

Electric Vehicle (EE60082)

Lecture 7: Motor drive for EV (part 3)

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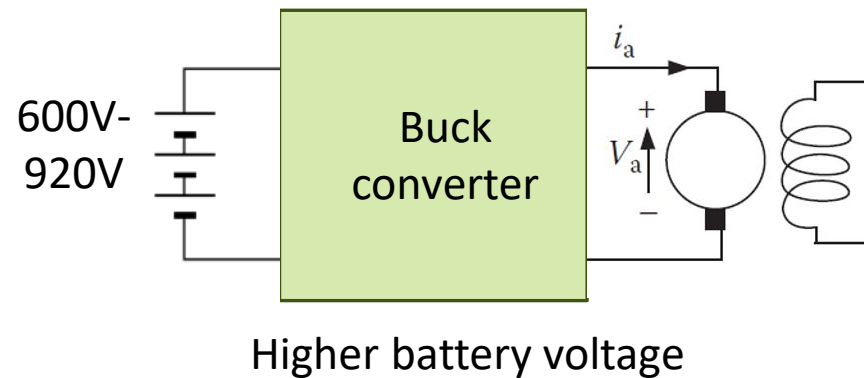
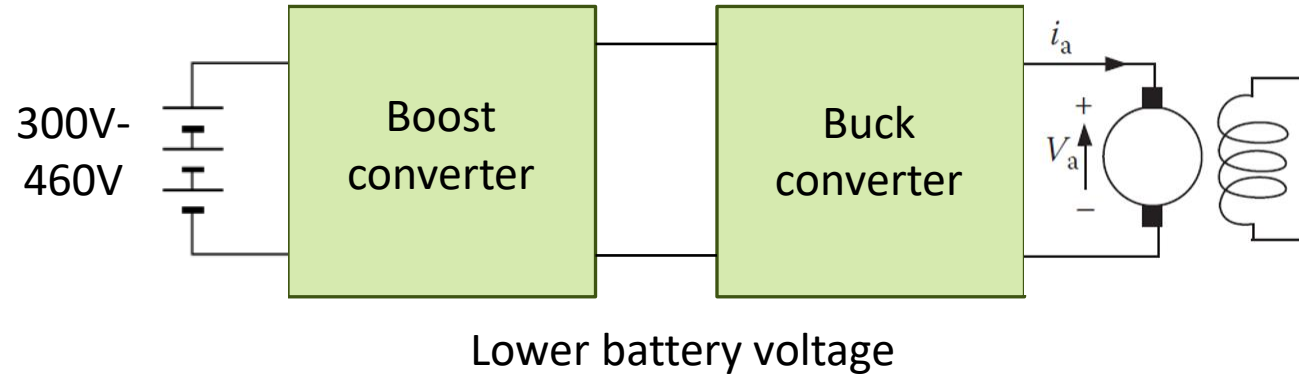
Traction motors for EV (recap)

Commonly used motors:

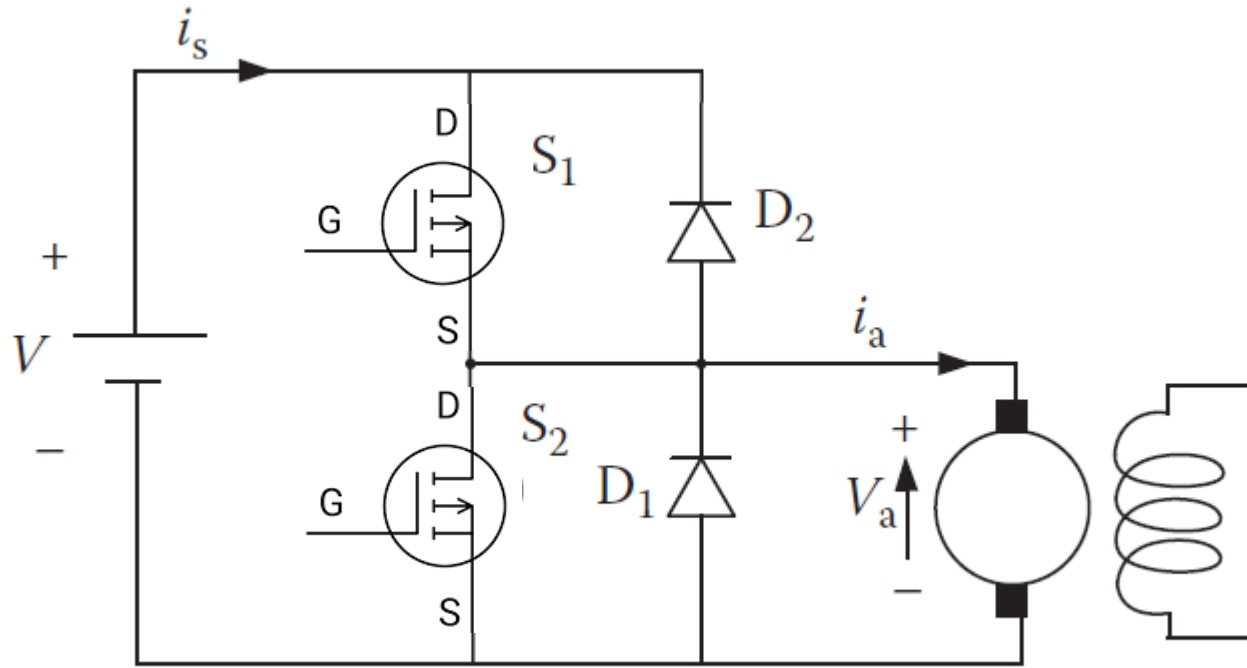
- Brushed DC motor
- Brushless DC motor (BLDC)
- Induction motor
- Permanent magnet synchronous motor (PMSM)
- Switched reluctance motor (SRM)



DC motor drive (recap)

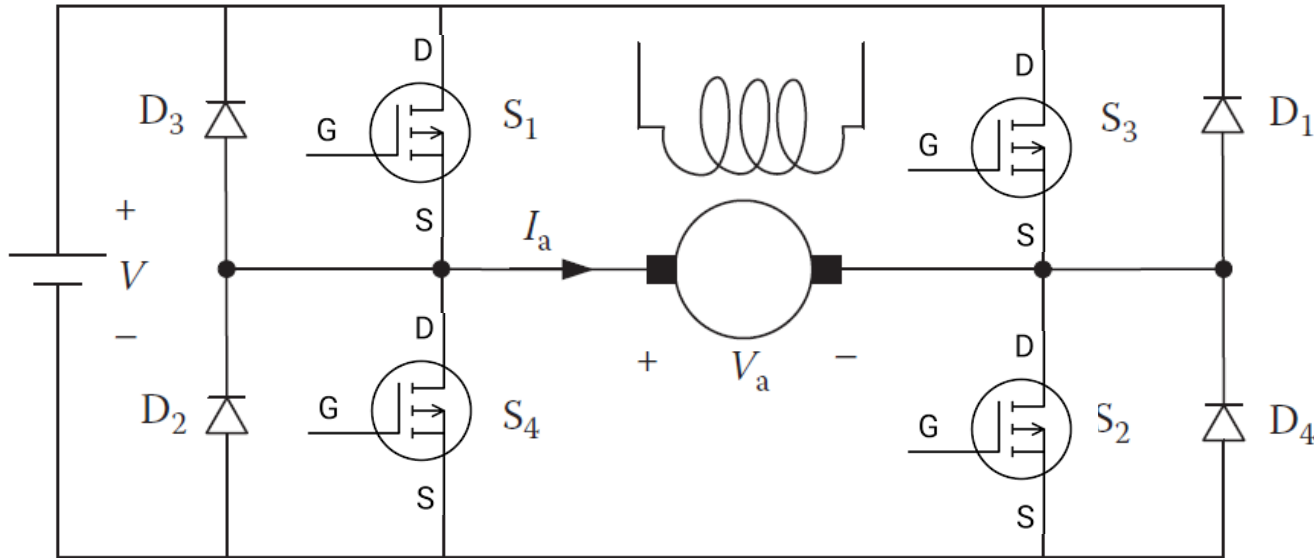


DC motor drive – synchronous buck (recap)



- Synchronous buck
- bidirectional power flow
- Two-quadrant chopper
- Class C chopper
- How to drive in reverse?

DC motor drive – 4 quadrant chopper (recap)



➤ Full bridge

➤ bidirectional power flow

➤ Four-quadrant chopper

➤ Class E chopper

➤ Drive in reverse-

➤ 4 quadrant chopper vs. gear box

DC machine drawbacks (recap)

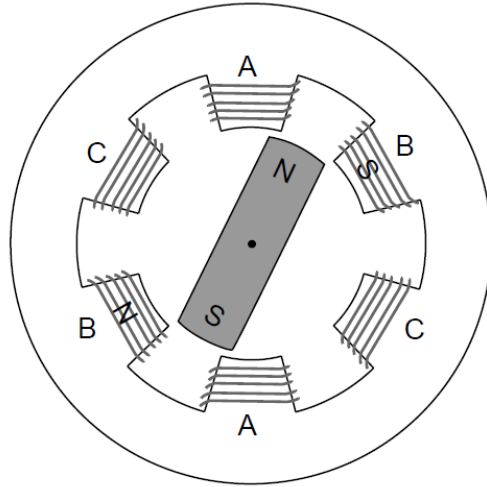
- Wear and tear of brush and commutator
 - High maintenance
 - Limited life
 - limited speed range

- Sparking at the commutator
 - sparking at brush contacts, especially under heavy load and high speed
 - EMI noise due to sparking
 - Potential safety hazards

- Higher weight and volume

- Lower efficiency

Coil arrangements in a BLDC (recap)



➤ Multiple coils to increase torque

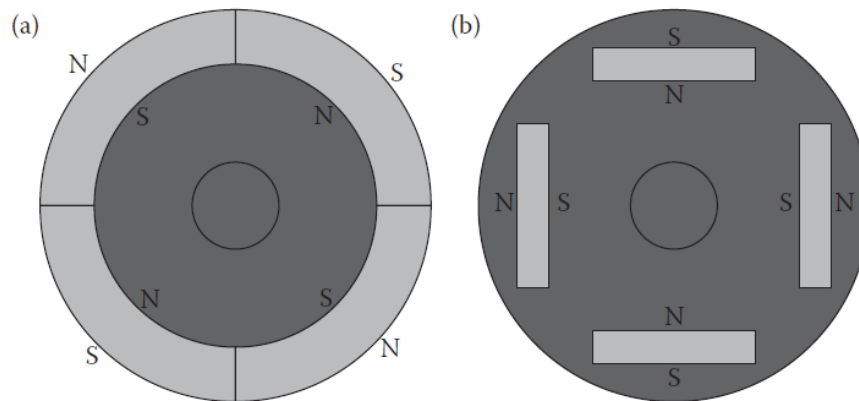
➤ Strong magnet needed for rotor

➤ No current flow in rotor

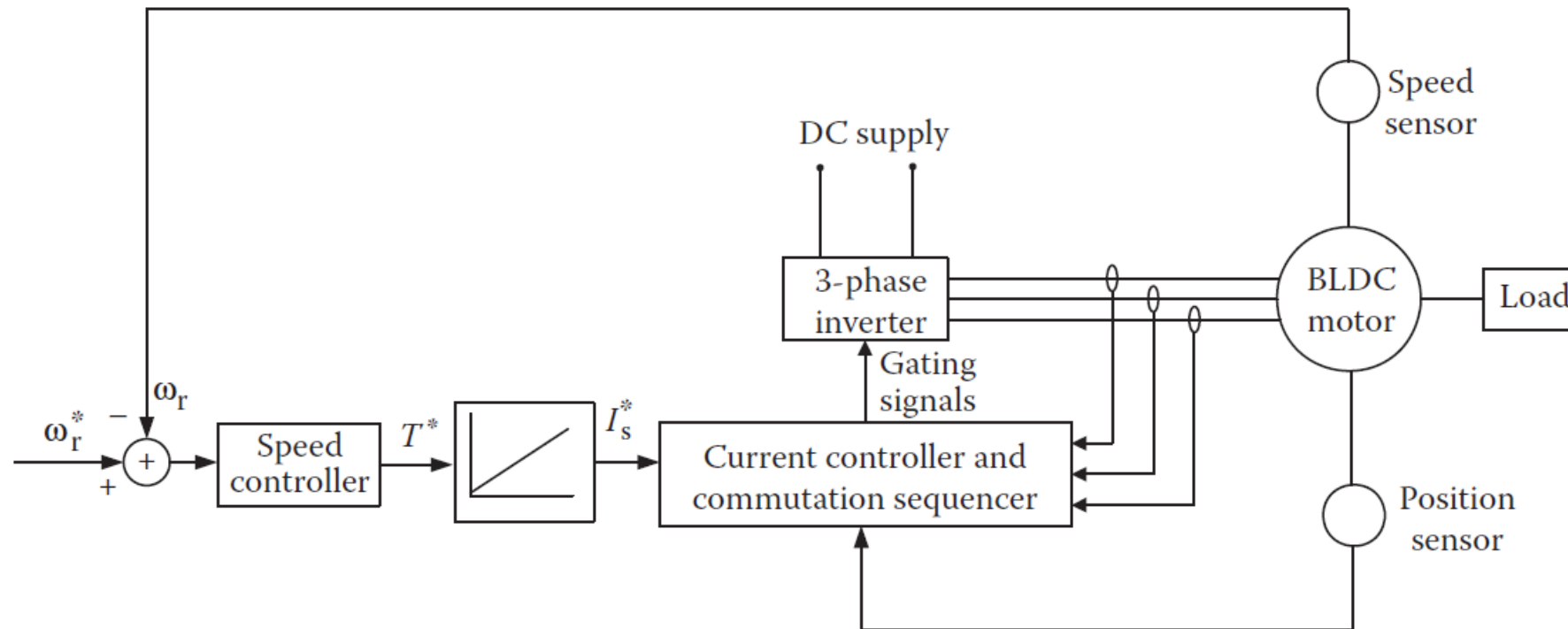
➤ Only stator cooling required

➤ Two types of PM mounting

➤ Surface and interior mounting



BLDC control loop (recap)



BLDC- advantages and limitations (recap)



➤ Advantages:

- no brush, commutator
- Low maintenance
- Higher efficiency
- ease of cooling
- Low noise

➤ Drawbacks:

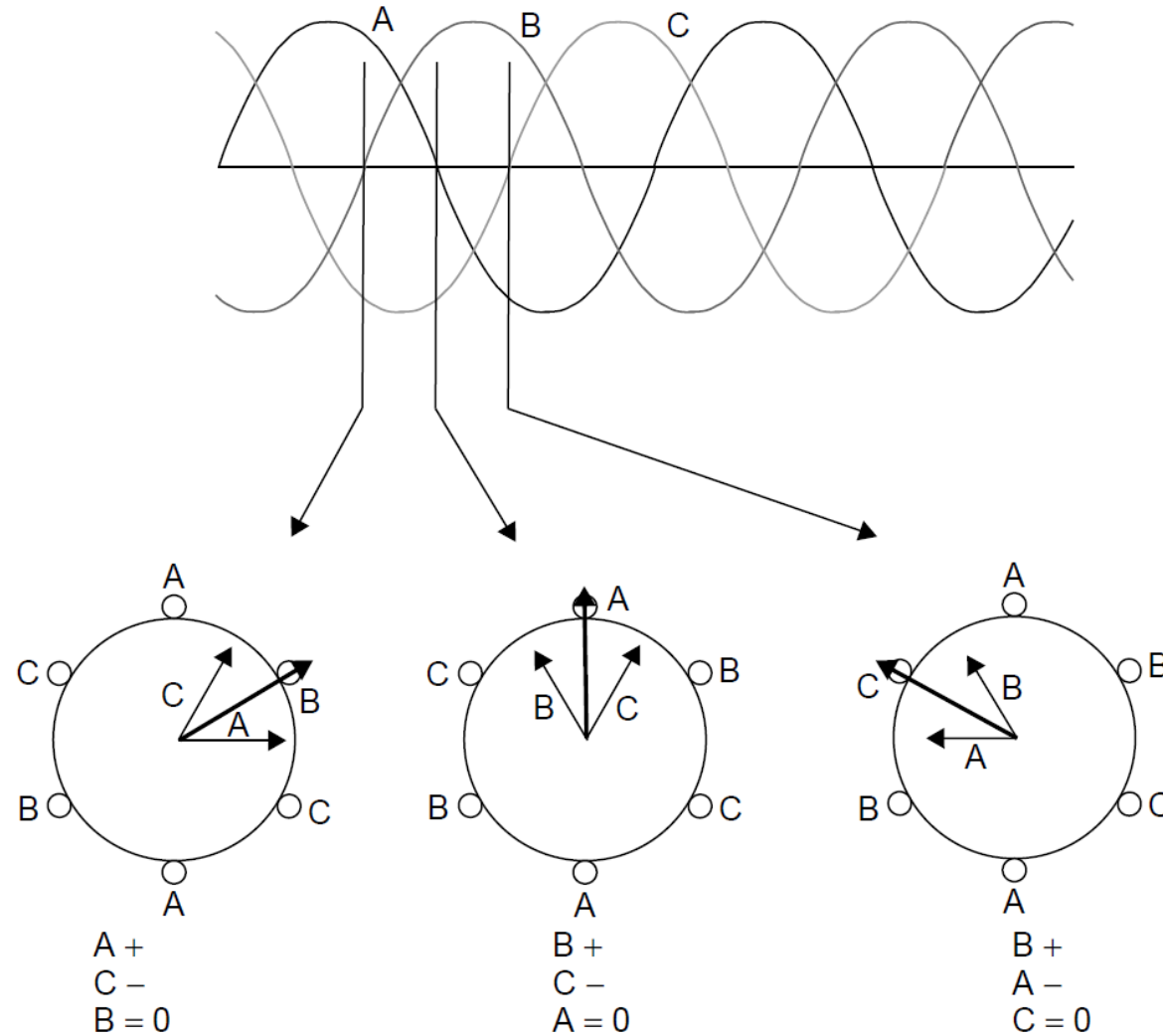
- Higher cost of magnets
 - Cost and availability of rare earth elements
- Limited high speed capability
 - limitation of magnet assembly strength
- large fault current in case of drive failure
 - Can cause wheel block



- Limited constant power range
 - Lack of field strength control
- Need for position sensors
 - costly
 - can lead to reliability issues

AC Machines

Rotating magnetic field



$$n_s = \frac{60f}{p}$$

$$\omega_s = \frac{2\pi n_s}{60}$$

Synchronous speed

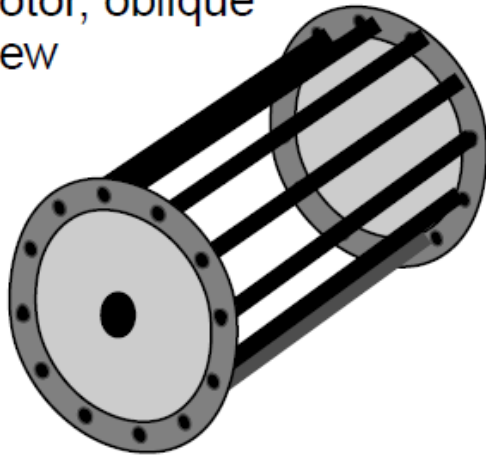


**Assume the wheel radius is 0.25m. The final drive ratio is 1, i.e., gearless.
 $f=50\text{Hz}$ is the rated frequency.**

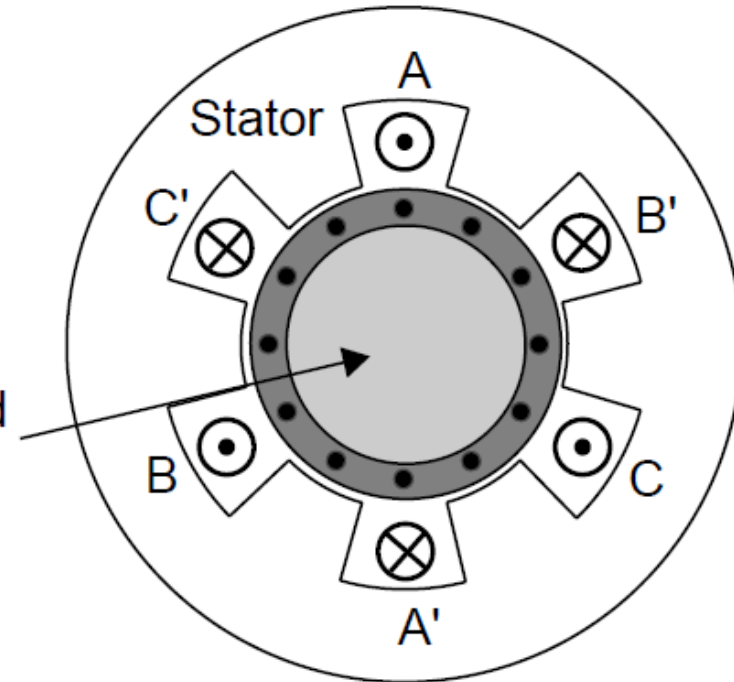
Pole pair	Synchronous speed (rpm)	Vehicle speed (kmph)
1	3000	282
2	1500	141
3	1000	94
4	750	70
5	600	56
6	500	47

Induction motor construction

Rotor, oblique view



Rotor, end view



Slip



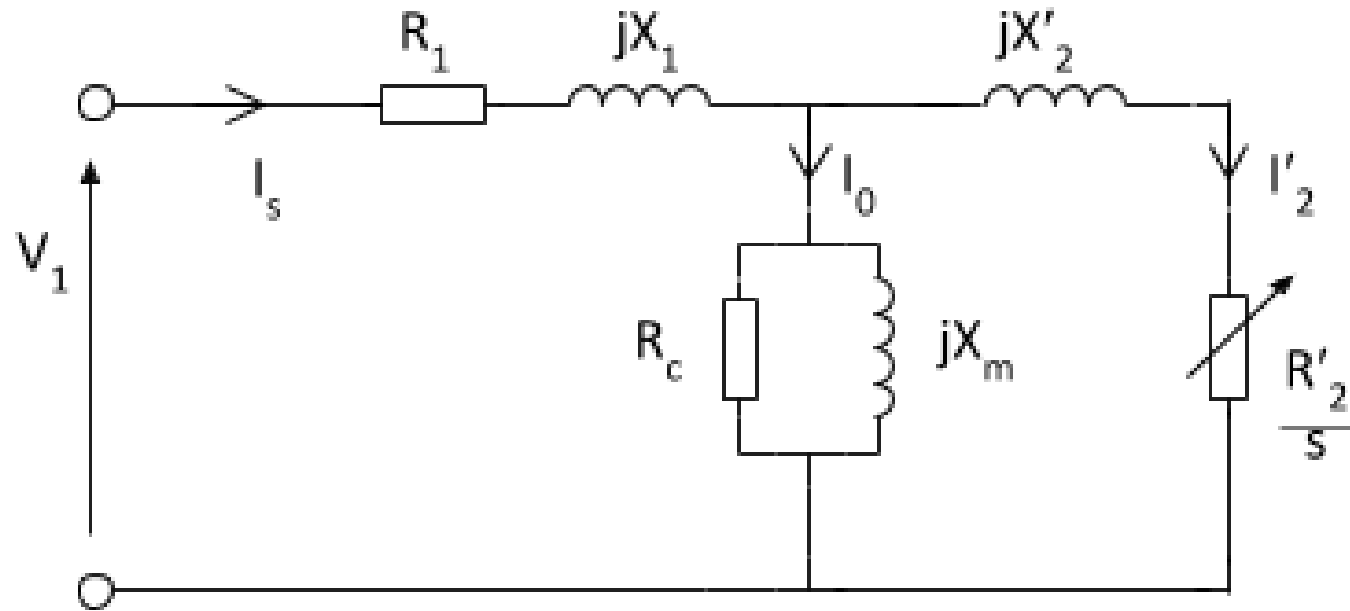
$$s = \frac{\omega_s - \omega_m}{\omega_s} = \frac{n_s - n_m}{n_s}$$

$$\omega_m = (1 - s)\omega_s$$

$$n_m = (1 - s)n_s$$

$$\omega_{\text{slip}} = s\omega$$

Equivalent circuit



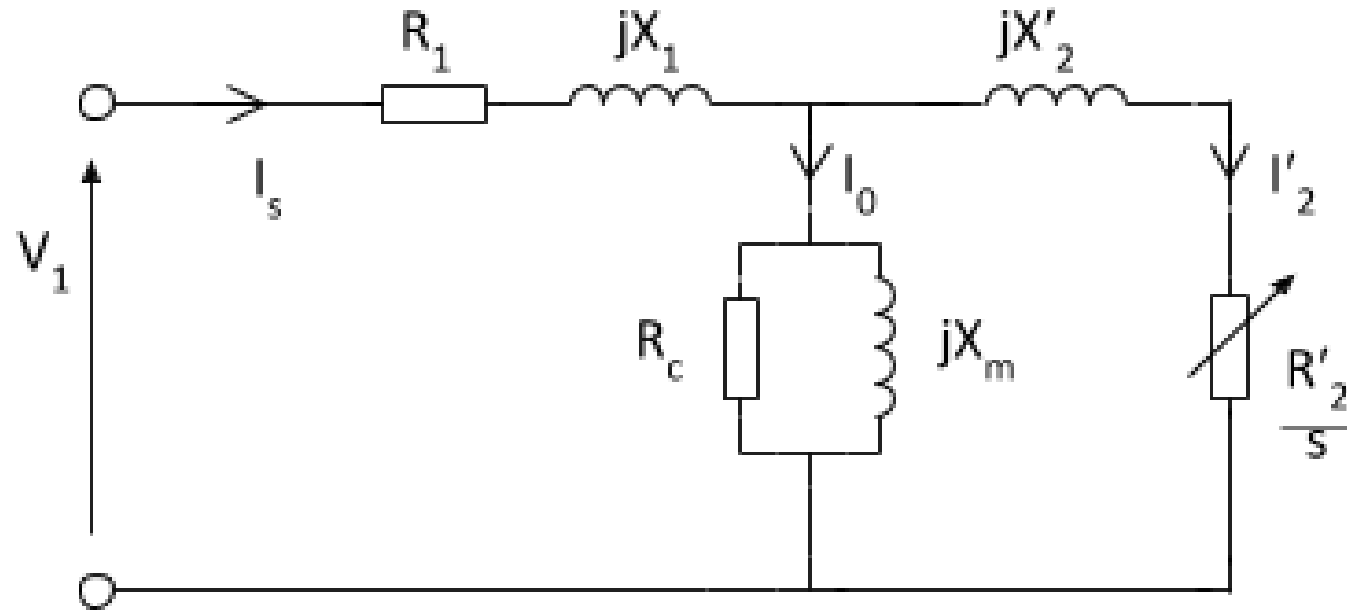
R_1 and X_1 : stator leakage resistance and impedance;

R_c and X_m : core-loss resistance and mutual impedance;

R'_2 and X'_2 : reflected rotor leakage resistance and impedance;

Equivalent circuit

When the load is heavy...



$$P_o = \left| \frac{V_1}{R_1 + R_2'/s + jX_1 + jX_2'} \right|^2 R_2' (1-s)/s$$

$$P_o = \frac{R_2' V_1^2}{(R_1 + R_2'/s)^2 + (X_1 + X_2')^2} \frac{1-s}{s}$$

Torque equation

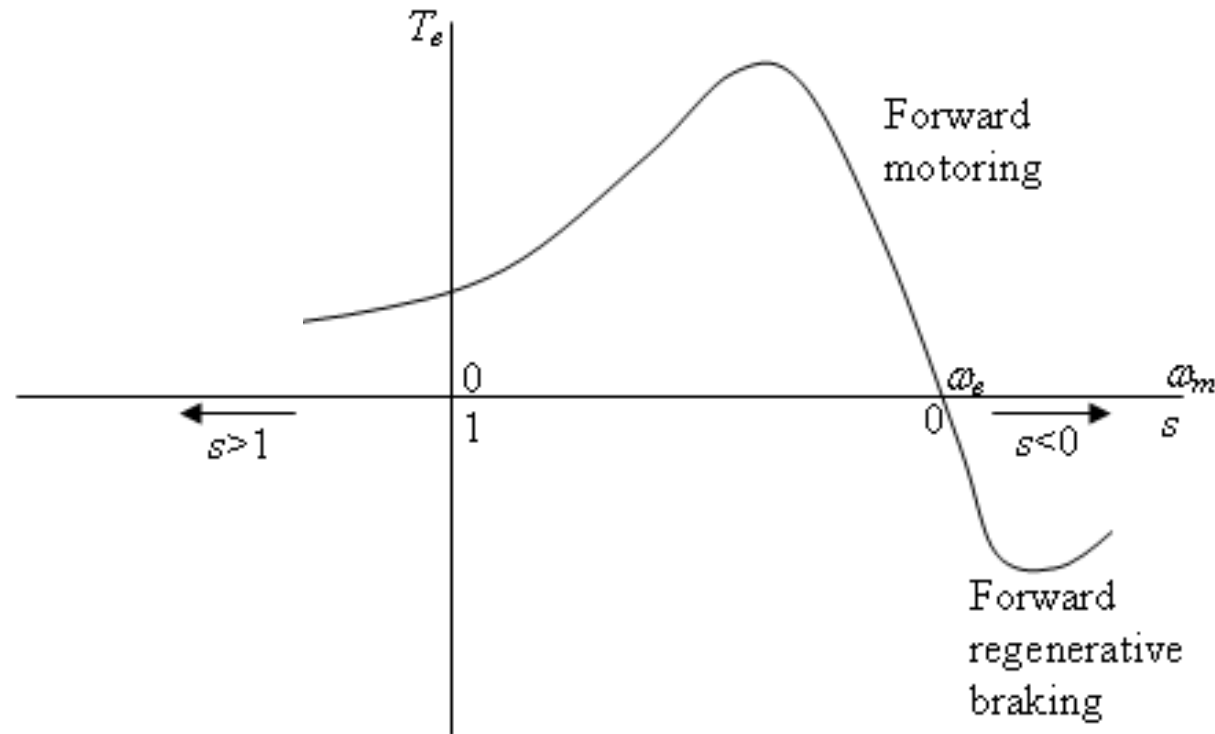
$$P_o = \frac{R_2' V_1^2}{(R_1 + R_2'/s)^2 + (X_1 + X_2')^2} \frac{1-s}{s}$$

$$T = \frac{P_o}{\omega_m} = \frac{P_o}{(1-s)\omega_s}$$

$$T = \frac{R_2' V_1^2}{(R_1 + R_2'/s)^2 + (X_1 + X_2')^2} \frac{1-s}{s} \frac{1}{(1-s)\omega_s}$$

$$T = \frac{R_2' V_1^2}{s\{R_1^2 + (X_1 + X_2')^2\} + \frac{R_2'^2}{s} + 2R_1 R_2'} \frac{1}{\omega_s}$$

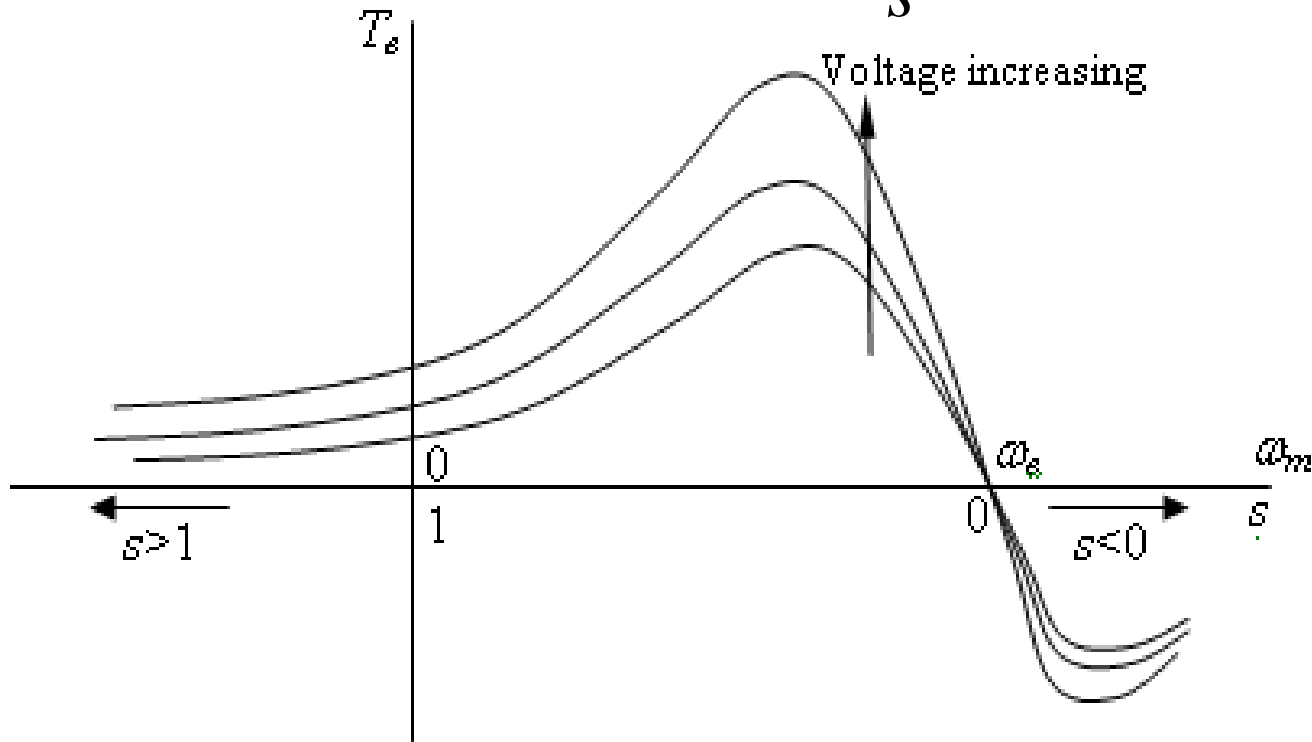
Torque-speed characteristics



1. Motor has the maximum torque T_{\max} at the fixed frequency;
2. When slip ratio is negative, the torque is negative.

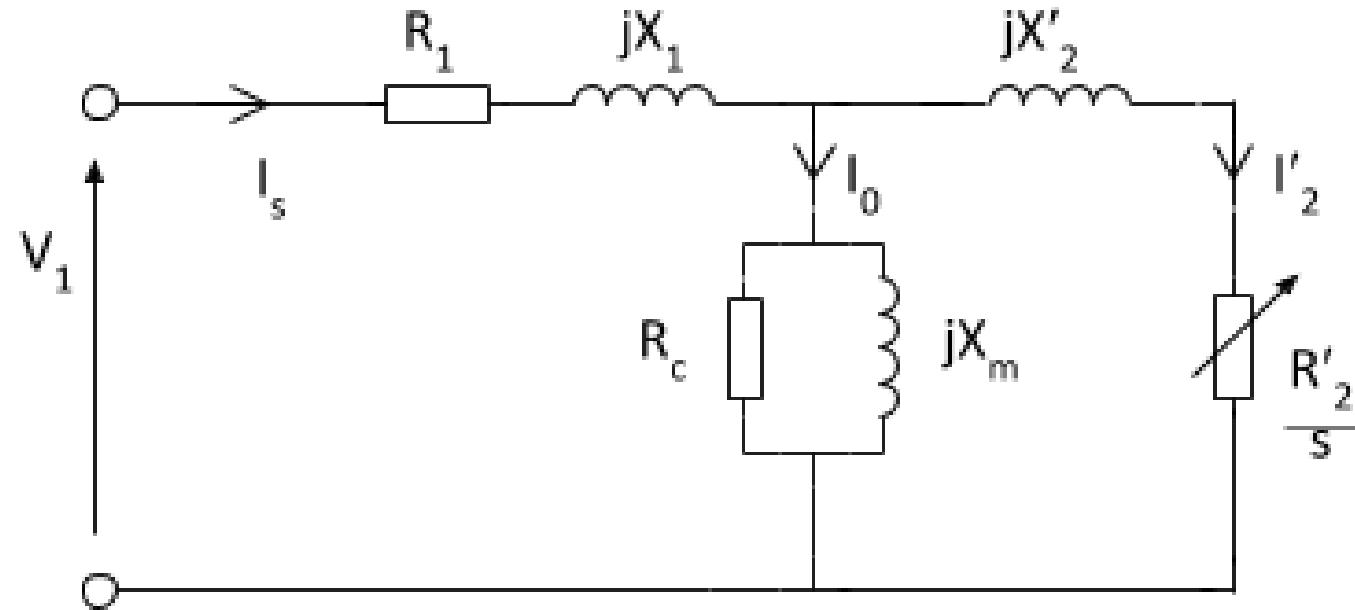
Voltage control

$$T = \frac{R_2' V_1^2}{s \{ R_1^2 + (X_1 + X_2')^2 \} + \frac{R_2'^2}{s} + 2R_1 R_2'} \frac{1}{\omega_s}$$



V/F control

Ignore the stator loss.

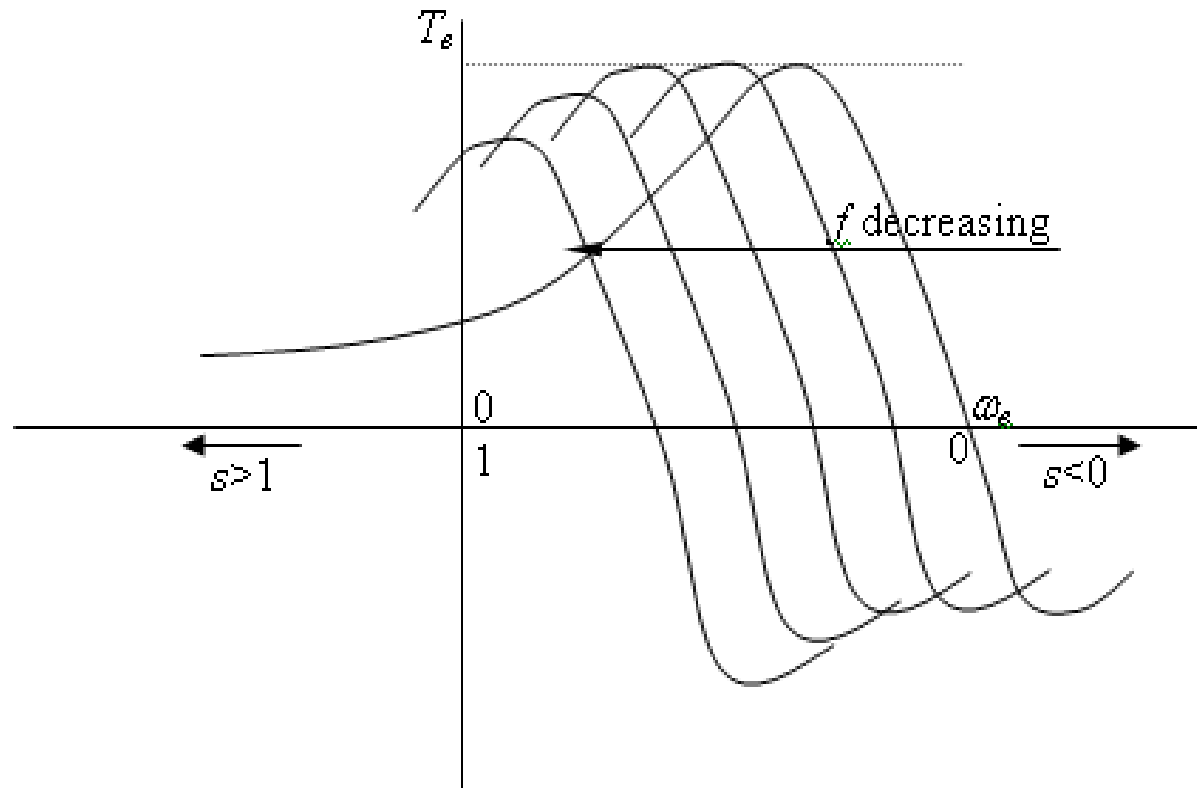


$$V_1 = j\omega_s L_m I_0 \quad V_1 = j2\pi f_s \psi_m \quad \frac{V_1}{f_s} = j2\pi \psi_m$$

To avoid potential saturation, VVVF control is used.

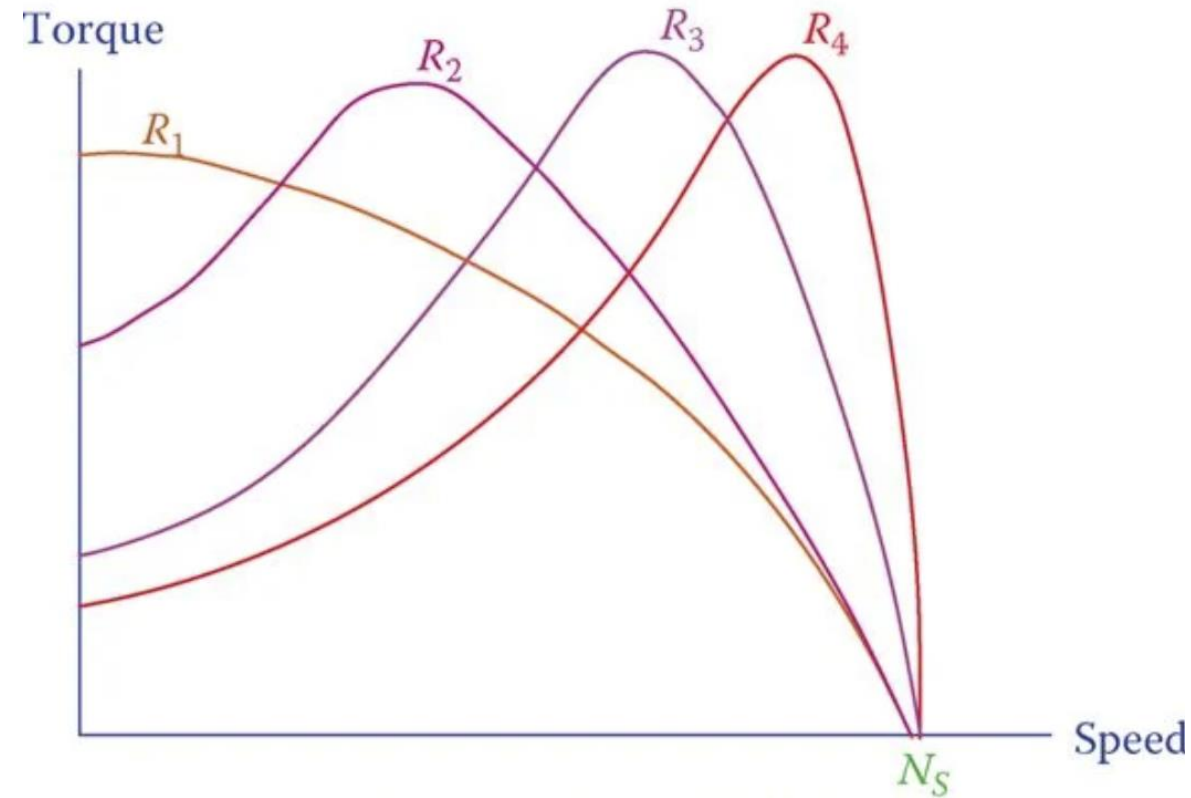
Frequency control

$$T = \frac{R_2' V_1^2}{s \{ R_1^2 + (X_1 + X_2')^2 \} + \frac{R_2'^2}{s} + 2R_1 R_2'} \frac{1}{\omega_s}$$



Design for higher starting torque

$$R_1 > R_2 > R_3 > R_4$$



Induction motor- advantages and limitations



➤ Advantages:

- Simple construction
 - harsh environments with minimal maintenance
- no permanent magnet
 - Lower cost
 - No need for rare-earth elements
- Self-starting
 - No special arrangement needed for starting
- minimal noise and vibration
- can be designed for a wide range of power outputs

➤ Drawbacks:

- Losses in rotor
 - Relatively lower efficiency
 - Heating in rotor
- Complicated torque and speed control
 - complex controller required
- High in-rush current
 - When DOL starter used
- Lower starting torque

Exercise – part 1

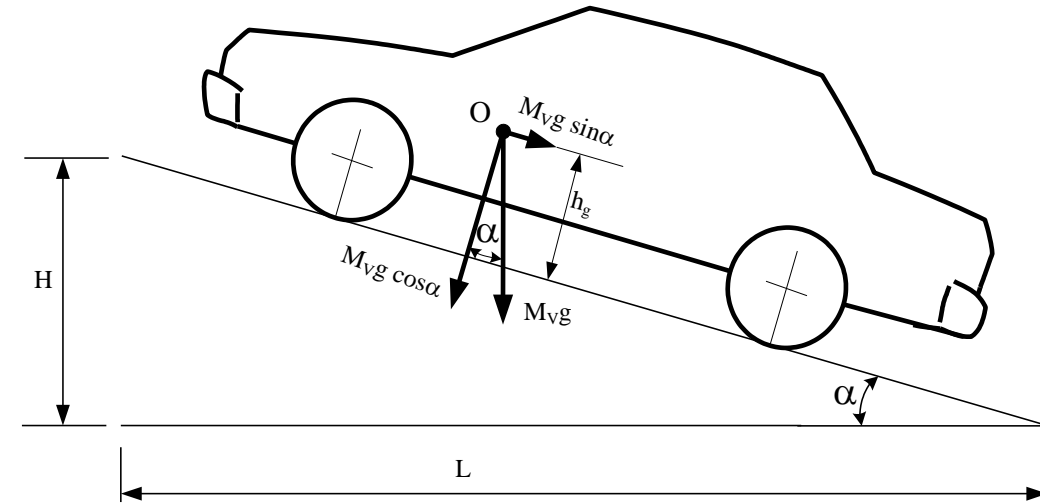
A vehicle has following parameter values:

$m=692\text{kg}$, $C_D = 0.2$, $A_F = 2\text{m}^2$, $f_0 = 0.009$,

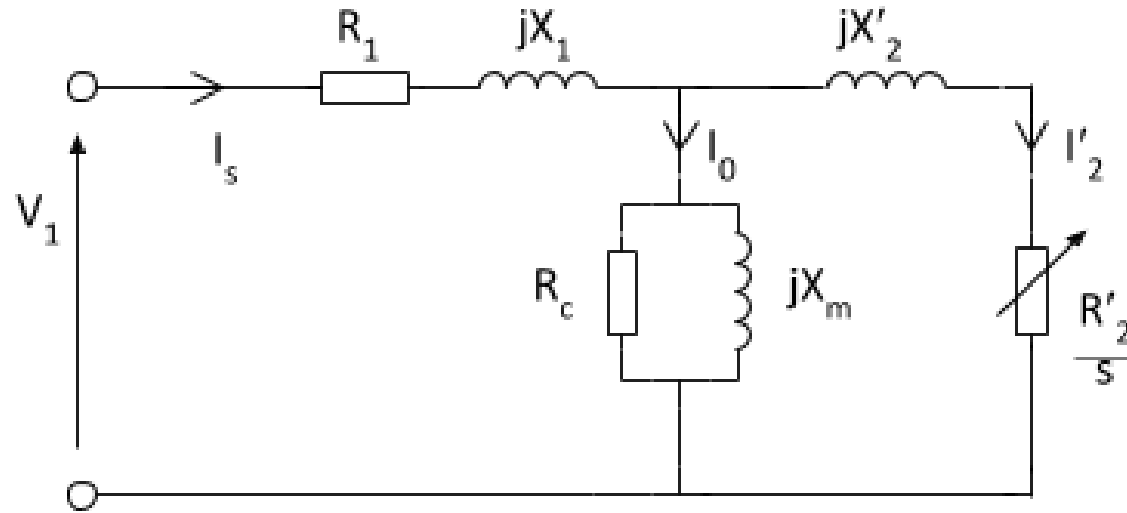
$f_s = 1.75 \cdot 10^{-6} \text{ s}^2/\text{m}^2$, $\rho = 1.18 \text{ kg/m}^3$, $g = 9.81 \text{ m/s}^2$

Wheel radius, $R_w=0.25\text{m}$, gear ratio=1

The vehicle is to be accelerated at 1 m/s on a slope of 5° . What is the starting torque requirement?



Exercise - part 2



A **three-phase** induction motor has $R_1=R'_2=0.01\Omega$, $L_1=L'_2=2\text{mH}$, $L_m=200\text{mH}$, R_c is infinite. $V_1=400\text{VAC}$, $f=50\text{Hz}$, $J = 2.5 \text{ kg.m}^2$

Can this motor drive the car up the slope?

Torque required

➤ Vehicle dynamic equation

$$➤ m \frac{dV}{dt} = F_{TR} - F_r - F_g - F_w$$

➤ Required tractive power:

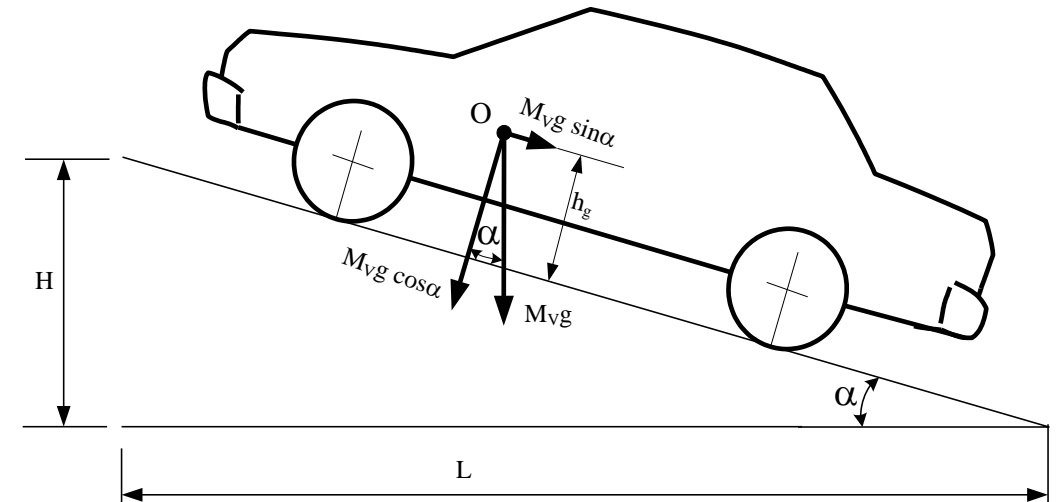
$$F_{TR} = m \frac{dV}{dt} + F_r + F_g + F_w$$

$$F_r = mg \cos \alpha (f_0 + f_s V^2)$$

$$F_g = mg \sin \alpha$$

$$F_w = \frac{1}{2} \rho A_f C_D (V - V_w)^2$$

➤ Torque required, $T_L = F_{TR} R_W$



Motor dynamics



$$J \frac{d\omega}{dt} = T_{em} - T_L - B\omega$$

$$v = \omega R_w$$

T_{em} , electromagnetic torque

T_L , Load torque

B , shaft damping constant

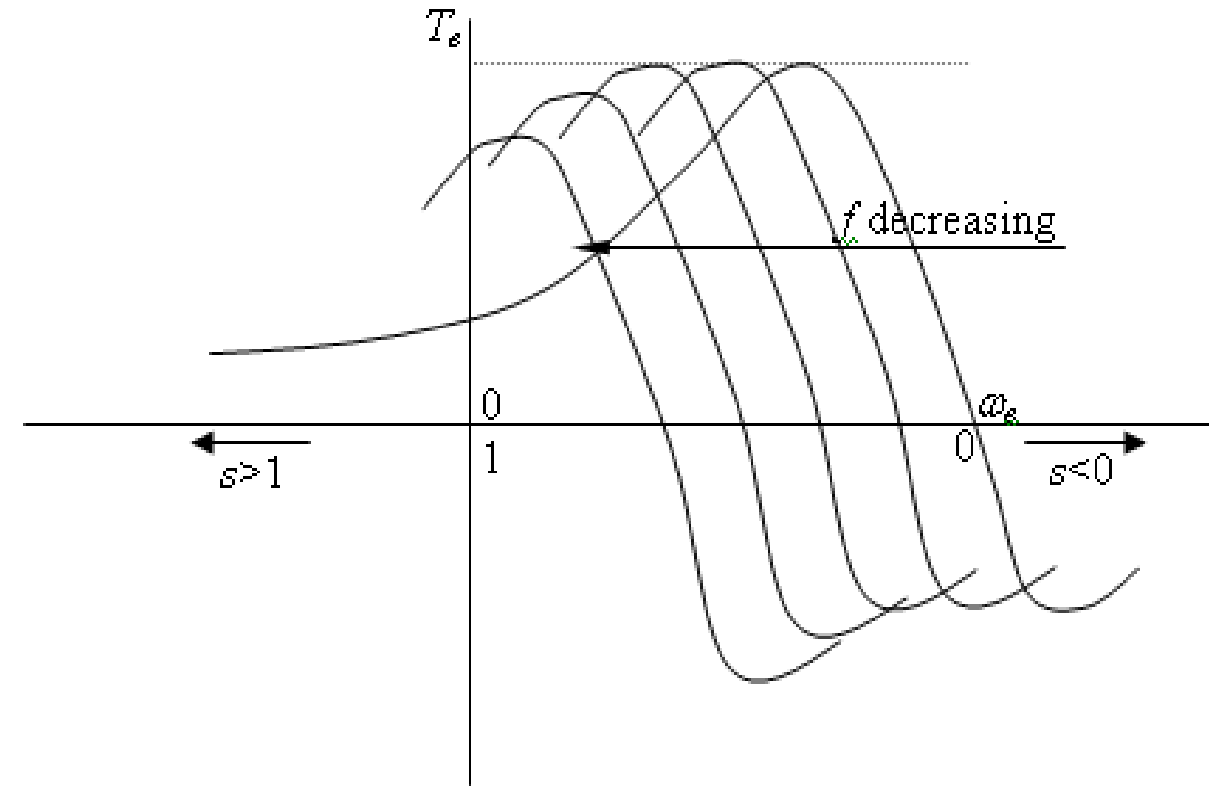
J , inertia of motor

ω , Angular speed(rad/s)

v , Vehicle speed (m/s)

Motor torque

$$T = \frac{R_2' V_1^2}{s \{ R_1^2 + (X_1 + X_2')^2 \} + \frac{R_2'^2}{s} + 2R_1 R_2'} \frac{1}{\omega_s}$$



Thank you!