

2. Yes, important data includes where the data was collected, when the data was collected, who collected the data. Additional information about the data was provided: NaN (data not collected), 0(good data), 1(illegible entry), 2(data differs from other sources, 3(data uncertain) 4(leaky bottle), 5 (sample collected at different location). Its important to note the default for the header code, df.header is the first five rows but can be changed easily for example to 10 with, df.header(10). #df=data frame

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15 % and the delimiter separating each column,
16 delimiter = '???';
17 % and what to skip over as missing data
18 emptyVal = '???';
19 %
20 % now generate a pointer to the start of the file on your file system
21 fid = fopen(filePath); % fid points to the first bit of the file
22 data = textscan(fid, '???', 'delimiter', '??', 'treatasempty', '???');

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4. Extract data from the cell-array, allocating them to appropriate variable names. Use a logical short-hand, such as, *tempSurf* for surface temperature and *tempBott* for bottom temperature.
5. What are the relevant dependent and independent variables and what are their units, data class (single, double, unsigned integer), and resolution (i.e., Δt)? Dependent Variable depending on the data set is surface/bottom temperature, or surface/bottom salinity. the independent variable for both data sets is the date (time).
6. How many observations are there ($nObs = ???$)?
7. Is there a quality control flag? Are there any *NaN*s, which stands for not-a-number? Use function *isnan()* to locate and mask the bad data. Also, determine the number of *NaN*'s ($nNaN = ???$). What fraction of the observations are valid?

$$\Delta_1 = \frac{nObs - nNaN}{nObs},$$

8. Manually compute the means (\bar{T}_s , & \bar{T}_b) and standard deviations (s_s & s_b),

$$\bar{T} = \frac{1}{N} \sum_{n=1}^N T_n,$$

$$s = \frac{1}{N-1} \sum_{n=1}^N (T_n - \bar{T})^2$$

To find the mean; add all of a given variable together and then divide by the number of variables. To find the SD find the mean, then for each individual variable value find its distance from the mean, by subtracting it from the mean. The sum all of the previous values together and divide it by the total number of data points. Lastly take the square root.

Use basic commands only, e.g., \pm , *sum()*, $()^2$ (the '.' indicates element-wise operation), and either $()^{0.5}$ or *sqrt()*. What normalization factor N did you use? Hint: something to do with *NaN*s

9. Save your entire matlab workspace as a binary '.mat' file. What is the fraction difference in file-size between the original ASCII file and the binary file? Use the equation,

$$\Delta_2 = \frac{ASCII - MAT}{ASCII},$$

where ASCII and MAT are the respective file-sizes measured in bytes.

10. Plot the time series for temperature with surface colored red and bottom colored blue. Use command *datetick()* to label the abscissa ticks based on 'yyyy'. Label all of your axes with appropriate units using *label()*. It should look something like Figure 1 in <https://doi.org/10.1029/2019JC015673>. You can refer to the code in Lecture 2 notes.
11. Describe any notable features/patterns in the graphical data (2-3 sentences).

Not sure how to do as I cant even create an array.