### **Neural Networks - intro**

#### Part 1 - XOR

- 1. Using the XOR dataset below, train (400 epochs) a neural network (NN) using 2, 3, 4, and 5 hidden layers (where each layer has only 2 neurons). For each n layers, store the resulting accuracy along with n. Plot the results to find what the optimal number of layers is.
- 2. Repeat the above with 3 neurons in each Hidden layers. How do these results compare to the 2 neuron layers?
- 3. Repeat the above with 4 neurons in each Hidden layers. How do these results compare to the 2 and 3 neuron layers?
- 4. Using the most optimal configuraion (n-layers, k-neurons per layer), compare how tanh, sigmoid, softplus and relu effect the loss after 400 epochs. Try other Activation functions as well (<a href="https://keras.io/activations/">https://keras.io/activations/</a>))
- 5. Again with the most optimal setup, try other optimizers (instead of SGD) and report on the loss score. (https://keras.io/optimizers/ (https://keras.io/optimizers/))

# Part 2 - BYOD (Bring your own Dataset)

Using your own dataset, experiment and find the best Neural Network configuration. You may use any resource to improve results, just reference it.

While you may use any dataset, I'd prefer you didn't use the diabetes dataset used in the lesson.

https://stackoverflow.com/questions/34673164/how-to-train-and-tune-an-artificial-multilayer-perceptron-neural-network-using-k (https://stackoverflow.com/questions/34673164/how-to-train-and-tune-an-artificial-multilayer-perceptron-neural-network-using-k)

https://keras.io/ (https://keras.io/)

### Part 1

# 1-A. generating XOR dataset

```
In [1]:

from keras.models import Sequential
from keras.layers import Dense
from keras.optimizers import SGD #Stochastic Gradient Descent

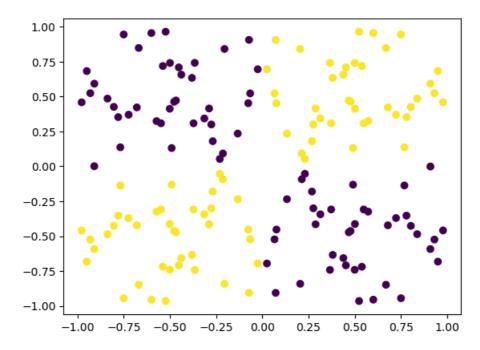
import numpy as np
# fix random seed for reproducibility
np.random.seed(7)

import matplotlib.pyplot as plt
%matplotlib inline
```

WARNING:tensorflow:From C:\Users\kcosm\kanaconda3\Lib\site-packages\keras\src\lib\site-packages\keras\src\lib\site.py:2976: The name t f.losses.sparse\_softmax\_cross\_entropy is deprecated. Please use tf.compat.v1.losses.sparse\_softmax\_cross\_entropy instead.

```
In [4]: plt.scatter(*zip(*X), c=y)
```

Out[4]: <matplotlib.collections.PathCollection at 0x16cc95640d0>



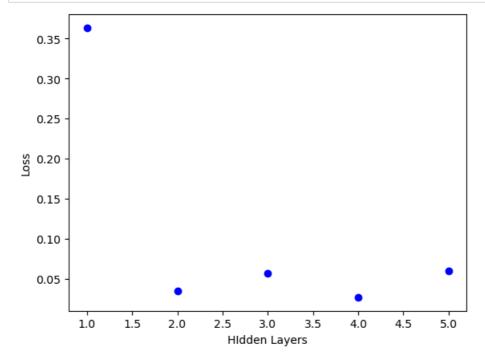
# 1-B. Train Neural Network with 2 neurons

```
In [5]: num_layers = [1,2,3,4,5]
# set SGD for optimizer
sgd = SGD(learning_rate=0.1)
```

```
In [6]: # define 'scores1_2' for scores 2-neuron model in assignment 1
       scores1_2 = []
       # define 'layer_size' to designate the number of neurons
       layer_size = 2
       for num_layer in num_layers:
          # define 'model' as sequential model
          model = Sequential()
          # add input layer (input dimension =2)
          model.add(Dense(2, input_dim=2, activation='tanh'))
          # add hiddel layers for the designated number of layers (num_layer)
          for _ in range(num_layer):
             model.add(Dense(layer_size, activation='tanh'))
          # I set sigmoid function for activation, because the model did not fit well when using 'tanh' (loss va
          model.add(Dense(1, activation='sigmoid'))
          # complie and fit the model
          model.compile(loss='binary_crossentropy', optimizer='sgd')
          model.fit(X, y, batch_size=1, epochs=400)
          # calculate score for each case and add scores
          score = model.evaluate(X, y)
          scores1_2.append(score)
          # print length of layers and scores to check if the model is well generated
          print(len(model.layers), scores1_2)
       Epoch 392/400
       160/160 [=====
                       Epoch 393/400
                        ========] - Os 2ms/step - Ioss: 0.0604
       160/160 [=====
       Epoch 394/400
                        -----] - Os 2ms/step - Ioss: 0.0604
       160/160 [=====
       Epoch 395/400
                        -----] - Os 2ms/step - loss: 0.0603
       160/160 [======
       Epoch 396/400
       160/160 [======
                      Epoch 397/400
                            -----] - Os 2ms/step - loss: 0.0603
       160/160 [=====
       Epoch 398/400
       160/160 [======] - Os 2ms/step - loss: 0.0603
       Epoch 399/400
       160/160 [======] - Os 2ms/step - loss: 0.0603
       Epoch 400/400
       160/160 [======
                         5/5 [======] - Os 3ms/step - loss: 0.0599
       7 [0 000000000000000 0 0040000000145001
```

```
In [7]: # Plot the result
plt.scatter(num_layers, scores1_2, c='b')
plt.xlabel('Hldden Layers')
plt.ylabel('Loss')
plt.show()

print(scores1_2)
```



 $\begin{bmatrix} 0.3633359968662262, \ 0.03465220332145691, \ 0.0565946027636528, \ 0.02665257453918457, \ 0.059900492429733276 \end{bmatrix}$ 

### Result of 1-B:

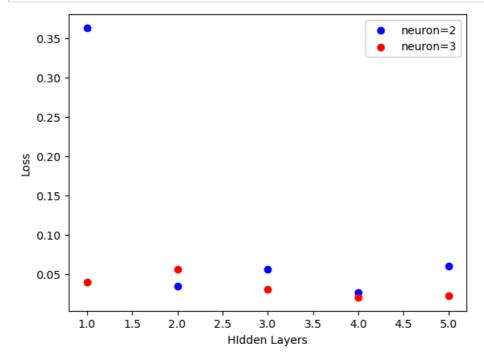
• 4 hidden layers are optimal for 2-neuron models

#### 1-C. Train Neural Network with 3 neurons

```
In [8]: # Repeat the same process as 2 neurons. Only change layer_size from 2 to 3
      # define 'scores1_3' for scores of 3-neuron model in assignment 1
      scores1_3 = []
      layer_size = 3
      for num_layer in num_layers:
         model = Sequential()
         model.add(Dense(layer_size, input_dim=2, activation='tanh'))
         for _ in range(num_layer):
            model.add(Dense(layer_size, activation='tanh'))
         model.add(Dense(1, activation='sigmoid'))
         model.compile(loss='binary_crossentropy', optimizer='sgd')
         model.fit(X, y, batch_size=1, epochs=400)
         score = model.evaluate(X, y)
         scores1_3.append(score)
         print(len(model.layers), scores1_3)
      160/160 [=======] - Os 2ms/step - loss: 0.0342
      Epoch 393/400
      160/160 [=======] - Os 3ms/step - Ioss: 0.0338
      Epoch 394/400
      160/160 [======] - Os 3ms/step - loss: 0.0286
      Epoch 395/400
      160/160 [=====
                    Epoch 396/400
      160/160 [=====
                      Epoch 397/400
      160/160 [=====
                      -----] - Os 2ms/step - loss: 0.0309
      Epoch 398/400
      160/160 [=====
                     ======= | - Os 3ms/step - loss: 0.0301
      Epoch 399/400
      160/160 [=======] - Os 3ms/step - Ioss: 0.0306
      Epoch 400/400
      160/160 [=======] - Os 3ms/step - Ioss: 0.0269
      5/5 [=====] - Os 3ms/step - Ioss: 0.0225
```

```
In [9]: # Plot the result
plt.scatter(num_layers, scores1_2, c='b')
plt.scatter(num_layers, scores1_3, c='r')
plt.legend(['neuron=2', 'neuron=3'])
plt.xlabel('Hidden Layers')
plt.ylabel('Loss')
plt.show()

print(scores1_2)
print(scores1_3)
```



 $\begin{bmatrix} 0.3633359968662262, \ 0.03465220332145691, \ 0.0565946027636528, \ 0.02665257453918457, \ 0.059900492429733276 \end{bmatrix} \\ \begin{bmatrix} 0.039479851722717285, \ 0.05617266148328781, \ 0.030184149742126465, \ 0.020512768998742104, \ 0.02252936176955 \end{bmatrix}$ 

## Result of 1-C:

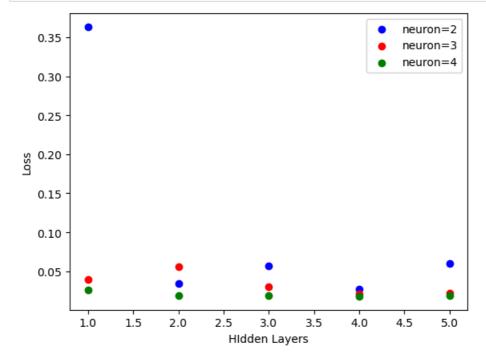
- 4 hidden layers are optimal for 3-neuron models
- 3-neuron models outperform 2-neuron models in all hidden layers except 2 hiddel layers

#### 1-D. Train Neural Network with 4 neurons

```
In [10]: # Repeat the same process as 2 and 3 neurons. Only change layer_size into 4
                    # define 'scores1_4' for scores of 4-neuron model in assignment 1
                   scores1_4 = []
                   layer_size = 4
                    for num_layer in num_layers:
                            model = Sequential()
                           model.add(Dense(layer_size, input_dim=2, activation='tanh'))
                            for _ in range(num_layer):
                                    model.add(Dense(layer_size, activation='tanh'))
                           model.add(Dense(1, activation='sigmoid'))
                            model.compile(loss='binary_crossentropy', optimizer='sgd')
                           model.fit(X, y, batch_size=1, epochs=400)
                            score = model.evaluate(X, y)
                            scores1_4.append(score)
                           print(len(model.layers), scores1_4)
                    160/160 [=======] - Os 2ms/step - loss: 0.0215
                   Epoch 393/400
                                                          160/160 [======
                   Epoch 394/400
                                                          -----] - Os 2ms/step - loss: 0.0215
                    160/160 [======
                   Epoch 395/400
                    160/160 [=====
                                                              -----] - Os 2ms/step - loss: 0.0214
                   Epoch 396/400
                    160/160 [=====
                                                                   Epoch 397/400
                    160/160 [=====
                                                                  =======] - Os 2ms/step - Ioss: 0.0217
                   Epoch 398/400
                                                                -----] - Os 2ms/step - loss: 0.0216
                    160/160 [======
                   Epoch 399/400
                    160/160 [=======] - Os 2ms/step - Ioss: 0.0213
                   Epoch 400/400
                    160/160 [=======] - Os 2ms/step - Ioss: 0.0214
                   5/5 [========
                                                            =========] - Os 3ms/step - Ioss: 0.0184
                   7 \ [0.026274342089891434, \ 0.01889568567276001, \ 0.01870402693748474, \ 0.01799273118376732, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.01843993738, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.0184399374, \ 0.01844399374, \ 0.01844399374, \ 0.018443
```

```
In [11]: # Plot the result
plt.scatter(num_layers, scores1_2, c='b')
plt.scatter(num_layers, scores1_3, c='r')
plt.scatter(num_layers, scores1_4, c='g')
plt.legend(['neuron=2', 'neuron=3', 'neuron=4'])
plt.xlabel('Hidden Layers')
plt.ylabel('Loss')
plt.show()

print(scores1_2)
print(scores1_3)
print(scores1_4)
```



[0.3633359968662262, 0.03465220332145691, 0.0565946027636528, 0.02665257453918457, 0.059900492429733276] [0.039479851722717285, 0.05617266148328781, 0.030184149742126465, 0.020512768998742104, 0.02252936176955 7] [0.026274342089891434, 0.01889568567276001, 0.01870402693748474, 0.01799273118376732, 0.0184399373829364 78]

#### Result of 1-D

- 4 hidden layers are optimal for 4-neuron models (Loss = 0.01799..)
- 4-neuron models outperform 2-neuron and 3-neuron models in all hidden layers

# Overall Result of 1-B to 1-D: 4 neuron-model with 4 hidden layers is the optimal configuration

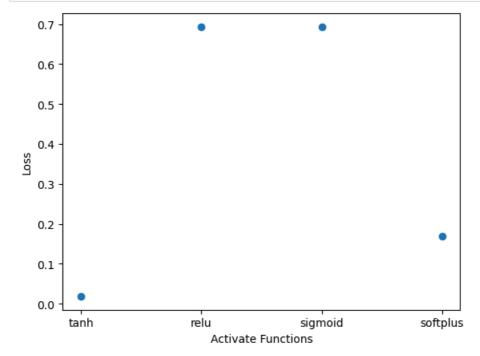
- 1 batch size, 400 epoch
- · tanh function for input and hidden layers
- · sigmoid function for output layer

# 1-E. Compare activate functions

```
In [12]: # define four activate functions as 'activate_functions'
        activate_functions = ['tanh', 'relu', 'sigmoid', 'softplus']
        # define 'scores1_af' for scores of activate functions in assignment 1
        scores1_af = []
        # use 'for' loop to acquire score for each function
        for af in activate_functions:
            # generate the optimal sequential model(4-neuron, 4 hidden layers) for each activate function.
            model = Sequential()
            model.add(Dense(4, input_dim=2, activation=af))
            model.add(Dense(4, activation=af))
            model.add(Dense(4, activation=af))
            model.add(Dense(4, activation=af))
            model.add(Dense(4, activation=af))
            # keep activation function of the output layer as 'sigmoid'
            # because the model did not fit well when using other activation functions (loss soars above 7.0)
            model.add(Dense(1, activation='sigmoid'))
            # compile and fit
            model.compile(loss='binary_crossentropy', optimizer='sgd')
            model.fit(X, y, batch_size=1, epochs=400)
            score = model.evaluate(X, y)
            scores1_af.append(score)
            print(len(model.layers), scores1_af)
        LP0011 00L/ 700
        160/160 [====
                                   =======] - Os 2ms/step - Ioss: 0.2213
        Epoch 393/400
                                  -----] - Os 2ms/step - Ioss: 0.2268
        160/160 [=====
        Epoch 394/400
        160/160 [=====
                                ========] - Os 2ms/step - Ioss: 0.2416
        Epoch 395/400
        160/160 [=====
                               Epoch 396/400
                                =======] - Os 2ms/step - Ioss: 0.2219
        160/160 [=====
        Epoch 397/400
                             =========] - Os 2ms/step - Ioss: 0.2130
        160/160 [=====
        Epoch 398/400
        160/160 [=====
                            Epoch 399/400
        160/160 [=====
                               =======] - Os 2ms/step - Ioss: 0.2072
        Epoch 400/400
                              =======] - Os 2ms/step - loss: 0.1939
        160/160 [=====
                             ========] - Os 3ms/step - loss: 0.1683
        5/5 [=====
        6 [0.018594099208712578, 0.6931766271591187, 0.6931482553482056, 0.1683395802974701]
```

```
In [13]: #Plot the result
    plt.scatter(activate_functions, scores1_af)
    plt.xlabel('Activate Functions')
    plt.ylabel('Loss')
    plt.show()

print(scores1_af)
```



 $[0.018594099208712578,\ 0.6931766271591187,\ 0.6931482553482056,\ 0.1683395802974701]$ 

#### Result of 1-E:

• 'tanh' function had the best performance of the four activation functions (Loss = 0.01859..)

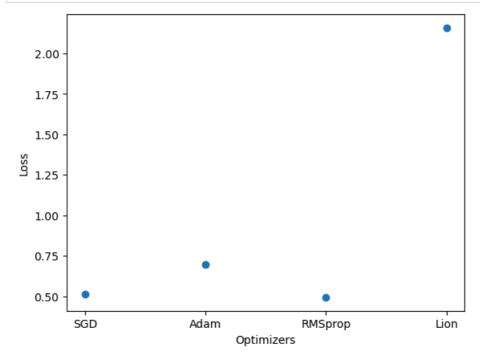
# 1-F. Compare optimizers

```
In [14]: # import three new optimizers
from keras.optimizers import Adam, RMSprop, Lion

# define three new optimizers
Adam = Adam(learning_rate=0.1)
RMSprop = RMSprop(learning_rate=0.1)
Lion = Lion(learning_rate=0.1)
```

```
In [15]: # define four optimizers as 'activate_functions'
        optimizers = [sgd, Adam, RMSprop, Lion]
        # define 'scores1_op' for scores of optimizers in assignment 1
        scores1_op = []
         for op in optimizers:
           # generate the optimal sequential model (4-neuron, 4 hidden layers, activation = 'tanh')
            model = Sequential()
            model.add(Dense(4, input_dim=2, activation='tanh'))
            model.add(Dense(4, activation='tanh'))
            model.add(Dense(4, activation='tanh'))
            model.add(Dense(4, activation='tanh'))
            model.add(Dense(4, activation='tanh'))
            model.add(Dense(1, activation= 'sigmoid'))
            # compile and fit for each optimizer
            model.compile(loss='binary_crossentropy', optimizer=op)
            model.fit(X, y, batch_size=1, epochs=400)
            # generate scores
            score = model.evaluate(X, y)
            scores1_op.append(score)
           print(len(model.layers), scores1_op)
                         ======== ] - Os 2ms/step - Ioss: 0.9445
        160/160 [=====
        Epoch 393/400
         160/160 [=====
                               Epoch 394/400
        160/160 [=====
                              ========] - Os 2ms/step - loss: 1.0003
        Epoch 395/400
        160/160 [=====
                                ========] - Os 2ms/step - Ioss: 0.8254
        Epoch 396/400
                               =======] - Os 2ms/step - Ioss: 0.8219
        160/160 [=====
        Epoch 397/400
        160/160 [=====
                              =========] - Os 2ms/step - Ioss: 0.8802
        Epoch 398/400
        160/160 [=====
                                  ========] - Os 2ms/step - loss: 0.9595
        Epoch 399/400
                                          ===] - Os 2ms/step - loss: 1.2155
        160/160 [===
        Epoch 400/400
        160/160 [=====
                          ========= ] - Os 2ms/step - loss: 2.1575
        6 [0.5101855397224426, 0.6957978010177612, 0.49299997091293335, 2.1574771404266357]
```

```
In [16]: #Plot the result
plt.scatter(['SGD', 'Adam', 'RMSprop', 'Lion'], scores1_op)
plt.xlabel('Optimizers')
plt.ylabel('Loss')
plt.show()
print(scores1_op)
```



[0.5101855397224426, 0.6957978010177612, 0.49299997091293335, 2.1574771404266357]

#### Result of 1-F:

• The optimizer 'RMSProp' outperforms other optimizers (Loss = 0.4929...)

# Overall Result : Optimal Configuration of Assignment 1 (XOR Dataset)

- 4-neuron and 4 hidden layers
- · 'tanh' activation function
- · 'RMSProp' optimizer

# Part 2 - BYOD (Bring your own Dataset)

Using your own dataset, experiment and find the best Neural Network configuration. You may use any resource to improve results, just reference it.

While you may use any dataset, I'd prefer you didn't use the diabetes dataset used in the lesson.

# 2-A. generating dataset

- Dataset from UCI: Wine Quality (<a href="https://archive.ics.uci.edu/dataset/186/wine+quality">https://archive.ics.uci.edu/dataset/186/wine+quality</a>)
- Classifying good wine (score >= 6) and normal wine (score <6)

```
In [17]: import pandas as pd

# load dataset
df = pd.read_csv("winequality-red.csv")

# convert quality value into binary value to make classification model
# values from 6 to 10 are transformed into value 1(good wine), and values from 1 to 5 are transformed into
df['quality'] = df.quality.between(6,10).astype(int)

df.head()
```

#### Out[17]:

	fixed acidity	volatile acidity	citric acid	residual sugar	chlorides	free sulfur dioxide	total sulfur dioxide	density	рН	sulphates	alcohol	quality
0	7.4	0.70	0.00	1.9	0.076	11.0	34.0	0.9978	3.51	0.56	9.4	0
1	7.8	0.88	0.00	2.6	0.098	25.0	67.0	0.9968	3.20	0.68	9.8	0
2	7.8	0.76	0.04	2.3	0.092	15.0	54.0	0.9970	3.26	0.65	9.8	0
3	11.2	0.28	0.56	1.9	0.075	17.0	60.0	0.9980	3.16	0.58	9.8	1
4	7.4	0.70	0.00	1.9	0.076	11.0	34.0	0.9978	3.51	0.56	9.4	0

```
In [18]: # define X, Y, and transfrom dataframe into numpy array

X = df.drop(['quality'], axis=1).to_numpy()
Y = df['quality'].to_numpy()
X.shape, Y.shape

Out[18]: ((1599, 11), (1599,))
```

# 2-B. Find optimal number of neurons and layers

- repeat the same process as assignment 1 (1-B to 1-D)
- because there are 11 input variables, extend number of neurons and layers
- number of layers : 1 to 10number of neurons : 5, 10, 15

```
In [19]: num_layers = [1,2,3,4,5,6,7,8,9,10]
# set SGD for optimizer
sgd = SGD(learning_rate=0.1)
```

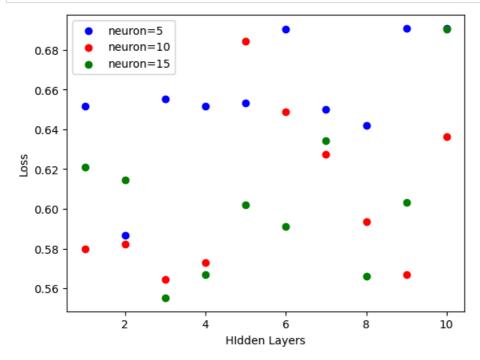
```
In [20]: # define 'scores2_5' for scores 5-neuron model in assignment 2
        scores2_5 = []
        layer_size = 5
        for num_layer in num_layers:
           # generate sequential model and add input layer
           model = Sequential()
           model.add(Dense(layer_size, input_dim=11, activation='tanh'))
           # add hidden layers
           for _ in range(num_layer):
               model.add(Dense(layer_size, activation='tanh'))
           # add output layers
           model.add(Dense(1, activation='sigmoid'))
           # compile and print
            # set batch_size=10 to use 10% of datset as samples
           model.compile(loss='binary_crossentropy', optimizer='sgd')
           model.fit(X, Y, batch_size=10, epochs=200)
           # calculate scores
           score = model.evaluate(X, Y)
           scores2_5.append(score)
           print(len(model.layers), scores2_5)
        1007 100 1
                                           -) VS JIIIS/SEEP 1033 V.UJ14
        Epoch 192/200
        160/160 [===
                                          ==1 - Os 2ms/step - Ioss: 0.6912
        Epoch 193/200
                           160/160 [======
        Epoch 194/200
        160/160 [=====
                           =========] - Os 3ms/step - Ioss: 0.6914
        Epoch 195/200
        160/160 [=====
                              ========] - Os 3ms/step - Ioss: 0.6911
        Epoch 196/200
        160/160 [====
                                  -----] - Os 3ms/step - Ioss: 0.6913
        Epoch 197/200
        160/160 [=====
                                 ========] - Os 2ms/step - loss: 0.6912
        Epoch 198/200
        160/160 [=====
                                ========] - Os 3ms/step - Ioss: 0.6911
        Epoch 199/200
        160/160 [=====
                               ========] - Os 3ms/step - Ioss: 0.6913
        Epoch 200/200
                                160/160 [=====
        50/50 [======] - 0s 2ms/step - loss: 0.6908
```

```
In [21]: # Same process with the previous cell
       # define 'scores2_10' for scores 10-neuron model in assignment 2
       scores2_10 = []
       layer_size = 10
       for num_layer in num_layers:
          model = Sequential()
          model.add(Dense(layer_size, input_dim=11, activation='tanh'))
          for _ in range(num_layer):
             model.add(Dense(layer_size, activation='tanh'))
          model.add(Dense(1, activation='sigmoid'))
          model.compile(loss='binary_crossentropy', optimizer='sgd')
          model.fit(X, Y, batch_size=10, epochs=200)
          score = model.evaluate(X, Y)
          scores2_10.append(score)
          print(len(model.layers), scores2_10)
                                        00 01110/010p 1000. 0.0000
       Epoch 192/200
       160/160 [=====
                         ========] - Os 2ms/step - Ioss: 0.6092
       Epoch 193/200
       160/160 [=====
                       Epoch 194/200
                         =======] - Os 2ms/step - loss: 0.6053
       160/160 [=====
       Epoch 195/200
       160/160 [=====
                        Epoch 196/200
       160/160 [=====
                      Epoch 197/200
       160/160 [======
                      Epoch 198/200
                     ======] - Os 3ms/step - Ioss: 0.6135
       160/160 [======
       Epoch 199/200
       160/160 [======
                     Epoch 200/200
       160/160 [=====
                           ========= ] - Os 2ms/step - loss: 0.6055
       50/50 [======] - 1s 3ms/step - loss: 0.6363
       10 [0 570070004000070 0 5004110000104401
                                         A FORMADEDODALEDERO A FZOZRORODEDO 1070 A ROMANDRO 10EDODZ
```

```
In [22]: # Same process with the previous cell
        # define 'scores2_15' for scores 15-neuron model in assignment 2
       scores2_15 = []
        layer_size = 15
        for num_layer in num_layers:
           model = Sequential()
           model.add(Dense(layer_size, input_dim=11, activation='tanh'))
           for _ in range(num_layer):
              model.add(Dense(layer_size, activation='tanh'))
           model.add(Dense(1, activation='sigmoid'))
           model.compile(loss='binary_crossentropy', optimizer='sgd')
           model.fit(X, Y, batch_size=10, epochs=200)
           score = model.evaluate(X, Y)
           scores2_15.append(score)
           print(len(model.layers), scores2_15)
        LDUUII IJZ/ZUU
        160/160 [=====
                        -----] - Os 3ms/step - Ioss: 0.6905
        Epoch 193/200
        160/160 [=====
                          Epoch 194/200
        160/160 [=====
                             ========= ] - 1s 5ms/step - loss: 0.6908
        Epoch 195/200
        160/160 [====
                                       ===] - 1s 4ms/step - loss: 0.6909
        Epoch 196/200
                          160/160 [=====
       Epoch 197/200
        160/160 [=====
                        Epoch 198/200
        160/160 [=====
                          ======== ] - 1s 3ms/step - loss: 0.6909
        Epoch 199/200
        160/160 [====
                               -----] - Os 3ms/step - Ioss: 0.6909
        Epoch 200/200
                          =======] - Os 3ms/step - Ioss: 0.6911
        160/160 [=====
        50/50 [=====] - 1s 4ms/step - loss: 0.6903
        12 [0.6210130453109741, 0.6145344972610474, 0.5552312731742859, 0.566909670829773, 0.601902246475219
```

```
In [23]: plt.scatter(num_layers, scores2_5, c='b')
plt.scatter(num_layers, scores2_10, c='r')
plt.scatter(num_layers, scores2_15, c='g')
plt.legend(['neuron=5', 'neuron=10', 'neuron=15'])
plt.xlabel('Hldden Layers')
plt.ylabel('Loss')
plt.show()

print(scores2_5)
print(scores2_10)
print(scores2_15)
```



 $\begin{bmatrix} 0.6515727639198303, & 0.5866639018058777, & 0.6554192304611206, & 0.6515476703643799, & 0.6530188918113708, & 0.6902503371238708, & 0.6500072479248047, & 0.6418786644935608, & 0.6906289458274841, & 0.6907546520233154 \end{bmatrix} \\ \begin{bmatrix} 0.5796726942062378, & 0.5824112296104431, & 0.5644353628158569, & 0.5727626085281372, & 0.6844196319580078, & 0.6489644646644592, & 0.6275237202644348, & 0.5934621691703796, & 0.5667896866798401, & 0.6362775564193726 \end{bmatrix} \\ \begin{bmatrix} 0.6210130453109741, & 0.6145344972610474, & 0.5552312731742859, & 0.566909670829773, & 0.6019022464752197, & 0.590478664398193, & 0.6342706084251404, & 0.566011905670166, & 0.6032663583755493, & 0.6902809143066406 \end{bmatrix}$ 

#### Result of 2-B:

• 15-neuron model with 3 hidden layers is the optimal configuration (Loss = 0.5552..)

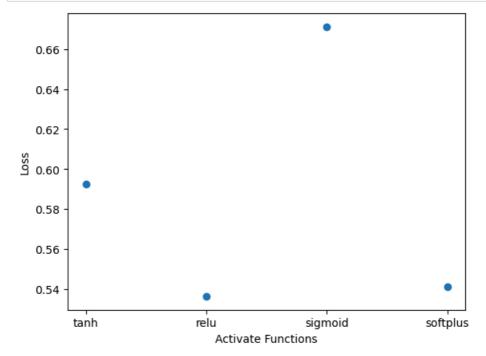
# 2-C. Find optimal activate function

• repeat the same process as assignment 1 (1-E)

```
In [24]: # define four activate functions as 'activate_functions'
        activate_functions = ['tanh', 'relu', 'sigmoid', 'softplus']
        # define 'scores2_af' for scores of activate functions in assignment 2
        scores2_af = []
        # use 'for' loop to acquire score for each function
        for af in activate_functions:
            # generate the optimal sequential model(15-neuron, 3 hidden layers) for each activate function.
            model = Sequential()
            model.add(Dense(15, input_dim=11, activation=af))
            model.add(Dense(15, activation=af))
            model.add(Dense(15, activation=af))
            model.add(Dense(15, activation=af))
            # keep activation function of the output layer as 'sigmoid'
            model.add(Dense(1, activation='sigmoid'))
            # compile and fit
            model.compile(loss='binary_crossentropy', optimizer='sgd')
            model.fit(X, Y, batch_size=10, epochs=200)
            score = model.evaluate(X, Y)
            scores2_af.append(score)
            print(len(model.layers), scores2_af)
        160/160 [===
                                          == ] - 0s 2ms/step - loss: 0.5619
        Epoch 193/200
                          160/160 [======
        Epoch 194/200
        160/160 [======
                         Epoch 195/200
        160/160 [=====
                                ========] - Os 2ms/step - Ioss: 0.5547
        Epoch 196/200
                               ========] - Os 2ms/step - loss: 0.5553
        160/160 [=====
        Epoch 197/200
                                  =======] - Os 2ms/step - Ioss: 0.5555
        160/160 [=====
        Epoch 198/200
        160/160 [====
                                    =======] - Os 2ms/step - loss: 0.5534
        Epoch 199/200
        160/160 [=====
                              ========] - Os 3ms/step - loss: 0.5597
        Epoch 200/200
                           -----] - Os 3ms/step - loss: 0.5600
        160/160 [=====
        50/50 [======
                         ========= | - Os 3ms/step - loss: 0.5411
        5 [0.5924168825149536, 0.5362298488616943, 0.6712279915809631, 0.541130542755127]
```

```
In [25]: #Plot the result
    plt.scatter(activate_functions, scores2_af)
    plt.xlabel('Activate Functions')
    plt.ylabel('Loss')
    plt.show()

print(scores2_af)
```



 $\begin{bmatrix} 0.5924168825149536, \ 0.5362298488616943, \ 0.6712279915809631, \ 0.541130542755127 \end{bmatrix}$ 

#### Result of 2-C:

• relu is the optimal activate function (Loss = 0.5362..)

# 2-D. Find optimal optimizer

• repeat the process as assignment 1 (1-F)

```
In [32]: # because optimizer 'SGD', 'Adam', 'RMSprop' led to error, I imported legacy optimizers
# The error message was :'The optimizer cannot recognize variable dense_373/kernel:0

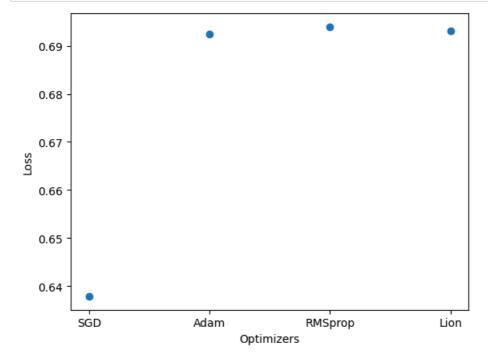
from keras.optimizers.legacy import SGD, Adam, RMSprop
from keras.optimizers import Lion

# define three new optimizers
sgd = SGD(learning_rate=0.1)
adam = Adam(learning_rate=0.1)
rmsprop = RMSprop(learning_rate=0.1)
lion = Lion(learning_rate=0.1)
```

```
In [33]: # define four optimizers as 'activate_functions'
        optimizers = [sgd, adam, rmsprop, lion]
        # define 'scores2_op' for scores of optimizers in assignment 2
        scores2_op = []
        for op in optimizers:
           # generate the optimal sequential model (15-neuron, 3-hidden layer, activation = 'relu')
            model = Sequential()
            model.add(Dense(15, input_dim=11, activation='relu'))
            model.add(Dense(15, activation='relu'))
            model.add(Dense(15, activation='relu'))
            model.add(Dense(15, activation='relu'))
            # keep activation function of the output layer as 'sigmoid'
            model.add(Dense(1, activation= 'sigmoid'))
            # compile and fit for each optimizer
            model.compile(loss='binary_crossentropy', optimizer=op)
            model.fit(X, Y, batch_size=10, epochs=200)
            # generate scores
            score = model.evaluate(X, Y)
            scores2_op.append(score)
            print(len(model.layers), scores2_op)
        Epoch 193/200
                             ========] - Os 2ms/step - Ioss: 0.6946
        160/160 [======
        Epoch 194/200
        160/160 [======] - Os 2ms/step - Ioss: 0.6969
        Epoch 195/200
        160/160 [=====
                               ========] - Os 2ms/step - Ioss: 0.6978
        Epoch 196/200
        160/160 [=====
                                 =======] - Os 3ms/step - Ioss: 0.6973
        Epoch 197/200
        160/160 [=====
                                 =======] - Os 3ms/step - Ioss: 0.6996
        Epoch 198/200
        160/160 [=====
                                ========] - Os 2ms/step - Ioss: 0.6986
        Epoch 199/200
        160/160 [=====
                              ========] - Os 3ms/step - loss: 0.6964
        Epoch 200/200
        160/160 [=====
                                 =======] - Os 3ms/step - Ioss: 0.6984
        50/50 [=====] - Os 2ms/step - loss: 0.6931
        5 [0.6378671526908875, 0.6923683285713196, 0.6939593553543091, 0.6931474208831787]
```

```
In [34]: #Plot the result
   plt.scatter(['SGD', 'Adam', 'RMSprop', 'Lion'], scores2_op)
   plt.xlabel('Optimizers')
   plt.ylabel('Loss')
   plt.show()

print(scores2_op)
```



 $\begin{bmatrix} 0.6378671526908875, \ 0.6923683285713196, \ 0.6939593553543091, \ 0.6931474208831787 \end{bmatrix}$ 

#### Result of 2-D:

• SGD is the best optimizer (Loss = 0.6379..)

# Overall Result : Optimal Configuration of Assignment 2 (Wine Quality Dataset)

- 15-neuron and 3 hidden layers
- · 'relu' activation function
- 'SGD' optimizer