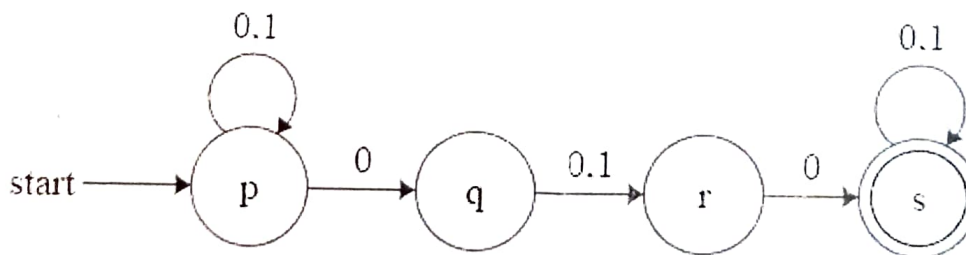


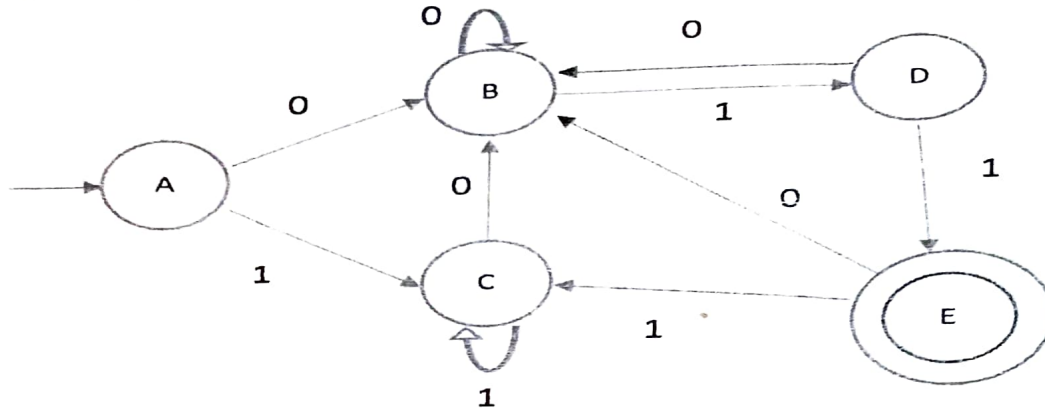
Pre-University



OR

- ii) Express the given automaton into minimal automaton to get the minimum number of states.

CO2



- b i) Construct a PDA equivalent to the following grammar
 $S \rightarrow aAA$
 $A \rightarrow aS/bS/a$

CO3

OR

- ii) Prove that the following grammar of arithmetic expressions is ambiguous.
 $E \rightarrow E+E / E * E / (E) / a$
 Also, convert the given grammar into non-ambiguous grammar.

CO3

- c i) Consider the grammar $(\{S, A, B\}, \{a, b\}, P, S)$ that has the productions
 $S \rightarrow bA/aB$
 $A \rightarrow bAA/aS/a$
 $B \rightarrow aBB/bS/b$
 Produce an equivalent grammar in CNF.

CO3

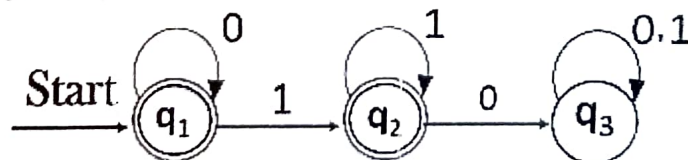
OR

- ii) Consider the grammar $(\{S, X, A, B\}, \{a, b\}, P, S)$ that has the productions
 $S \rightarrow XB/AA$
 $A \rightarrow a/SA$
 $B \rightarrow b$
 $X \rightarrow a$
 Produce an equivalent grammar in GNF.

CO3

- d i) Construct regular expression for the following DFA using Arden's Theorem.

CO3



OR

- ii) Prove that the language $L = \{a^n \mid n \text{ is a prime number}\}$ is not context free.
 e i) Show that, If L_1 is recursive and L_2 is recursive then $L_1 \cup L_2$ and $L_1 \cap L_2$ are also recursive.

CO3

CO2

OR

- ii) Show, whether the lists
 $M = (abb, aa, aaa)$ and $N = (bba, aaa, aa)$
 have a Post Correspondence Solution?

CO2