

# HelloWorld.rmd

2023-03-17

the document is by R11323019 .

## 1.1

```
print("HelloWorld")
```

```
## [1] "HelloWorld"
```

## 1.3

```
add_two_number <- function(intA,intB ) {  
  return(intA + intB)  
}  
add_two_number(2,3)
```

```
## [1] 5
```

## 4.2.1: set value

```
mu0 <- 10  
mu1 <- 9  
var0 <- 1  
var1 <- 2  
var01 <- 0.6  
c <- 1
```

## 4.2.2: create eplison and store in data.table

```
library('dplyr')
```

```
## Warning:   'dplyr'   R   4.2.2
```

```
##
##   'dplyr'

##   'package:stats':
##
##   filter, lag

##   'package:base':
##
##   intersect, setdiff, setequal, union
```

```
library('data.table')
```

```
## Warning:   'data.table'   R   4.2.2
```

```
##
##   'data.table'

##   'package:dplyr':
##
##   between, first, last
```

```
simulation <- data.table(
  eplison0 = rnorm(107, 0, var0),
  eplison1 = rnorm(107, 0, var1)
)
```

```
head(simulation)
```

```
##      eplison0  eplison1
## 1: -2.05170080 -0.7379284
## 2:  0.05987133 -2.9770885
## 3:  1.05203741  2.1437695
## 4: -0.81178372 -2.6964102
## 5:  0.64417241 -1.1619206
## 6: -0.02944772  1.9980108
```

### 4.2.3: create W0 and W1

```
# w0 = u0 + eplison0
# w1 = u1 + eplison1

simulation[, w0:= mu0+eplison0]
simulation[, w1:= mu1+eplison1]
```

```
head(simulation)
```

```
##      eplison0    eplison1      w0      w1
## 1: -2.05170080 -0.7379284  7.948299  8.262072
## 2:  0.05987133 -2.9770885 10.059871  6.022911
## 3:  1.05203741  2.1437695 11.052037 11.143770
## 4: -0.81178372 -2.6964102  9.188216  6.303590
## 5:  0.64417241 -1.1619206 10.644172  7.838079
## 6: -0.02944772  1.9980108  9.970552 10.998011
```

#### 4.2.4: create I

```
# Migrate(I=1) if w1>(w0+c)

simulation[w1-w0-c>0, I:= 1]
simulation[w1-w0-c<=0, I:= 0]
```

```
head(simulation)
```

```
##      eplison0    eplison1      w0      w1 I
## 1: -2.05170080 -0.7379284  7.948299  8.262072 0
## 2:  0.05987133 -2.9770885 10.059871  6.022911 0
## 3:  1.05203741  2.1437695 11.052037 11.143770 0
## 4: -0.81178372 -2.6964102  9.188216  6.303590 0
## 5:  0.64417241 -1.1619206 10.644172  7.838079 0
## 6: -0.02944772  1.9980108  9.970552 10.998011 1
```

#### 4.2.5: create conditional mean by data

```
conditionmean_bydata<- simulation[,
  .(condi_w0_bydata = mean(w0), #condi_w0_bydata is E(w0/I) cal by data
    condi_w1_bydata = mean(w1), #condi_w1_bydata is E(w1/I) cal by data
    Q0_bydata = mean(eplison0), #Q0_bydata is E(eplison0/I) cal by data
    Q1_bydata = mean(eplison1)), #Q1_bydata is E(eplison1/I) cal by data
  by = I]
```

```
conditionmean_bydata
```

```
##      I condi_w0_bydata condi_w1_bydata  Q0_bydata Q1_bydata
## 1: 0      10.146979      8.413263  0.1469793 -0.586737
## 2: 1       9.355516     11.578800 -0.6444844  2.578800
```

```
# The first row(I=1) is what we want to know.
```

#### 4.2.6: create conditional mean by RHS

```

# get z by data
simulation[, v := eplison1-eplison0]
val_v <- simulation[, var(v)]
z <- (mu0-mu1+c)/val_v

# where we know  $E(w1|I) = \mu1 + \text{var1} * E((\text{eplison1}/\text{var1})|(v/\text{var}_v > z))$ 
# and  $E(w0|I) = \mu0 + \text{var0} * E((\text{eplison0}/\text{var0})|(v/\text{var}_v > z))$ 
simulation[v/var(v) > z, condi:= 1]
simulation[v/var(v) <= z, condi:= 0]

E1 <- simulation[,mu1+ var1*mean(eplison1/var1), by = condi]

conditionmean_byDRHD<- simulation[,
# condi_w0_byRHS is  $E(w0|I)$  cal by  $E(w0|I) = \mu0 + \text{var0} * E((\text{eplison0}/\text{var0})|(v/\text{var}_v > z))$ 
      .(condi_w0_byRHS = mu0+ var0*mean(eplison0/var0),
# condi_w1_byRHS is  $E(w1|I)$  cal by  $E(w1|I) = \mu1 + \text{var1} * E((\text{eplison1}/\text{var1})|(v/\text{var}_v > z))$ 
      condi_w1_byRHS = mu1+ var1*mean(eplison1/var1)),
      by = condi]

# Q0_byRHS is  $E(\text{eplison0}|I)$  cal by calculation( $E(w0|I)-\mu0$ )
conditionmean_byDRHD[,Q0_byRHS := (condi_w0_byRHS - mu0)]
# Q1_byRHS is  $E(\text{eplison1}|I)$  cal by calculation( $E(w1|I)-\mu1$ )
conditionmean_byDRHD[,Q1_byRHS := (condi_w1_byRHS - mu1)]

```

```
conditionmean_byDRHD
```

```

##      condi condi_w0_byRHS condi_w1_byRHS   Q0_byRHS   Q1_byRHS
## 1:      0      10.146979      8.413263  0.1469793 -0.586737
## 2:      1       9.355516     11.578800 -0.6444844  2.578800

```

## 4.2.7

```

#  $E(w1, I=1)$  (11.578201) &  $E(w0, I=0)$  (10.146672) is observed in real world,
#  $E(w1, I=0)$  (8.412406) &  $E(w0, I=1)$  (9.355612) is not observed in real world,

```