Final Report for Empirical Exercise 1

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2022-09-23

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1 Introduction¹

This report discusses the treatment effect of insurance expansion across states on their amount of hospital uncompensated care. We focus on the years from 2003 through 2019, which are years for which data on uncompensated care are available. 3 different datasets are incorporated to implement the study, which are:

- 1. Hospital Cost Report Information System from CMS Github Repo
- 2. Provider of Services files from NBER and CMS Github Repo
- 3. Medicaid Expansion from US Census Data Github Repo

Organization and access to the data are based on practices provided by Prof. Ian McCarthy.

Here is the Github Repo containing all necessary files to reproduce results in this report.

¹Values in this report are all reported in million dollars, unless otherwise specified

2 Summary statistics

Provide and discuss a table of simple summary statistics showing the mean, standard deviation, min, and max of hospital total revenues and uncompensated care over time.

year	Mean	SD	Min	Max
2003	13.63	32.22	-0.13	777.99
2004	15.40	36.72	0.00	820.25
2005	17.51	37.87	0.00	939.13
2006	21.23	47.75	-2.67	1074.62
2007	23.80	51.80	0.00	1203.37
2008	26.92	57.29	0.00	1361.81
2009	28.30	48.25	0.00	583.98
2010	30.28	72.12	0.00	2793.92
2011	34.16	75.09	-54.94	2057.88
2012	37.45	86.43	-1.24	1881.08
2013	39.27	80.75	-0.34	1812.49
2014	36.80	88.62	-26.45	1989.89
2015	33.27	86.59	-0.53	2037.43
2016	45.17	402.17	-0.04	20404.45
2017	41.30	103.02	-0.03	2746.88
2018	38.94	99.86	0.01	2596.87
2019	49.03	120.98	-97.79	2639.15

Table 1: Summary statistics of uncompensated care

year	Mean	SD	Min	Max
2003	295.00	399.15	1.66	4722.76
2004	330.20	446.63	0.27	5525.73
2005	382.53	518.01	2.40	6398.55
2006	434.84	558.67	1.33	6718.17
2007	488.06	647.81	0.99	8577.05
2008	523.30	666.97	0.97	7743.08
2009	567.38	750.56	0.89	9846.46
2010	585.31	801.05	0.84	10185.42
2011	589.04	865.52	-27.58	10572.29
2012	626.56	942.14	1.45	11865.32
2013	664.35	1014.28	0.95	12751.71
2014	720.92	1111.13	1.09	13376.35
2015	782.63	1157.94	1.05	14143.53
2016	869.10	1314.83	2.22	15618.75
2017	905.54	1442.44	1.72	16305.91
2018	891.57	1566.21	1.33	18633.71
2019	1043.65	1721.83	3.00	22000.93

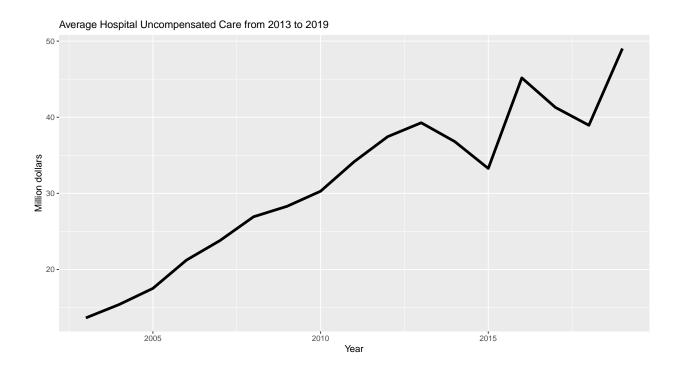
Table 2: Summary statistics of total hospital revenus

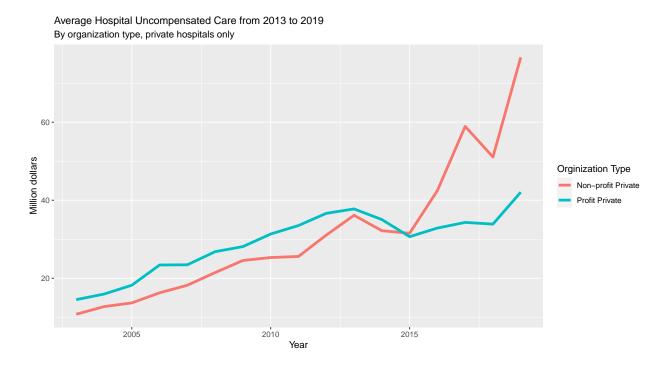
Discussions:

As showed in table, we can see that both the mean and the standard deviation of the two series have increased over time. Also, the rate of increase is similar, both of them have a 5 to 6 times expansion. Therefore, it is reasonable to believe their is a positive correlation between the 2 variables. It bringWhen we have insurance expansion, uncompensated care might goes down.

3 Trend of mean hospital uncompensated care

Create a figure showing the mean hospital uncompensated care from 2003 to 2019. Show this trend separately by hospital ownership type (private not for profit and private for profit).





4 Two-way fixed-effects (TWFE) regression model

Using a simple DD identification strategy, estimate the effect of Medicaid expansion on hospital uncompensated care using a traditional two-way fixed effects (TWFE) estimation:

$$y_{it} = \alpha_i + \gamma_t + \delta D_{it} + \varepsilon_{it}, \tag{1}$$

where $D_{it} = 1(E_i \leq t)$ in Equation (1) is an indicator set to 1 when a hospital is in a state that expanded as of year t or earlier, γ_t denotes time fixed effects, α_i denotes hospital fixed effects, and y_{it} denotes the hospital's amount of uncompensated care in year t. Present four estimates from this estimation in a table: one based on the full sample (regardless of treatment timing); one when limiting to the 2014 treatment group (with never treated as the control group); one when limiting to the 2015 treatment group (with never treated as the control group); and one when limiting to the 2016 treatment group (with never treated as the control group). Briefly explain any differences.

	Full	2014	2015	2016
Treatment	-31.624*** (2.755)	-34.508*** (3.110)	-32.975*** (4.360)	-35.718*** (3.728)
+ p < 0.1, * p < 0.05, ** p < 0.01, *** p < 0.001				

Discussions:

5 Event study

Estimate an "event study" version of the specification in part 3:

$$y_{it} = \alpha_i + \gamma_t + \sum_{\tau < -1} D_{it}^{\tau} \delta_{\tau} + \sum_{\tau > 0} D_{it}^{\tau} \delta_{\tau} + \varepsilon_{it}, \tag{2}$$

where $D_{it}^{\tau} = 1(t - E_i = \tau)$ in Equation (2) is essentially an interaction between the treatment dummy and a relative time dummy. In this notation and context, τ denotes years relative to Medicaid expansion, so that $\tau = -1$ denotes the year before a state expanded Medicaid, $\tau = 0$ denotes the year of expansion, etc. Estimate with two different samples: one based on the full sample and one based only on those that expanded in 2014 (with never treated as the control group).

	Full	2014
relative_t_expand = $-16 \times \text{expanded}$ _ever	19.911	
-	(11.015)	
relative_t_expand = $-15 \times \text{expanded}$ _ever	17.374	
	(9.184)	
relative_t_expand = $-14 \times \text{expanded}$ _ever	17.199	
	(9.320)	
relative_t_expand = $-13 \times \text{expanded}$ _ever	22.513	
	(9.039)	
relative_t_expand = $-12 \times \text{expanded}$ _ever	19.441	
	(8.386)	
relative_t_expand = $-11 \times \text{expanded}$ _ever	14.110	11.285
	(7.095)	(7.375)
$relative_t_expand = -10 \times expanded_ever$	12.732	11.520
	(6.276)	(5.986)
relative_t_expand = $-9 \times \text{expanded}_{\text{ever}}$	11.999	11.831
	(6.175)	(6.019)
$relative_t_expand = -8 \times expanded_ever$	12.969	13.905
	(5.955)	(5.946)
relative_t_expand = $-7 \times \text{expanded}$ _ever	10.835	12.265
	(5.470)	(5.617)
relative_t_expand = $-6 \times \text{expanded}_{\text{ever}}$	9.559	9.975
	(4.713)	(4.663)
relative_t_expand = $-5 \times \text{expanded}_{\text{ever}}$	9.163	6.750
	(4.574)	(4.368)
relative_t_expand = $-4 \times \text{expanded}$ _ever	5.029	5.827
1.4	(4.117)	(4.163)
relative_t_expand = $-3 \times \text{expanded}$ _ever	4.076	6.104
	(2.713)	(2.711)
relative_t_expand = $-2 \times \text{expanded}$ _ever	1.179	1.069
$relative_t_expand = 0 \times expanded_ever$	(1.436) -14.074	(1.683) -11.436
relative_t_expand = 0 × expanded_ever	(3.989)	(2.689)
$relative_t_expand = 1 \times expanded_ever$	(3.989) -1.890	-17.508
relative_t_expand = 1 × expanded_ever	(15.903)	(3.484)
$relative_t_expand = 2 \times expanded_ever$	-40.747	(3.464) -28.414
Totavive_v_expand — 2 ∧ expanded_ever	-40.747 (11.911)	-25.414 (5.208)
$relative_t_expand = 3 \times expanded_ever$	-38.559	-35.401
Totalive_v_expand — 0 ∧ expanded_ever	-36.333 (7.333)	(7.076)
relative_t_expand = $4 \times \text{expanded}$ _ever	-42.731	-37.893
10.000.000.000000000000000000000000000	(8.600)	(7.415)
relative_t_expand = $5 \times \text{expanded}$ _ever	-42.454	-48.649
	(11.077)	(10.334)
	(11.011)	(10.001)

6 Sun and Abraham (SA) estimator

Sun and Abraham (SA) show that the δ_{τ} coefficients in Equation (2) can be written as a non-convex average of all other group-time specific average treatment effects. They propose an interaction weighted specification:

$$y_{it} = \alpha_i + \gamma_t + \sum_{e} \sum_{\tau \neq -1} \left(D_{it}^{\tau} \times 1(E_i = e) \right) \delta_{e,\tau} + \varepsilon_{it}.$$
 (3)

Re-estimate your event study using the SA specification in Equation (3). Show your results for $\hat{\delta}_{e,\tau}$ in a Table, focusing on states with $E_i=2014,\,E_i=2015,\,$ and $E_i=2016.$

	SA_141516
$relative_t_expand = -16 \times cohort = 2019$	17.711
	(13.856)
relative_t_expand = $-15 \times \text{cohort} = 2019$	17.212
relative_t_expand = $-14 \times \text{cohort} = 2019$	(12.498) 18.483
relative_t_expand = -14 × conort = 2019	(11.840)
relative_t_expand = $-13 \times \text{cohort} = 2016$	6.027
	(14.461)
$relative_t_expand = -13 \times cohort = 2019$	15.890
1	(11.956)
relative_t_expand = $-12 \times \text{cohort} = 2015$	9.611 (7.438)
relative_t_expand = $-12 \times \text{cohort} = 2016$	5.758
	(13.055)
$relative_t_expand = -12 \times cohort = 2019$	26.100
	(22.385)
relative_t_expand = $-11 \times \text{cohort} = 2014$	6.481
relative_t_expand = $-11 \times \text{cohort} = 2015$	(6.569) 10.229
Telasive_s_expand = 11 × conort = 2010	(7.737)
$relative_t_expand = -11 \times cohort = 2016$	$7.230^{'}$
	(13.239)
relative_t_expand = $-11 \times \text{cohort} = 2019$	15.797
relative t expand = $-10 \times \text{cohort} = 2014$	$(9.603) \\ 7.460$
relative_t_expand = -10 × conort = 2014	(6.439)
relative_t_expand = $-10 \times \text{cohort} = 2015$	11.093
	(7.079)
relative_t_expand = $-10 \times \text{cohort} = 2016$	3.426
relative t expand - 10 v sehent - 2010	(14.253) $15.855+$
relative_t_expand = $-10 \times \text{cohort} = 2019$	(9.380)
relative_t_expand = $-9 \times \text{cohort} = 2014$	9.937+
	(5.591)
relative_t_expand = $-9 \times \text{cohort} = 2015$	9.843
	(6.617)
relative_t_expand = $-9 \times \text{cohort} = 2016$	2.308 (14.372)
relative_t_expand = $-9 \times \text{cohort} = 2019$	8.764
1	(10.088)
$relative_t_expand = -8 \times cohort = 2014$	9.977
1	(6.344)
relative_t_expand = $-8 \times \text{cohort} = 2015$	6.566 (6.775)
relative t expand = $-8 \times \text{cohort} = 2016$	-1.824
	(14.127)
$relative_t_expand = -8 \times cohort = 2019$	7.791
1	(7.910)
relative_t_expand = $-7 \times \text{cohort} = 2014$	6.834 (5.423)
relative_t_expand = $-7 \times \text{cohort} = 2015$	4.938
	(5.898)
$relative_t_expand = -7 \times cohort = 2016$	-5.734
	(14.208)
relative_t_expand = $-7 \times \text{ chort} = 2019$	4.728
relative_t_expand = $-6 \times \text{cohort} = 2014$	(7.013) 5.143
-	(4.999)
relative t expand6 × cohort - 2015	`5 508 [°]

7 Event study graph on the SA estimator

Present an event study graph based on the results in part 5. Hint: you can do this automatically in R with the fixest package (using the sunab syntax for interactions), or with eventstudyinteract in Stata. These packages help to avoid mistakes compared to doing the tables/figures manually and also help to get the standard errors correct.

8 Callaway and Sant'Anna (CS) estimator

Callaway and Sant'Anna (CS) offer a non-parametric solution that effectively calculates a set of grouptime specific differences, $ATT(g,t) = E[y_{it}(g) - y_{it}(\infty)|G_i = g]$, where g reflects treatment timing and tdenotes time. They show that under the standard DD assumptions of parallel trends and no anticipation, $ATT(g,t) = E[y_{it} - y_{i,g-1}|G_i = g] - E[y_{it} - y_{i,g-1}|G_i = \infty]$, so that $A\hat{T}T(g,t)$ is directly estimable from sample analogs. CS also propose aggregations of $A\hat{T}T(g,t)$ to form an overall ATT or a time-specific ATT (e.g., ATTs for τ periods before/after treatment). With this framework in mind, provide an alternative event study using the CS estimator. Hint: check out the did package in R or the csdid package in Stata.

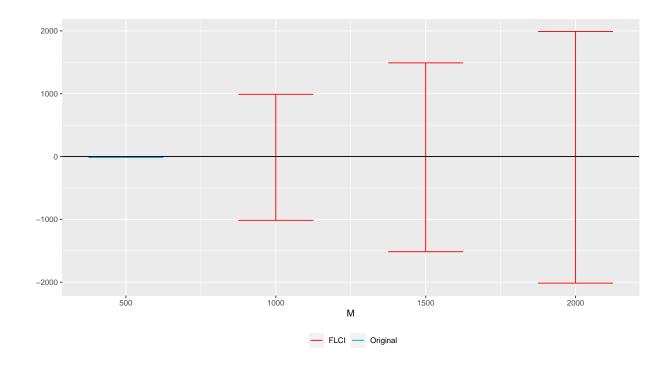
	CS_event
ATT(-15)	0.300
	(1.732)
ATT(-14)	1.030
A FDFD (4.0)	(1.711)
ATT(-13)	-0.603
ATT(-12)	(2.510) 4.587
A11(-12)	(6.677)
ATT(-11)	-2.354
111 1 (11)	(3.353)
ATT(-10)	-0.262
()	(1.368)
ATT(-9)	-0.650
	(0.972)
ATT(-8)	0.701
	(1.114)
ATT(-7)	-2.974
1 TOTA (a)	(1.304)
ATT(-6)	-0.991
ATT(-5)	(1.067)
A11(-9)	-0.542 (2.485)
ATT(-4)	-2.205
111 1 (1)	(2.228)
ATT(-3)	2.335
,	(2.350)
ATT(-2)	-2.174
	(1.500)
ATT(-1)	0.184
A FDFD (0)	(1.606)
ATT(0)	-11.908
ATT(1)	(1.687) -4.535
A11(1)	-4.535 (20.046)
ATT(2)	-25.563
111 1 (2)	(1.997)
ATT(3)	-30.953
· ,	(2.779)
ATT(4)	-31.514
	(4.069)
ATT(5)	-46.930
	(5.835)

9 Rambachan and Roth (RR) sentivity plot for the CS estimator

Rambachan and Roth (RR) show that traditional tests of parallel pre-trends may be underpowered, and they provide an alternative estimator that essentially bounds the treatment effects by the size of an assumed violation in parallel trends. One such bound RR propose is to limit the post-treatment violation of parallel trends to be no worse than some multiple of the pre-treatment violation of parallel trends. Assuming linear trends, such a relative violation is reflected by

$$\Delta(\bar{M}) = \left\{ \delta: \forall t \geq 0, |(\delta_{t+1} - \delta_t) - (\delta_t - \delta_{t-1})| \leq \bar{M} \times \max_{s < 0} |(\delta_{s+1} - \delta_s) - (\delta_s - \delta_{s-1})| \right\}.$$

The authors also propose a similar approach with what they call "smoothness restrictions," in which violations in trends changes no more than M between periods. The only difference is that one restriction is imposed relative to observed trends, and one restriction is imposed using specific values. Using the HonestDiD package in R or Stata, present a sensitivity plot of your CS ATT estimates using smoothness restrictions, with assumed violations of size $M \in \{500, 1000, 1500, 2000\}$. Check out the GitHub repo here for some help in combining the HonestDiD package with CS estimates. Note that you'll need to edit the function in that repo in order to use pre-specified smoothness restrictions. You can do that by simply adding Mvec=Mvec in the createSensitivityResults function for type=smoothness.



10 Discussions and findings

Discuss your findings and compare estimates from different estimators (e.g., are your results sensitive to different specifications or estimators? Are your results sensitive to violation of parallel trends assumptions?).

11 Reflection

Reflect on this assignment. What did you find most challenging? What did you find most surprising?