

CSE423

Quiz:2

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Sec : 07

### Ans. to the ques. No-1

We can determine the ~~point~~ position of a 2D point by using Region code in the following manner

Region Code:

3	2	1	0
above	below	right	left

if a point is inside the clipping window the outcode will be '0000'

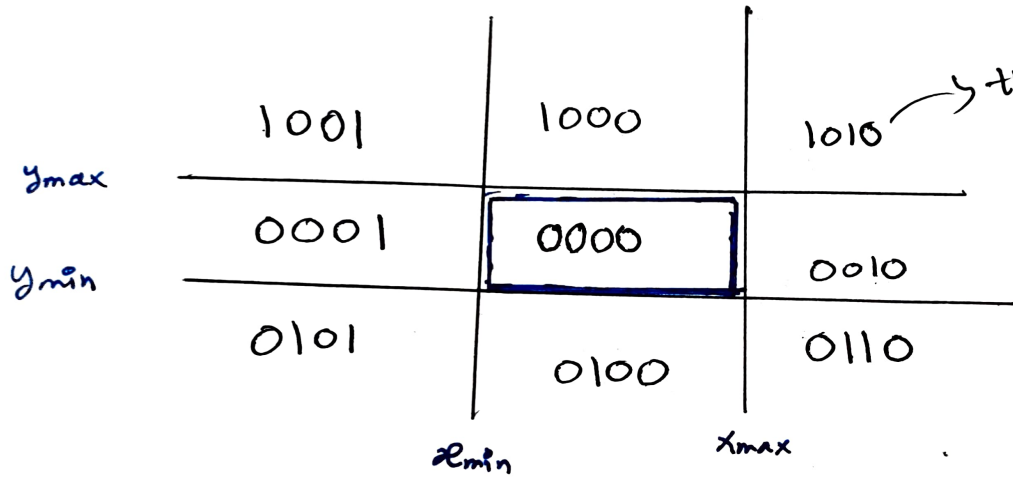
if a point is just above the clipping window then -

outcode  $\rightarrow$  0100

So, the outcode will be determined by using 1 in the bit. and it will be given with respect to the clipping window.

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(2)



these are outcodes

Outcode  $\rightarrow$  Outcode represents the position with respect to the window.

3	2	1	0
above	below	right	left
Region Code			

ased on the outcode:

if outcode is '0000' → Completely inside the window

if " " anything but '0000' then there can  
be two cases.

① completely outside the window

② partially " " "

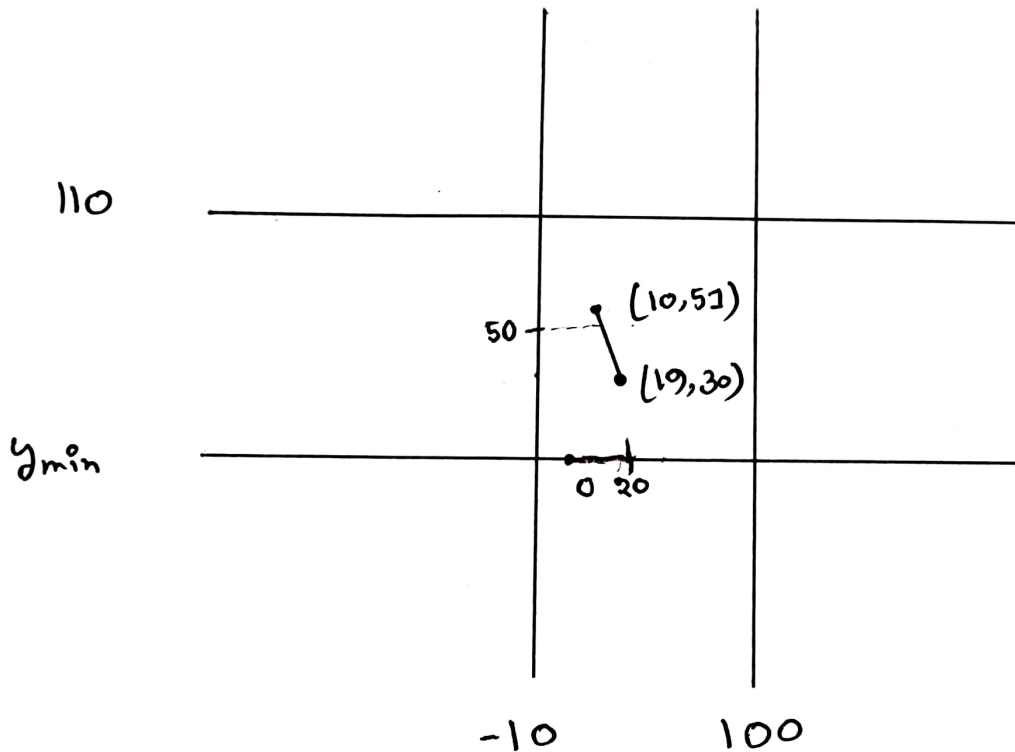
if a any 2 bit ~~has a com.~~ is matched, the  
value is. 1 then we can say the points  
are completely outside.

Ans. to the ques. No. 2

Here,

$$x_0 = 19 \quad y_0 = 30 \quad x_1 = 10 \quad y_1 = 51$$

Clipping window:  $x_{\min} = -10, x_{\max} = 100$   
 $y_{\max} = 110$



Here, to get a trivially rejected line,

$$(y_0, y_1) < y_{\min}$$

$$\text{So, } (30, 51) < y_{\min}$$

So, the  $y_{\min}$  should be greater than 51

$$s = y_{\min}$$

then, the set,  $s = \{ 52, 53, 54, 55, \dots \}$

Here,  $y_{\min} = 52$

So, the smallest integer number is  $s = 52$

Ans. to the ques. No: 3

Drawbacks of cohen-sutherland algorithm:

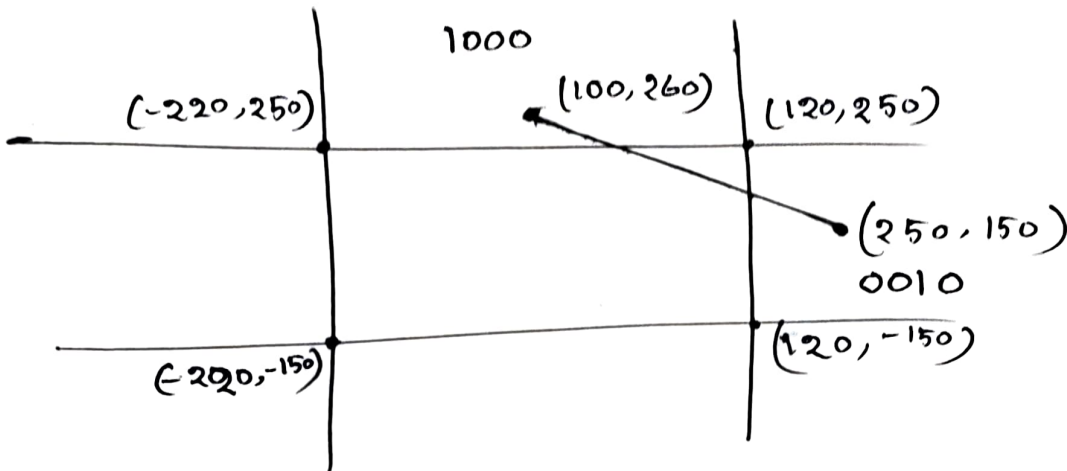
- ① Multiple Clipping
- ② Too many condition checking
- ③ The Clipping window has to be rectangular.  
Other forms are not ~~are~~ not workable  
with this algorithm.

Ans. to the ques. No-4

Clipping Region:  $(-220, -150)$  to  $(120, 250)$

Line:  $(250, 150)$ , to  $(100, 260)$





$$OC1 = 0010$$

~~00~~

$$OC2 = 1000$$

$OC1 \neq OC2$  is not equals. to 0000 so, not completely inside  
there is no common bit so not completely outside.

Now, For ~~0010~~  $OC1$

$$\begin{aligned} x_1, y_1 &= (x_{max}, y_1 + m(x_{max} - x_1)) \\ &= 120, 150 + \frac{260 - 150}{100 - 250} (-130) \\ &= 120, 236.67 \end{aligned}$$

So,  $OC1 = 0000$  (re-calculated value)

For ~~out~~ OC2:

$$(x, y) = \left( y_{\max}, x_0 + \frac{1}{m} (y_{\max} - y_0) \right)$$

$$= \left( 250, 250 + \frac{1}{-\frac{11}{15}} (250 - 150) \right)$$

$$= 250, 113.64$$

$$\text{Outcode 2} = 0000$$

$$\left. \begin{array}{l} \text{So, OC1} = 0000 \\ \text{OC2} = 0000 \end{array} \right\} \text{Re calculated}$$

Now the line is completely inside.

Line segment:

$$120, 245.33 \quad \text{to} \quad 250, 113.64$$