EEE 1001 DA-05

19BCEOSII) ARHAN Frimaston

$$(D(431)_{10} = (1AF)_{16} = (110101111)_{2}$$

$$\frac{161431}{1626} \frac{15(F)}{10(A)} = (110101111)_{2}$$

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$$\frac{161431}{16126} \frac{15(F)}{10(A)} = (110101111)_{2}$$

Method (b) is faster as the no. is simplified by a larger no. than ing

$$A2) \otimes (10110.0101)_2 = (22.3125)_{10}$$

 10110.0101
 $2)1\times2^4 + 0\times2^3 + 1\times2^2 + 0\times2^0 + 0\times2^1 + 1\times2^2 + 0\times2^2 + 1\times2^2 + 0\times2^2 + 1\times2^3$

=722.3125

6 (16.5) 16 = (22.3125)0 N1X16' + 6X16" + 5X16" D16+6+0.3125 D @ 22:3125 @ (26-24)8=(22.3125)10 2 x8' + 6 x8° + 2x8' + 4x8-2 -116+6+ 0.0625+ 0.25 J 220125 @ (DADA.D)16 = (56028.6875) b A P A. B 717 10 13 10 11 10 × 16 3 × 10 × 16 × 10 × 16 × 10 × 16 -1 =15248+25bo+208+10+0.6875 -1 56028.6875

@ (10101101)2=(10.8125)10 0 1 0 1 1 0 1×23 +0×2-+2,×1+2,×0+1×5,+1×5,+0×5,31×5,A J8+0+2+0+0.5+0.25+6+0+0.0625 2)10.8125 A3XO (1.10010)2=(1.90) 16=(1.5625) 6 0001/1001,0000 2) 1) 1.10010 1×20+1×51+0×5-5+0×5-3+1×5-7+0×5= -1 1+0S+0+0+0.0625+0 -) 1.5625 @ (110.010) = (6.4) = (6.25)10 0110,0100 110.010

$$=) 1 \times 2^{2} + 1 \times 2^{1} + 0 \times 2^{0} + 0 \times 2^{-1} + 1 \times 2^{-2} + 0 \times 2^{-3}$$

$$=) 4 + 2 + 0 + 0 + 0 \cdot 2 + 0$$

$$=) 6.25$$

The decimal value of (b) is 4 times that of (a) due to change of pas ~ of radian point

$$D(2/2)_{10} = (0.6666)_{10} = (0.10101010)_{2}$$

$$0.6666 \times 2 = 1.333 \times 4 \rightarrow 1$$

$$0.3004 \times 2 = 0.6668 \rightarrow 0$$

$$0.6068 \times 2 = 1.3736 \rightarrow 1$$

$$0.3336 \times 2 = 0.6672 \rightarrow 0$$

$$0.6672 \times 2 = 1.3344 \rightarrow 1$$

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$$0.9344 \times 1 = 0.6683 \rightarrow 0$$

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$$0.93376 \times 2 = 0.6752 \rightarrow 0$$

~ 0.10101 0.10 =>1x2-1+0x22+1x2-3+0x2-4+ 1×2-2+0×5-2+1×5-2+0×5-3 0.6640625 The name is reduced by 0 00260412 (0.10101010) 2= (0.44)16=(0.6640620) 0000. 1010 1010 ~> 0 X160 +10X16_1+ 10X16_5 00 + 0.625+ 0.0390625 2006640625 Yes the results of (b) and (c) are the Sane AS) O=F = A'(B+D')C(D+D')+A'B(CK)(D+D') + AD'C(D+D')+(A+A')BC(D+DI)CX+X'=[] =) A'CCD+A'D'CD+A'CD+A'CD+A'D'CD+A'D'CD+ A' BC'D+ A'DCD'+A'DC'D+ AD'CD+ AD'CD'+ ADICO+AIDCO+ADCO +AIDCO

- =>A'BCD+ A'D'CD+ A'DCD' +AD'CD' + A'DC'D+ A'BC'D'+ AB'CD+ AD'CD+ AD'CD' + AD'CD' + ABCD'
- $F = M_{2} + m_{3} + m_{4} + m_{5} + m_{6} + m_{7} + m_{10} + m_{11} + m_{14} + m_{18}$ $= \sum \{(2,2), 4, 5, 6, 7, 10, 11, 14, 15, 3\}$
- D F= A'CD(B+B')+ A'CD'(D+D')+ A'DC'(D+D')
 +AP'C(D+D') + ADC (D+P')
- => A'CD+A'CD'+A'DC'+AD'C+ADC
- => A'((D+D') + AID(+ ACCD+D))
- JAICTAIR HAC
 - SUCCALAND + AIDCI

Ab) expression.

Ab)

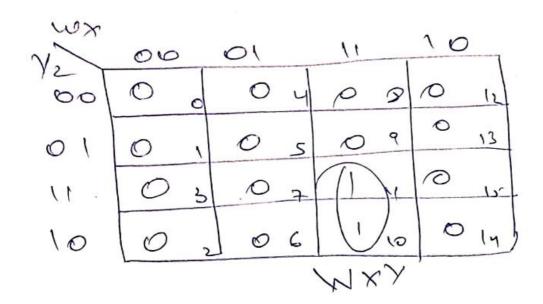
(D) F = A'D'C' + B'CP' + A'DCP' + AB'C'

=> A | D'C (CD+D)) + B'CD'(A-A) + A'D(D'+

A D'C (D701)

= P A | B' C' D + A | D' CD' + A B' CD' + A ' R'CD' + A' R'CD' + A' R'CD' + A' R'CD' + A' R'CD'

=) A'B'C'D + A'B'D'(C+C))+ AB'D'(C+C)) + A'BCD'+ ARICID => B'C'D(A+A') + A'B'D' + AB'D' + AB'BCOD! = DBK'D+A'B'D'+AB'D' +A'BCD) =>BICID+BIDICA+AI)+ AIBCDI ->> BICID+ BIDI-1 A 'DCD1 A7) F(2,4,3)=(1,2,3,4,5,7) => m1+ m2+ m3+ m4+ m5+ m7 =>F=Z+X'X+XY' (x'Y+XY')



Simplified circuit is

