

[COLOR MODEL OF LIGHT (RGB)]

LECTURE 16

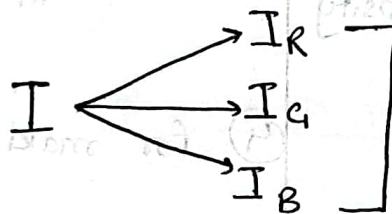
We know,

I = intensity of light

There are three things to light:

- i) brightness
- ii) color
- iii) saturation (colorness)

In Real Life:



whichever holds the highest value will dominate.

(There's two important things to consider)

1) Monitor, color (emits light as a source) → RGB

2) Paper print, pigment (absorbs light) → CMY

(white)

$$W = R + G + B$$

$$C = W - R \longrightarrow R + G + B - R \longrightarrow (G + B)$$

$$M = W - G \longrightarrow R + G + B - G \longrightarrow (R + B)$$

$$Y = W - B \longrightarrow R + G + B - B \longrightarrow (R + G)$$

* objects that emit light

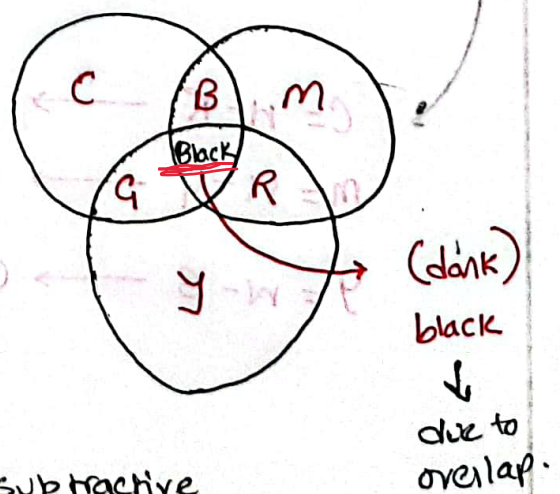
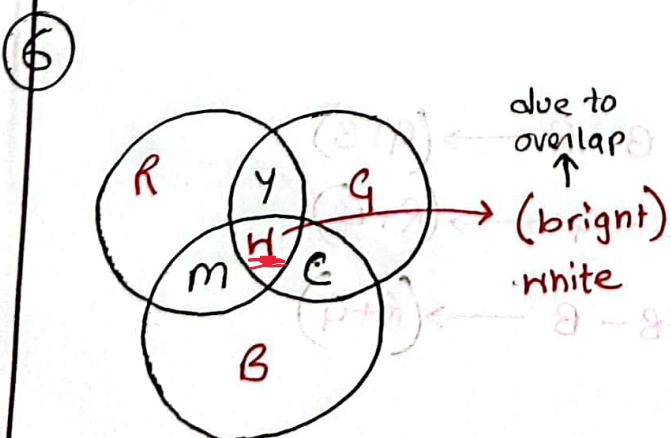
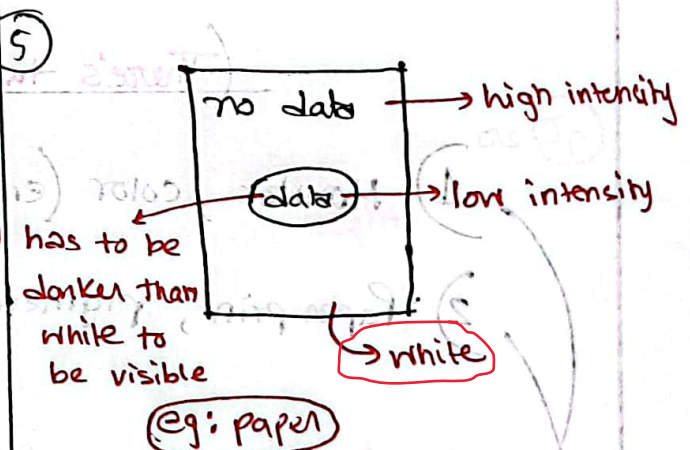
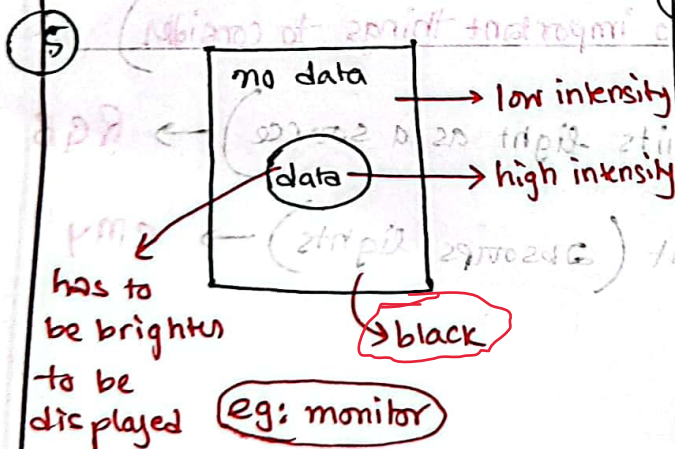
* objects that can't be seen without light

Additive Color Model (RGB)

Subtractive Color Model (CMY)

- 1 Refers to RGB
- 2 Works on the principle of emission
- 3 Additive: increase in color causes effective increase in intensity
- 4 for making monitor color

- 1 Refers to CMY
- 2 Reflection (seen through reflection)
- 3 Subtractive: increase in color causes effective decrease in intensity.
- 4 for making paper color



additive so highest intensity or brightness at white

subtractive so lowest intensity at black.

~~NOT~~

$$\begin{array}{ccc}
 R & , & G & , & B & \xleftrightarrow{(1-c, 1-m, 1-y)} & C & , & M & , & Y \\
 (0.7, 0.6, 0.8) & & & & & & (0.3, 0.4, 0.2)
 \end{array}$$

$(1-R, 1-G, 1-B)$

$$\begin{aligned}
 R &= 1 - 0.3 \\
 G &= 1 - 0.4 \\
 B &= 1 - 0.2
 \end{aligned}$$

by subtracting R, G, B
or CMY from 1
we can move
to either side

$$\begin{aligned}
 c &= 1 - 0.7 \\
 m &= 1 - 0.6 \\
 y &= 1 - 0.8
 \end{aligned}$$

Example for pure (RED)

$$\begin{array}{ccc}
 R & G & B \\
 (1, 0, 0) & \xrightarrow{(1, 0, 0) : 100\%} & (0, 1, 1) \\
 & & C & M & Y
 \end{array}$$

only
red with high intensity

most common
reflector
of red,
So high red
color.

R = Red

G = Green

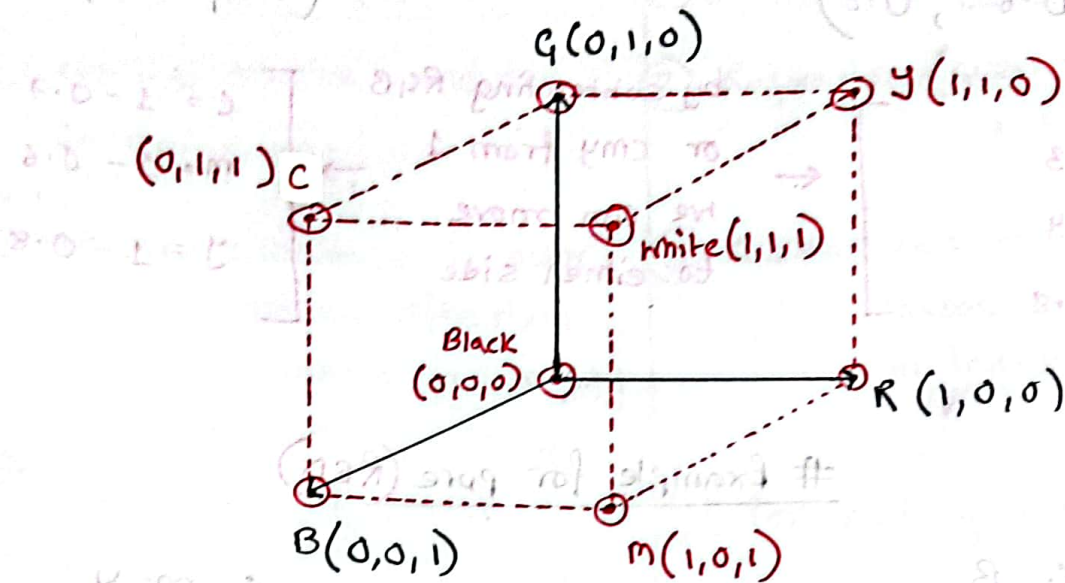
B = Blue

C = Cyan

M = Magenta

Y = Yellow

Ø (RGB color Cube Model)



Ø each axis is 8 bit : $(0 \sim 255)$

So this model can represent : $2^8 \times 2^8 \times 2^8 = (16 \text{ million colors})$

Ø (32 bit color)

RGB(A)

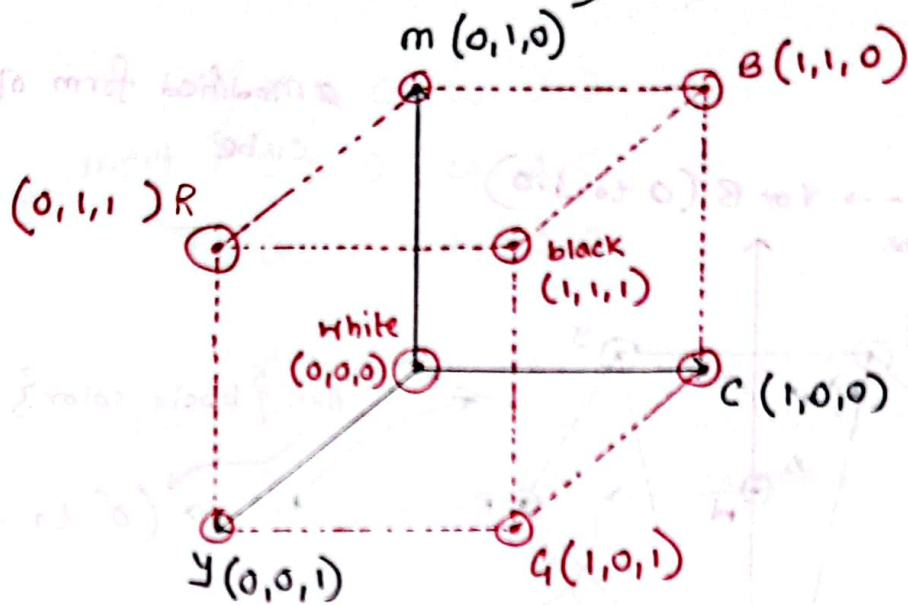
→ Alpha channel

(helps to create more convincing gradients, shadows & transparencies & can support 4 billion color combinations)

→ can be used to correctly produce real life object.

Ø Now, for CMY cube, the diagonal opposites will be switched.

① (CMY Color Cube)



$(R, G, B) \rightarrow$ is theoretically a floating point value

⊗ Good for hardware

⊗ But no one uses RGB model in software because it doesn't present us with the following

infos ⊗ Brightness?

⊗ Hue?

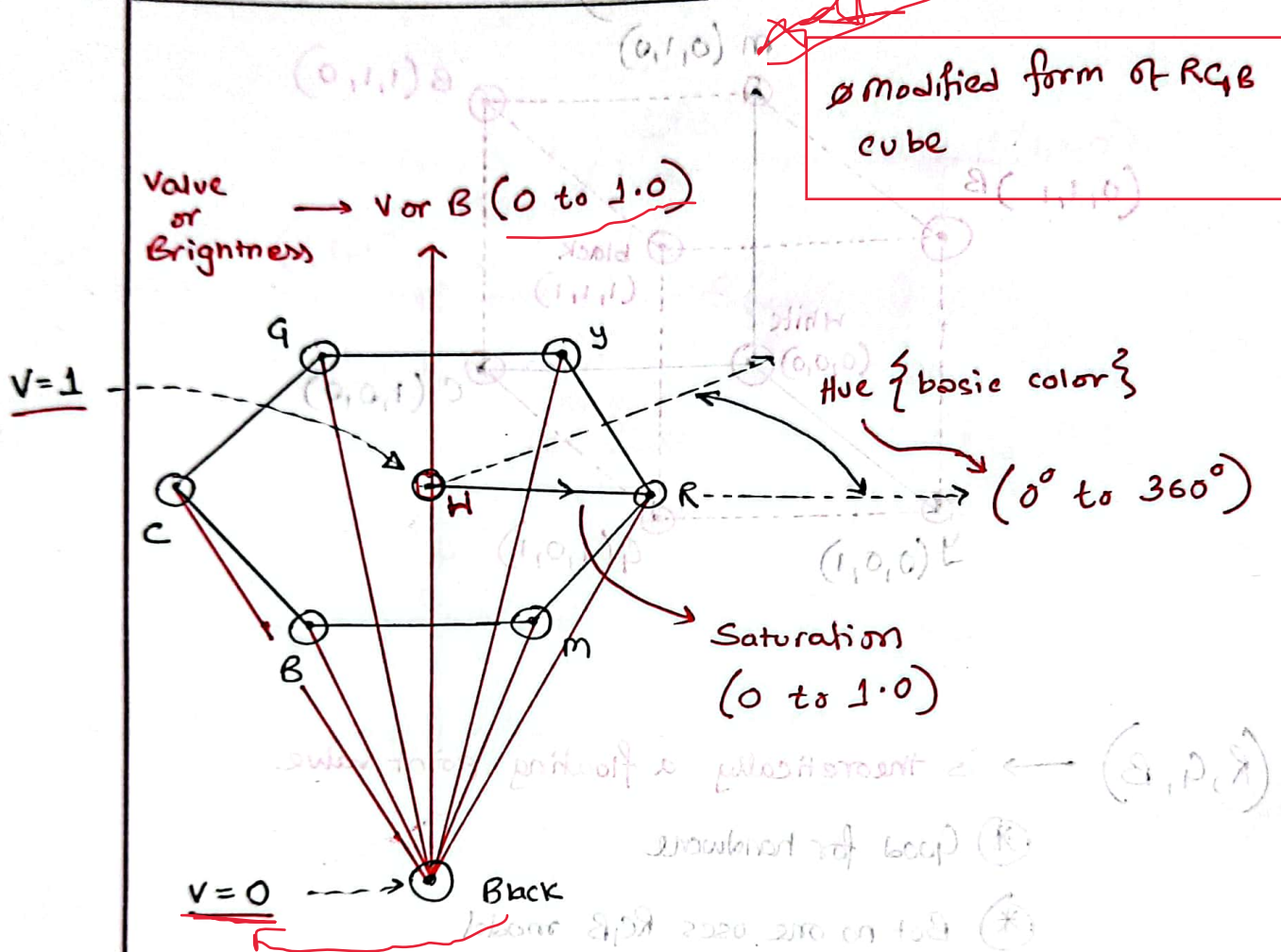
⊗ Saturation?

⊗ Hence for representation we use :

(i) HSV / HSB \rightarrow models.

(ii) HSL / HLS \rightarrow

i) HSV/HSB Color Model: (Representation model)



eg:

RGB

$(0.8, 0.6, 0.2)$

$R_1 \downarrow G_1 \downarrow B_1$

$(0.4, 0.3, 0.1)$

$R_2 \downarrow G_2 \downarrow B_2$

\rightarrow This two RGB values represent the same color, which is based on the mutual proportion of the 3 values. But, the upper one has a higher brightness.

$$R_1/R_2 = G_1/G_2 = B_1/B_2$$

So the same color but more brighter

RGB to HSV: conversion

input $\begin{cases} R: 0 \text{ to } 1.0 \\ G: 0 \text{ to } 1.0 \\ B: 0 \text{ to } 1.0 \end{cases}$

output $\begin{cases} H: 0^\circ \text{ to } 360^\circ \rightarrow \text{Hue (basic color)} \\ S: 0 \text{ to } 1.0 \rightarrow \text{Saturation} \\ V: 0 \text{ to } 1.0 \rightarrow \text{Brightness} \end{cases}$

where,

$$V = \max(R, G, B)$$

→ the value of V will depend on the maximum in between R, G & B

$$S = \frac{\max(R, G, B) - \min(R, G, B)}{\max(R, G, B)}$$

$H =$ will depend on dominance,

for code (P.T.O) →

Next Lecture (17)