

# Review 8-2

20230615350 7157

1. Fill in the blanks in the table below.

$p[i]$  : The price for a rod of length  $i$ .

$r[i]$  : The maximum revenue for a rod of length  $i$ .

$s[i]$  : The length of the leftmost piece when the revenue is maximum.

$i$	0	1	2	3	4	5	6	7	8	9	10
$p[i]$	0	1	5	8	9	10	17	17	20	24	30
$r[i]$	0	1	5	8	10	13	17	18	22	25	30
$s[i]$	0	1	2	3	2	2	6	1	2	3	10

2. Fill in the blanks in the following pseudocode for EXTENDED-BOTTOM-UP-CUT-ROD.

EXTENDED-BOTTOM-UP-CUT-ROD ( $p, n$ )

let  $r[0..n]$  and  $s[0..n]$  be new arrays

$r[0] = 0$

**for**  $j = 1$  **to**  $n$

$r[j] = -\infty$

**for**  $i = 1$  **to**  $j$

**if**  $r[j] < p[i] + r[j-i]$

$q = p[i] + r[j-i]$

$s[j] = i$

**return**  $r$  and  $s$

3. Fill in the blanks in the following pseudocode for PRINT-CUT-ROD-SOLUTION.

PRINT-CUT-ROD-SOLUTION ( $p, n$ )

$(r, s) = \text{EXTENDED-BOTTOM-UP-CUT-ROD}(p, n)$

**while**  $n > 0$

print  $s[n]$

$n = n - s[n]$

4. Fill in the blanks in the following pseudocode for M-CUT-ROD.

M-CUT-ROD ( $p, n$ )

let  $r[0..n]$  be a new array

for  $i = 0$  to  $n$

$r[i] = -\infty$

return M-CUT-ROD-A ( $p, n, r$ )

M-CUT-ROD-A ( $p, n, r$ )

if  $r[n] \geq 0$

return

$r[n]$

if  $n == 0$

return 0

else  $q = -\infty$

for  $i = 1$  to  $n$

$q = \max(q, p[i] + \text{M-CUT-ROD-A}(p, n-i, r))$

$r[n] = q$

return  $q$