In [2]:	Module 1 Exercises for Python Filipp Krasovsky, 3-8-21 #import basics
In [2]:	import numpy as np import pandas as pd import matplotlib.pyplot as plt Questions for Chapter 4:#21, 22, 23, 24, & 25 Dataset to use: bank_marketing_training
<pre>In [3]: In [4]: Out[4]:</pre>	#sanity check bank.head() age job marital education default housing loan contact month day_of_week campaign days_since_previous pre 0 56 housemaid married basic.4y no no no telephone may mon 1 999 1 57 services married high.school unknown no no telephone may mon 1 999 2 41 blue-collar married unknown unknown no no telephone may mon 1 999 3 25 services single high.school no yes no telephone may mon 1 999 4 29 blue-collar single high.school no no yes telephone may mon 1 999
	Question 21: a. Bar graph of marital. b. Bar graph of marital, with overlay of response. c. Normalized bar graph of marital, with overlay of response.
In [5]: Out[5]:	<pre>#bar graph of marital bargraph_1 = pd.crosstab(bank['marital'], bank['marital']) bargraph_1.plot(kind='bar', stacked=True) <axessubplot:xlabel='marital'></axessubplot:xlabel='marital'></pre>
	Strength: Shows us raw distribution of variable for further analysis Weakness: Does not show relationship to target variable.
In [6]: Out[6]:	<pre>#overlayed bar graph bargraph_2 = pd.crosstab(bank['marital'], bank['response']) bargraph_2.plot(kind='bar', stacked=True) <axessubplot:xlabel='marital'> response</axessubplot:xlabel='marital'></pre>
In [7]:	Strength: Shows relationship with target variable Weakness: Lack of normalization obscures relationship #normalized overlayed bar graph crosstab_01 = pd.crosstab(bank['marital'], bank['response'])
Out[7]:	<pre>crosstab_norm = crosstab_01.div(crosstab_01.sum(1),axis=0) #sum(1) = sum of the rows of the table, axis = 0 -> divide each row by this value. crosstab_norm.plot(kind='bar',stacked=True) <axessubplot:xlabel='marital'> 10 -</axessubplot:xlabel='marital'></pre>
	Strength: Normalization makes relationship between response and predictor variables clearer. Weakness: Does not show us distribution of predictor variable. Question 22: Using the graph from Exercise 21c, describe the relationship between marital and response. Since the 'unknown' marital status does not provide much insight on face value, we are left comparing single, married, and divorced individuals. In these instances, Single individuals have a significantly higher rate of responding "yes" than married or divorced individuals. That being said, individuals who are not identifiably married or divorced also had a higher response rate of "yes".
In [8]:	Question 23: Do the following with the variables marital and response. a. Build a contingency table, being careful to have the correct variables representing the rows and columns. Report the counts and the column percentages. b. Describe what the contingency table is telling you. #contingency table crosstab_02 = pd.crosstab(bank['response'], bank['marital']) #getting percentages: crosstab_02_percent = round(crosstab_02.div(crosstab_02.sum(0), axis = 1)*100, 1) print(crosstab_02) print(crosstab_02_percent) marital divorced married single unknown
	response no 2743 14579 6514 50 yes 312 1608 1061 7 marital divorced married single unknown response no 89.8 90.1 86.0 87.7 yes 10.2 9.9 14.0 12.3 The contingency table shows us the same story, largely, as the graph - Single people and those with no clear marital status were more likely
In [9]:	to respond "yes" than their married and divorced counterparts by 2-5%, depending on the comparrison. Question 24: Repeat the previous exercise, this time reporting the row percentages. Explain the difference between the interpretation of this table and the previous contingency table. #contingency table crosstab_03 = pd.crosstab(bank['response'], bank['marital']) #getting percentages: crosstab_03_percent = round(crosstab_03.div(crosstab_02.sum(1), axis = 0)*100, 1)
	<pre>print(crosstab_03) print(crosstab_03_percent) marital divorced married single unknown response no</pre>
	The difference in interpretation is that here we're examining the demographic composition of those who said "yes" and "no", versus the analysis of the previous table, which was concerned with identifying the portion of each marital group that responded a certain way. Here, we can report that the largest portion of individuals who responded "no" and "yes" were both married people, while in the previous report we identified that single people are more likely to respond "yes". Question 25. Produce the following graphs. What is the strength of each graph? Weakness?
In [10]:	 a. Histogram of duration. b. Histogram of duration, with overlay of response. c. Normalized histogram of duration, with overlay of response. #a histogram of duration plt.hist(bank['duration'],bins=20)
Out[10]:	<pre>(array([1.7308e+04, 6.2620e+03, 1.9260e+03, 7.4100e+02, 3.4100e+02,</pre>
In [17]:	Strength: Shows us distribution of raw data weakness: does not show relationship to target variable #b histogram of duration with response overlay #separate our response value by all possible variables
	<pre>bank_train=bank bt_age_y = bank_train[bank_train.response == "yes"]['duration'] bt_age_n = bank_train[bank_train.response == "no"]['duration'] plt.hist([bt_age_y, bt_age_n], bins = 10, stacked = True) plt.title('age with response overlay (orange = no)') plt.xlabel('Age') plt.ylabel('Frequency') plt.show() age with response overlay (orange = no) 20000 - 20000 - 215</pre>
	Strength: Shows relationship with target variable Weakness: Does not show proportion of each bin belonging to subgroup of the response
In [22]:	<pre>#normalized overlay #normalization process - save the height of the histogram to n and the boundaries of each bin in the hi stogram to bins. #(n, bins, patches) = plt.hist([bt_age_y, bt_age_n], bins =10, stacked = True) #normalize n_table = np.column_stack((n[0], n[1])) n_norm = n_table / n_table.sum(axis=1)[;, None] ourbins = np.column_stack((bins[0:10], bins[1:11])) p1 = plt.bar(x = ourbins[:,0], height = n_norm[:,0], width = ourbins[:, 1] - ourbins[:, 0]) p2 = plt.bar(x = ourbins[:,0], height = n_norm[:,1], width = ourbins[:, 1] - ourbins[:, 0], bottom = n_no rm[:,0]) plt.legend(['Response = Yes', 'Response = No']) plt.title(''Normalized Histogram of Age with Response Overlay'') plt.xlabel(''Age'')</pre>
	plt.ylabel(''Proportion'') plt.show() Normalized Histogram of Age with Response Overlay' Response = Yes Response = No 0.8 0.04 0.0 0.00 0
In [23]:	Strength: Shows relationship between target and predictor variable Weakness: Does not show distribution of predictor variable Chapter 6 Questions #14, 15, 16, & 17 adult_ch6_training and adult_ch6_test data sets #load in data sets
	train = pd.read_csv("C:/Users/Filipp/Documents/usd_data_sci/502_data mining/module1/Website Data Sets/a dult_ch6_training") test = pd.read_csv("C:/Users/Filipp/Documents/usd_data_sci/502_data mining/module1/Website Data Sets/ad ult_ch6_test") Question 14 Create a CART model using the training data set that predicts income using marital status and capital gains and losses. Visualize the decision tree (that is, provide the decision tree output). Describe the first few splits in the decision tree.
In [41]: In [55]:	<pre>import pandas as pd import numpy as np import statsmodels.tools.tools as stattools import sklearn.tree as tree from sklearn.tree import DecisionTreeClassifier, export_graphviz adult_tr = train y = adult_tr[['Income']] mar np = np.array(adult tr['Marital status'])</pre>
	<pre>(mar_cat, mar_cat_dict) = stattools.categorical(mar_np,drop=True, dictnames = True) mar_cat_pd = pd.DataFrame(mar_cat) X = pd.concat((adult_tr[['Cap_Gains_Losses']], mar_cat_pd), axis = 1) X_names = ["Cap_Gains_Losses", "Divorced", "Married", "Never-married", "Separated", "Widowed"] y_names = ["<=50K", ">50K"] cart01 = DecisionTreeClassifier(criterion = "gini", max_leaf_nodes=5).fit(X,y);</pre>
In [56]:	From the root node, we can confirm that about 24% of our dataset has an income of >50k. Those are not married comprise about 53% of our dataset, and 6% of those individuals have an income of >50k. Non-married individuals with a capital gains loss of less than 4.7% make up 50% of our total data, and 4% of this subgroup has an income of >50k, which is one of our terminal nodes.
In [57]:	44% of our married group has a high income, while only 6% of our non-married group has a high income (>50k). Question 15 Develop a CART model using the test data set that utilizes the same target and predictor variables. Visualize the decision tree. Compare the decision trees. Does the test data result match the training data result adult_tr = test y = adult tr[['Income']]
	<pre>mar_np = np.array(adult_tr['Marital status']) (mar_cat, mar_cat_dict) = stattools.categorical(mar_np,drop=True, dictnames = True) mar_cat_pd = pd.DataFrame(mar_cat) X = pd.concat((adult_tr[['Cap_Gains_Losses']], mar_cat_pd), axis = 1) X_names = ["Cap_Gains_Losses", "Divorced", "Married", "Never-married", "Separated", "Widowed"] y_names = ["<=50K", ">50K"] cart01 = DecisionTreeClassifier(criterion = "gini", max_leaf_nodes=5).fit(X,y) tree.plot_tree(cart01, feature_names=X_names, class_names=y_names, filled="true");</pre>
	Yes, the decision trees are similar - the only discrepancy occurs at the terminal nodes for non-married instances with a capital gains loss greater than or equal to 4.7% and less than 29%, wherein the proportion of high income individuals is 5 percent greater than in the training set. Question 16 Use the training data set to build a C5.0 model to predict income using marital status and capital gains and losses. Specify a minimum of 75
In [54]:	<pre>import warnings warnings.filterwarnings('ignore') adult_tr = train y = adult_tr[['Income']] mar_np = np.array(adult_tr['Marital status']) (mar_cat, mar_cat_dict) = stattools.categorical(mar_np,drop=True, dictnames = True) mar_cat_pd = pd.DataFrame(mar_cat) X = pd.concat((adult_tr[['Cap_Gains_Losses']], mar_cat_pd), axis = 1) X_names = ["Cap_Gains_Losses", "Divorced", "Married", "Never-married", "Separated", "Widowed"] y_names = ["<=50K", ">50K"] c50_01 = DecisionTreeClassifier(criterion="entropy", max_leaf_nodes=5).fit(X,y) tree.plot_tree(c50_01, feature_names=X_names, class_names=y_names, filled="true");</pre>
	Marriard <= 0.5 entropy = 0.734 entropy = 0.744 entropy = 0.745 entropy = 0.847 entropy = 0.847 entropy = 0.847 entropy = 0.848 entropy = 0.918 entropy = 0.919 entropy =
	Similarities: similar splitting along leftmost node for CGL with a cutoff of 0.047. Same amount of levels. Leftmost node bins most of the dataset after only assessing CGL, which also happens in our CART model. Differences: Third level split for CGL happens for different values of marriage, model looks at entropy instead of gini for splitting.
In [59]:	Chapter 11 Questions 34-41 For the following exercises, work with the bank_reg_training and the bank_reg_test data sets. Use either Python or R to solve each problem. #load in datasets test = pd.read_csv("C:/Users/Filipp/Documents/usd_data_sci/502_data mining/module1/Website Data Sets/bank_reg_training") train= pd.read_csv("C:/Users/Filipp/Documents/usd_data_sci/502_data mining/module1/Website Data Sets/bank_reg_test") Question 34 Use the training set to run a regression predicting Credit Score, based on Debt-to-Income Ratio and Request Amount. Obtain a summary of the model. Do both predictors belong in the model? import statsmodels.api as sm
	### Approval Credit Score Debt-to-Income Ratio Interest Request Amount Tarin.head() Tarin.head()
<pre>In [64]: In [65]: Out[65]:</pre>	model01 = sm.OLS(y, X).fit() model01.summary() OLS Regression Results Dep. Variable: Credit Score R-squared: 0.038 Model: OLS Adj. R-squared: 0.038 Method: Least Squares F-statistic: 215.4
	Method: Least Squares F-statistic: 215.4 Date: Tue, 16 Mar 2021 Prob (F-statistic): 1.94e-92 Time: 01:23:46 Log-Likelihood: -60395. No. Observations: 10775 AIC: 1.208e+05 Df Residuals: 10772 BIC: 1.208e+05 Df Model: 2 2 Covariance Type: nonrobust t P> t [0.025] 0.975] const 665.4987 1.328 501.265 0.000 662.896 668.101 Request Amount 0.0013 6.85e-05 19.013 0.000 0.001 0.001 Debt-to-Income Ratio -52.1374 4.826 -10.803 0.000 -61.597 -42.677
	Omnibus: 1792.693 Durbin-Watson: 1.985 Prob(Omnibus): 0.000 Jarque-Bera (JB): 3194.120 Skew: -1.067 Prob(JB): 0.00 Kurtosis: 4.600 Cond. No. 1.25e+05 Notes: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
In '	 [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 1.25e+05. This might indicate that there are strong multicollinearity or other numerical problems. Both predictors are significant. 1. Validate the model from the previous exercise. X = pd.DataFrame(test[['Request Amount', 'Debt-to-Income Ratio']])
In [67]: Out[67]:	y = pd.DataFrame(test[['Credit Score']]) X = sm.add_constant(X) validate_01 = sm.OLS(y, X).fit() validate_01.summary() OLS Regression Results Dep. Variable: Credit Score R-squared: 0.028 Model: OLS Adj.R-squared: 0.028 Method: Least Squares F-statistic: 156.2 Date: Tue, 16 Mar 2021 Prob (F-statistic): 1.37e-67
	Time: 01:26:12 Log-Likelihood: -59972. No. Observations: 10693 AIC: 1.199e+05 Df Residuals: 10690 BIC: 1.200e+05 Df Model: 2 Covariance Type: nonrobust t P> t [0.025] 0.975] Const 668.4562 1.336 500.275 0.000 665.837 671.075 Request Amount 0.011 6.84e-05 15.727 0.000 0.001 0.001 Debt-to-Income Ratio -48.1262 4.785 -10.058 0.000 -57.505 -38.747 Prob(Omnibus): 0.000 Jargue - Bera (JB): 2844.250
	Skew: -1.021 Prob(JB): 0.00 Kurtosis: 4.487 Cond. No. 1.24e+05 Notes: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 1.24e+05. This might indicate that there are strong multicollinearity or other numerical problems. Validation holds up - we have similar coefficients and all variables are significant. 1. Use the regression equation to complete this sentence: "The estimated Credit Score equals" 668 plus 0.001 times the request amount (in dollars) minus 48 points times the debt to income ratio
	 Interpret the coefficient for Debt-to-Income Ratio. a one-unit increase in the debt to income ratio, that is, as an individual takes on more debt relative to their income, are associated with a 48-point drop in their credit score. Interpret the coefficient for Request Amount. A one-unit increase in the request amount is associated with a 0.001 point increase in the credit score. Find and interpret the value of s. (validate_01.scale) (6.00195259717188
Out[70]: In [75]:	Our standard error is about 66 points, which means that the point estimate for any given object can be expected to have an error of roughly 66 credit score points. 1. Find and interpret adjusted R^2. Comment. The R-squared value is 0.028, or about 3 percent, suggesting very poor model performance. We would not expect this model to do notably better than a baseline model. 1. Find MAEBaseline and MAERegression, and determine whether the regression model outperformed its baseline model. #MAE REGRESSION import sklearn.metrics as met
Out[75]: In [84]:	<pre>import sklearn.metrics as met X_test = pd.DataFrame(test[['Request Amount', 'Debt-to-Income Ratio']]) X_test = sm.add_constant(X_test) ypred = validate_01.predict(X_test) ytrue = test[['Credit Score']] met.mean_absolute_error(y_true = ytrue, y_pred = ypred) 48.309615690591095 #MAE BASELINE x = np.abs(ytrue - np.mean(ytrue)) np.sum(x)/len(x)</pre>