**Definition 0.1.** A statement (or proposition) is a sentence which is either true or false, but not both.

**Definition 0.2.** The *truth value* of a given statement is true if that sentence is itself true, otherwise the truth value of that statement is false.

**Definition 0.3.** Let p be a statement. The *negation* of p, written  $\neg p$ , is the statement with the oposite truth value.

**Definition 0.4.** Let p and q be statements. The disjunction of p and q, written  $p \lor q$ , is the statement which is true when either p or q is true and false precisely when p and q are both false.

**Definition 0.5.** Let p and q be statements. The *conjunction* of p and q, written  $p \wedge q$ , is the statement which is true precisely when both p and q are true and is otherwise false.

**Definition 0.6.** A statement form (or proposition form) is an expression made up of statement variables and logical connections (such as  $\neg$ ,  $\lor$ , or  $\land$ ) which when substituting statements for statement variables becomes a statement.

**Definition 0.7.** A *truth table* for a statement form displays the truth values corresponding to every possible combination of truths values for its component statement variables.

**Example 0.1.** Truth tables for logical connectivesL:  $\neg$  ( not ),  $\lor$  ( or ), and  $\land$  ( and ).

**Example 0.2.** Truth tables for  $(p \lor q) \land \neg (p \land q)$ 

$$\begin{array}{c|c|c} p & q & (p \lor q) \land \neg (p \land q) \\ \hline T & T & F \\ T & F & T \\ F & T & T \\ F & F & F \\ \end{array}$$

**Example 0.3.** Truth tables for  $(p \land q) \lor \neg r$ 

p	q	$\mid r \mid$	$(p \land q) \lor \neg r$
T	T	T	T
T	T	F	T
T	F	T	F
T	F	F	T
F	T	T	F
F	T	F	T
F	F	T	F
F	F	$\mid F \mid$	T