

ASP – Answer Set Programming An operational formalism (Baral 2003)

A program Π is a set of expression ρ

$$\rho: L_0 \text{ or } L_1 \text{ or } ... L_k \leftarrow L_{k+1}, L_{k+2}, ... L_m, not L_{m+1}, ..., not L_n$$

where

- the L_i are literals (atoms or atom negations)
- The « not » is a negation by failure

Intuitive meaning: for all Herbrand interpretation such that

$$\{L_{k+1}, L_{k+2}, \dots, L_m\}$$
 is true

while $\{L_{m+1},...,L_n\}$ failed to be proved one can derive $\{L_0,L_1,...L_k\}$









An Artificial Agent

```
act(P, S, G, A) \leftarrow person(P),

situation(S), goal(G), action(A),

will(P, S, G),

solve\_goal(P, S, G, A). Autonomy

solve\_goal(P, S, G, A). Intelligence

\leftarrow act(P, S, G, A), act(P, S, G, B), A \neq B.
```









An Ethical Artificial Agent

 $act(P, S, G, A) \leftarrow person(P),$ situation(S), goal(G), action(A), will(P, S, G), $solve_goal(P, S, G, A),$ moral(P, S, G, A).

 $\leftarrow act(P, S, G, A), act(P, S, G, B), A \neq B.$









An "Aristotelian" Perspective

Predicates:

```
csq(A,S,C): consequence
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worse (A,B): comparison of <u>action</u>

worst csq(A,S,C): worst consequence

 $good(P,S,\textbf{G},A) \leftarrow will(P,S,\textbf{G}),$ $solve_goal(P,S,G,A),worst_csq(A,S,C),$ $will(P,S,U), solve_goal(P,\overline{S},U,B),$ csq(B,S,D), worse(D,C).

 $bad(P,S,G,A) \leftarrow will(P,S,G),$ $solve_goal(P,S,G,A),worst_csq(A,S,C),$ $will(P,S,U),solve_goal(P,S,U,B),A \neq B,csq(B,S,D),$ $not\ worse(D,C).$ The same action may be both good and bad!









Moral and immoral

 $moral(P, S, G, A) \leftarrow not \ bad(P, S, G, A).$

 $moral(P,S,G,A) \leftarrow good(P,S,G,A),$ $not \ immoral(P,S,G,A).$

 $immoral(P, S, G, A) \leftarrow bad(P, S, G, A),$ $not \ moral(P, S, G, A).$









The Lying Example

- Three persons: "I", Peter and Paul
- Two possibilities: tell(P, truth) or tell(P, lie)
- Consequence: tell("I", truth) generates a murder

$$csq(A,S,A) \leftarrow$$
.

$$csq(A,S,B) \leftarrow csq(A,S,C), csq(C,S,B).$$

$$csq(tell("I", truth), s0, murder) \leftarrow$$

$$worse(A,B) \leftarrow better(B,A), not better(A,B).$$

$$worse(A,B) \leftarrow worse(A,C), worse(C,B).$$

$$better(A, tell(P, lie)) \leftarrow$$

$$better(A, murder) \leftarrow$$
.

$$better(A,A) \leftarrow$$
.









The Lying Example

- Half of the answer sets contain: act("I", answer("I"), s0, tell("I", truth))
- And half of the answer sets contain: act("I", answer("I"), s0, tell("I", lie)
- If we add worse(murder, lie) then all the answer sets that contain act("I", answer("I"), s0, tell("I", truth)) are removed.









Torture example

- Three persons: "I", Peter and Paul
- Two possibilities: interrogate(P, torture) or interrogate(P, soft)
- Consequence: interrogate("I", soft) generates an attack

$$csq(A,S,A) \leftarrow$$
.

$$csq(A,S,B) \leftarrow csq(A,S,C), csq(C,S,B).$$

$$csq(interrogate("I", soft), s0, attack) \leftarrow$$

$$worse(A,B) \leftarrow better(B,A), not better(A,B).$$

$$worse(A,B) \leftarrow worse(A,C), worse(C,B).$$

$$better(A, interrogate(P, torture)) \leftarrow$$
.

$$better(A, attack) \leftarrow$$
.

$$better(A,A) \leftarrow$$
.









The Torture Example

• Half of the answer sets contain: act("I", question("I"), s0, interrogate("I", torture)

• And half of the answser sets contain: act("I", question("I"), s0, interrogate("I", soft)

• If we add worse(attack, torture) then all the answer sets that contain act("I", question("I"), s0, interrogate("I", soft) are removed.





