

- (a) Using autocorrelation method, a voiced signal frame is analyzed and 3 PARCOR coefficients $\{k_1, k_2, k_3\}$ are calculated. Now, the same speech signal segment is generated using lossless tube modeling. If the cross-sectional area of the first tube section is 2 cm^2 , then calculate the cross-sectional area of the other tubes. Given $k_1 = 0.62$; $k_2 = -0.15$; $k_3 = 0.46$

(b) If the voiced signal is $x[n] = \{1, 2, 1, -1, 2\}$ order of the LPC analysis is 3 and LPC coefficients are as given in question 1(a) determine the model gain.

- A causal LTI system has system function is given in equation-1. Equation 2 represents the expression of prediction error filter $A(z)$. Lattice Formulations of Linear Prediction as given in equation 3(a) and 3(b)

Where $e[m]$ represents the forward prediction error, $b[m]$ represents the backward prediction error and k_i is the PARCOR coefficient

$$H(z) = \frac{A}{1 - \sum_{k=1}^p \alpha_k z^{-k}} \quad (1)$$

$$A(z) = 1 - \sum_{k=1}^p \alpha_k z^{-k} \quad (2)$$

$$e^i[m] = e^{i-1}[m] - k_i b^{i-1}[m-1] \quad (3a)$$

$$b^i[m] = b^{i-1}[m-1] - k_i e^{i-1}[m] \quad (3b)$$

If the signal $s[n] = \{1, -2, 2\}$ applied in the design error filter $A(z)$ (as in question no. 2) where $p=2$, calculate the value of the forward prediction error at the output of the 1st lattice.

$$k_i^{\text{PARCOR}} = \frac{\sum_{m=0}^{L-1+i} e^{i-1}[m] b^{i-1}[m-1]}{\left(\sum_{m=0}^{L-1+i} [e^{i-1}[m]]^2 \sum_{m=0}^{L-1+i} [b^{i-1}[m-1]]^2 \right)^{1/2}}$$