

COLOR MODEL OF LIGHT (CONTINUED)

LECTURE 17

CODE :

Out. H, out. S, out. V \rightarrow return values
RGB-to-HSV (in. R, in. G, in. B) {

float max, min, L

max = Max (in. R, in. G, in. B)

min = Min (in. R, in. G, in. B)

L = max - min

out. V = max

if (out. V == 0) { // at V=0, S=0 (black)

out. S = 0

}

else {

out. S = $\frac{L}{max}$

}

if (out. S == 0) {

out. H = NaN // (undefined, Not a Number)

}

else {

if (in. R \geq max) { // Red dominance, can have -ve/+ve value.

out. H = $\left(\frac{in. G - in. B}{L} \right) \times 60$

if (out. H < 0) { // if the value is -ve.

out. H + = 360

}

}

* continued

else if (in.G \geq max) // Green dominant

$$\text{out.H} = \left(\frac{\text{in.B} - \text{in.R}}{L} \right) \times 60^\circ + 120^\circ$$

}

else // Blue dominant

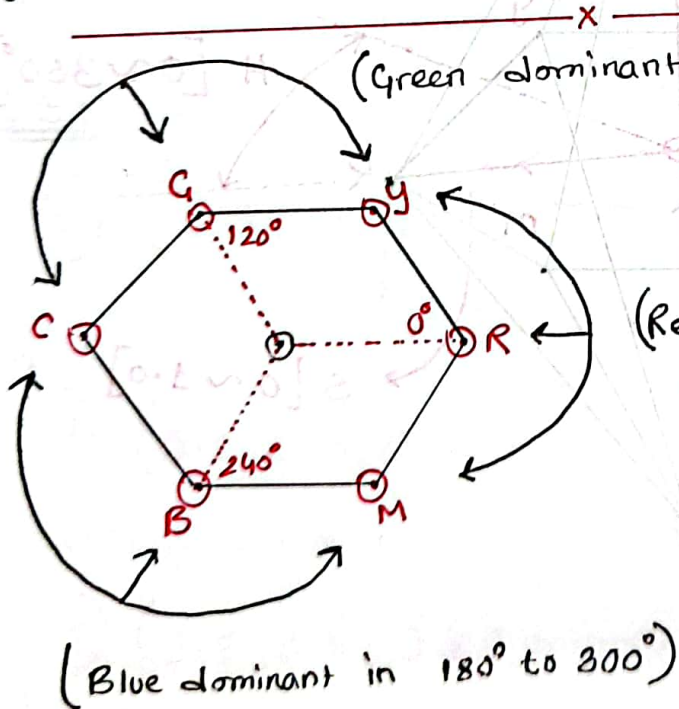
$$\text{out.H} = \left(\frac{\text{in.R} - \text{in.G}}{L} \right) \times 60^\circ + 240^\circ$$

}

}

return out.H, out.S, out.V

}



Examples :

for (1, 0.3, 0.3) // moderate Red

H = 0°

for (0.6, 0.4, 0.4) // light Red

H = 0°

for (1, 0, 0) // Pure Red

H = 0°

for (0.8, 0.6, 0.4)

H = 30°

for (0.4, 0.3, 0.2)

H = 30°

Both have same Hue but different brightness.

HSL / HLS Color model :

$$0.51 + 0) \times \left(\frac{8.01 - 8.01}{2} \right) = 11.100$$

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transmission of the virus

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Let's choose $(\varepsilon, 0, \varepsilon, 0, 1)$ with $\varepsilon > 0$.

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(RGB to HSL) Conversion

Ø H: The calculation for Hue is the same as, RGB to HSV,

$$\text{Ø } L = \frac{\max(R, G, B) + \min(R, G, B)}{2}$$

$$\text{Ø } S = \frac{\max(R, G, B) - \min(R, G, B)}{1 - |2L - 1|}$$

Q) Convert the following to HSL?

RGB:

HSL:

$$1) (0.9, 0.3, 0.6) \longrightarrow \begin{aligned} H &= 330^\circ \\ L &= 0.6 \\ S &= 0.75 \end{aligned}$$

$$2) (0.2, 0.3, 0.6) \longrightarrow \begin{aligned} H &= 225^\circ \\ L &= 0.4 \\ S &= 0.5 \end{aligned}$$

$$3) (0.5, 0.5, 0.8) \longrightarrow \begin{aligned} H &= 240^\circ \\ L &= 0.65 \\ S &= 0.43 \end{aligned}$$

*** HSV/HSB to RGB conversion**

HSV to RGB

① $C = V \times S$ [C is a constant]

X, the constant

is, the same for both.

② $X = C \times \left(1 - \left| \frac{H}{60^\circ} \bmod 2 - 1 \right| \right)$

OK

$$X = C \times \left(1 - \left| \frac{H \bmod 120^\circ}{60^\circ} - 1 \right| \right)$$

③ $M = V - C$

③ $M = L - C/2$

*** Now, for the table.**

Table

	R'	G'	B'	
①	C	X	O	→ for $(0^\circ \leq H < 60^\circ)$
②	X	C	O	→ for $(60^\circ \leq H < 120^\circ)$
③	O	C	X	→ for $(120^\circ \leq H < 180^\circ)$
④	O	X	C	→ for $(180^\circ \leq H < 240^\circ)$
⑤	X	O	C	→ for $(240^\circ \leq H < 300^\circ)$
⑥	C	O	X	→ for $(300^\circ \leq H < 360^\circ)$

And then,

$$① R = R' + m$$

$$② G = G' + m$$

$$③ B = B' + m$$

Q) Convert the following HSV values to RGB?

$$HSV = \begin{pmatrix} 180^\circ & 1 & 0.8 \end{pmatrix}$$

$$C = V \times S = 0.8$$

$$X = C \times \left(1 - \left| \frac{H \bmod 120}{60} - 1 \right| \right) = 0.8$$

$$M = V - C = 0$$

for $H = 180^\circ$ we'll use $(180^\circ \leq H < 240^\circ)$

$$\begin{bmatrix} R' & G' & B' \\ 0 & X & C \end{bmatrix}$$

Ans $R, G, B = (0, 0.8, 0.8)$

$$m + 'g = g \text{ (e)}$$

$$m + 'p = p \text{ (s)}$$

$$m + 'b = b \text{ (e)}$$

Q Convert the following HSL values to RGB?

$$HSL = \left(\underline{\underline{H}}, \underline{\underline{S}}, \underline{\underline{L}} \right)$$
$$HSL = (225^\circ, 0.5, 0.4)$$

$$C = (1 - |2L - 1|) \times S = 0.4$$

$$X = C \times \left(1 - \left| \frac{H \bmod 120}{60} - 1 \right| \right) = 0.1$$

$$M = L - \frac{C}{2} = 0.2$$

for 225° we'll use $(180^\circ \leq H < 240^\circ)$

$$\begin{array}{ccc} R' & G' & B' \\ \text{So, } [0, X, C] \end{array}$$

$$(R, G, B) = [0 + 0.2, 0.1 + 0.2, 0.4 + 0.2]$$

$$= (0.2, 0.3, 0.6) \text{ Ans} //$$