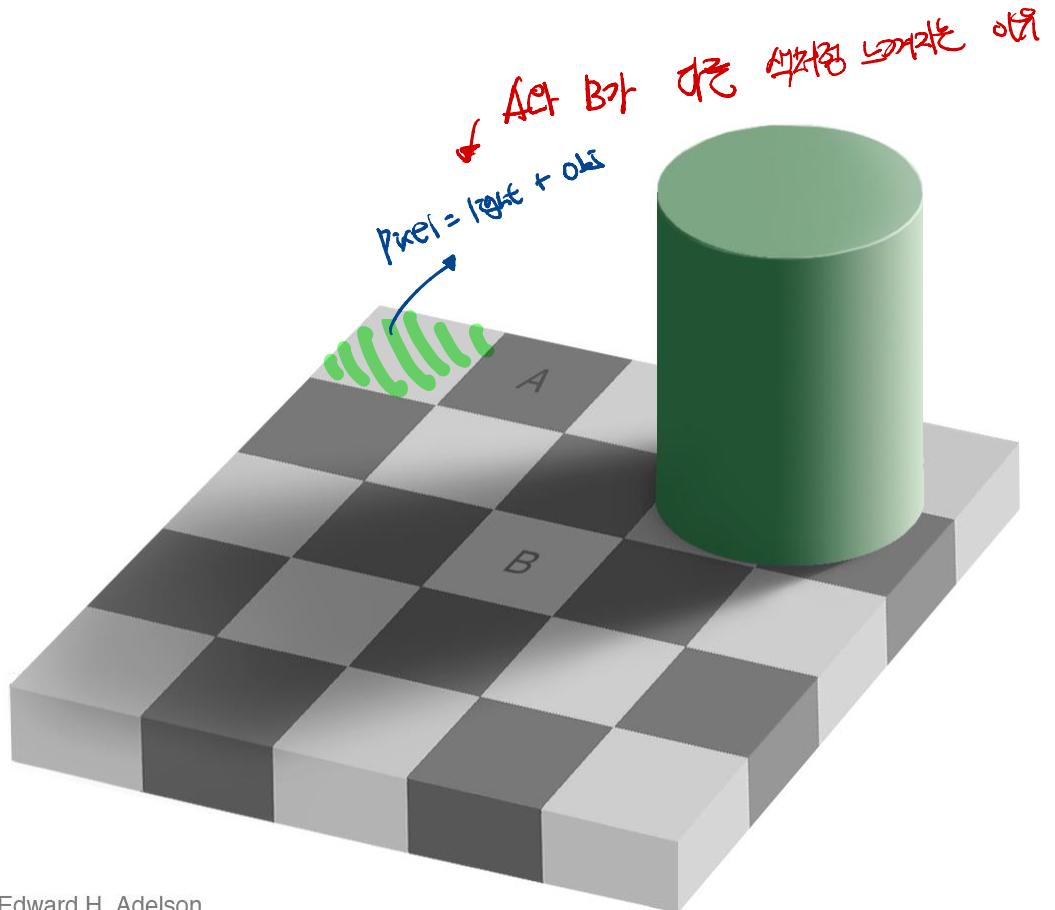


# **ITE4052 Computer Vision**

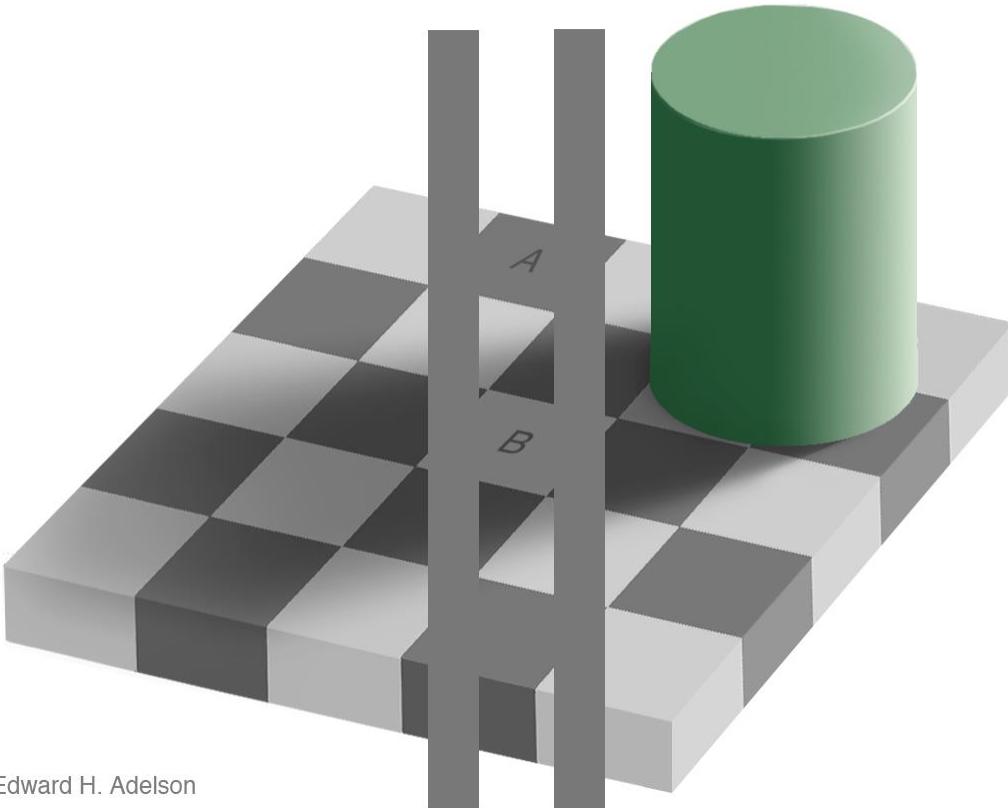
## Light

Dong-Jin Kim  
Spring 2025

# Light



# Light



# What color is the dress?

White + Gold?

사람은 Light-colored 을 봐  
→ 같은 object에 대해 사람마다 다른 시각을 봄

Black + Blue?



# Reflectance and Illumination

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**The dress**

From Wikipedia, the free encyclopedia

For other uses, see [The Dress](#).

**The dress** is a photograph that became a viral internet sensation on 26 February 2015, when viewers disagreed over whether the dress pictured was coloured black and royal blue, or white and gold. The phenomenon revealed differences in human colour perception, which have been the subject of ongoing scientific investigations into neuroscience and vision science, with a number of papers published in peer-reviewed science journals.

The photo originated from a washed-out colour photograph of a [dress](#) posted on the social networking service [Tumblr](#). Within the first week after the surfacing of the image, more than 10 million tweets mentioned the dress, using hashtags such as #thedress, #whiteandgold, and #blackandblue. Although the colour of the actual dress was eventually confirmed as blue and black,<sup>[3][4]</sup> the image prompted many discussions, with users debating their opinions on the colour and how they perceived the dress in the photograph as a certain colour.

Members of the scientific community began to investigate the photo for fresh insights into human [colour vision](#).

The dress itself, which was identified as a product of the retailer Roman Originals, experienced a major surge in sales as a result of the incident. The retailer also produced a one-off version of the dress in white and gold as a charity campaign.

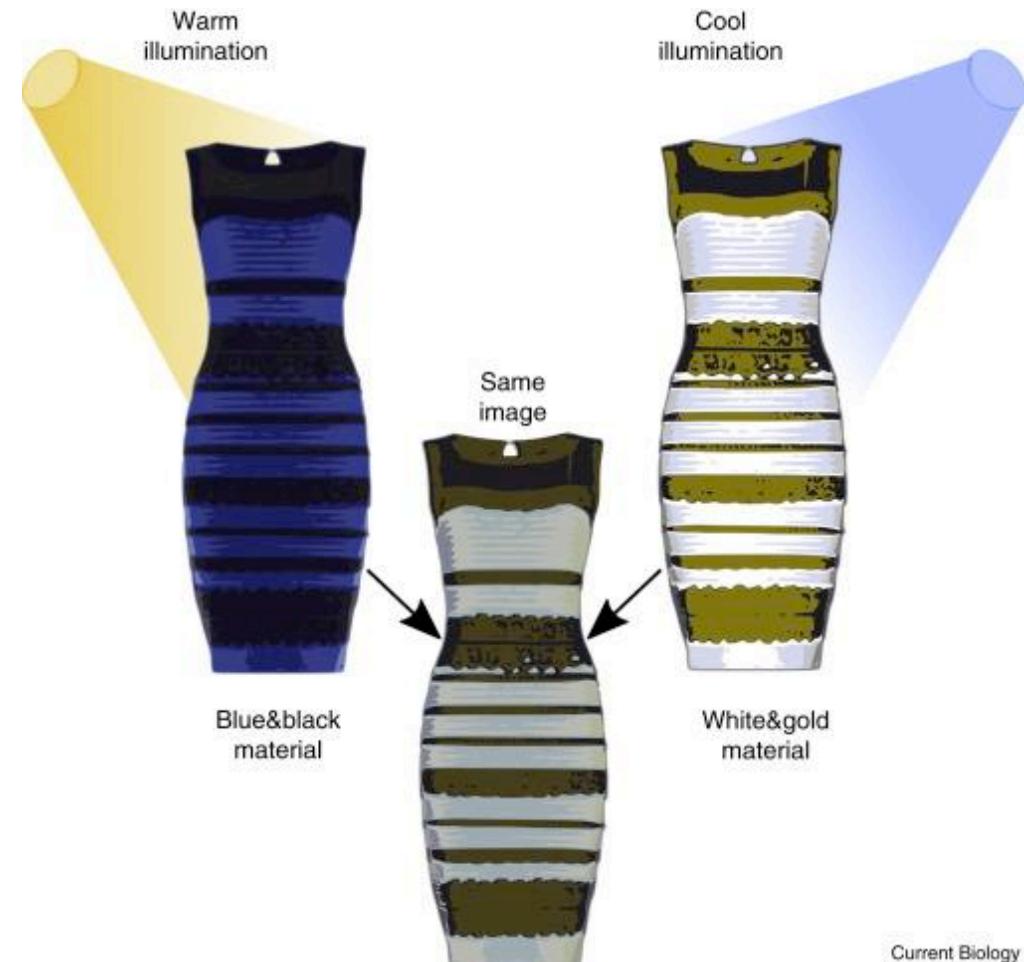
**Contents [hide]**

- 1 Origin
- 2 Response
  - 2.1 Initial viral spread
  - 2.2 Overnight popularity
  - 2.3 Real colours of dress confirmed
- 3 Scientific explanations
- 4 Legacy
- 5 See also

Pixel = light + object

Light에 따라 빛나는  
것이 다르잖아.

빛의 본연의색을 흐려 한거



# What color is the center ball?

Gray = Cyan light + red object





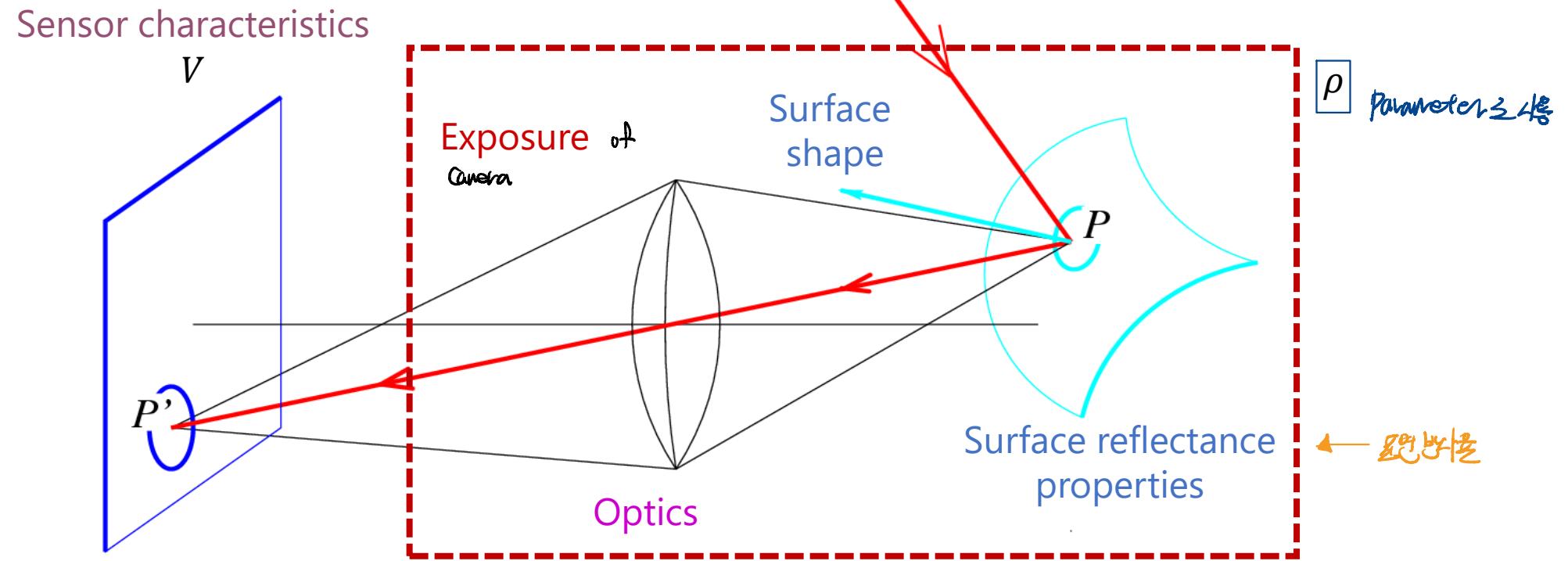
# What color is the center ball?



# Radiometry

What determines the **brightness** of a pixel?

$P \rightarrow$  햇빛의 parameter 온전보통



# Human Eye

**Light** received from an object (Illuminance):

$L(\lambda)$ :

- The amount of **light** incident on a surface.
  - Incident **energy** distribution
- 물체 표면에 도달하는 빛의 양

**Reflectance** (albedo)  $\rho(\lambda)$ :

- The proportion of incident light that is **reflected** from a surface .
  - The reflectivity or transmissivity of the **object**
- 반사율, Surface shape

$$I(\lambda) = \rho(\lambda) L(\lambda)$$

↑ 물체에서 방사된 빛의 양  
 ↓ 물체 표면에 도달한 빛의 양

가: 빛의 확장

# Luminance

화면의 물체에서 받는 모든 빛의 양 (특정 좌표의)

$$I(\lambda) = \rho(\lambda) \cdot L(\lambda) \quad (\text{for all pixels})$$

사진이 인쇄하는 높이

$$L(\lambda) = \int I(\lambda) \cdot V(\lambda) d\lambda$$

**Luminance** (or Intensity): The energy a **visual system receives** from a light source

$$f(x, y) = \int_0^{\infty} I(x, y, \lambda) V(\lambda) d\lambda$$

(x,y) pixel Energy      0      물체의 각에 반사되는

주문?: 모든 색상 영역에 대해서 계산

→ 빛으로부터 실제 반사되는 Energy, 빛의 양

where  $I(\lambda) = \rho(\lambda) L(\lambda)$

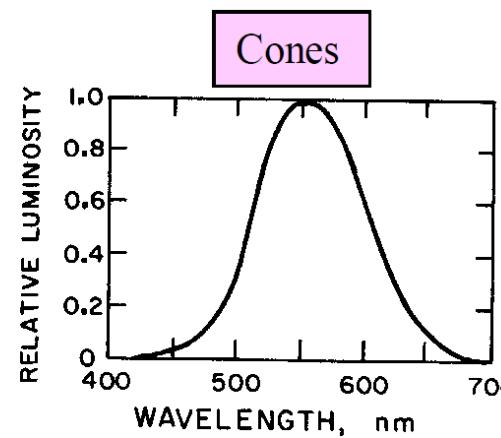
→ 인자는 모든 색상 영역에 걸쳐서 옳다.  
이를 적용하는 경우 (파장대별로, 가중치)

- I: **Light distribution received from an object**
- V: **Luminosity** function (Relative luminous efficiency function of the visual system)

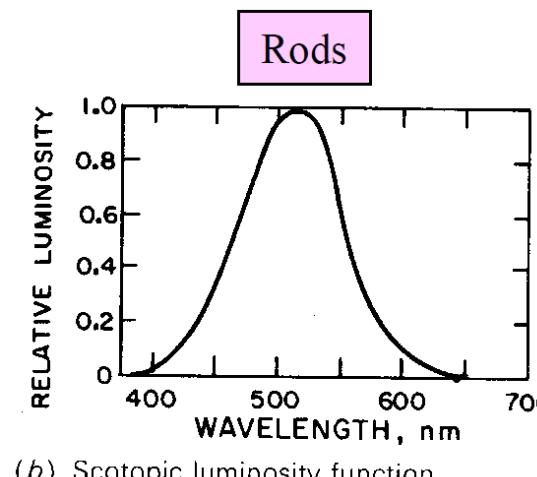
# Photosensitive Cells

## Color perception

- Retina contains photosensitive cells (**rods and cones**)
- **Rods** (간상체) → Intensity (명암, 밝기 차이 등)
- **Cones** (추상체) → Color



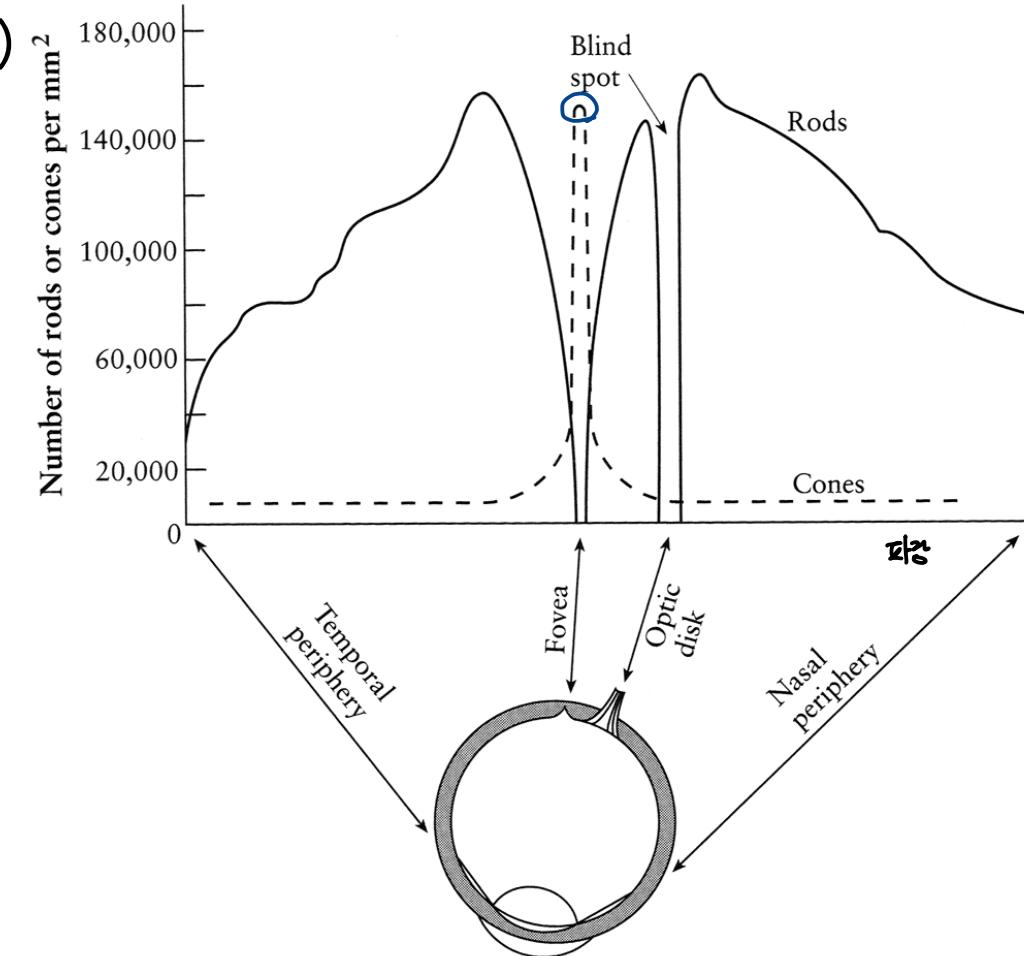
(a) Photopic luminosity function



(b) Scotopic luminosity function

**FIGURE 3.1-4.** Relative luminous efficiency functions (9).

→ 광수지 따라 감도가 다르다:  $V(\lambda)$



# Brightness Contrast and Constancy

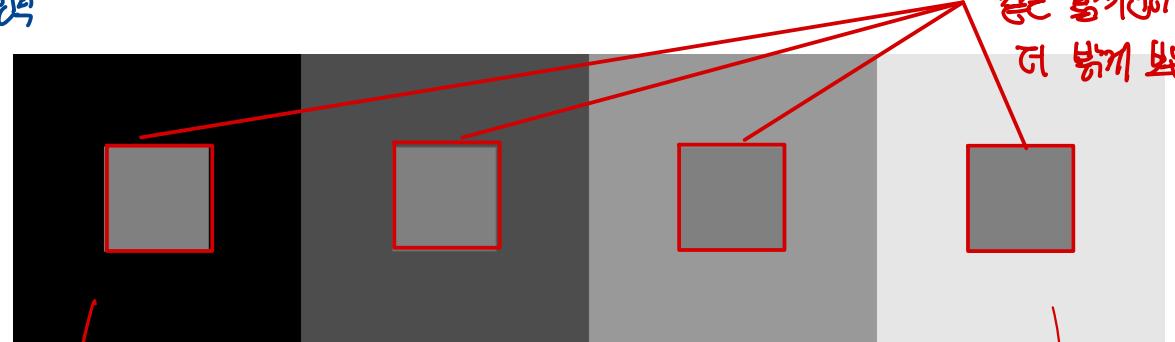
Brightness → Pixel Value

한번의 이미지 내에서 혹은 같은 이미지 내에서 한 번에 흐릿한 혹은 밝은 영역과 선명한 영역과 밝기 차이는 Brightness의 특성이다.

The apparent **brightness** depends on the **surrounding region**

- **brightness contrast:** a constant region seems lighter or darker depending on the **surroundings**

→ 같은 색 주변에 따라 다르게 인식



- **brightness constancy:** a surface looks the same under widely varying lighting conditions.

→ 표면의 물리적인 특성은 같은 색  
물리적인 특성은 같은 색  
같은 색은 같은 색으로 인식

$\downarrow$   
light ↑  
→ real color of object ↑

→ pixel value는 같은 색에 대해서 같은 pixel value

$\uparrow$   
light ↑  
→ real color of object ↓

# Brightness / Contrast

사람이 느끼는 (다른 조건에 의해 변할 수 있음)

**Brightness** (what we really perceive)

- Perceived Luminance depending on the **luminance of surround**  
 사람의 느끼는

**Contrast**: 물체와 배경의 밝기 차이가 얼마나 있을 정도인가?

- Weber's Law: If object luminance is just **noticeably different** from the surround luminance,

$$\frac{\text{Brightness - Luminance}}{\text{Luminance}}$$

$$\frac{|f_{\text{surround}} - f_{\text{object}}|}{f_{\text{object}}} = \frac{|\Delta f|}{f} = \Delta c \cong \underbrace{0.02}_{f_{\text{object}} \times 2\% \text{ 감지 가능}} \quad \leftarrow \text{순시각에 인식}$$

- Simultaneous contrast effect: **Spatial interaction** in brightness



## 1. Color와 Brightness의 관계

RGB 모델에서 “색(color)”과 “밝기(brightness)”는 서로 다른 성분입니다.

- RGB는 색을 나타내는 세 개의 채널 (R, G, B)을 조합해 전체 색을 만들
- 밝기(Brightness)는 이 RGB가 얼마나 밝은지, 즉 에너지 총량(빛의 세기)에 해당

## 2. 밝기를 RGB에 대해 세 번 적용한 게 색인가?

→ 아니요. 반대입니다.

- 색(color)은 R, G, B의 비율
- 밝기(brightness)는 RGB 값들의 총량(크기)

즉, 같은 색(color)이라도 밝기(brightness)를 달리하면:

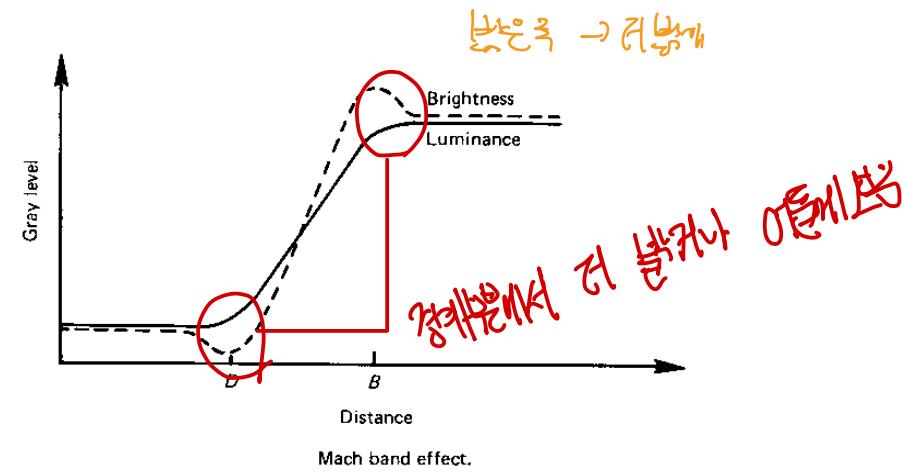
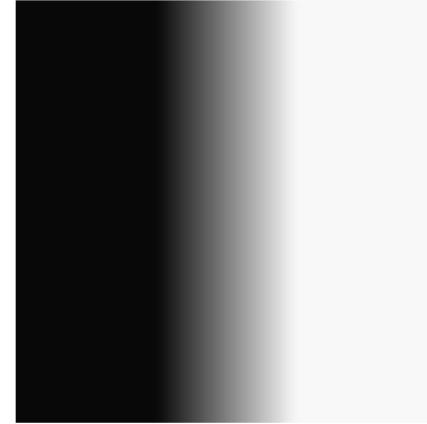
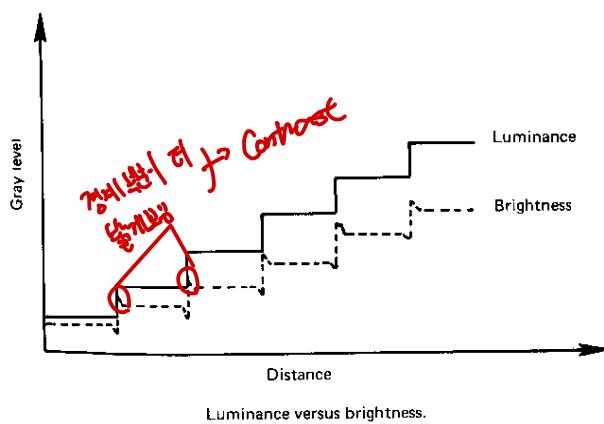
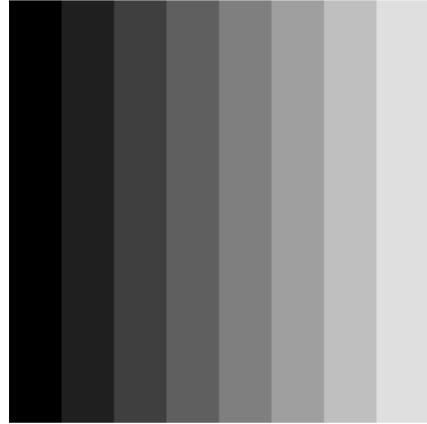
:  $(R, G, B) = (100, 50, 50)$

2 :  $(200, 100, 100)$

, 2

# Contrast

## Lateral Inhibition



# Visible Light

We “see” light in a **range of wavelengths**

Power Spectrum

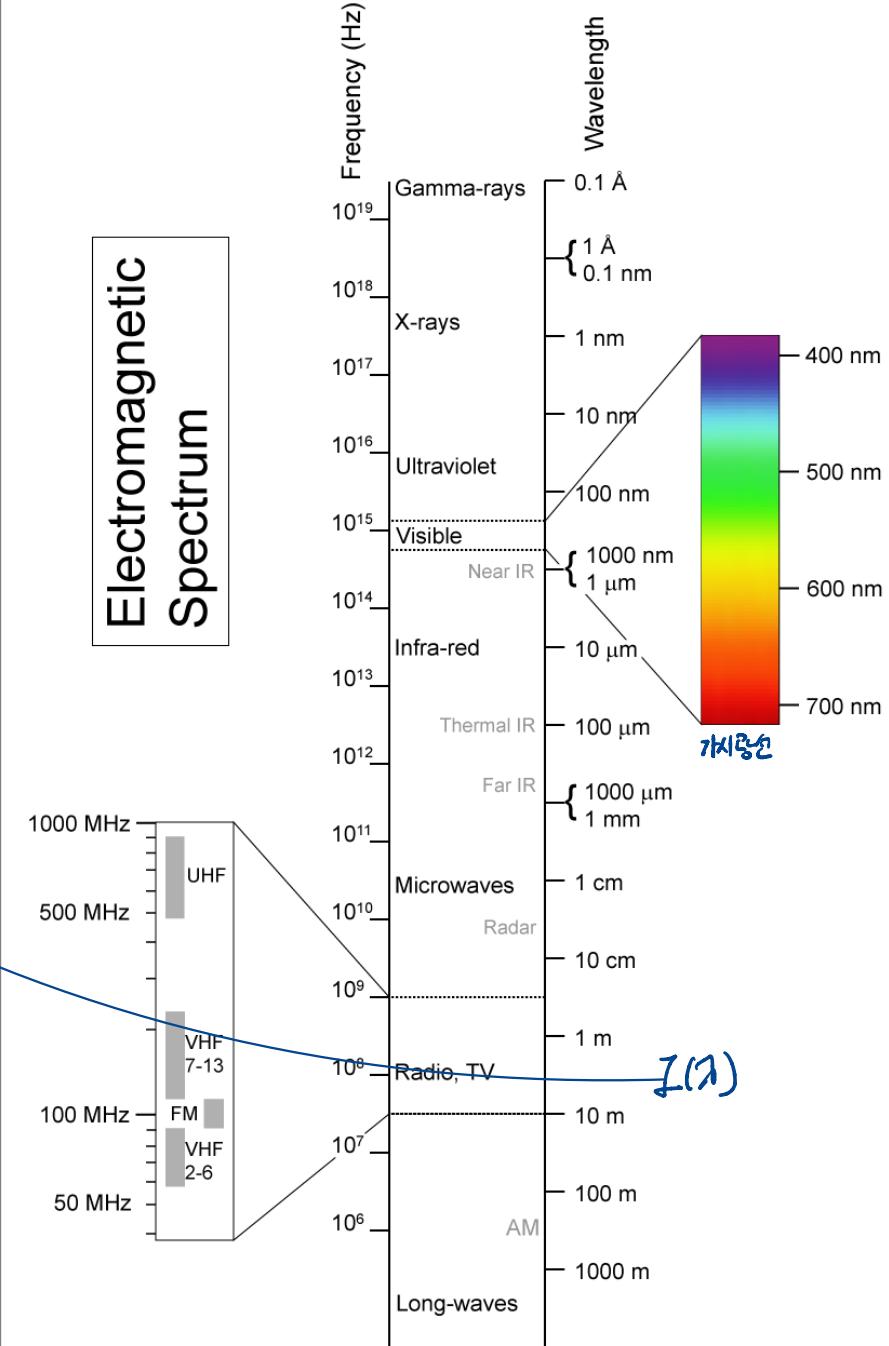
- “How much power (or energy) at each **wavelength**”



Our visual system converts a light spectrum into **“color”**



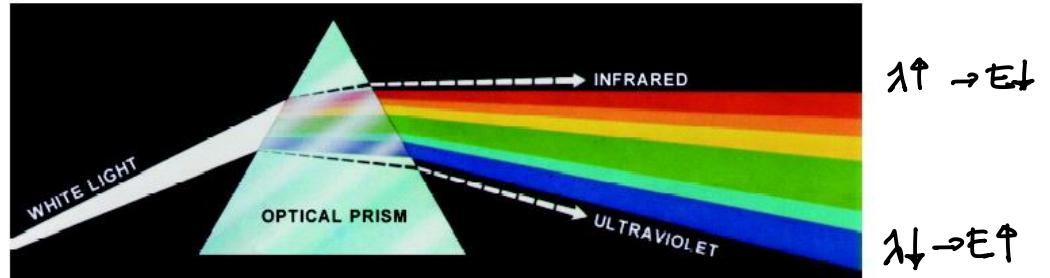
**Electromagnetic Spectrum**



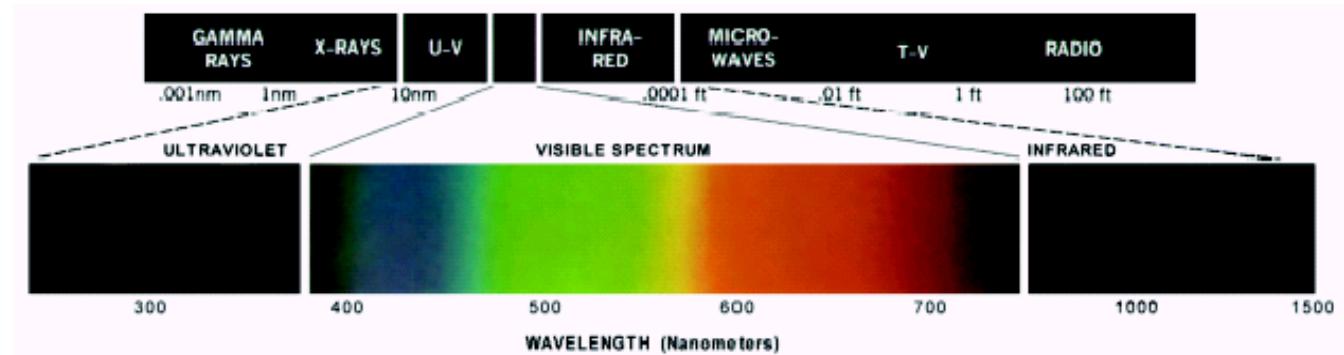
# Color

Wavelength of the electromagnetic **spectrum**

$\rightarrow$  Spectrum



**FIGURE 6.1** Color spectrum seen by passing white light through a prism. (Courtesy of the General Electric Co., Lamp Business Division.)



**FIGURE 6.2** Wavelengths comprising the visible range of the electromagnetic spectrum. (Courtesy of the General Electric Co., Lamp Business Division.)

# 3 Types of Cones

$$f(x, y) = \int_0^{\infty} I(x, y, \lambda) V(\lambda) d\lambda$$

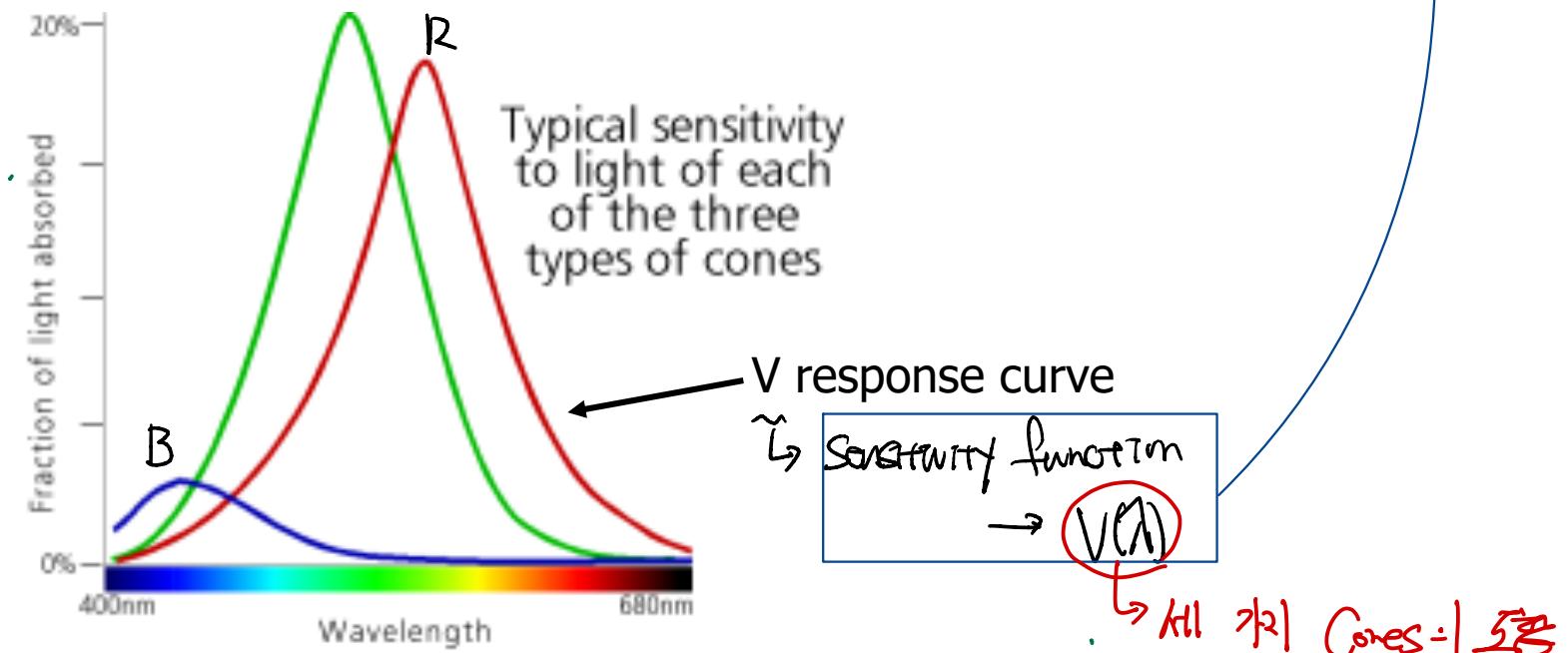
R, G, B 흐름을 갖는다. function o |  
정복적이 있다.

Each is sensitive in a different region of the spectrum (**red/green/blue**, but overlapping)

3 가지 Cones 세로

- Long ↑
- Medium
- Short ↓

L-Cones : Red에 가장 많다.  
 M-Cones : Green에 가장 많다.  
 S-Cones : Blue에 가장 많다.  
 각각 다른 영역에 있다. 겹친다.  
 주관적인 것과 반응이 같다.



사람이 인식하는 빛 : 물체가 반사하는 빛

물체가 반사하는 빛? 물체 표면과 광원의 영향을 받는다.

$$I(\lambda) = \underbrace{D(\lambda)}_{\text{물체로면}} \cdot \underbrace{L(\lambda)}_{\text{광원}}$$

사람의 눈은 짜증대마다 빛을 인식하는 정도가 다르다.

$$f(x,y) = \int I(\lambda) \cdot V(\lambda) d\lambda$$

특정 Pixel에서 인식하는 빛은 전파방 영역에서 사람 시스템 + 물체에서 반사되는 빛은  
여기서 인식하는 빛은 물체에서 반사된 빛의 양과 같은 것이다.

$V(\lambda)$  : Human Visual System

Rods : 높으면 인식 (여드름 흔적)

Cones : 세 가지 원색 (L, M, S Cone이 혼재 : 주로 R, G, B 영역에 민감)

Luminance  $\downarrow$  가중함

$$- f_R + f_G + f_B \quad (\text{높은 흔적})$$

$$f_R = \int I(\lambda) \cdot V_R(\lambda) d\lambda, f_G = \int I(\lambda) \cdot V_G(\lambda) d\lambda, f_B = \int I(\lambda) \cdot V_B(\lambda) d\lambda$$

$$- f_{Rod} \quad (\text{여드름 흔적})$$

Brightness Saturation



Color

$$- f_R, f_G, f_B \text{의 비율}$$



$$f_R : f_G : f_B \rightarrow 같은 비율은 같은 색, 그러나 밝기가 다름$$

Brightness : 실제로 느끼는 밝기 (주변 환경에 따라)

Contrast : 환경이 달라 밝기로 습지와 대비

Constancy : 환경이 달라 밝기가 실제와 동일

# Color Perception

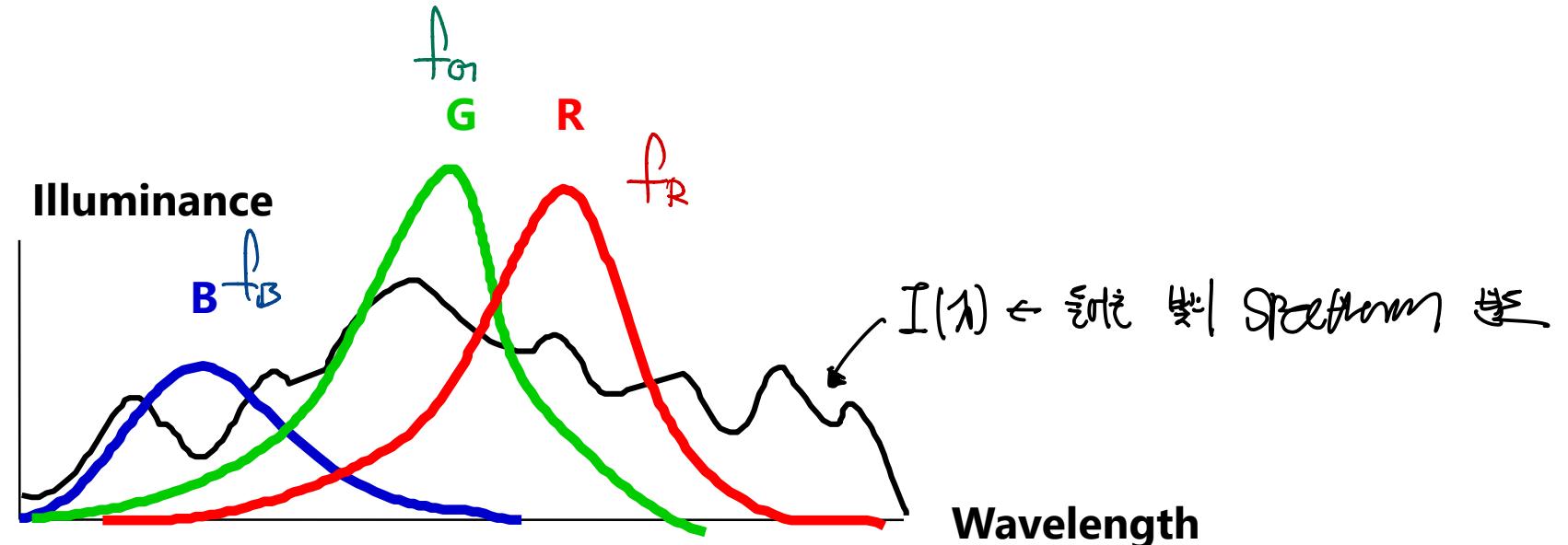
$$f(x, y) = \int_0^{\infty} I(x, y, \lambda) V(\lambda) d\lambda$$

~~스펙트럼~~

주분  $\rightarrow$  R, G, B 나옴

각 표상 영역에 대해 별도로 처리되는지

- Rods and cones act as filters on the spectrum
  - multiply its response curve ( $V$ ) by the spectrum ( $I$ ), integrate over all wavelengths



# Human Visual System

$$f(x, y) = \int_0^{\infty} I(x, y, \lambda) V(\lambda) d\lambda$$

- Tri-chromatic Model: Human retina has 3 types of cones.

3가지의  
→ 3가지 Cone

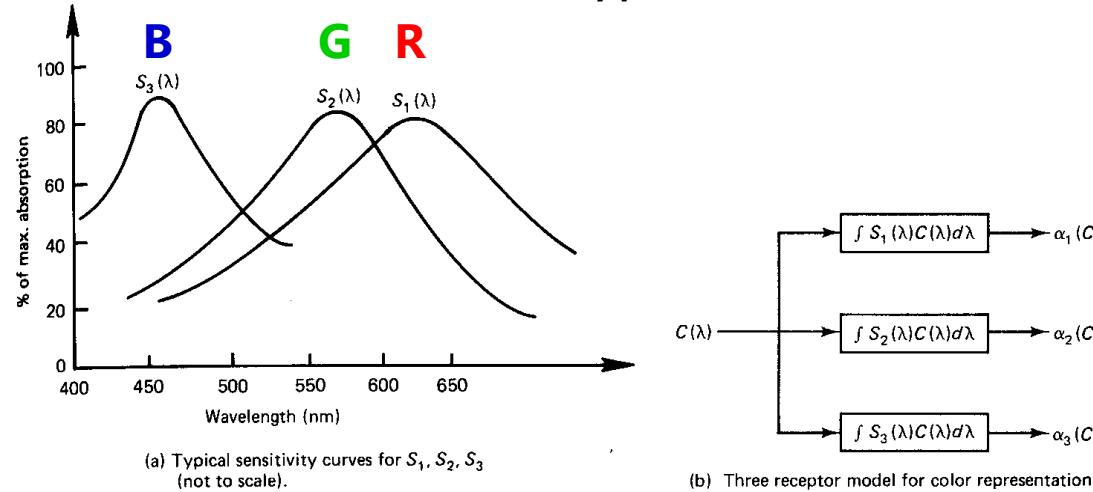


Figure 3.11 (a) Typical absorption spectra of the three types of cones in the human retina; (b) three-receptor model for color representation.

- i-th cone response

가시광선: 380 ~ 700nm → i번의 Cone에 영향을

$$\alpha_i(C) = \int_{\lambda_{\min}}^{\lambda_{\max}} S_i(\lambda) C(\lambda) d\lambda, \quad i = 1, 2, 3$$

$\alpha_i(C)$  (response)  $\int_{\lambda_{\min}}^{\lambda_{\max}} S_i(\lambda) C(\lambda) d\lambda$

$\left. \begin{array}{l} i=1 \rightarrow R \\ i=2 \rightarrow G \\ i=3 \rightarrow B \end{array} \right\}$

$\text{R.G.B } \rightarrow \text{4차원}$

$\text{I (light)}$  → 햇빛 빛 Spectrum

“Should we know the **response function** to represent the color?”

↑ Response function은 알아내면 가능

# Color Matching

일정의  $C(\lambda)$ 을 세 가지 Primary Light Sources로 표현하자

각각의 원색에 해당하는 3개의 primary light source가 표현된다.

$\sum$  is linear

- 3 primary light sources ( $k=1,2,3$ )

Basis  $\rightarrow$  Linearly Independent!

RGB light  
color

$$[C(\lambda)] = [\beta_1 P_1(\lambda) + \beta_2 P_2(\lambda) + \beta_3 P_3(\lambda)]$$

( $\beta$ : scale,  $P$ : distribution)

$$\alpha_i(C) = \int \left[ \sum_{k=1}^3 \beta_k P_k(\lambda) \right] S_i(\lambda) d\lambda = \sum_k \beta_k P_k S_i d\lambda$$

CMY R,G,B  
Sensor

$$\alpha_i(C) = \sum_{k=1}^3 \beta_k \int [S_i(\lambda) P_k(\lambda)] d\lambda$$

$$a_{i,k} \equiv \alpha_i(P_k) = \int S_i(\lambda) P_k(\lambda) d\lambda$$

$\rightarrow$  Sensor가  $i$ 에  $k$  번째 원색을 보낸다.

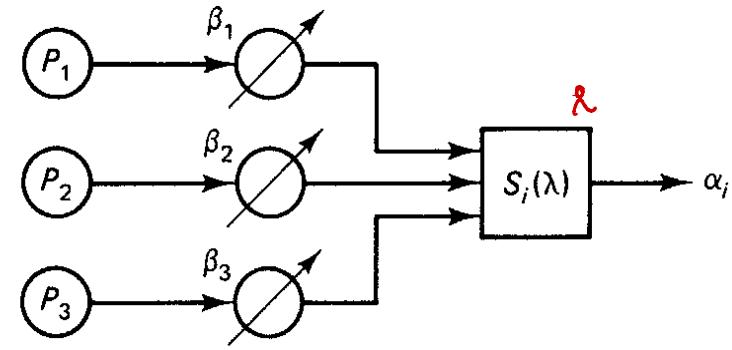
$$\sum_{k=1}^3 \beta_k a_{i,k} = \alpha_i(C) = \int S_i(\lambda) C(\lambda) d\lambda$$

Primary response on sensor  $i$   
from the light source  $k$

Sensor response as a "combination"  $\beta$  of primary responses  
**(Color Matching Equation)**

$\rightarrow$  Matrix and Invertible stuff

"Unless  $\{a_{i,k}, i,k=1,2,3\}$  is a singular matrix, we can find  $\{\beta_k, k=1,2,3\}$  for any  $C$ ."



세 가지 드로 빛을 사용하여 어떤 색이던 만들고자

이 빛을 합쳐 해서 빛의 조리 :  $C(\lambda) = \beta_1 P_1(\lambda) + \beta_2 P_2(\lambda) + \beta_3 P_3(\lambda)$

우리가 쓰는 대로 같다. When  $S = [V_R, V_G, V_B]$ ,  $\alpha = [f_R, f_G, f_B]$

$$\alpha = \int C(\lambda) \cdot S(\lambda) d\lambda \quad \text{Sensor} \quad \text{Sensor response}$$

$$= \int C(\lambda) \cdot S(\lambda) d\lambda$$

$$\alpha_i = \int (\sum_{k=1}^N \beta_k P_k) \cdot S_i(\lambda) d\lambda \quad \leftarrow R, G, B \text{ 는 } \text{sw} \text{이 } \text{같다}$$

$$\alpha_{i,k} = \int P_k \cdot S_i(\lambda) d\lambda \quad \leftarrow \text{Primary light } \rightarrow \text{ 하나 } | R, G, B \text{ } \text{은 } \text{같다}$$

$$\rightarrow \sum_{k=1}^N (\beta_k \cdot \alpha_{i,k}) = \alpha_i$$

→ Primary light와 Sensor를 만든  $P$ 를 알고, 만들고자 하는 Primary light와 Sensor Response를 만드는 Linear Combination으로 만들 수 있다.

+  $\alpha_{i,k}$ 가 Not Satisfy

그러면 우리가  $R, G, B$  를 primary light를 만드는 어떤 Color로든  
primary light = linear Combination이 가능하다.

$$\begin{bmatrix} a \\ b \\ c \end{bmatrix} \cdot \begin{bmatrix} P_1 \\ P_2 \\ P_3 \end{bmatrix} = \begin{bmatrix} \alpha \\ \beta \\ \gamma \end{bmatrix}$$

$C(\lambda)$ 은  $P(\lambda)=1$  Linear Combination으로 표현

-  $C(\lambda)$

-  $P(\lambda)$

- Sensitive function

알고 싶으면 아래에  
보기

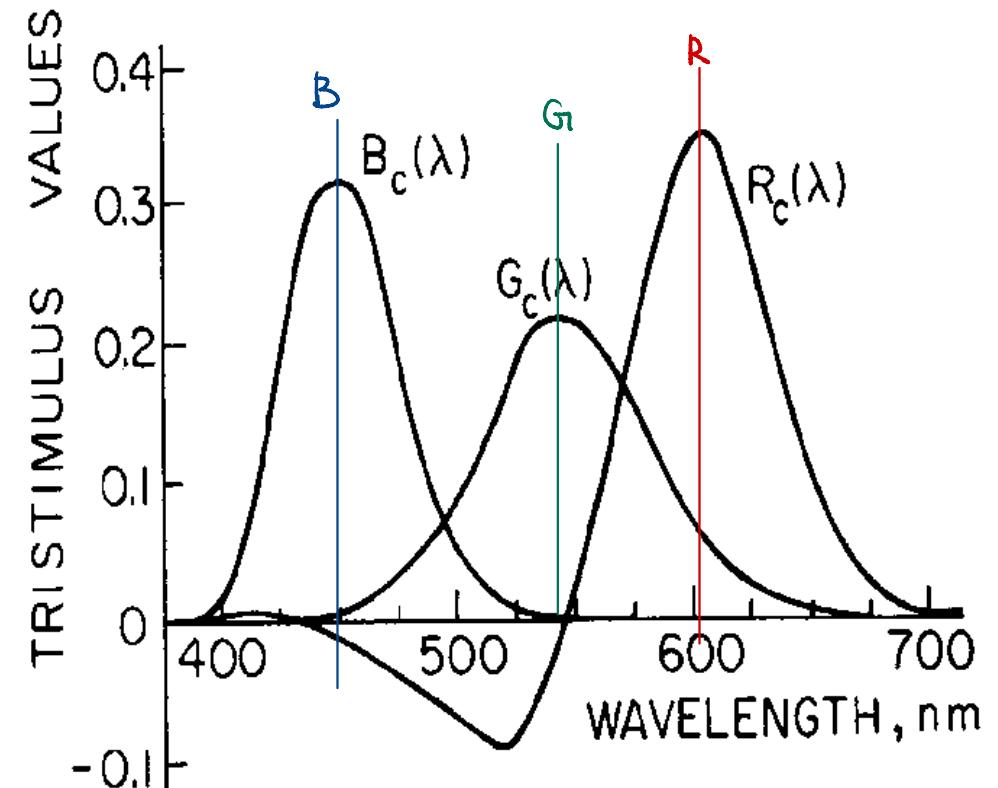
$$\begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix} \cdot \begin{bmatrix} P_1 \\ P_2 \\ P_3 \end{bmatrix} = \begin{bmatrix} \alpha_1(C) \\ \alpha_2(C) \\ \alpha_3(C) \end{bmatrix}$$

# Color Matching

The CIE spectral primary system

- $P_1(\lambda) = \delta(\lambda - \lambda_1)$ ,  $\lambda_1 = 700\text{nm}$  (red)
- $P_2(\lambda) = \delta(\lambda - \lambda_2)$ ,  $\lambda_2 = 546.1\text{nm}$  (green)
- $P_3(\lambda) = \delta(\lambda - \lambda_3)$ ,  $\lambda_3 = 435.8\text{nm}$  (blue)

CIE에서 사용하는 primary light sources



# Color Matching

$$f(x, y) = \int I(\lambda, x, y) V(\lambda) d\lambda$$

↑ 흐름  
빛의 흐름  
↓ 인지 감각

→ 쓰임 환경에 따른 변화는 빛기

$$f(C) = \int C(\lambda) V(\lambda) d\lambda$$

Sensor  
색당 하나

Laws of **color matching** (Grassman's laws)

- Any color can be matched by mixing 3 primary light sources.

→ 다른 색조와의 혼합으로 가능하다.

- Luminance** of a color mixture == sum of the **luminance** of its components

If  $C = C_1 + C_2 + \dots + C_N$ , then

$C = \beta_1 P_1 + \beta_2 P_2 + \beta_3 P_3$  일 때,

$$\Rightarrow Y = Y(C) = \beta_1 L(P_1) + \beta_2 L(P_2) + \beta_3 L(P_3)$$

$$Y(C) = \sum_{n=1}^N Y(C_n)$$

→ light is linear

← 각 빛의 선형 조합이다.

각 빛의 빛기

Light = Linear Combination of 3 light source

- Note  $L = L(C) = \int C(\lambda) V(\lambda) d\lambda$

$$\text{Prove) } L(C) = \int C(\lambda) \cdot V(\lambda) d\lambda$$

$$= \int \left( \sum_{n=1}^N C_n(\lambda) \right) \cdot V(\lambda) d\lambda = \sum_{n=1}^N \int C_n(\lambda) \cdot V(\lambda) d\lambda = \sum_{n=1}^N C_n(\lambda)$$

$$f(x, y) = \int [I(\lambda, x, y) V(\lambda)] d\lambda$$

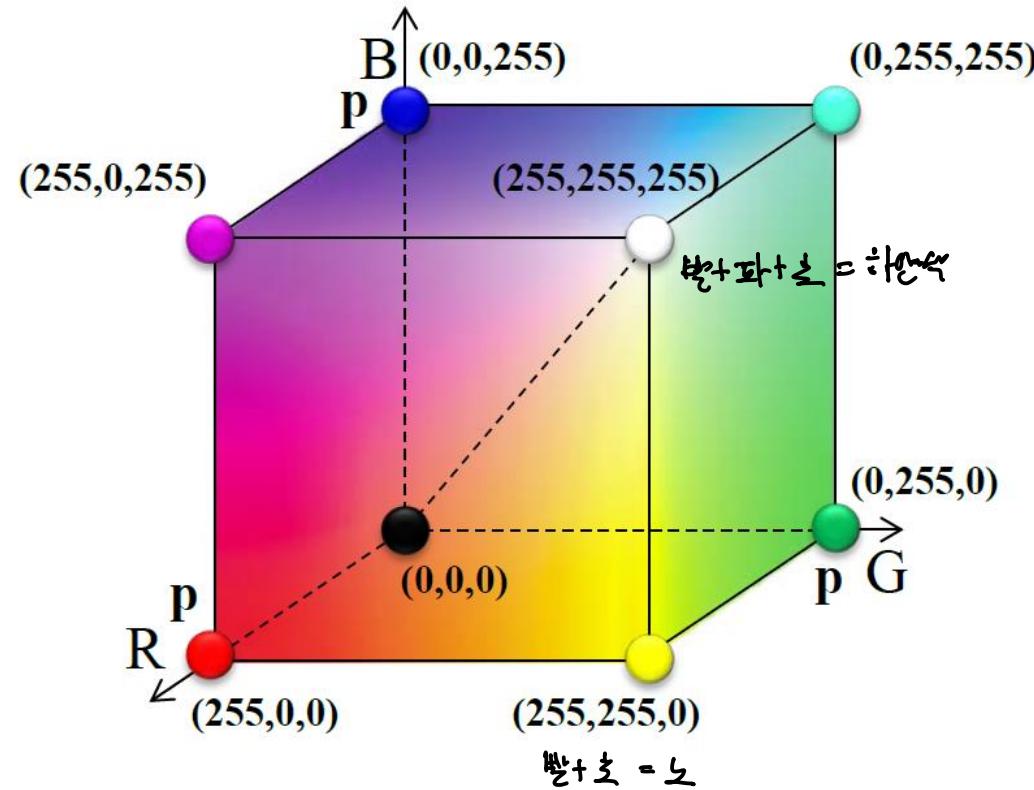
Light is linear:

The same intensity

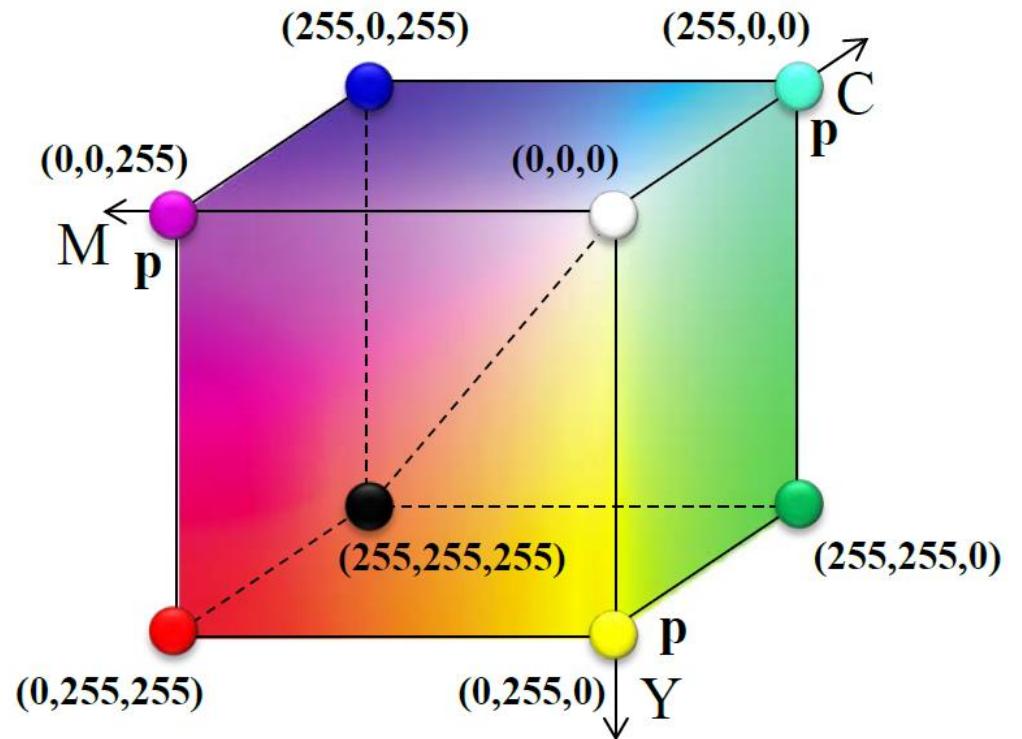


각 빛의 합 = 같은 빛의 흐름

# RGB-CMY



RGB  
Primary colors of light  
빛의 원색



CMY  
(cyan, magenta, yellow)  
Primary colors of pigments  
잉크의 원색

# Intensity, Saturation, and Hue

H: Hue, I: Intensity, S: Saturation 3가지 색상 모양

**HIS System:** Non-linear to color space ← Polar Coordinate 대체

$$I = \frac{1}{3}(R_N + G_N + B_N)$$

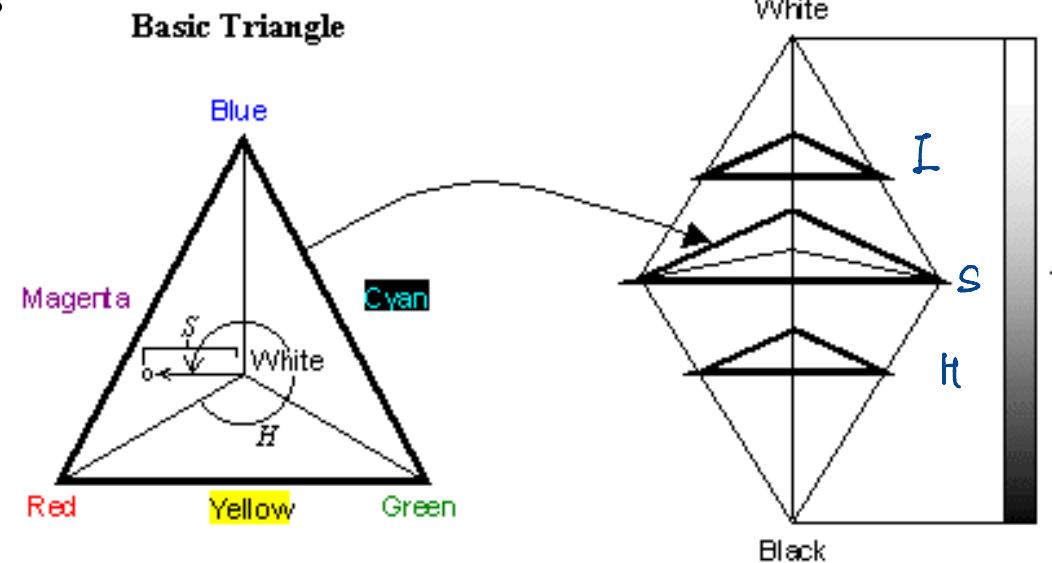
$\rightarrow R, G, B \in [0, 1]$   $\Rightarrow I \in [0, 1]$

$$H = \frac{1}{2\pi} \cos^{-1} \left\{ \frac{2R_N - G_N - B_N}{2\sqrt{(R_N - G_N)^2 + (R_N - B_N)(G_N - B_N)}} \right\}$$

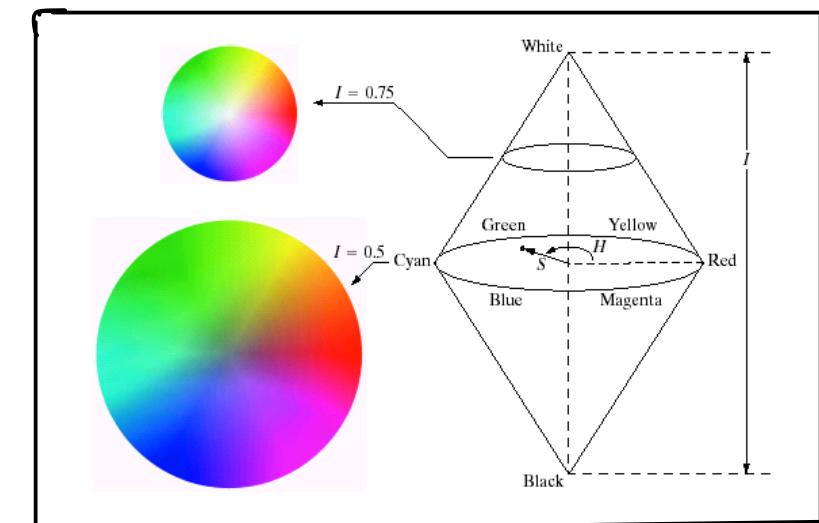
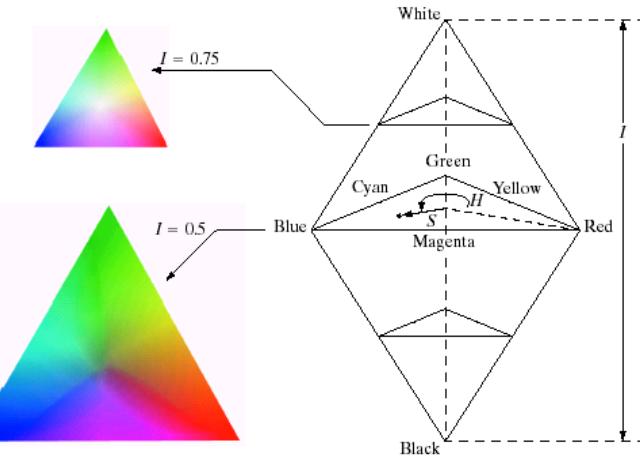
$\rightarrow$  Red은 0도로 정의

RGB to HSI

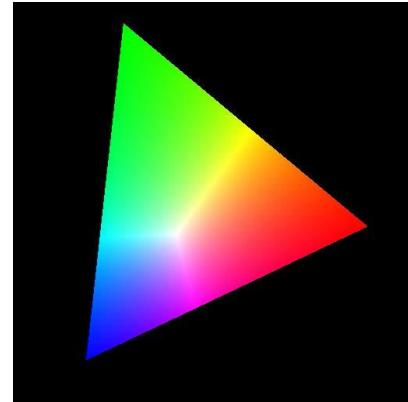
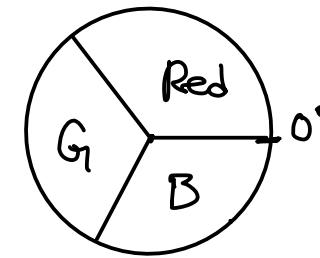
: 선형 변환 가능



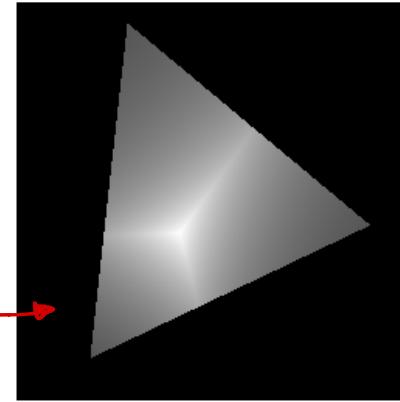
Hue:  $\theta$   
Saturation:  $I$   $\rightarrow$  Intensity:  $I$



# Intensity, Saturation, and Hue

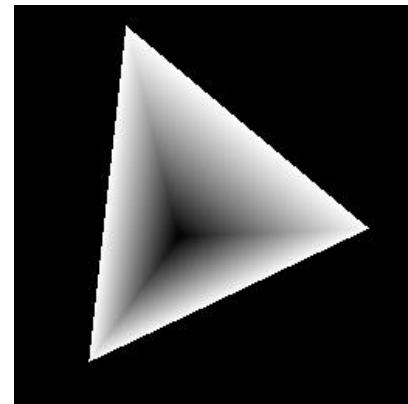


→ 흐리기  
→ 흐릿화



I Channel

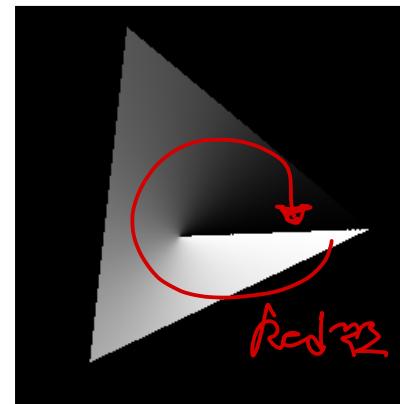
$$\text{Intensity} : \frac{\text{Light}}{\text{Total}}$$



S Channel

Saturation

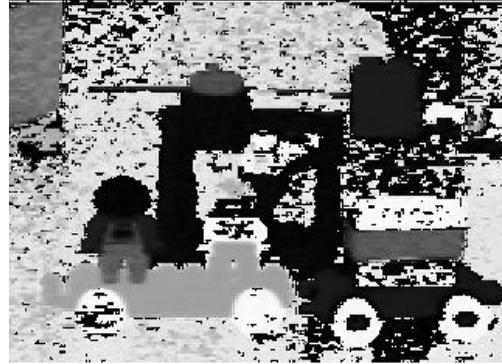
$$: \frac{\text{Light}}{\text{Total}}$$



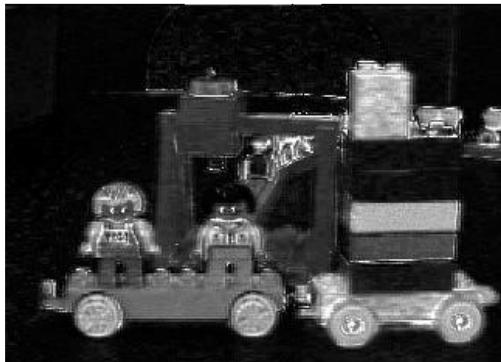
H Channel

Hue : 색상

# An Example Image in HSI

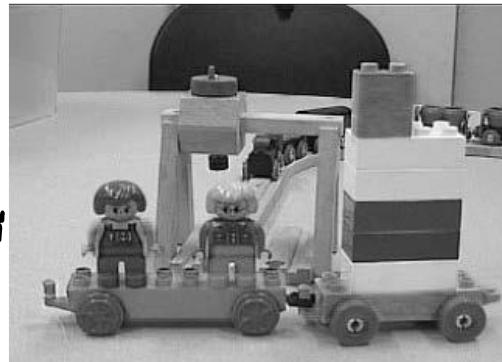


Hue



차이점  
→ 선명한 색  
→ 푸른색  
변화점  
→ 흰색, 회색, 회색  
→ 흰색

Saturation



Intensity

차이점: 빛의 Hue (붉은색일까)  
변화점: 빛의 Hue (붉은색일까)

회색|회색|회색|회색

회색, 회색, 회색 : 흰색

# HSI Manipulation



Hue  
RGB → HSI → RGB



Saturation



Intensity



# YCbCr Color Coordinate System

영상 앱에서 흐름 사용

- There are various **color coordinate systems** (XYZ, UVW, YIQ, etc.)
- Most of them can be computed with a **linear transformation**.

RGB to YCbCr:

$$\begin{array}{ll} \text{밝기} & \text{Luminance} \\ \text{파란색} - Y & \text{blue} \\ \text{빨간색} - Y & \text{red} \end{array} \quad \begin{bmatrix} Y' \\ C_B \\ C_R \end{bmatrix} = \frac{1}{256} \begin{bmatrix} 77 & 150 & 29 \\ -43 & -84 & 127 \\ 127 & -106 & -21 \end{bmatrix} \begin{bmatrix} R' \\ G' \\ B' \end{bmatrix} + \begin{bmatrix} 0 \\ 128 \\ 128 \end{bmatrix}$$

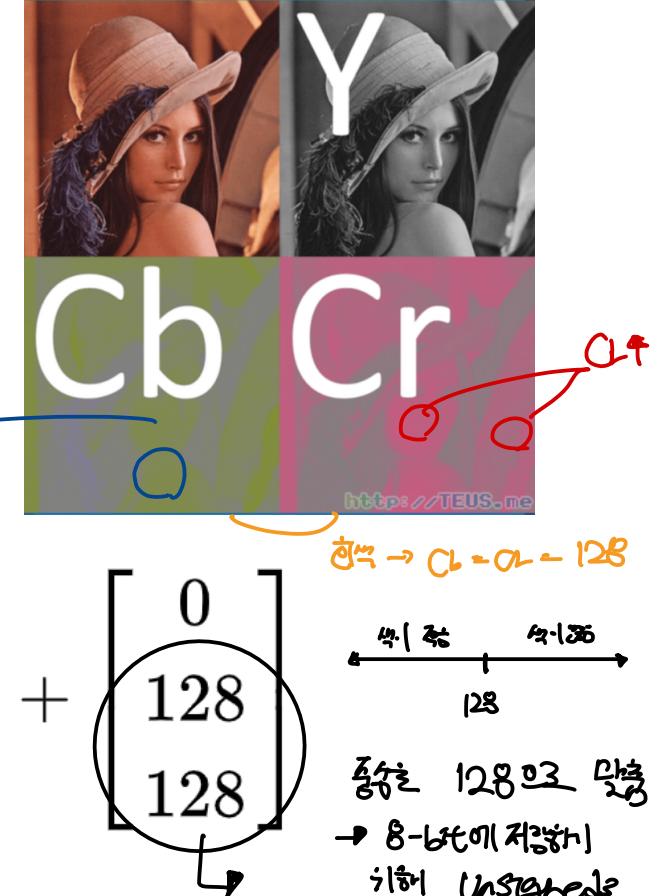
정렬(RGB: 0 ~ 255 이기 때문에) Transform matrix

RGB to YCbCr matrix

Luminance : 원색 >> 중간색

$$Y = \beta_1 R + \beta_2 G + \beta_3 B \leftarrow \text{설명 } \begin{bmatrix} R \\ G \\ B \end{bmatrix} \cdot \begin{pmatrix} \beta_1 & \beta_2 & \beta_3 \end{pmatrix}$$

$$\begin{aligned} C_B &= 200 - Y \rightarrow \text{평균 빛의 밝기보다 강한가?} \\ C_R &= 100 - Y \rightarrow \text{평균 빛의 밝기보다 약한가?} \end{aligned}$$



# Colors in Cameras

→ 카메라 센서 → 빛, 가면 푸짐

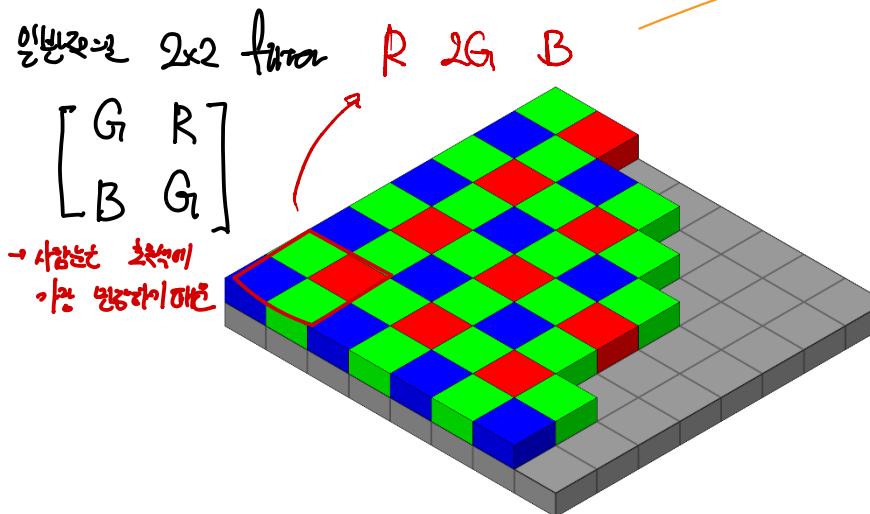
↳ Color filter 필터에서 각 픽셀 R,G,B 를 하나의 값로 축약하는 행동

- A mosaic of color filters (**a Bayer filter**) in front of the sensor

Image 보기 된다.

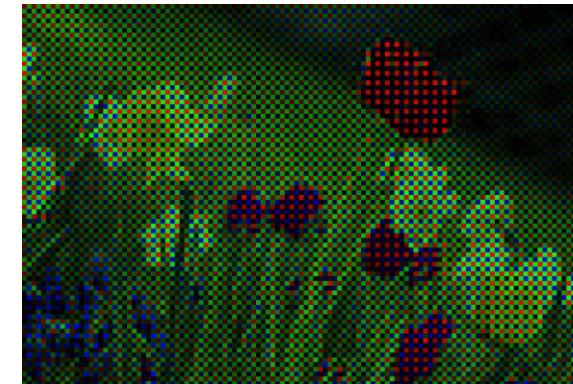
- Demosaicking:**  interpolate colors to make a full-resolution color images

Filter에서 각 픽셀 R,G,B 는 다른 값 인. 한 픽셀에서 필터 축약 되는 값 는 다른 픽셀 에서 여기 (Interpolation 기법)



Bayer filter pattern in front of sensor

Demosaicking



What the camera sees  
("raw" image)

2W x 2H (y) → 한 픽셀 에서 부여 되는 픽셀  
R,G,B 를 축약 하는 행동 → WxHx3 → R,G,B 값



Demosaicked image

예시 (4×4 RAW → 2×2 RGB)

RAW 값 (4×4, 단일 채널):

```
[  
 [ 60 120 55 130 ]  
 [ 40 90 42 100 ]  
 [ 65 115 58 125 ]  
 [ 38 92 40 98 ]  
 ]
```

© 복사 ⌂ 편집

Bayer 패턴 (G R / B G):

```
css  
  
G R G R  
B G B G  
G R G R  
B G B G
```

© 복사 ⌂ 편집

좌상단 2×2 블록 예)

```
makefile  
  
G:60 R:120  
B:40 G:90
```

© 복사 ⌂ 편집

→ 보간된 RGB = [R=120, G=(60+90)/2=75, B=40]

최종 RGB 결과 (2×2×3)

```
lua  
  
[[[120, 75, 40], [130, 75, 100]],  
 [[115, 71, 38], [125, 75, 98]]]
```

© 복사 ⌂ 편집

# Naïve Color Photos

→ 초기 사진

Before color film, 3 separate exposures with 3 different color filters (RGB)



Blue, Green, Red  
exposures

Combined color image (1911)

# Image Colorization [1]

: 흑백 이미지 → 컬러 이미지

← 차운 → 봉기장운

$$W \times H \times 1$$

+

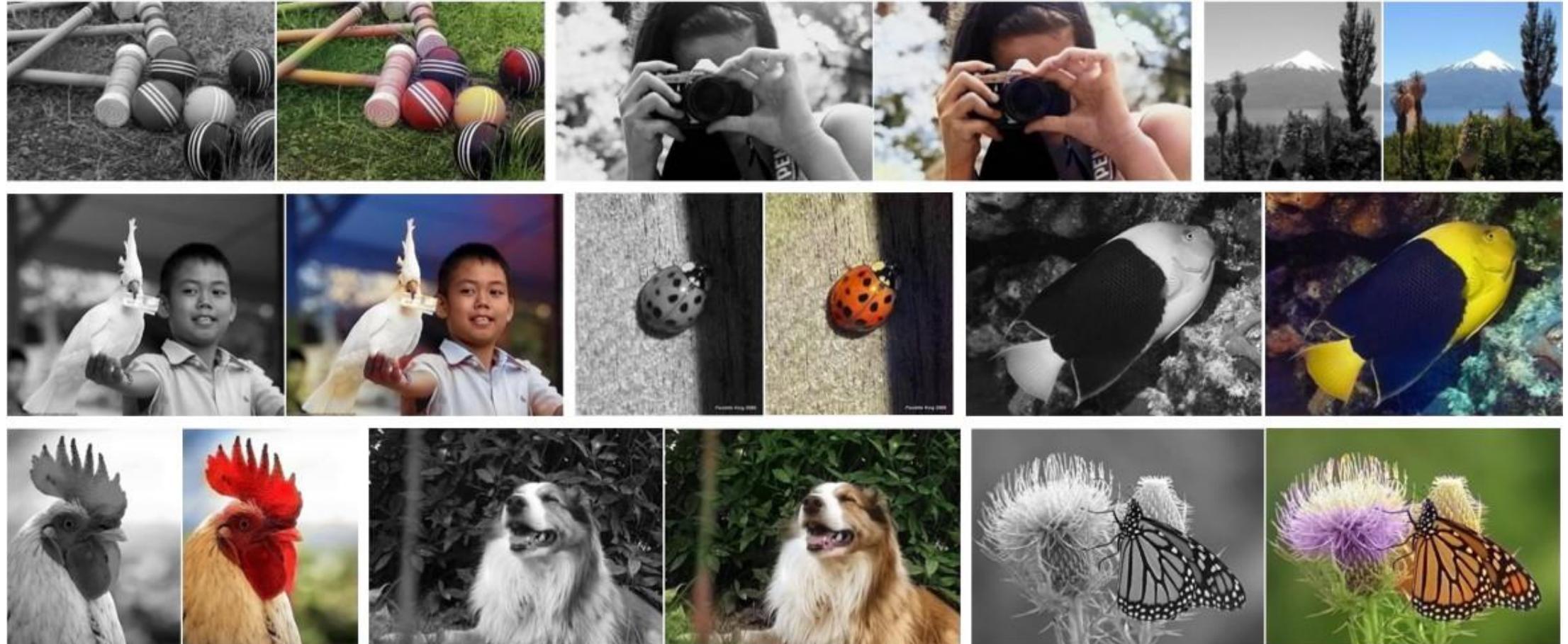
당겨놓기 예술 색상 정보

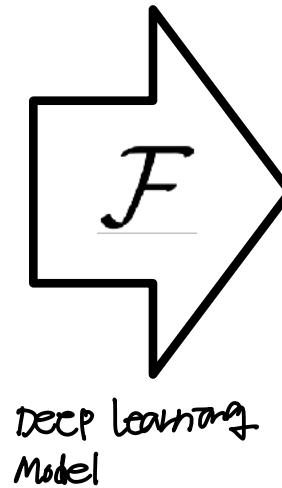
$$W \times H \times 2$$

→

최종 이미지

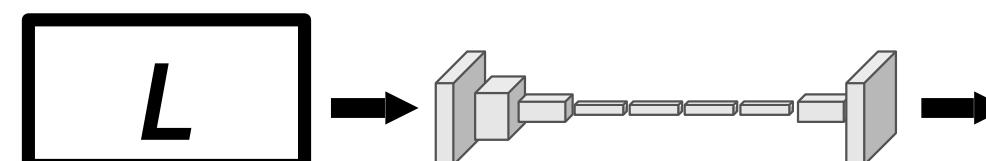
$$W \times H \times 3$$





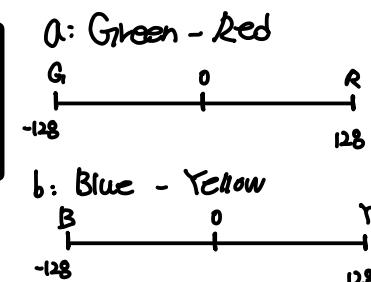
Grayscale image:  $L$  channel

$$\mathbf{X} \in \mathbb{R}^{H \times W \times 1}$$

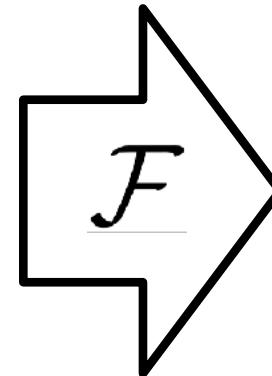


Color information:  $ab$  channel

$$\hat{\mathbf{Y}} \in \mathbb{R}^{H \times W \times 2} \xrightarrow{\text{한국 표준}}$$

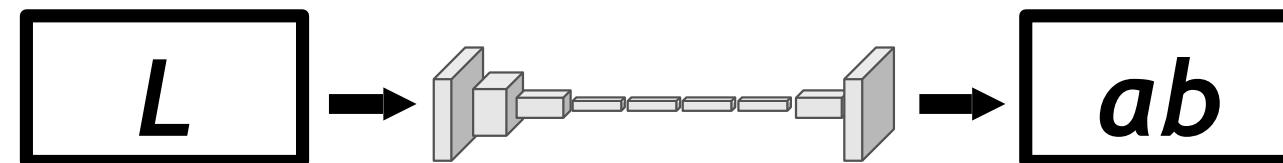


PH Lab? 놓기와 죽이 놓기 → 죽 여전히 놓기



Grayscale image:  $L$  channel

$$\underline{\mathbf{X}} \in \mathbb{R}^{H \times W \times 1}$$



Concatenate ( $L, ab$ )

$$(\underline{\mathbf{X}}, \widehat{\mathbf{Y}}) \xrightarrow[\rightarrow W \times H \times 3]{\text{L 과 ab을 합성}}$$

Lab Color space  
 → RGB를 배경은 Color Image  
 같은 수 있다.

# Loss Functions

Input:  $\text{RGB}$   $\rightarrow$  Output: ab Channel (여부)

a: green to red  
b: blue to yellow

- Regression with L2 loss inadequate

$$L_2(\hat{\mathbf{Y}}, \mathbf{Y}) = \frac{1}{2} \sum_{h,w} \left\| \mathbf{Y}_{h,w} - \hat{\mathbf{Y}}_{h,w} \right\|_2^2$$

시계 ab값  $\mathbf{Y}_{h,w}$   
 예상 ab값  $\hat{\mathbf{Y}}_{h,w}$

- Use multinomial classification : 블리기반 Loss function

$$L(\hat{\mathbf{Z}}, \mathbf{Z}) = -\frac{1}{HW} \sum_{h,w} \sum_q Z_{h,w,q} \log(\hat{Z}_{h,w,q})$$

$q$  → 모든 클래스  
 → 모든 클래스에 대한 예측  
 → 모든 클래스에 대한 Loss

H: 애너지: 세로 길이

→ 모든 픽셀에서 각 퍼센트를 클래스 한다.

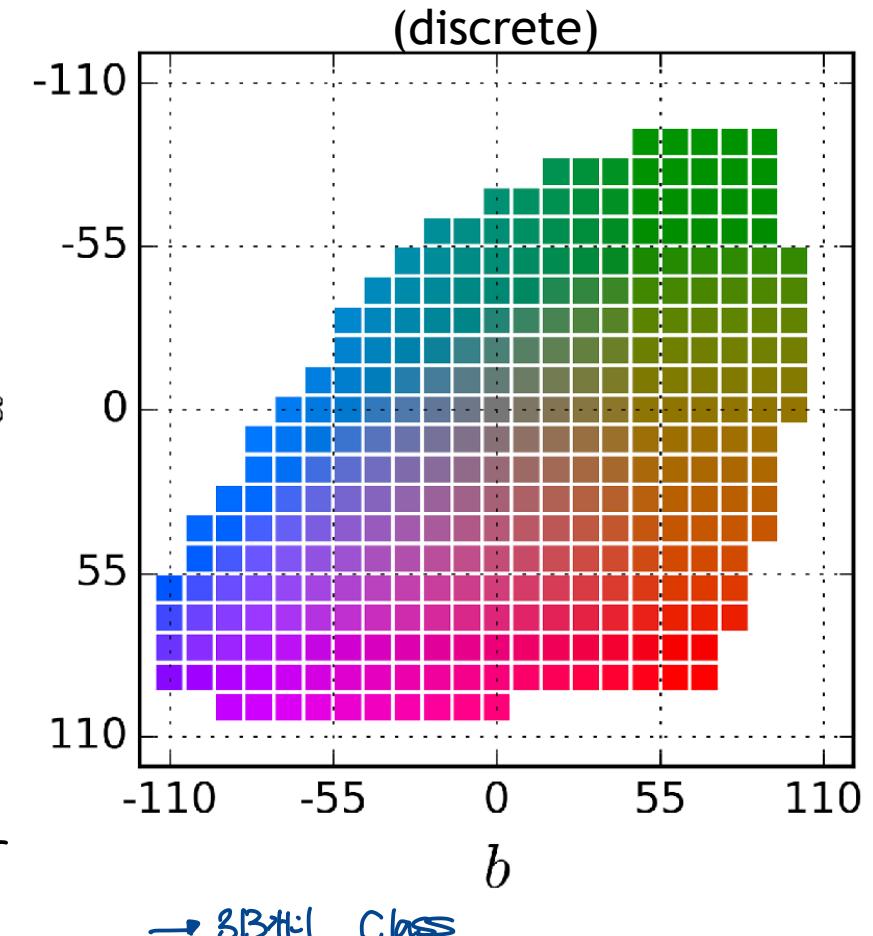
W: 이미지: 가로 길이

$Z_{h,w,q}$ : 정답 클래스 = 1인 One-hot Vector  
 $[0, 0, 0, 1, 0 \dots, 0]$

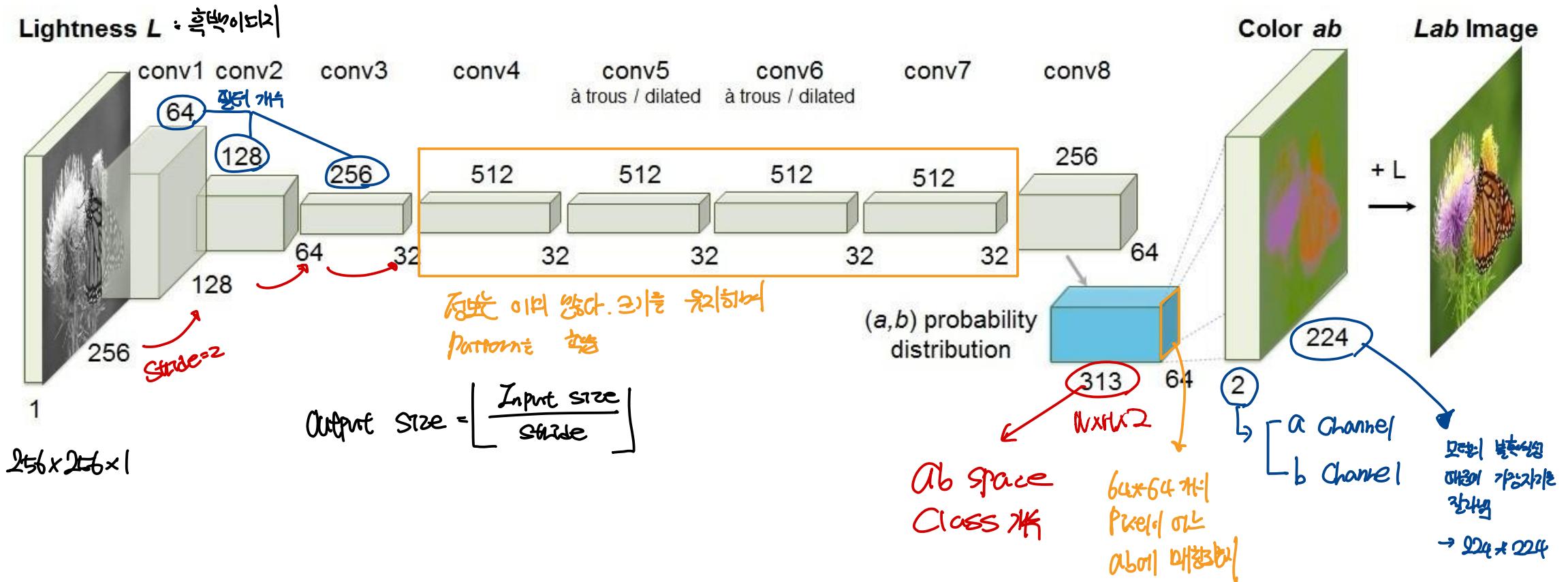
$\hat{Z}_{h,w,q}$ : 각 픽셀이 어떤 클래스에 속할 확률

$[0.1, 0.03, 0.09, \dots, 0]$

## Colors in ab space

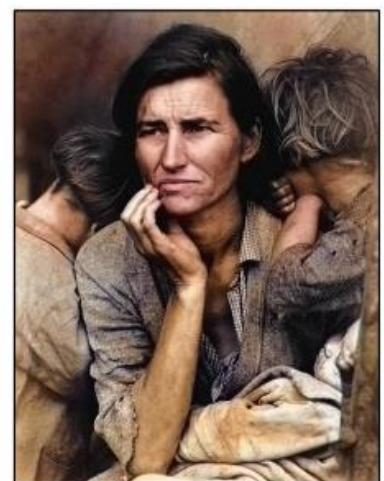
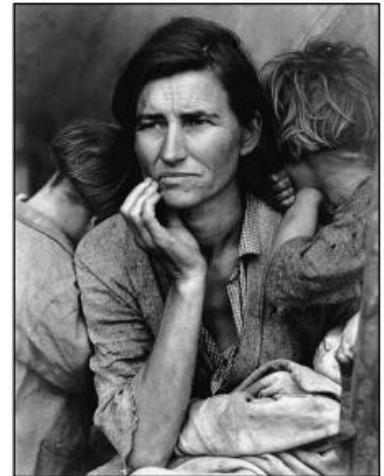
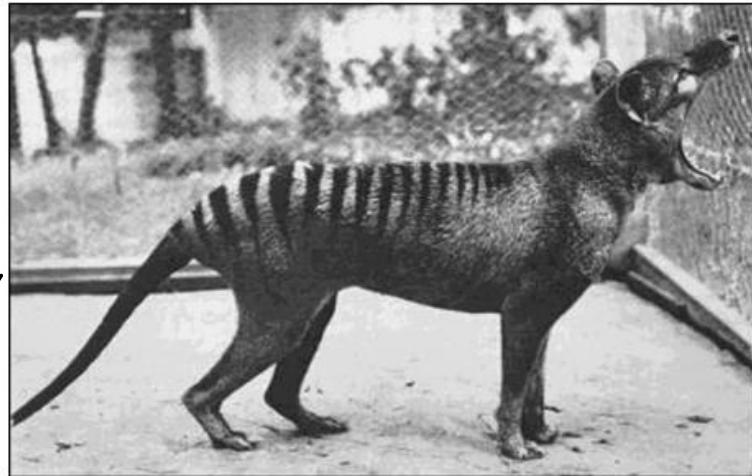


# Architecture



# Colorization Results

Results on legacy BW photos.



# Inherent Ambiguity



Grayscale

# Inherent Ambiguity:

회색이끼리에서 흑자이끼리로 보호를 때, (채우는 수) 정복이다.  
객관적인 증명(여기 대체로 유사하지는 객관적) 빌드하고 만든다  
변화는 등(상증) 불증을 수 있다.



Our Output

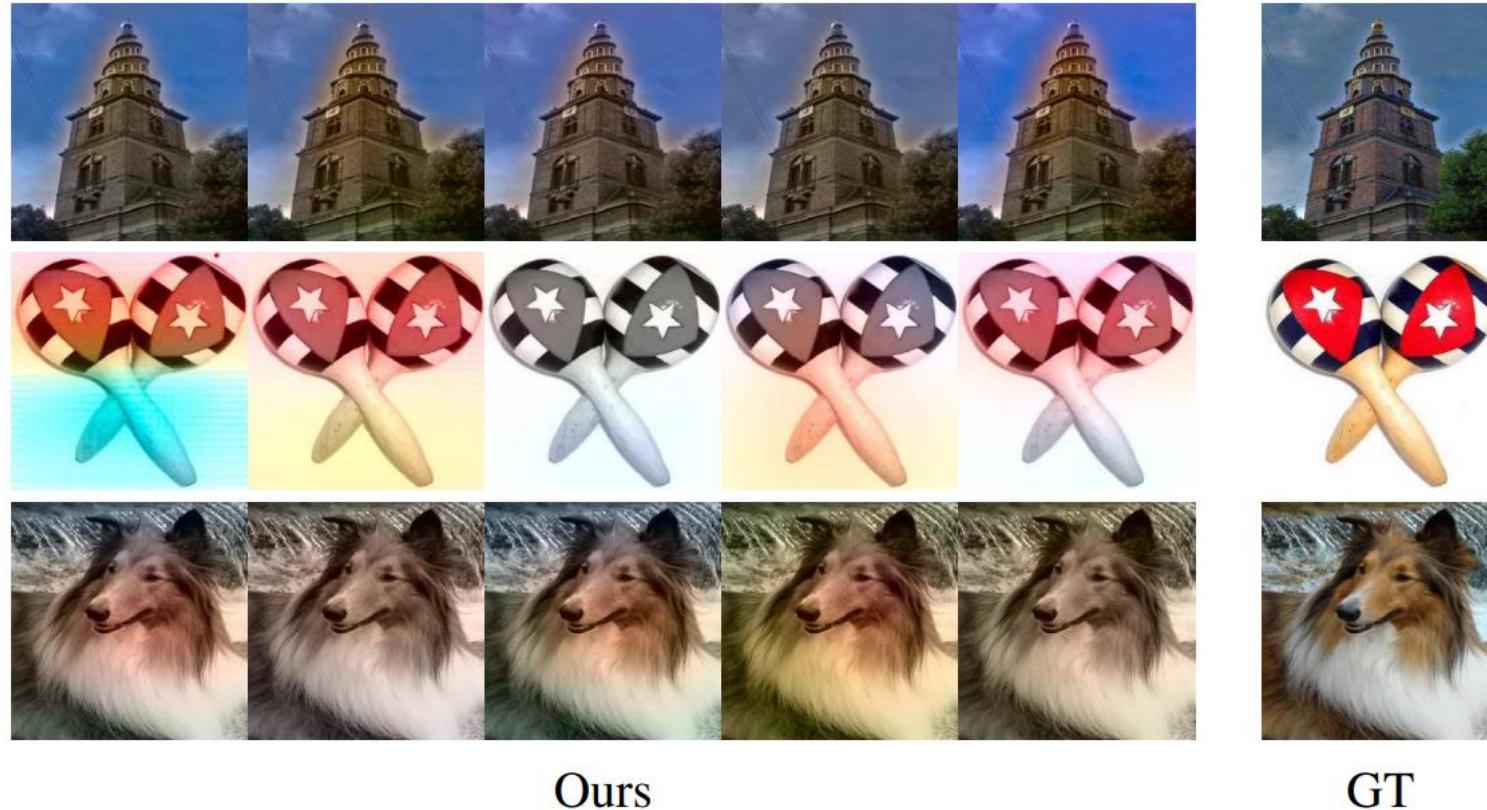


Ground Truth: 상증

# More Recent Colorization Works

False Solution : Stochastic

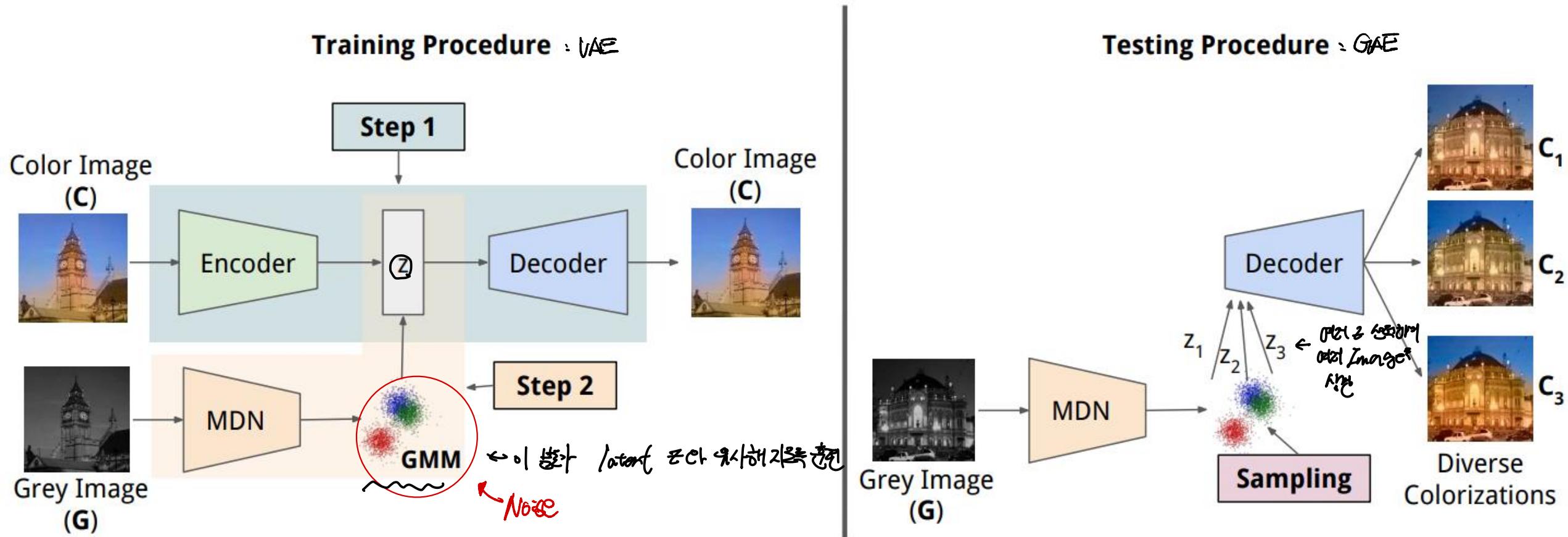
Diverse Colorization (VAE or GAN) [1] : 여러 가지를 섞어서 가장 좋은 것 선택



# More Recent Colorization Works

Details about those generative models?  
Coming Soon.

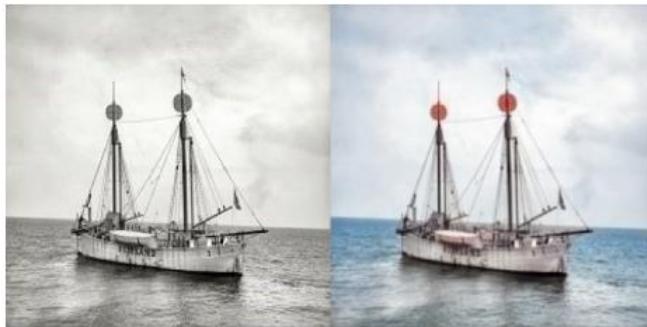
## Diverse Colorization (VAE or GAN) [1]



# More Recent Colorization Works

② Controllable

Language Based Colorization [1] : 뜻기반 컨트롤러

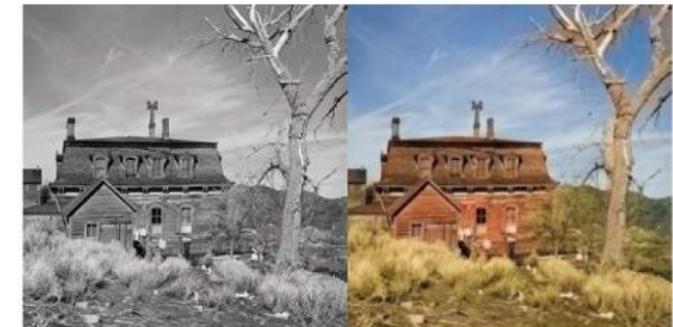


1896. "Lightship Scotland."

There is a white ship with two red sign on the sea.



1937. "Dad jokes, Man in blue shirt the McNallys at dinner." with his family in front of tan wall.

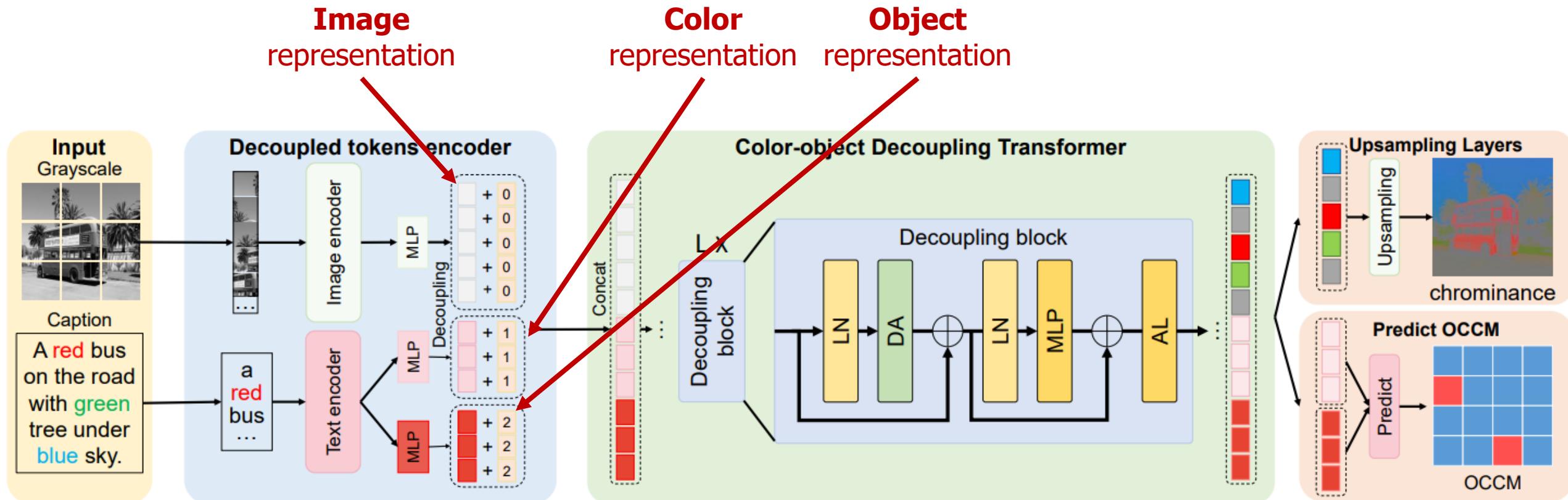


1940. "Old mine office. Virginia City, Nevada."

A red house surrounded by yellow grass.

# More Recent Colorization Works

## Language Based Colorization [1]



# More Recent Colorization Works

## Exemplar Based Colorization [1]

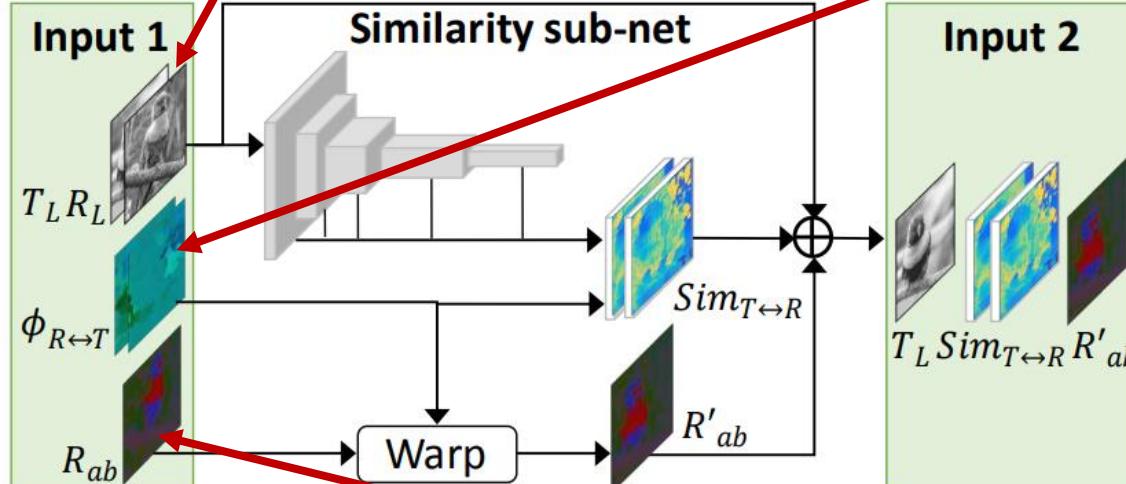


# More Recent Colorization Works

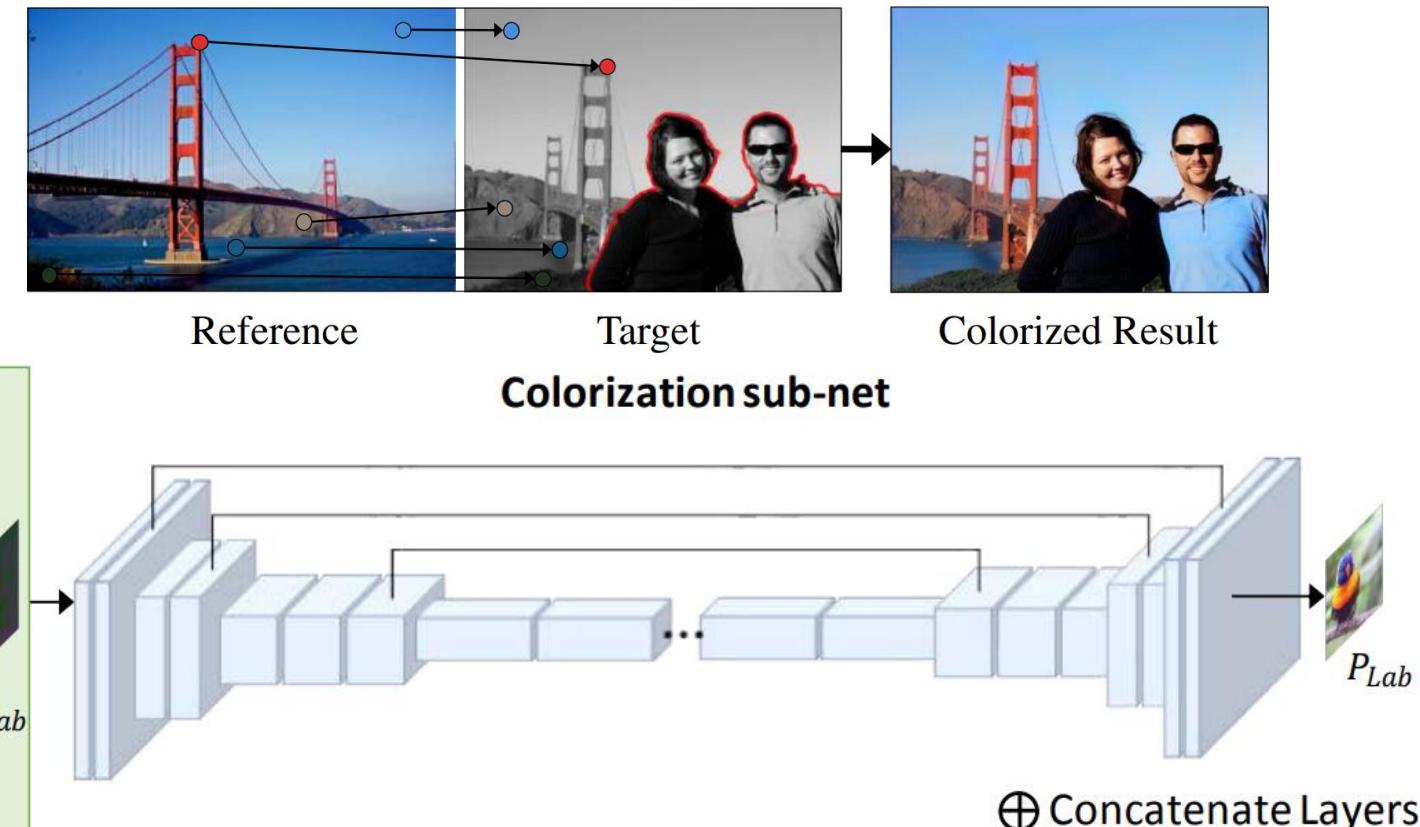
## Exemplar Based Colorization [1]

**Intensity** of  
Target / Reference Images

**Correspondence**  
between R&T



**Chrominance (a,b) of the Reference**



# **ITE4052 Computer Vision**

## 3D Vision

Dong-Jin Kim  
Spring 2025