

# Disease Modeling in Devil Facial Tumor Disease

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Group 3

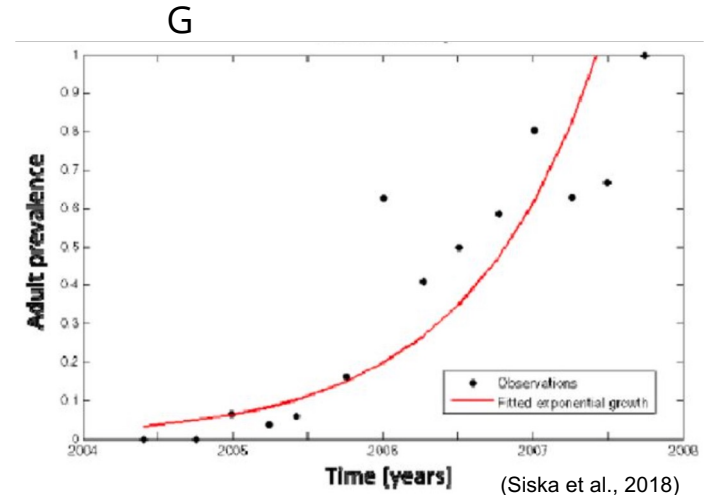
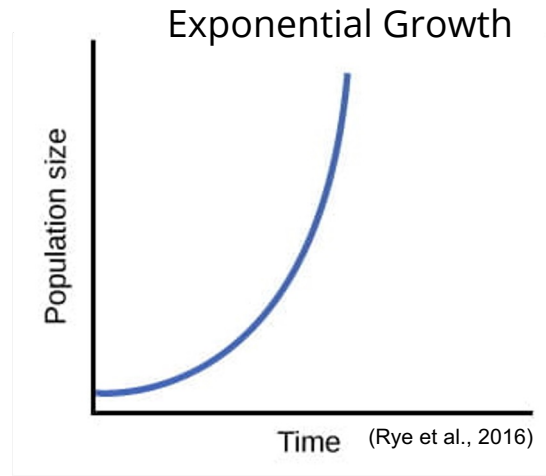


# Exponential Growth

- What is exponential growth?
  - A population's growth rate per individual remains the same disregarding population size (Avisar et al., 2016)
- Devil Face Tumor Disease (DFTD)
  - ~80% population decrease 5 years after first case reported
  - Transmits by the Devils fighting and biting (Dunlap, 2018)



Tasmanian Devil with DFTD (Conroy, 2023)

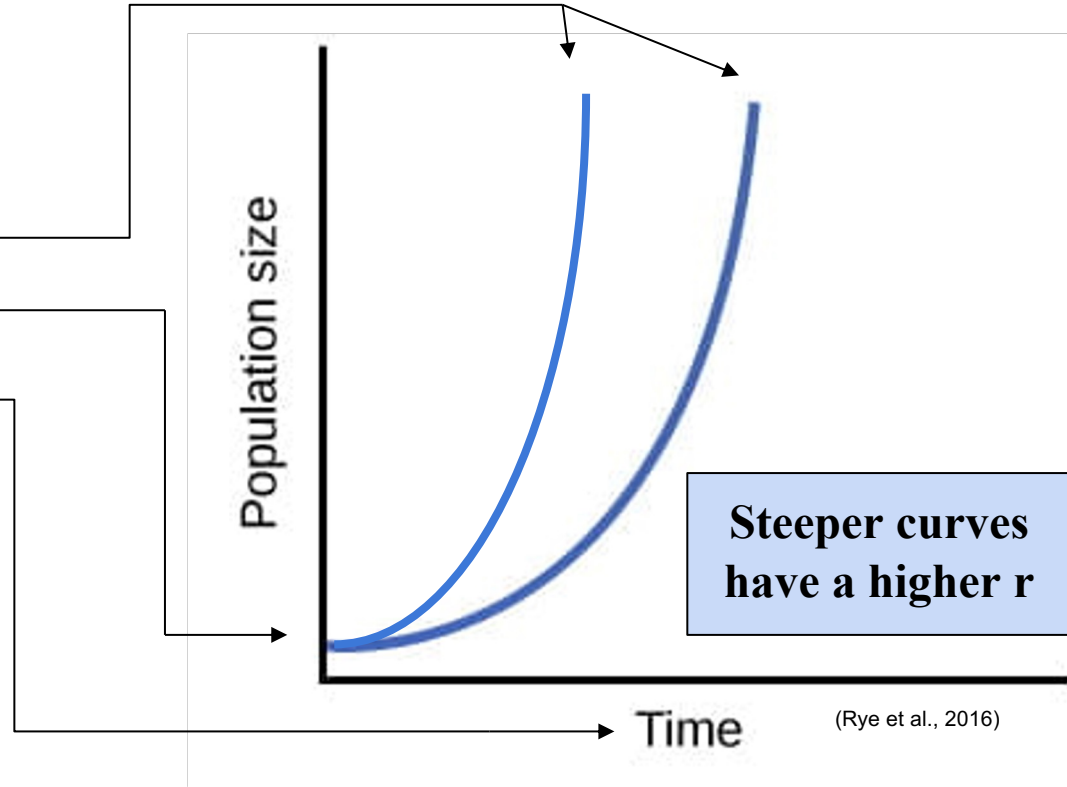


# Graphing Exponential Model of Infected

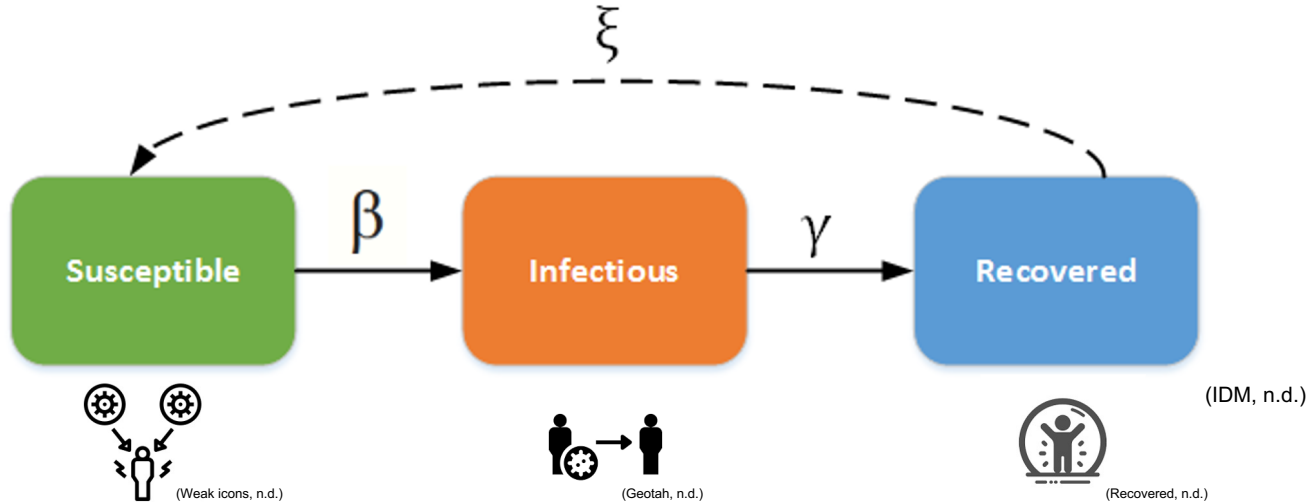
- $N_t = N_0 e^{rt}$
- Growth rate:  $r$
- Initial population:  $N_0$
- Time:  $t$



(CBC Radio, 2019)



# Using SIRS Model to Describe the Devil Facial Tumor Disease

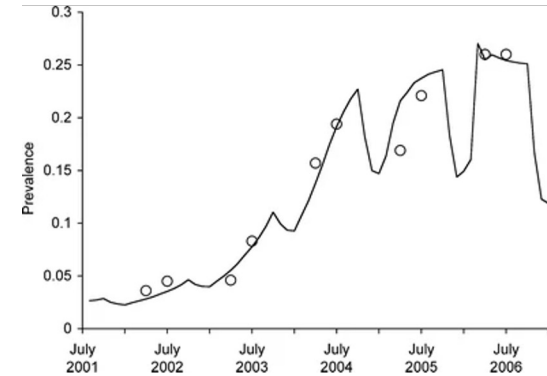


Where  $\beta$  is the rate of transmission,  $\gamma$  is the rate of recovery, and  $\xi$  is the rate of diminishing immunity.

- Susceptible individuals are the individuals in a population that could potentially be infected.
- Infectious individuals are the individuals in a population that are capable of spreading the disease.
- Recovered individuals are the individuals in a population that are immune to the disease.

# Using SIRS Model to Describe the Devil Facial Tumor Disease

- Rate of transmission ( $\beta$ ) is affected by the proportion of susceptible individuals
  - Increasing rate of transmission early on
  - Decreasing rate of transmission after years
- Rate of recovery ( $\gamma$ ) is low
  - Anthropogenic vaccination hoping to increase proportion of “recovered” individuals (Woods et al. 2018)



(McCallum et al., 2007)



(Rye et al., 2016)

# Conclusion

- The exponential growth model depicts the growth rate per individual and remains unchanged by population size
  - Calculated using  $N_t = N_0 e^{rt}$
- The SIR model depicts a compartmental model used in infectious disease modelling
  - S = Susceptible
  - I = Infectious
  - R = Recovered

## Tasmanian Devils Suffering From Cancer To Receive COVID-Inspired Jabs As the Vaccine Was Approved for Testing

Conelisa N. Hubilla Jun 30, 2023 10:53 AM EDT



In Australia, the large island southeast of the mainland is home to the [Tasmanian devil](#) (*Sarcophilus harrisii*), the world's largest carnivorous marsupial. Three decades ago, the devil facial tumor disease (DFTD) emerged on the island of Tasmania. Since then, it has killed up to 80% of Tasmanian devils, raising concerns that the disease could make the animals go extinct.

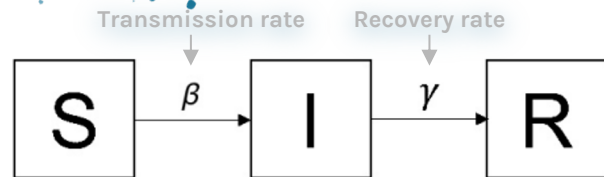


(Photo: Pexels/ Chaim Mehlman)

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If one BIOL 150 student was infected with COVID-19 (Omicron), what proportion of the class would be infected after 2 weeks?



$$\beta = 0.103$$

$$\gamma = 1/6$$

Population Size (N) = 135

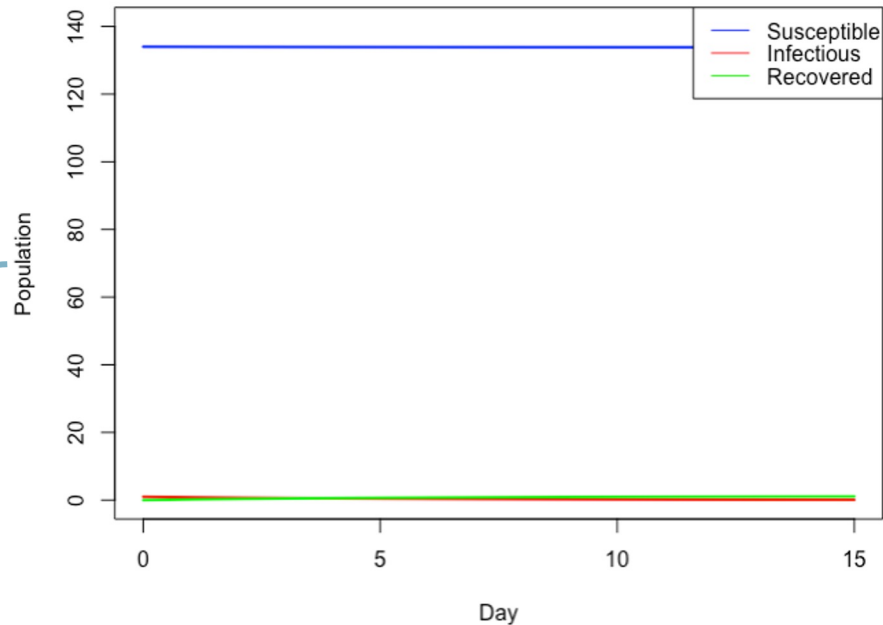
Initial Conditions:

- Infected = 1
- Susceptible = 134

*After 2 weeks, no one else in BIOL 150 would be infected with COVID-19.*

**Non-normal Distribution and Probability of Infection = 0.125**

SIR Model of COVID-19 Spread in Biol 150 Students





# Which residence is safer?

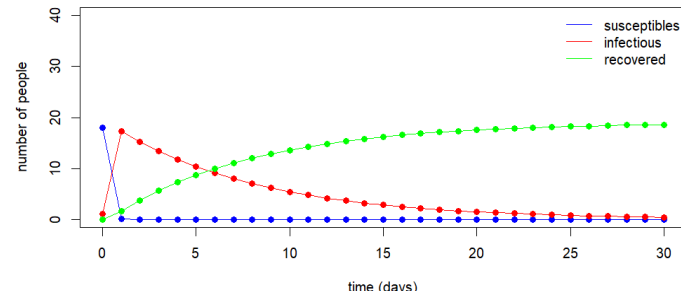
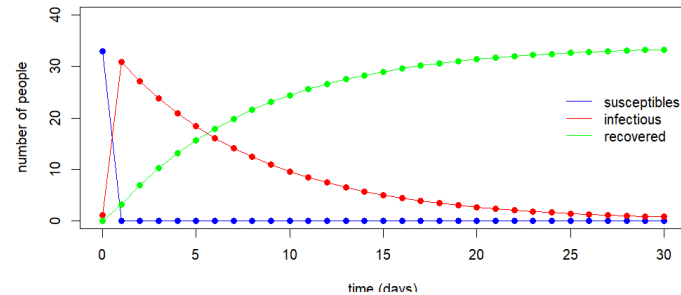
## UWP or MKV against Bacterial meningitis?

### OUR CONSTANTS:

- Gamma: 0.13
- Beta\_UWP: 0.103
- $R_0$ \_UWP: 26.83
- $p_c$ \_UWP: 96.27
- Beta\_MKV: 0.129
- $R_0$ \_MKV: 18.87
- $p_c$ \_MKV: 94.70

### OUR CONCLUSIONS:

**UWP** has a much **higher**  $R_0$  value, and so is a less safe residence. **MKV** is a little **safer** to avoid transmission and infection of *Bacterial meningitis*.



## What is the required vaccination threshold for Biol 150 students to stop the spread of Measles?

- We used the anonymous data to find out how much contact was made between students
- We calculated the contact rate and basic reproductive number ( $R_0$ ) with the data and literary values to find the vaccination threshold ( $P_c$ ) that would prevent the exponential growth of Measles on campus
- $P_c = (1 - 1/R_0)100 = (1 - 1/36.66)100 = \mathbf{97.27\%}$
- 97% of the class needs to be vaccinated to stop the spread of Measles



# Conclusions

**Purpose:** To determine the vaccination threshold of BIOL 150 students to stem the spread of chicken pox using data collected by the PeerLearn App.

- $R_0 < 1$  = disease was dying out
- Vaccination likely not necessary
- **Limitations:**
  - Individuals were able to be infected multiple times
  - Most students appear to have used the app initially and then usage decreased
  - Infection duration of chicken pox is about 1 week – same as the duration of the study
- **Recommendations**
  - Have some sort of incentive to be able to have a reasonable amount of data to work with
  - Run the experiment for longer

$$R_0 = \frac{\beta}{\gamma}$$

Basic Reproduction Number

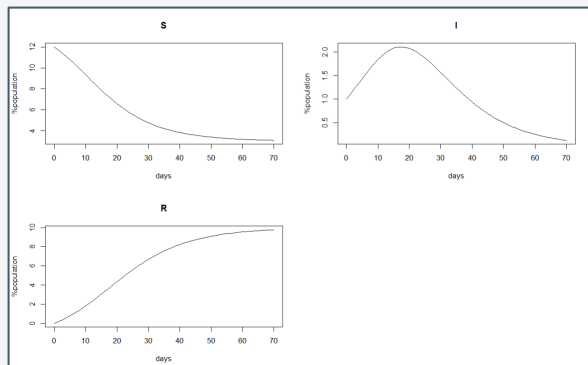
$$p_c = 1 - \frac{1}{R_0}$$

Vaccination Threshold

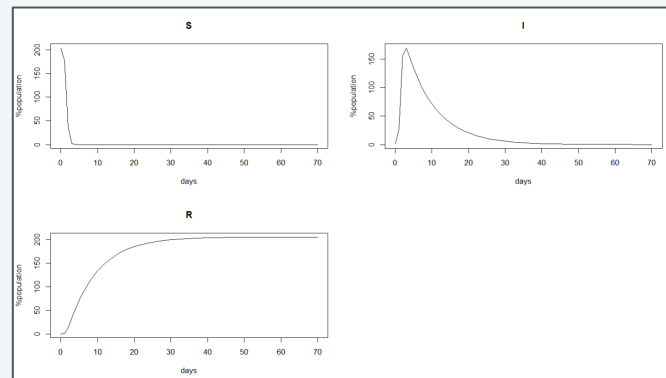
# Virulence of Influenza (H1N1) in the BIOL 150 Class

**Virulence:** The probability that an individual will become infected, once exposed

$$\text{H1N1 Virulence} = \frac{R_0 * \gamma}{\text{contacts}} = 0.012 \rightarrow \text{Probability of infection is } \underline{\text{low}}$$



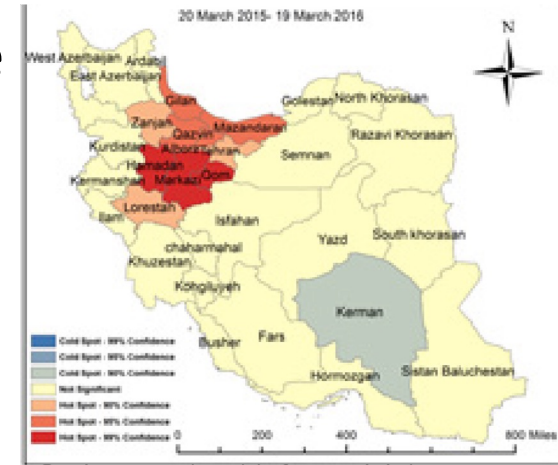
*Figure 1. SIR Model for students that downloaded PeerLearn app*



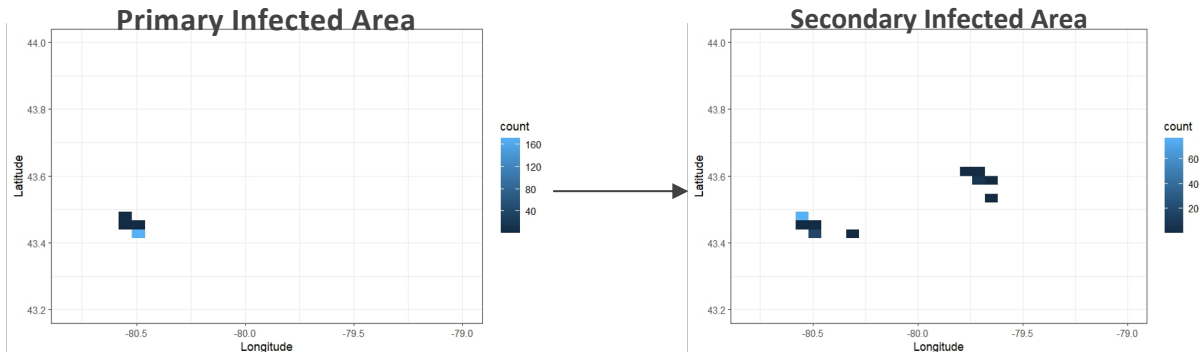
*Figure 2. Scaled SIR Model for entire class*

# How can we use spatiotemporal data to calculate the critical vaccination threshold?

- A study by Alimohamadi et al. (2020) describes the use of spatio-temporal analysis to track the distribution of Pertussis
- Were able to identify hotspots of pertussis in northern parts of Iran
- This information was then used to implement vaccination programs in these areas
  - Herd immunity occurs at a vaccination fraction of 90-92% (McGirr et al., 2013)
- Based on our findings, close to the entire class of BIOL 150 students would need to be vaccinated to prevent the spread of Pertussis within the population
  - Targeting certain areas such as RCH could improve the results of any vaccination efforts



Spatio-temporal model of pertussis in Iran (Alimohamadi et al., 2020)



$$P_c = 1 - (1/R_0)$$

$$> R_0 < -25$$

$$> P_c = 1 - (1/R_0)$$

$$> P_c = 1 - (1/25)$$

$$[1] \quad 0.96$$

Calculation of herd immunity (Nayer, 2020)