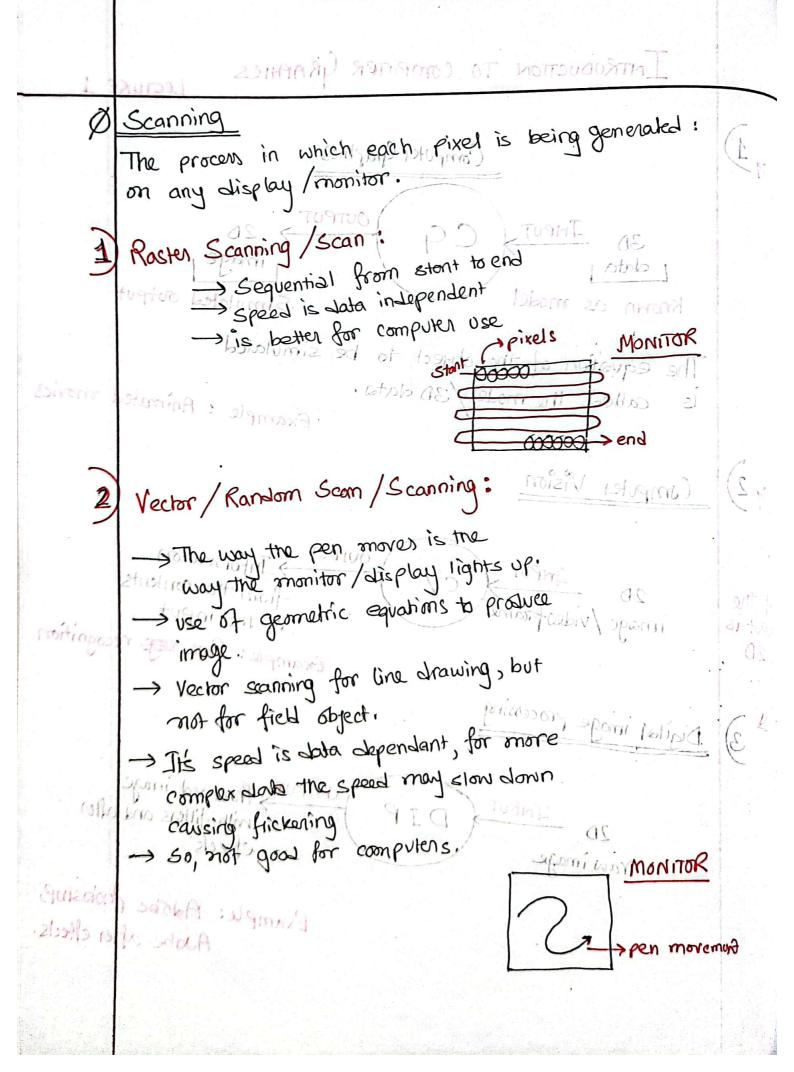
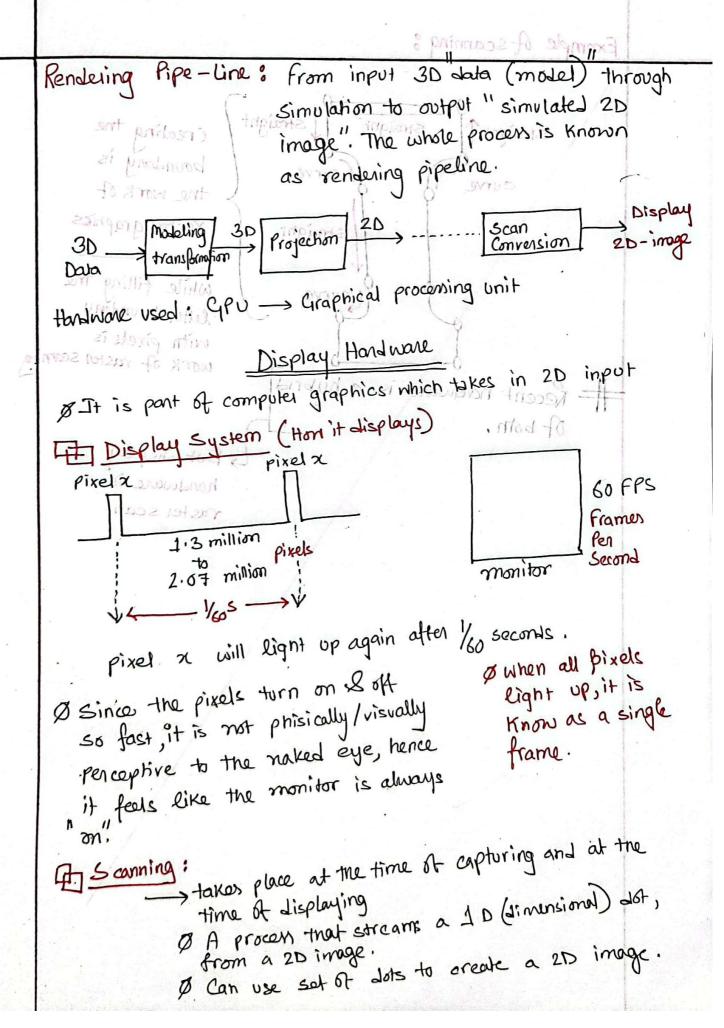
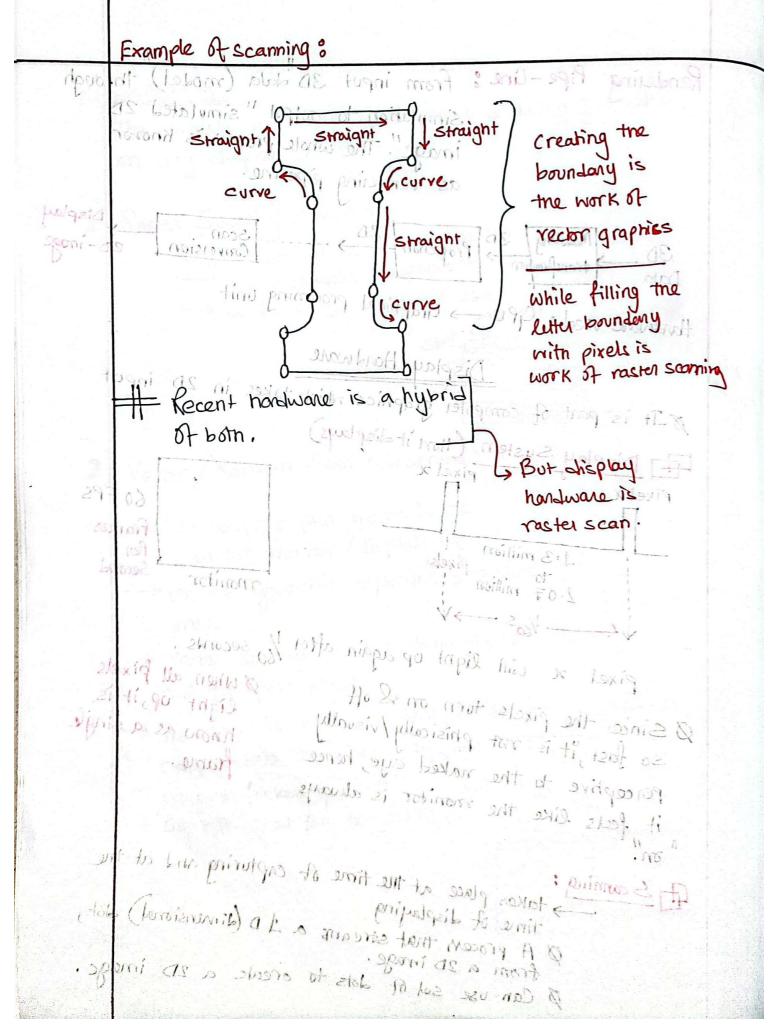
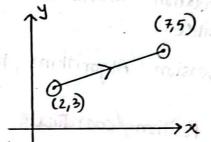
INTRODUCTION TO COMPUTER GRAPHICS LECTURE 1 Computer Graphics OUTPUT 1 data known as model Simulated output The equation of the object to be simulated Example: Animated movies called the model /30 data. Computer Vision Vector / Rondom Sam / Scanning: from the contents if the 20 input is Example: face recognition 20 for the drawing, but Digital image processing risi for field outer. triplemy to add 21 Large OUTPUT Processed image with filters and after copeffects Homorraw image Example: Adobe Photoshop, Adobe after effects.



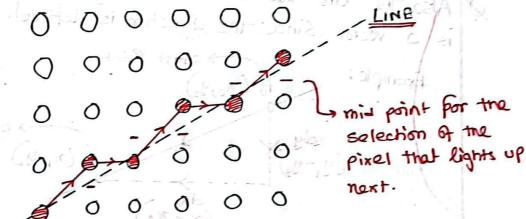




In the case of drawing a line, the line segment is defined by the stenting point (the coordinate) on the ending point (the coordinate).



But how does a display outputs this information through the use of pixels?

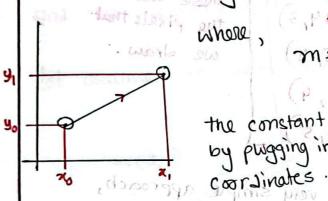


Stant point

But how do He select which pixel to turn on?

THE DEBMING PLADELIHMS -> SCAD CONVENSION Few considerations: and a primarily to see out of looking as possible et out per boundab si 2) The calculations should be asimpasymilers out mo as possible. & In scan conversion Algorithms, there's generally Position/coordinate of a pixel (21,4) two ovtputs ration rotz) RGB value of a pixel (The color) sxig Loubivibnic Also, the line that we draw using a computer is 2 vector . Since the direction is defined. > stant Point To Hay I will Lexis (4,-4) dy 2 carries the Doubling to me select which pixel (direction (mor of the/-re defined the direction.

Equations of a line : 15) 1547

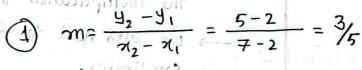


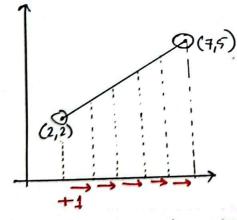
where,
$$m = \frac{y_1 - y_0}{x_1 - x_0}$$

the constant c, can be figured out by pugging in the value of the stant lend coordinates.

Ø

Example of a simple approach to calculate each pixel





$$(7,5)$$
 (2) The value of c_s^2
 $c = y_1 - 1 m \cdot x_1$
 $c = 2 - 3/5 \cdot 2 = 4/5$

the step size ofoc by one (+1) and calculate the value of- y across it.

Equations of a line (8,x) laxing \rightarrow y(2) = 2 (2,2)(3,3) \rightarrow y(3) = 2.6 \approx 3 Those are the pixels that (44,3) → y(4) = 3,2 ≈ 3 p we draw. (5/14) → y (5) = 3.8 ≈ 4 (6,4) -> y (6) = 4.4 ≈ 4 (7,5) → 4 (7) =15 fo 31/ While this might be a very simple approach, the algorithm is way too slow since: The equation y=mx+b/y=mx+c, requires the multiplication of m and a in every Step -> we also need to Round off the resulting y coordinates. Q well hear a faster approach . (3) Now calculate y for each value of a s. s. show we will increase (i) y(3) = (3/5 · 3) + 1/5 = (3/5) = (5) £ (ii) the chep size of pur (11) and for se (ii) A(d) = (30 + (b - 3.5)) = (b) A(d) colculate the value · ti 220120 p -/8 (i) y(f)=(35.4)+(15=1)4=3.8 In = 22 = 24+ (9-38) = (9) F (0) 3 = B = 81 + (F. 30) + (F) (F)

DDA (Digital Differential Algorithm)

The DDA Algorithm is an incremental approach in order to speed up scan convension. Simply calculate y boxed yk and the deciding factor here is the gradient (m). let assume we want to Iraw the following line: (mn) (x, ,y,) (7, 12) ← 01-3(3,5) At Ni Tento to sular ant ni enigenia [] $m = \frac{(y_2 - y_1)}{(x_2 - y_1)}$ $m = \frac{(y_2 - y_1)}{(x_2 - y_1)}$ $m = \frac{(y_2 - y_1)}{(x_2 - y_1)}$ $m = \frac{(y_2 - y_1)}{(x_2 - y_1)}$ first, so, m= 12-5 74= 14 (= 9 + m + 1) m = 1+x " m=-1, for line

of There are two conditions to DDA if gradient on is (-1 <m <1) - increment of a mill be by 1 the next value (1) I the current value of 2 why we increase x if -1<m<1, then the (G) We Know, angle of the less than 45 and we increase x by 1 to y= mx + C, get accurate line I plugging in the value of XK+1 in the ean or get you (18-11) y Kt1 = m (x Kt1)+C =) y = m (n +1)+c X= Wonis =) y_{K+1} = m(x_K)+ m+ C =) yk+1 = m.2k+c/+m We know, YK = MAK+C 4K+1)= 4K+m So, if -1 (m <1 mo-1, for line

For this condition, why we increase y by 1?
if m>1, then the angle of the greater than 45 and we increase y by 1 to get

evansel.	accurate line	
2)	of m lies outside the range ? - increment of y will be	
	So, y = y + 1	
	& $y=mx+c \longrightarrow also, x=\frac{y-c}{m}$	
	=) $y_{k+1} = m(x_{k+1}) + c$ and pries and a word (P) (2,F-).	
	$3) y_{k+1} = m \cdot x_{k+1} + C = 7 - C = 100$ $3) y_{k} - C + 1 = m \cdot x_{k+1}$ $3) y_{k} - C + 1 = m \cdot x_{k+1}$ $4) y_{k} - C + 1 = m \cdot x_{k+1}$	
	$\frac{1}{2} \frac{1}{2} \frac{1}$	
	$\frac{1}{2} \propto_{K+1} = \frac{y_K - c}{m} + \frac{1}{2} m$	
	$(m-1)$ $\chi_{K+1} = \chi_{K} + \chi_{m}$	
	So, for m outside the range: (1) Lower & (m) & (t)	
	9K+1 = 9K (119-) + 2 12- 9-	
	$2 x_{11} = x_{11} + x_{12}$	
	$\begin{bmatrix} -3 & 2.6 & 3 & (-3.3) \\ -2 & 2 & (-2.2) \end{bmatrix}$	
	$\begin{bmatrix} -2 & 2 & 2 & (-2,2) \\ 1 & 1 & 1 & 1 \end{bmatrix}$	
	(5. H.	

sd llin	USO, the Lim < 18 spilor ofherwise so 2010 mm fi			
	1 2 2			
	9 KH = 9 K + M 9 KH = 9 K + 1 = 11 X			
3.4	2 = 00 , oals < x 21 x m = y			
Q1	Draw a line using DDA for: $P_{1}(-7,5)$ $P_{2}(-2,2)$ $(-7,5)$			
	$8 m = \frac{2-5}{-2+7} = \frac{-3}{5} = \frac{5+5-11}{5}$			
	Since m is in the range: the value of $(-1 \le m \le 1)$ the value of $(-1 \le m \le 1)$ $= x_k + 1$ $= x_k + 1$ $= x_k + 1$			
y K+1 (=19K+m) = 1+1 (=				
	negative we don't			
	2(41) y(+m) y(round off):)PIXELINE shipture no			
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$			
	$\begin{bmatrix} -3 \\ -2 \end{bmatrix}$ $\begin{bmatrix} 2.6 \\ 2 \end{bmatrix}$ $\begin{bmatrix} -3,3 \\ (-2,2) \end{bmatrix}$			

$$Q^2$$

Hhat if the line was in the opposite direction?

$$m = \frac{5-2}{-7+2} = \frac{3}{-5} = \boxed{-0.6}$$

in range (-16m < 1)

	O
Tx	decreases

(-2,2)

α _k (-))	y _k (-m)	Uk (round off)	PIXEL
-2	2	r <u>- 1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 - </u>	(-2, 2)
-3	2.6	3	(-3, 3)
- 4	3.2	3	(-4,3)
-5	3,8	4	(-5,4)
-6	4.4	4	(-6,4)
-7	5	5	(-7,5)

Ly increases

since & decreases
we will use MK+1=MKinstead
since y increase
and the value of m
is negative we will

use $y_{K+1} = y_K - m$ instead.

Pseudo Code for DDA

DDA
$$(x_0, y_0, x_1, y_1)$$
 $\frac{(y_1 - y_0)}{m = (x_1 - x_0)}$; if $(m \le 1, 28, m \ge -1)$ $\frac{3}{2}$ while $(x_0 \le x_1)$ $\frac{3}{2}$

yo = yo+m draw (20, 40)

else {2

while (yo < y)) {

ko=xo+(1/m)

yo=yo+1

draw(xo,yo)

}

