

Data Communications - I

HOME WORK - I

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Written HomeWork - I

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1> CH 1. Problem 3

Solution: (a) It's given that the application will transmit data at a steady rate for long period of time. Hence 'circuit switched network' would be more appropriate for this application because the rate of transmission of data is steady. And the time is small & fixed. Hence there is not much fluctuation in the flow of data. When the application starts, it'll continue running for a long period of time, hence it's better to allot separate path for this application using circuit switching for the transmission of data.

(b) Suppose a 'packet-switched' network is used for the given scenario:
when,

$$\text{Sum of application data rate} < \text{capacity of each \& every link}$$

Congestion control is not needed because there is no need of output buffer or a queue.

②

Because there is no wait to be transmitted on link. There is no packet loss and the buffer memory will not be filled up.

Hence no congestion control is necessary.

2) CH 1. Problem 5

Propagation Speed = 100 km/hr

Distance from the entrance of toll booth 1 & entering toll booth 2 and finishing at toll booth 3 is 150 km

Total number of cars in caravan = 10 cars

Service time for each car at toll booth = 12 sec.

There's same distance b/n the toll booths.

Hence, distance b/n toll booth 1 & 2 is equal to distance between toll booth 2 & 3, which is 75 km

Total service time for all the 10 cars = $10 \times 12 \text{ sec} = 120 \text{ sec}$
i.e 2 min

Time required for a car to reach from one toll booth to the next toll booth.

$$= d_{\text{prop}} + d_{\text{trans}}$$

$$d_{\text{prop}} = \frac{\text{distance b/n two toll booth}}{\text{propagation speed}} = \frac{75 \text{ km}}{100 \text{ km}}$$

$$= 0.75 \text{ hrs} = 45 \text{ min}$$

$$d_{\text{trans}} = d_{\text{delay}} = \frac{\text{no. of cars}}{\text{cars / min}} = \frac{10}{5} = 2 \text{ min.}$$

[NOTE: 1 car \rightarrow 12 sec & 10 cars \rightarrow 2 min]

Hence, time to travel for all the cars from toll booth 1 to toll booth 2.

$$\text{i.e. } d_{\text{prop}} + d_{\text{trans}} = 45 \text{ min} + 2 \text{ min} = 47 \text{ min.}$$

— (i)

Time required to cars to travel from toll booth 2 to toll booth 3

$$\text{i.e. } d_{\text{prop}} + d_{\text{trans}} = 45 \text{ min} + 2 \text{ min} = 47 \text{ min}$$

— (ii)

Time required for the 10 cars to service at toll booth 3 = $10 \times 12 \text{ sec} = 120 \text{ sec} = 2 \text{ min}$

— (iii)

$$\text{End to End Delay} = \text{(i)} + \text{(ii)} + \text{(iii)}$$

$$= 47 + 47 + 2 = 96 \text{ min.}$$

$$\text{i.e. } 1 \text{ hr } 36 \text{ min.}$$

(b) For 8 cars in the caravan

Here only the $d_{trans} \rightarrow$ service total time will vary.

Time required to service 8 cars at a toll booth = $12 \text{ sec} \times 8 = 96 \text{ sec} = 1.6 \text{ min}$

From toll booth 1 to 2 = $45 + 1.6 = 46.6 \text{ min}$
 $\rightarrow \text{(i)}$

From toll booth 2 to 3 = $45 + 1.6 = 46.6 \text{ min}$
 $\rightarrow \text{(ii)}$

Service time for 8 cars at toll booth 3
 $12 \text{ sec} \times 8 = 1.6 \text{ min.} \rightarrow \text{(iii)}$

End to end delay = $\text{(i)} + \text{(ii)} + \text{(iii)}$
 $= 46.6 + 46.6 + 1.6$
 $= 94.8 \text{ min}$
 $= 1 \text{ hr } 34 \text{ min } 48 \text{ sec}$

3) Problem 6 - CH 1

(a) Propagation delay in terms of m & s

$$d_{prop} = \frac{m}{s} \text{ sec}$$

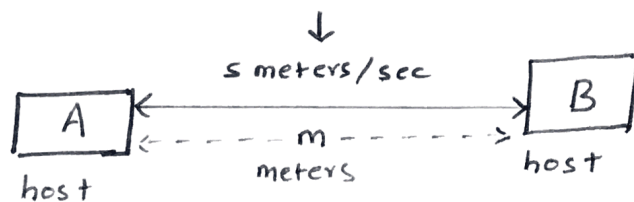


Figure 1 A

(b) Transmission time in terms of 'L' & 'R'?

packet of size 'L' \rightarrow length in bits

Transfer rate b/n link A & B = 'R' bits/sec.

$$\text{Transmission time} = d_{\text{trans}} = \frac{L}{R} \text{ secs}$$

(c) As we know,

End to End delay = $d_{\text{trans}} + d_{\text{prop}} + d_{\text{process}} + d_{\text{queue}}$
 Here, we are not considering processing & the queuing delay.

Hence, End to End delay = $d_{\text{trans}} + d_{\text{prop}}$

$$\text{i.e. } \frac{L}{R} + \frac{m}{s} \text{ seconds,}$$

(d) Referring to Figure 1 A, we can say that at $t=0$ and At time $t = d_{\text{trans}}$, the last bit of the packet will be at "Host A"

(e) $\partial_{prop} > \partial_{trans}$

At time $t = \partial_{trans}$, the first bit of the packet can be found between Host A and Host B. And it can also be calculated by

$$\Rightarrow \frac{L}{R} \times s$$

(f) $\partial_{prop} < \partial_{trans}$

$\partial_{trans} \rightarrow$ Time required for transmitting all the bits of a packet between a link

$\partial_{prop} \rightarrow$ Time taken by a packet in reaching its destination from source.

Hence, at $t = \partial_{trans}$, the first bit of packet would have already reached Host B

(g) $s = 2.5 \times 10^8$ $L = 120 \text{ bits}$ $R = 56 \text{ kbps}$
 $m = ?$ $\partial_{prop} = \partial_{trans}$ $= 56 \times 10^3 \text{ bps}$

i.e $\frac{m}{s} = \frac{L}{R} \therefore m = \frac{L}{R} \times s$

$$\Rightarrow \frac{120}{56 \times 10^3} \times 2.5 \times 10^8 = 5.35714 \times 10^5 \text{ mtr}$$

$$\therefore m = 535.7 \text{ kms}$$

4) Problem 7 - CH 1

Rate at which Host A converts Analogue voice to digital = 64 kbps

Packet Size = 56 bytes

Transmission Rate b/n A & B = 2 Mbps

$\Delta_{prop} = 10 \text{ ms}$

Solution:

At host 'A', let Δ_{conv} be the conversion time for making a packet of size 56 bytes.

$$\Delta_{conv} = \frac{56 \times 8}{64 \times 10^3} = 7 \text{ msec}$$

$$\Delta_{trans} = \frac{L}{R} = \frac{56 \times 8}{2 \times 10^6} = 224 \times 10^{-6} \text{ sec}$$

$$= 0.224 \text{ ms}$$

$$\Delta_{prop} = 10 \text{ ms}$$

$$\therefore \text{Total time required} = \Delta_{conv} + \Delta_{trans} + \Delta_{prop}$$

$$= (7 + 0.224 + 10) \text{ ms}$$

$$= 17.224 \text{ ms}$$

6) Problem 24 CH 1

$$40 \text{ tera bytes} = 40 \times 10^{12} \text{ bytes} = 40 \times 10^{12} \times 8 \text{ bits}$$

$$\therefore 1 \text{ Tb} \approx 1000 \text{ GB} \rightarrow 1 \text{ GB} \approx 1000 \text{ MB}$$

$$1 \text{ GB} \approx 1000 \text{ MB} \rightarrow 1 \text{ MB} \approx 1000 \text{ KB}$$

$$\rightarrow 1 \text{ KB} \approx 1000 \text{ bytes}$$

$$\rightarrow 1 \text{ byte} \approx 8 \text{ bits}$$

$$100 \text{ Mbps} \approx 100 \times 10^6 \text{ bps}$$

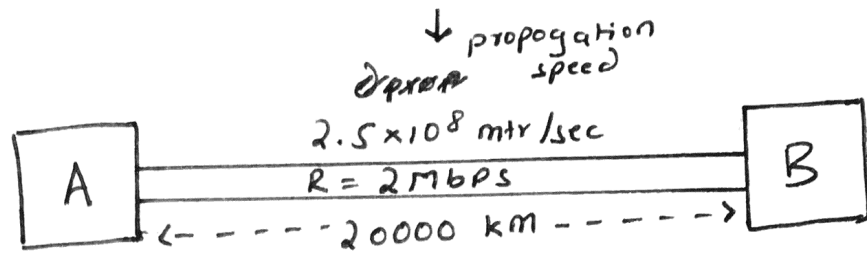
\therefore To transfer 40 TB of data through a 100Mbps dedicated link, it takes

$$\frac{40 \times 10^{12} \times 8}{100 \times 10^6} \text{ seconds}$$

This will be $\approx 320 \times 10^4$ seconds, which will be more than a day.

Hence, it's better to send the data ~~the data~~ ~~the data~~ with the help of Fed-Ex overnight delivery.

7) Problem 25 - CH-1



(a) Bandwidth delay product

$$R = 2 \text{ Mbps} = 2 \times 10^6 \text{ bits/sec}$$

$$\Delta_{\text{prop}} = \frac{\text{distance}}{\text{propagation speed}} = \frac{20000 \times 10^3}{2.5 \times 10^8}$$

$$\Delta_{\text{prop}} \Rightarrow 0.08 \text{ m/sec}$$

$$\therefore R \times \Delta_{\text{prop}} = \cancel{20000} \times 2 \times 10^6 \times 0.08$$

$$= 160000 \text{ bits,,}$$

(b) Maximum number of bits in link at any given time is given by bandwidth delay product.
i.e. $R \cdot \Delta_{\text{prop}}$

$$\Rightarrow R \times \frac{\text{distance}}{\cancel{\text{prop speed}} \text{ prop speed}} = 2 \times 10^6 \times \frac{20000 \times 10^3}{2.5 \times 10^8}$$

$$\Rightarrow 160000 \text{ bits,,}$$

(c) Interpretation of bandwidth delay product.

Bandwidth delay can be described as, the product of link bandwidth and the propagation delay over the link.

$$\begin{aligned} \text{i.e. Bandwidth delay product} &= R (\text{Bandwidth}) \times \text{Prop. delay over the link.} \\ &= R \times \mathcal{D}_{\text{prop}} \end{aligned}$$

Ex: As we have seen in (a) & (b) before
if $R = 2 \text{ Mbps}$ & $\mathcal{D}_{\text{prop}} = 0.08 \text{ m/s}$

then, Bandwidth delay product is,

$$\begin{aligned} R \times \mathcal{D}_{\text{prop}} &= 2 \times 10^6 \times 0.08 \\ &= 16 \times 10^4 \text{ bits} \end{aligned}$$

This gives the answer for maximum number of bits on the link at any given point of time.

(d) width of a bit in link

$$= \frac{\text{length of link}}{\text{Bandwidth delay product.}}$$

(11)

$$\begin{aligned} \text{length of link} &= 20000 \text{ km} \\ &= 2 \times 10^7 \text{ mtrs} \end{aligned}$$

$$\text{Bandwidth delay product} = \text{max no of bits in a link}$$

$$\text{As seen in problem (a) \& (b)} = 16 \times 10^4 \text{ bits.}$$

$$\therefore \text{width of bit in a link (in mtrs)}$$

$$= \frac{2 \times 10^7}{16 \times 10^4} = 125 \text{ mtrs,}$$

(e)

$$\text{propagation speed} = S$$

$$\text{transmission rate} = R$$

$$\text{length of link} = m$$

$$\text{WKT, width of a bit} = \frac{\text{length of link}}{\text{Bandwidth delay product}}$$

$$\underline{\text{or}} \quad \frac{\text{length of link}}{\text{maximum no. of bits in a link}}$$

$$\Rightarrow \frac{\text{length of link (m)}}{\text{transmission Rate (R) \times prop. delay}}$$

$$\Rightarrow \frac{n}{R \times \left[\frac{\text{length of links}}{\text{propagation speed}} \right]}$$

$$\Rightarrow \frac{n}{R \times \left(\frac{n}{S} \right)} \Rightarrow \frac{S}{R}$$

$$\therefore \text{width of bit} = \frac{S}{R} \text{ mtrs.}$$

where, S = propagation speed

R = transmission rate

5) Problem 18 - CH 1

(a) Intra - continent traceout

website \rightarrow uml.edu

Trial 1 at 10:00pm

$$\text{Average : } \frac{92 + 22 + 31}{3} = 48.33$$

$$\text{Std. deviation} = \sqrt{\frac{(92 - 48.33)^2 + (22 - 48.33)^2 + (31 - 48.33)^2}{3}}$$

$$= \sqrt{\frac{1907.06 + 693.26 + 300.32}{3}}$$

$$= \sqrt{966.88} = 31.09 //$$

Trial 2 at 11:00 PM

$$\text{Average} = \frac{25 + 24 + 24}{3} = 24.33$$

$$\text{std. deviation} = \sqrt{\frac{(25 - 24.33)^2 + (24 - 24.33)^2 + (24 - 24.33)^2}{3}}$$

$$= \sqrt{\frac{0.4489 + 0.1089 + 0.1089}{3}} = \sqrt{0.2222}$$

$$= 0.4713 //$$

Trial 3 at 11:55 PM

$$\text{Average} = \frac{23 + 18 + 19}{3} = 20$$

$$\text{std. deviation} = \sqrt{\frac{(23 - 20)^2 + (18 - 20)^2 + (19 - 20)^2}{3}}$$

$$= \sqrt{\frac{9 + 4 + 1}{3}} = \sqrt{4.66} = 2.1587 //$$

(b) Number of routers in path

Trace 1 at → 10:00 PM → 11 routers

Trace 2 at → 11:00 PM → 11 routers

Trace 3 at → 11:55 PM → 11 routers.

(14)

The router paths have changed during different time of trace outs.

(d) Inter - continent trace out

Trial 1 at 10:00pm

$$\text{Average} = \frac{274 + 272 + 276}{3} = 274$$

$$\text{Std. deviation} = \sqrt{\frac{(274 - 274)^2 + (272 - 274)^2 + (276 - 274)^2}{3}}$$

$$= \sqrt{\frac{0 + 4 + 4}{3}} = \sqrt{2.66} = 1.6309''$$

Trial 2 at 11:00pm

$$\text{Average} = \frac{276 + 282 + 277}{3} = 278.33$$

$$\text{Std. deviation} = \sqrt{\frac{(276 - 278.33)^2 + (282 - 278.33)^2 + (277 - 278.33)^2}{3}}$$

$$= \sqrt{\frac{1.7689 + 13.4689 + 5.4289}{3}} = \sqrt{6.889}$$

$$= 2.6246''$$

Trial 3 at 11:55 PM

$$\text{Average} = \frac{272 + 272 + 277}{3} = 273.66$$

$$\text{Std. deviation} = \sqrt{\frac{(272 - 273.66)^2 + (272 - 273.66)^2 + (277 - 273.66)^2}{3}}$$

$$\sqrt{\frac{2.75 + 2.75 + 11.15}{3}} = \sqrt{5.55}$$

$$= 2.3558 //$$

for inter continent } (b) Trace 1 at → 10:00 PM → 12 routers
 Trace 2 at → 11:00 PM → 12 routers
 Trace 3 at → 11:55 PM → 12 routers.

The router paths have not changed.

(c) Inter continent traceout: for "flipkart.com"

[ISP networks → traceout go through source to destination]

1. 10.0.0.1
2. 96.120.64.29
3. ge-3-2-ur ~~01~~ -rutland.vt.boston.comcast.net
4. be-63-ar01.woburn.ma.boston.comcast.net
5. be-1002-pe 02-one summer.ma.ibone.comcast.net
6. 50.248.118.6

7. nyk-bbl-link.telia.net
8. nyk-b6-link.telia.net
9. bhavati-airkr-ic-316560-nyk-b6.c.telia.net
10. 182.79.252.202
11. 125.17.245.162
12. 163.53.78.58

for "uml.edu"

1. 10.0.0.1
2. 96.120.64.29
3. te-0-7-0-10-suro2.lowell.ma.boston.comcast.net
4. be-22-suro3.lowell.ma.boston.comcast.net
5. be-63-av01.woburn.ma.boston.comcast.net
6. Bundle-Ether61-suro2.boston.ma.boston.comcast.net
7. nox1sumgw1-comcast.nox.org
8. miti-cps-nox ~~org~~ 1sumgw1.nox.org
9. 69.16.3.6
10. 129.63.235.201
11. uml.com.kw

Yes, largest delay occurs at peering
interfaces ~~between~~ between adjacent ISP's.

Intra Continent

1. Average is less
2. Routers involved is less
3. Number of hops between source & destination is less

Inter - continent

1. Average is more
2. Routers involved is more.
3. Number of hops between source and destination is more.