,b,h,x,y, yo, yn, xn,s,x;
     int in;
     float f(float);
     drscr();
     pointf ("In In Enter the lower limit: ");
     scanf ("1.f", fa);
     preintf ("In In Enter the upper limit:
     Scanf ("1.f", 4b);
     Printf ("In In Entor the interval: ");
     Scanf (" ". d", fn);
     h = (b-a)/n
     yo=f(a);
     yn = f(b) ;
      x = a + h;
      5=0;
     for (i=1; i <= (n-1); i++)
       y = f(x);
       S=S+y;
       文=X+h;
     9(=(h/2)*((y0+yn)+(2*5));
     Prantf ("In In The result is: %f", or);
     getch();
   float f (float x)
```

Scetwin (1 - exp (-x/2))

1) (c) Draw a flow chart for interpolation using Newton's forward difference farmula => Flow chout => [input n] Get values of ax, ay (Get values of x) h = ax[1] - ax[0]Start loop i=0 to (n-1) diff.[i][i] = ay[i+j]-ay[i] End loop i Starct loop 3=2 to4] Start loop i =0 to n-j diff[i][j] = diff[i+j][j-j] -diff[i][j-j] end loop end loop i) -> (1=0) $\begin{array}{c}
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\downarrow & \lambda & \lambda$ y=P*(P+1)*diff[i-][2]/2 ← (J,=P*diff[i-][1] 73-(P+1)*P*(P-1)*diff[i-2][3]/6 J4=(P+2)*(P+1)*P*(P+1)* diff[i-3][4]/24/ y=ay[i]+y+ /2+/3+/4 > [print output x,y]